

# IMAGE ENHANCEMENT


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# INTRODUCTION

- ▶ Image enhancement is basically improving the interpretability or perception of information in images for human viewers and providing 'better' input for other automated image processing techniques.
- ▶ The principal objective of image enhancement is to modify attributes of an image to make it more suitable for a given task and a specific observer.
- ▶ During this process, one or more attributes of the image are modified.




# IMAGE ENHANCEMENT

- ▶ There exist many techniques that can enhance a digital image without spoiling it.
  - ▶ The enhancement methods can broadly be divided in to the following two categories:
    - ❑ Spatial Domain Methods
    - ❑ Frequency Domain Methods
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# SPATIAL DOMAIN ENHANCEMENT

## Spatial Domain Methods

- ▶ In spatial domain techniques , we directly deal with the image pixels.
  - ▶ The pixel values are manipulated to achieve desired enhancement.
  - ▶ The value of a pixel with coordinates  $(x; y)$  in the enhanced image 'F' is the result of performing some operation on the pixels in the neighborhood of  $(x; y)$  in the input image 'f'.
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# BACKGROUND

- Spatial domain processes are denoted by the expression

$$g(x,y) = T[f(x,y)]$$

where,  $f(x,y)$  is input image and  $g(x,y)$  is processed image,

$T$  is an operator on  $f$ , defined over some neighborhood of  $(x,y)$

- Square or Rectangular subimage area centered at  $(x,y)$  is used as neighborhood about a point  $(x,y)$ .

- Here,

$T$  is a gray level transformation function of the form :  $s = T(r)$

where,  $r$  and  $s$  – denote the gray levels of  $f(x,y)$  and  $g(x,y)$  at any point  $(x,y)$ .

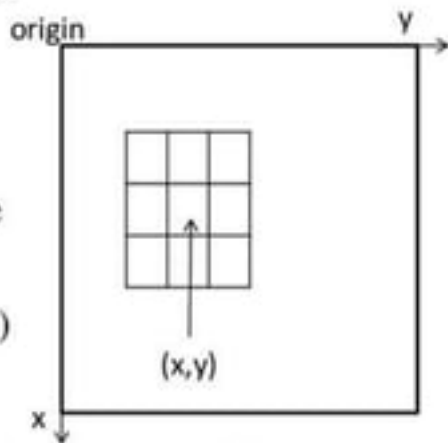
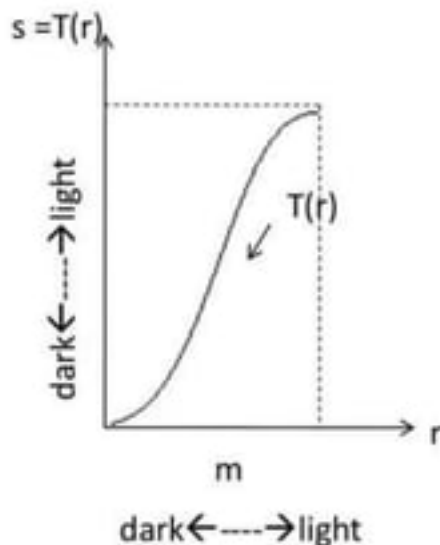
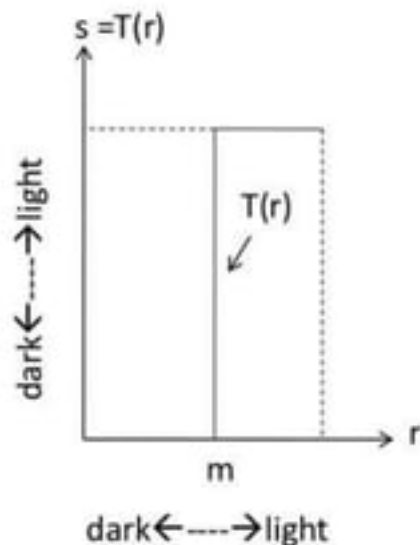


Fig: 3 x 3 neighborhood about a point (x,y) in an image



Contrast stretching



Thresholding function

- A pixel value of ' $r$ ' is mapped into a pixel value ' $s$ ' based on type of transformation ' $T$ '

