# SGupta\_HW03Question3

### Question 3

Fit a model with lpsa as the response and I cavol as the predictor.

```
library(faraway)
set.seed(1001)
data(prostate)
names(prostate)
[1] "lcavol"
             "lweight" "age"
                                 "lbph"
                                           "svi"
                                                     "lcp"
                                                               "gleason"
[8] "pgg45"
             "lpsa"
model1 <- lm(lpsa ~ lcavol, data = prostate)</pre>
summary1 <- summary(model1)</pre>
summary1
Call:
lm(formula = lpsa ~ lcavol, data = prostate)
Residuals:
    Min
              1Q Median
                                3Q
                                        Max
-1.67625 -0.41648 0.09859 0.50709 1.89673
Coefficients:
           Estimate Std. Error t value Pr(>|t|)
(Intercept) 1.50730 0.12194 12.36 <2e-16 ***
lcavol 0.71932 0.06819 10.55 <2e-16 ***
___
```

```
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 0.7875 on 95 degrees of freedom

Multiple R-squared: 0.5394, Adjusted R-squared: 0.5346

F-statistic: 111.3 on 1 and 95 DF, p-value: < 2.2e-16
```

#### Record the residual standard error and the R2.

```
rse <- summary(model1)$sigma
r2 <- summary(model1)$r.squared

print(paste("Residual Standard Error:", rse))

[1] "Residual Standard Error: 0.787499423513711"

print(paste("Multiple R-squared:", r2))</pre>
```

[1] "Multiple R-squared: 0.53943190877902"

# Now add lweight, svi, lpph, age, lcp, pgg45 and gleason to the model one at a time

```
model2 <- lm(lpsa ~ lcavol + lweight, data = prostate)
summary2 <- summary(model2)

model3 <- lm(lpsa ~ lcavol + lweight + svi, data = prostate)
summary3 <- summary(model3)

model4 <- lm(lpsa ~ lcavol + lweight + svi + lbph, data = prostate)
summary4 <- summary(model4)

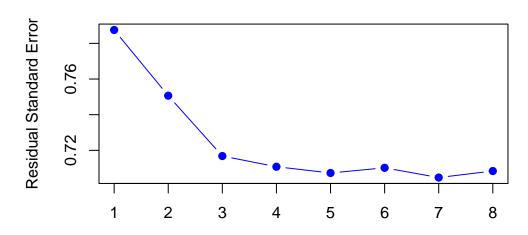
model5 <- lm(lpsa ~ lcavol + lweight + svi + lbph + age, data = prostate)
summary5 <- summary(model5)

model6 <- lm(lpsa ~ lcavol + lweight + svi + lbph + age + lcp, data = prostate)
summary6 <- summary(model6)</pre>
```

```
model7 <- lm(lpsa ~ lcavol + lweight + svi + lbph + age + lcp + pgg45, data = prostate)
summary7 <- summary(model7)</pre>
model8 <- lm(lpsa ~ lcavol + lweight + svi + lbph + age + lcp + pgg45 + gleason, data = pros
summary8 <- summary(model8)</pre>
rse <-c(s1 = summary1$sigma,
         s2 = summary2$sigma,
         s3 = summary3$sigma,
         s4 = summary4$sigma,
         s5 = summary5$sigma,
         s6 = summary6$sigma,
         s7 = summary7$sigma,
         s8 = summary8$sigma)
r2 \leftarrow c(s1 = summary1\$r.squared,
        s2 = summary2$r.squared,
        s3 = summary3$r.squared,
        s4 = summary4$r.squared,
        s5 = summary5$r.squared,
        s6 = summary6$r.squared,
        s7 = summary7$r.squared,
        s8 = summary8$r.squared)
rse
                 s2
                            s3
                                       s4
                                                 s5
                                                            s6
                                                                      s7
       s1
                                                                                 s8
0.7874994 0.7506469 0.7168094 0.7108232 0.7073054 0.7102135 0.7047533 0.7084155
r2
                            s3
                  s2
                                                                      s7
                                                                                 s8
       s1
                                       s4
                                                 s5
                                                            s6
0.5394319 0.5859345 0.6264403 0.6366035 0.6441024 0.6451130 0.6544317 0.6547541
```

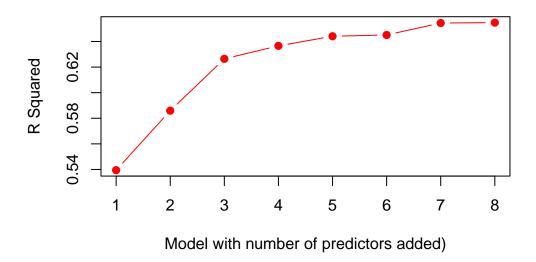
### Plot the trends in these two statistics

# Trend in RSE as Predictors added in model



Model with number of predictors added)

# Trend in R2 as Predictors added in model



Residual Standard Error (RSE): The RSE generally decreases as more predictors are added. A lower RSE indicates that the model's predictions are closer to the actual observed values.

R square: The R square generally increases as more predictors are added, because R square can never decrease when more terms are added to a linear regression model. The increase in R square shows that the added predictors explain additional variability in the response. After a certain point, each predictor addition only slightly affect R square. That means most of the significant variation is captures in the early predictors.