

# SGupta\_HW01

## ST503 Assignment 1

### Running Code

**(A) Write a brief description of the dataset. Produce some numerical and graphical summaries of the dataset.**

```
#install.packages('faraway')
```

```
library(faraway)
data(teengamb)
str(teengamb)
```

```
'data.frame':  47 obs. of  5 variables:
 $ sex    : int  1 1 1 1 1 1 1 1 1 1 ...
 $ status: int  51 28 37 28 65 61 28 27 43 18 ...
 $ income: num  2 2.5 2 7 2 3.47 5.5 6.42 2 6 ...
 $ verbal: int  8 8 6 4 8 6 7 5 6 7 ...
 $ gamble: num  0 0 0 7.3 19.6 0.1 1.45 6.6 1.7 0.1 ...
```

```
print("Print Summary")
```

```
[1] "Print Summary"
```

```
summary(teengamb)
```

sex	status	income	verbal
Min. :0.0000	Min. :18.00	Min. : 0.600	Min. : 1.00
1st Qu.:0.0000	1st Qu.:28.00	1st Qu.: 2.000	1st Qu.: 6.00
Median :0.0000	Median :43.00	Median : 3.250	Median : 7.00
Mean :0.4043	Mean :45.23	Mean : 4.642	Mean : 6.66
3rd Qu.:1.0000	3rd Qu.:61.50	3rd Qu.: 6.210	3rd Qu.: 8.00
Max. :1.0000	Max. :75.00	Max. :15.000	Max. :10.00

gamble
Min. : 0.0
1st Qu.: 1.1
Median : 6.0
Mean : 19.3
3rd Qu.: 19.4
Max. :156.0

```
print("Print top 5 values")
```

```
[1] "Print top 5 values"
```

```
head(teengamb)
```

	sex	status	income	verbal	gamble
1	1	51	2.00	8	0.0
2	1	28	2.50	8	0.0
3	1	37	2.00	6	0.0
4	1	28	7.00	4	7.3
5	1	65	2.00	8	19.6
6	1	61	3.47	6	0.1

The dataset contains 47 observations of 5 variables:

sex: Binary variable (0 = Male, 1 = Female)

status: ranges from 18 to 75, with a mean of 45.23.

income: ranges from 0.6 to 15, with a mean of 4.64.

verbal: ranges from 1 to 10, with a mean of 6.66.

gamble: ranges from 0 to 156, with a mean of 19.3.

(B) Fit a linear model using the `lm()` function with gamble variable as response, and the income variable as predictors, and report the regression coefficients

```
model <- lm(gamble ~ income, data = teengamb)
summary(model)$coefficients
```

	Estimate	Std. Error	t value	Pr(> t )
(Intercept)	-6.324559	6.029874	-1.048871	2.998383e-01
income	5.520485	1.035772	5.329824	3.045433e-06

(C) Write the mathematical form of the model you fit in part (B). Clearly define each component in your model.

The fitted model:  $\hat{y} = \beta_0 + \beta_1 * \text{income}$

Beta 0 is the intercept

Beta 1 is the slope

The regression coefficients are :

The intercept is -6.324559

And the slope coefficient is 5.520485

The required regression equation is  $\hat{y} = -6.324559 + 5.520485 * \text{income}$

##(D) Further numerical investigation: compute the mean and standard deviation of gamble and income for males (sex=0) and females (sex = 1) separately. Comment on the results.

```
male_dataset <- teengamb[teengamb$sex == 0, ]
female_dataset <- teengamb[teengamb$sex == 1, ]

mean_sd <- data.frame(
  combined_dataset = c("Males", "Females"),
  mean_gamble = c(mean(male_dataset$gamble), mean(female_dataset$gamble)),
  sd_gamble = c(sd(male_dataset$gamble), sd(female_dataset$gamble)),
  mean_income = c(mean(male_dataset$income), mean(female_dataset$income)),
  sd_income = c(sd(male_dataset$income), sd(female_dataset$income))
)
print(mean_sd)
```

	combined_dataset	mean_gamble	sd_gamble	mean_income	sd_income
1	Males	29.775000	37.32418	4.976071	4.086625
2	Females	3.865789	5.15073	4.149474	2.598240