**Fig : Gray level transformation functions for contrast enhancement**

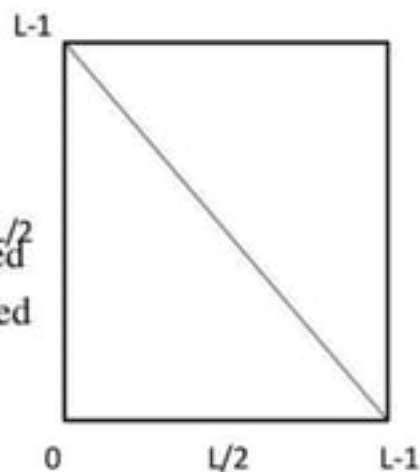
## BASIC GRAY LEVEL TRANSFORMATIONS

### 1. IMAGE NEGATIVES

- The negative of an image with gray levels in the range  $[0, L-1]$  is obtained using negative transformations as in fig. and the expression is :

$$s = L-1-r$$

- This type of processing is particularly suited<sup>L/2</sup> for enhancing white or gray detail embedded in dark regions of an image, especially when the black area is dominant in size.



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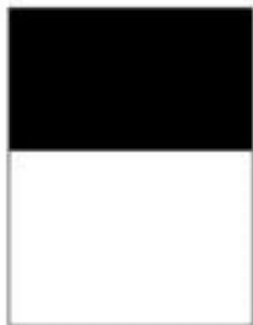


Fig1: original image



Fig2: image negative

*Fig1 is the original image and fig2 is the result of the image negative where the dark region of the image gets converted into the light region .i.e. binary 1 becomes binary 0 and vice versa.*



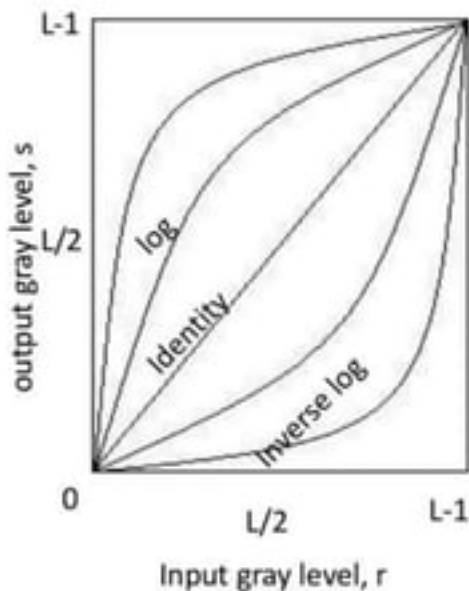
## 2. LOG TRANSFORMATIONS

- The general form of the log transformation is shown in fig and the expression is :

$$s = c \log (1+r)$$

where,  $c$  is a constant and  
assume  $r \geq 0$

- The shape of the log curve indicates that the transformation maps a narrow range of low gray-level values in the input image into a wider range of output levels and vice versa.
- It is used for spreading/compressing of gray levels in an image.



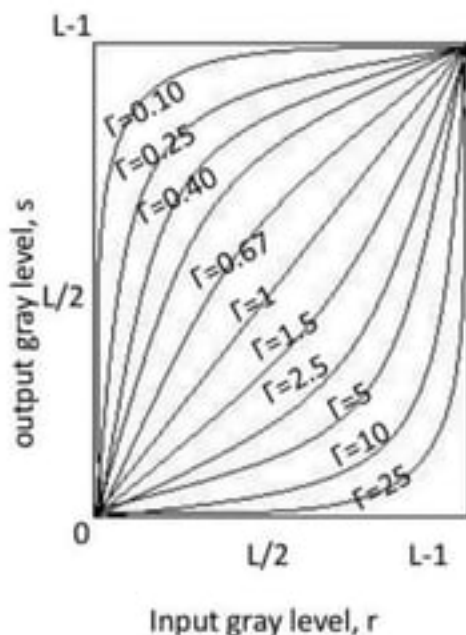
### 3. POWER-LAW TRANSFORMATION

power-law transformation has the basic form:

$$s = cr^\gamma$$

where,  $c$  and  $r$  are positive constants.

