## SGupta\_HW03Q12

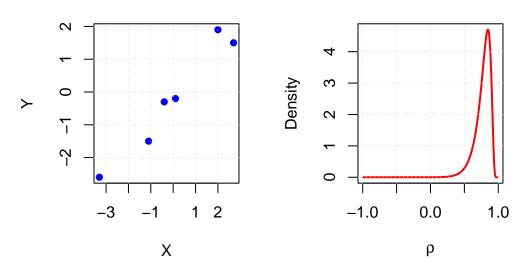
## Question 12

Make a scatter plot of the data and, assuming the correlation parameter has a Uniform(-1,1) prior, plot the posterior distribution of .

```
x \leftarrow c(-3.3, 0.1, -1.1, 2.7, 2.0, -0.4)
y \leftarrow c(-2.6, -0.2, -1.5, 1.5, 1.9, -0.3)
n <- length(x)</pre>
# Create a grid of rho values
rho_grid \leftarrow seq(-0.99, 0.99, length.out = 1000)
 # Define a function to compute the log-likelihood for a given rho.
log_likelihood_rho <- function(rho, x, y) {</pre>
         # Sum this for all values as per the log likelhood from the scanned notes
        \log_1 = \log_1 = \log(1 - 1.5 + \log(2 + pi) - 0.5 + \log(1 - 1.5 
                                                               (1/(2*(1 - rho^2)))*(x^2 - 2*rho*x*y + y^2))
        return(log_likelihood)
# Find the log likelihood for each value of rho
logL <- sapply(rho_grid, log_likelihood_rho, x = x, y = y)</pre>
# subtract maximum log likelihood
LogL2 <- exp(logL - max(logL))</pre>
 # find the posterior density by normalizing.
posterior_rho <- LogL2 / sum(LogL2 * (rho_grid[2] - rho_grid[1]))</pre>
```

## Scatter Plot of (X, Y)

## Posterior Distribution of .



You can add options to executable code like this