### **Gambling Behavior:**

**Males have a significantly higher average gambling expense (29.78) compared to females (3.87)**

**Males have a significantly higher Gambling variability (SD) (37.32) than for females (5.15).**

### **Income:**

**Males have a slightly higher average income (4.98) compared to females (4.15).**

**Income variability is also greater for males (4.09) than for females (2.60).**

**Males show both higher and more variable gambling expense and income compared to females.**

**(E) Fit the same linear regression as in part (B), but separately for male and females. Report the regression coefficients.**

```
male_dataset <- teengamb[teengamb$sex == 0, ]  
female_dataset <- teengamb[teengamb$sex == 1, ]  
  
male_model <- lm(gamble ~ income, data = male_dataset)  
female_model <- lm(gamble ~ income, data = female_dataset)  
  
summary(male_model)
```

Call:

```
lm(formula = gamble ~ income, data = male_dataset)
```

Residuals:

Min	1Q	Median	3Q	Max
-56.522	-16.402	-2.342	7.901	93.478

Coefficients:

	Estimate	Std. Error	t value	Pr(> t )
(Intercept)	-2.660	8.021	-0.332	0.743
income	6.518	1.255	5.195	2.01e-05 ***

---

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 26.64 on 26 degrees of freedom

Multiple R-squared: 0.5093, Adjusted R-squared: 0.4905

F-statistic: 26.99 on 1 and 26 DF, p-value: 2.01e-05

```
summary(female_model)
```

Call:

```
lm(formula = gamble ~ income, data = female_dataset)
```

Residuals:

Min	1Q	Median	3Q	Max
-4.702	-3.527	-1.790	1.883	16.110

Coefficients:

	Estimate	Std. Error	t value	Pr(> t )
(Intercept)	3.1400	2.3273	1.349	0.195
income	0.1749	0.4789	0.365	0.719

Residual standard error: 5.279 on 17 degrees of freedom

Multiple R-squared: 0.007786, Adjusted R-squared: -0.05058

F-statistic: 0.1334 on 1 and 17 DF, p-value: 0.7194

The regression coefficients for males

The intercept is -2.660

And the slope coefficient is 6.518

The required regression equation for male is  $\hat{y} = -2.660 + 6.518 * \text{income}$

The regression coefficients for females

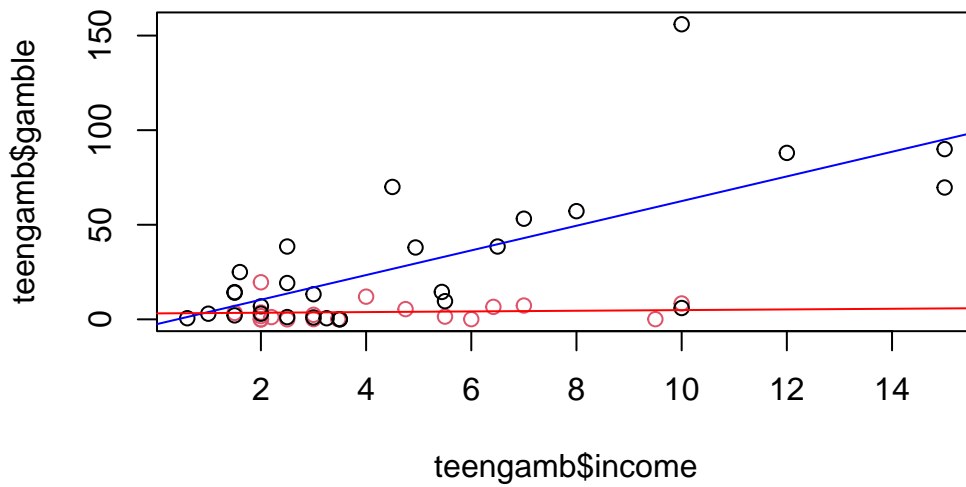
The intercept is

And the slope coefficient is .

The required regression equation for female is,  $\hat{y} = 3.1400 + 0.1749 * \text{income}$

(F) Create a scatterplot between gamble (in y axis) and income (x axis), and color the points by sex. Then add two fitted regression lines from part (E) to the plot. Comment on the results.

```
plot(teengamb$income, teengamb$gamble, col = teengamb$sex + 1)
abline(male_model, col = "blue")
abline(female_model, col = "red")
```



If there is an upward trend rising from left-hand corner to upper right-hand corner, the correlation also looks like positive. If there is a downward trend, the correlation is negative.

The males data show a strong positive correlation in the gambling expense as the income also increases.

While females are little bit consistent and show less gambling behavior, irrespective of income.