- The curve generated with the value of  $\gamma > 1$  has exactly the opposite effect as those generated with  $\gamma < 1$ .
- By convention, the exponent in the power law equation is referred to as **gamma**. The process used to correct this power law response is called **gamma correction**.
- Images that are not corrected properly can look either bleached out or too dark.



#### 4. PIECEWISE-LINEAR TRANSFORMATION

##### 1. CONTRAST STRETCHING

*Low contrast images can result from poor illumination, lack of dynamic range in image sensor or even wrong setting of a lens aperture during image acquisition.*

- If  $r_1=s_1$  &  $r_2=s_2$ , the transformation is a *linear function* that produces no change in gray levels.
- If  $r_1=r_2, s_1=0 \& s_2=L-1$ , the transformation is a *thresholding function* that creates binary image.
- Intermediate values of  $(r_1, s_1)$  &  $(r_2, s_2)$  produces various degrees of spread in gray levels of output image thus affecting its contrast.

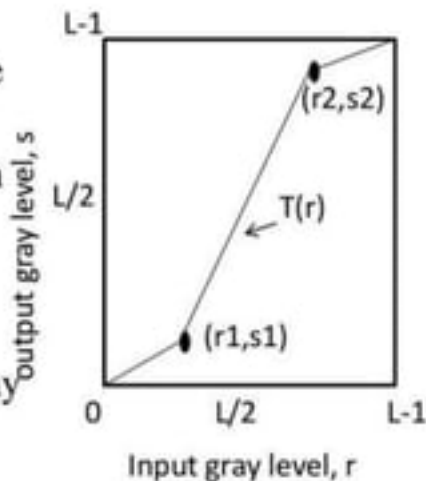


Fig: transformation used for contrast stretching

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Fig1: low contrast image



Fig2: high contrast image

## ENHANCEMENT USING ARITHMETIC/LOGIC OPERATIONS

- It involves operations performed on a pixel by pixel basis between two or more images (excluding NOT, which is performed on single image)
- Any logical operators can be implemented by using only 3 basic functions(*AND*, *OR* & *NOT*).
- The *AND* and *OR* operations are used for *masking*; i.e. for selecting subimages in an image. light represents binary 1 and dark represents binary 0.

## IMAGE SUBTRACTION

The difference between two images  $f(x,y)$  and  $h(x,y)$  expressed as

$$g(x,y) = f(x,y) - h(x,y)$$

The key usefulness of subtraction is *the enhancement of differences between images*. Difference is taken between corresponding pixels of 'f' and 'h'.



Fig1: image1



Fig2: image1



Fig3: result of subtraction

*The above figure 1 & 2 indicates the image taken for subtraction and the figure3 indicates the result of subtraction of image1 with itself.*

## IMAGE AVERAGING

The purpose of image averaging is *noise removal*.

Consider a noisy image  $g(x,y)$  formed by the addition of noise  $n(x,y)$  to an original image  $f(x,y)$ ; i.e.

$$g(x,y) = f(x,y) + n(x,y)$$

If the noise satisfies the constraint (*uncorrelated at every coordinate  $(x,y)$* ), then averaged image is given by

$$\bar{g}(x,y) = \frac{1}{K} \sum_{i=1}^K g_i(x,y)$$

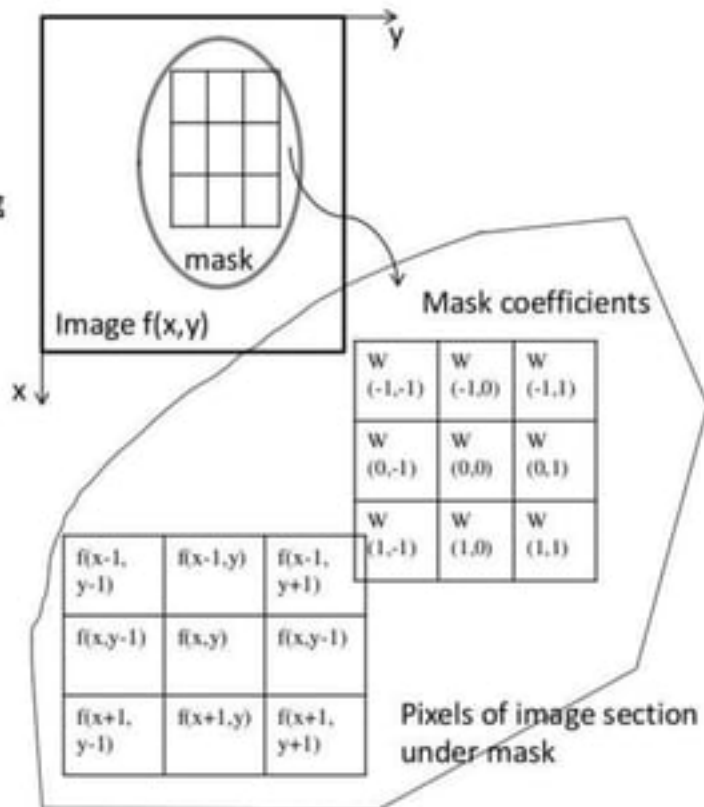
then it follows that,

$$E\{\bar{g}(x,y)\} = f(x,y)$$

i.e. *it is expected the averaged image approaches to the original image as the number of noisy images used in the averaging process increases.*

# BASICS OF SPATIAL FILTERING

Fig: mechanics  
of spatial filtering





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- The process consists of moving the filter mask from point to point in an image.
- For linear spatial filtering, the response is given by a sum of products of the filter(mask) coefficients and the corresponding pixels directly under the mask as:

$$R = w(-1,-1)f(x-1,y-1) + w(-1,0)f(x-1,y) + \dots + w(0,0)f(x,y) + \dots + w(1,0)f(x+1,y) + w(1,1)f(x+1,y+1).$$

- In general, linear filtering of an image  $f$  of size  $M \times N$  with a filter mask of size  $m \times n$  is given by the expression,

$$g(x,y) = \sum_{s=-a}^a \sum_{t=-b}^b w(s,t)f(x+s,y+t)$$

where,  $a=(m-1)/2$  and  $b=(n-1)/2$

- The process of linear filtering is similar to a frequency domain concept called *convolution*. for this reason, linear spatial filtering often is referred to as “*convolving a mask with an image*”. Filter masks are sometimes called “*convolution masks*” or “*convolution kernel*”.

## FREQUENCY DOMAIN ENHANCEMENT

- ▶ In frequency domain methods, the image is first transferred into frequency domain.
- ▶ It means that, the Fourier Transform of the image is computed first.
- ▶ All the enhancement operations are performed on the Fourier transform of the image and then the Inverse Fourier transform is performed to get the resultant image.



# FREQUENCY DOMAIN ENHANCEMENT

- ▶ These enhancement operations are performed in order to modify the image brightness, contrast or the distribution of the grey levels.
- ▶ As a consequence the pixel value (intensities) of the output image will be modified according to the transformation function applied on the input values.
- ▶ Image enhancement is applied in every field for example medical image analysis, analysis of images from satellites etc.



## FREQUENCY DOMAIN ENHANCEMENT

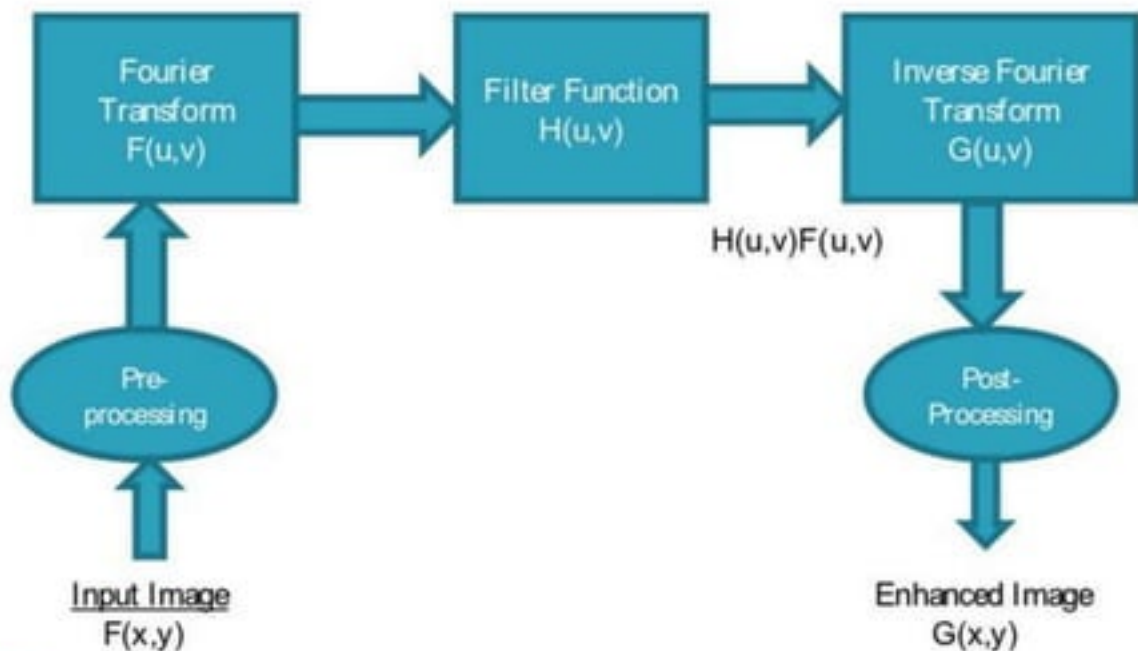
- ▶ Image enhancement simply means, transforming an image  $F$  into image  $G$  using  $T$ . (Where  $T$  is the transformation function.
- ▶ The values of pixels in images  $F$  and  $G$  are denoted by  $r$  and  $s$ , respectively. As said, the pixel values  $r$  and  $s$  are related by the expression

$$s = T(r)$$

- Where  $T$  is a transformation that maps a pixel value  $r$  into a pixel value  $s$ .



# FREQUENCY DOMAIN ENHANCEMENT



Frequency domain filtering operations

## FREQUENCY DOMAIN ENHANCEMENT

- ▶ We can therefore directly design a transfer function and implement the enhancement in the frequency domain as follows.

$$G(u, v) = H(u, v)F(u, v)$$

Enhanced Image

Given Image

Transfer function

The diagram illustrates the frequency domain enhancement process. It features a central rectangular box containing the equation  $G(u, v) = H(u, v)F(u, v)$ . Three arrows originate from labels below the box: one from 'Enhanced Image' pointing to  $G(u, v)$ , one from 'Given Image' pointing to  $F(u, v)$ , and one from 'Transfer function' pointing to  $H(u, v)$ . The labels are positioned at the bottom of the slide, with 'Enhanced Image' on the left, 'Given Image' on the right, and 'Transfer function' centered above the box.

## FILTERING

- ▶ The concept of filtering is easier to visualize in the frequency domain.
- ▶ Therefore, enhancement of image can be done in the frequency domain, based on its DFT.



## FILTERING

- ▶ Filtering can be divided in two categories namely
- ▶ Low pass filtering
- ▶ High Pass filtering





## FILTERING

- ▶ Edges and sharp transitions in gray values in an image contribute significantly to high-frequency content of its Fourier transform.
- ▶ Regions of relatively uniform gray values in an image contribute to low-frequency content of its Fourier transform.



## LOW PASS FILTERING

- ▶ Hence, an image can be smoothed in the Frequency domain by attenuating the high-frequency content of its Fourier transform.
- ▶ This would be a low pass filter.
- ▶ For simplicity, we will consider only those filters that are real and symmetric.



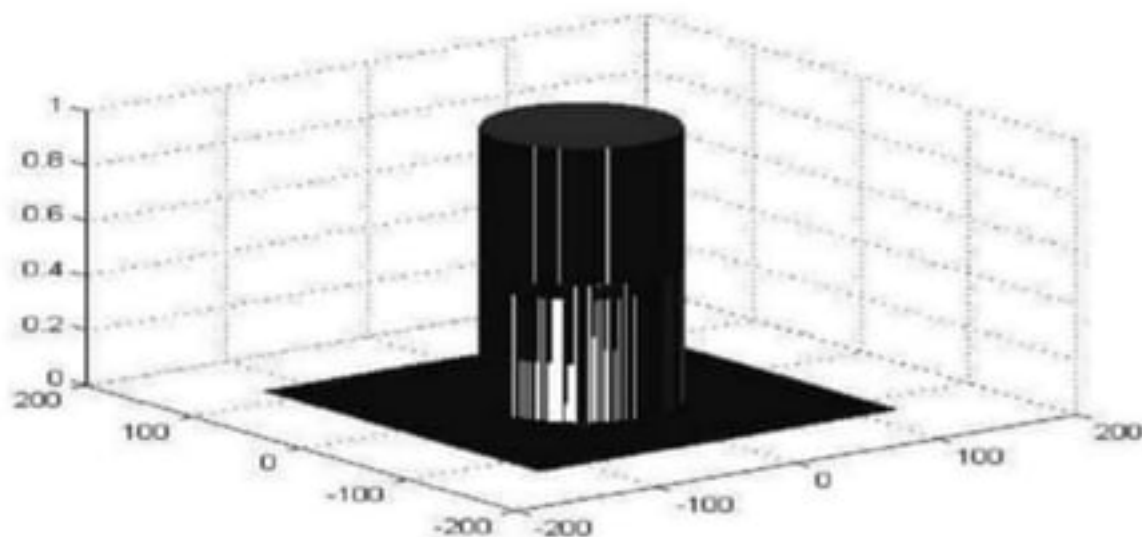
## LOW PASS FILTERING

- ▶ An ideal low pass filter with cutoff frequency ' $r_0$ ' is given by following relation.

$$H(u, v) = \begin{cases} 1, & \text{if } \sqrt{u^2 + v^2} \leq r_0 \\ 0, & \text{if } \sqrt{u^2 + v^2} > r_0 \end{cases}$$



# LOW PASS FILTERING



Ideal LPF with  $r_0 = 57$

## LOW PASS FILTER EXAMPLE



Original Image



LPF image,  $r_0 = 57$

## LOW PASS FILTER EXAMPLE



LPF image,  $r_0 = 36$



LPF image,  $r_0 = 26$



## LOW PASS FILTERING

- ❖ The cutoff frequency of the ideal LPF determines the amount of frequency components passed by the filter.
- ❖ Smaller the value of  $r_0$  , more the number of image components eliminated by the filter.
- ❖ In general, the value of  $r_0$  is chosen such that most components of interest are passed through, while most components not of interest are eliminated.



## GAUSSIAN LOW PASS FILTERING

- ▶ The form of a Gaussian low pass filter in two-dimensions is given by

$$H(u, v) = e^{-D^2(u, v) / 2\sigma^2} \quad D(u, v) = \sqrt{u^2 + v^2}$$

□ Where D is the distance from origin in frequency plane

❖ The parameter  $\sigma$  measures the dispersion of the Gaussian curve. Larger the value of  $\sigma$ , larger the cutoff frequency and milder the filtering.





## HIGH PASS FILTERING

- ▶ Hence, an image can be smoothed in the Frequency domain by attenuating the low-frequency content of its Fourier transform.
- ▶ This would be a high pass filter.
- ▶ For simplicity, we will consider only those filters that are real and symmetric



## HIGH PASS FILTERING

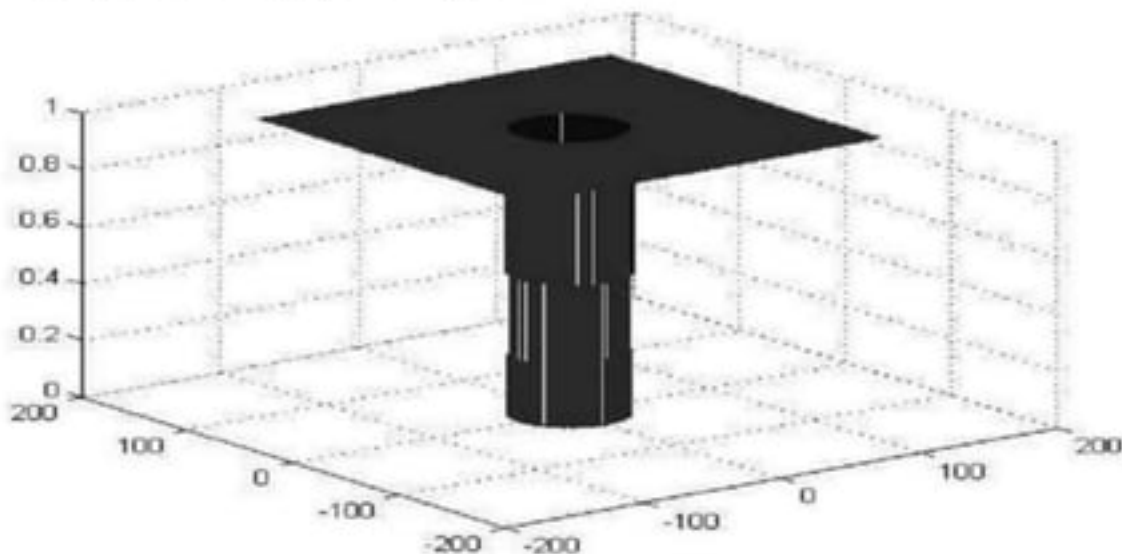
- ▶ An ideal high pass filter with cutoff frequency  $r_0$ .

$$H(u, v) = \begin{cases} 0, & \text{if } \sqrt{u^2 + v^2} \leq r_0 \\ 1, & \text{if } \sqrt{u^2 + v^2} > r_0 \end{cases}$$



# HIGH PASS FILTERING

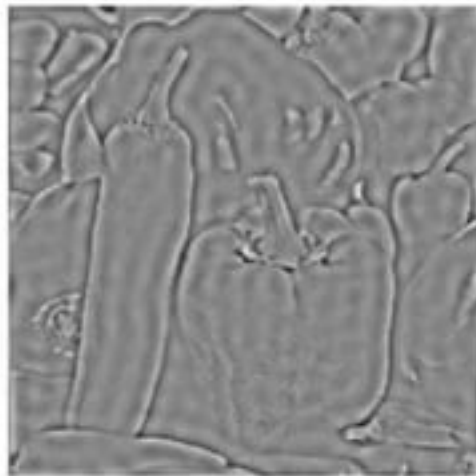
Ideal HPF with  $r_0=36$



## IDEAL HPF EXAMPLES

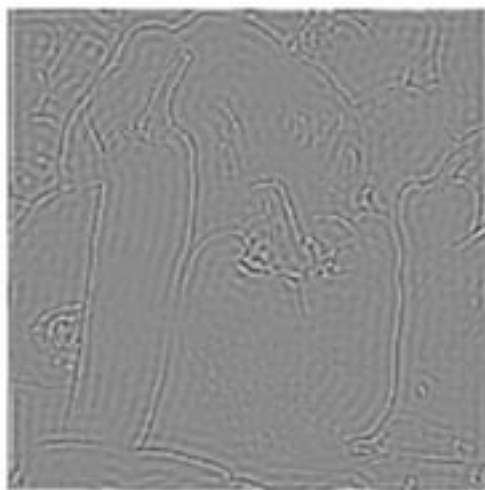


Original Image

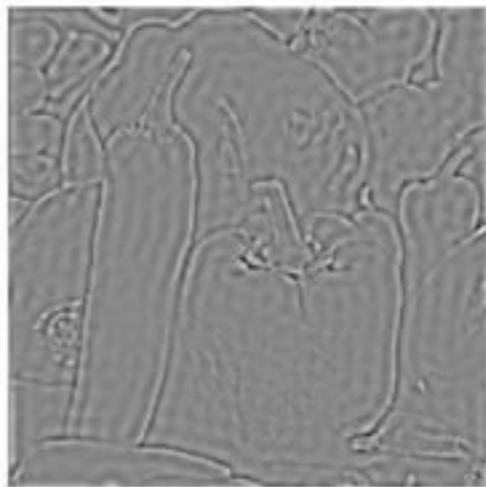


HPF image,  $r_0 = 18$

## IDEAL HPF EXAMPLES



HPF image,  $r_0 = 36$



HPF image,  $r_0 = 26$



## CONCLUSION

- ▶ Image enhancement algorithms offer a wide variety of approaches for modifying images to achieve visually acceptable images.
- ▶ The choice of such techniques is a function of the specific task, image content, observer characteristics, and viewing conditions.



THANK YOU

