天津大学

机器学习实验报告



题目: 机器学习实验---logistic regression

学	院	智能与计算学部	
专	业	人工智能	
年	级	2021	
姓	名	666	
学	号	直到今天还是最有用的算法	<u>.</u>
	202	3年3月6日	

机器学习实验---logistic regression

一、实验目的

理解 Logistic 回归算法原理,能实现 Logistic 回归算法;理解 Logistic 回归和线性回归的区别,损失函数的不同;

Step 1:
$$f_{w,b}(x) = \sigma\left(\sum_{i} w_i x_i + b\right)$$
Output: between 0 and 1

Training data: (x^n, \hat{y}^n)

Step 2:
$$\hat{y}^n : 1 \text{ for class 1, 0 for class 2}$$

$$L(f) = \sum_{n} C(f(x^n), \hat{y}^n)$$
Training data: (x^n, \hat{y}^n)

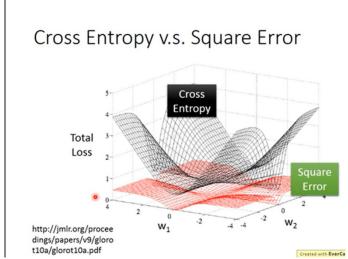
$$L(f) = \frac{1}{2} \sum_{n} (f(x^n) - \hat{y}^n)^2$$

Logistic regression: $w_i \leftarrow w_i - \eta \sum_{n} -\left(\hat{y}^n - f_{w,b}(x^n)\right) x_i^n$

Step 3: Linear regression: $w_i \leftarrow w_i - \eta \sum_{n} -\left(\hat{y}^n - f_{w,b}(x^n)\right) x_i^n$

Considerant factors and factors are considered as $w_i \leftarrow w_i - \eta \sum_{n} -\left(\hat{y}^n - f_{w,b}(x^n)\right) x_i^n$

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https://www.bilibili.com/video/BV13x411v7US?p=11 掌握梯度下降法更新权重;

能够熟练使用归一化方法,并深刻理解归一化的意义; 针对特定应用场景及数据,能构建 Logistic 回归模型并进行预测。

二、实验内容

利用 sklearn 的 Breast_cancer 数据集,设计一个基于 Logistic 回归的二分类模型。以 80%的训练集,20%的测试集。观察训练集的损失和精度变化,以及测试集上的精度变化,并绘制出来。(可以参考样例,需补充标 XXX 的部分)

2*. Kaggle 的 ADULT 数据,设计一个基于 Logistic 回归的二分类模型。以80%的训练集,20%的测试集。

https://archive.ics.uci.edu/ml/datasets/Adult

三、实验报告要求 按实验内容撰写实验过程;

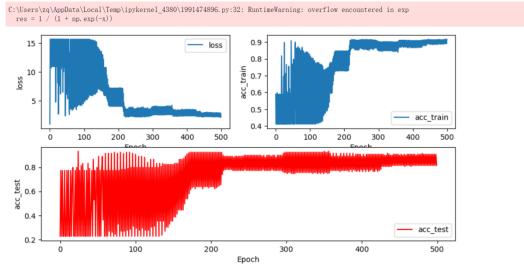
报告中涉及到的代码,每一个模块需要有详细的注释; 绘制出对数据用归一化和不用归一化的结果,以及用不同的归一化的结果。

```
四、实验记录
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.datasets import load breast cancer
cancers = load_breast_cancer()
train_X = cancers['data'][:450]
train_Y = cancers['target'][:450]
#以80%的训练集,20%的测试集
test_X = cancers['data'][450:]
test_Y = cancers['target'][450:]
class LR:
    def __init__(self, data, data_test):
         # data = train_x
         # data_test = test_x
         _____self.m = data.shape[0] # 读取行数 450
         self.cols = data.shape[1] + 1 # 读取列数 31
         self.w = np.zeros(self.cols) # 给每个数据的每一列设置一个权值, 1 * 31
         self.b = np.ones(self.m).reshape(self.m, 1) # 偏置值, 450 * 1
         self.lr = 0.5 # 学习率
         self.train_X = np.hstack([self.b, data]) # 水平堆叠, 450 * 31
         # 测试数据,我看都不看一眼的
         self.m_test = data_test.shape[0]
         self.b_test = np.ones(self.m_test).reshape(self.m_test, 1)
         self.test_X = np.hstack([self.b_test, data_test])
    def sigmoid(self, x):
         res = 1 / (1 + np.exp(-x))
         return np.clip(res, 1e-8, (1 - 1e-8))
    def stop_stratege(self, loss, loss_update, threshold):
         return np.abs(loss - loss_update) < threshold
    def Logistic_Regression(self, X, Y, X_test, Y_test, epochs): # Logistic
         # X = self.train.X I 450 * 31
         # Y = train.Y I 450 * 1
         # self.w | 1 * 31
         # epoch 迭代次数
         loss_record = [] # 损失率
acc_record = [] # 准确率
         acc_test_record = [] # 测试准确率
         for i in range(epochs):
             ## predict
             # 预测函数
             Sx = np.dot(X, self.w.T) # 450 * 1
             Hx = self.sigmoid(Sx) # 激活函数计算得到预测函数
             ## compute loss
             Cost = -(Y * np.log2(Hx)) - (1 - Y) * np.log2(1 - Hx) # 450 * 1
             loss = sum(Cost) / self.m # 损失函数 J
             ### -sum((Y * In(f(x))+(1-Y) * In(1-f(x))))
                                 if Y[i] == 1 :
                                     Cost = -np.log(Hx)
             #
                                 else:
             #
                                      Cost = -np.log(1-Hx)
             # print("the loss in " + str(i) + " is : ", loss)
             loss_record.append(loss)
             ## compute gradiant
             Hx_y_xi = np.dot((Hx - Y).T, X)  # 1 * 450 X 450 * 31 grad = Hx_y_xi / self.m  # 1 * 31
             ## update weight
```

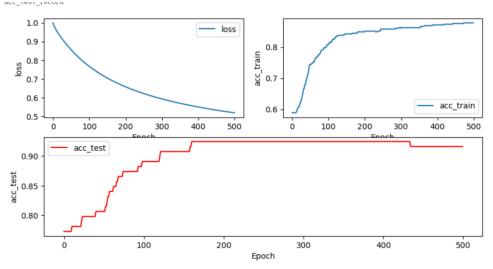
```
self.w = self.w - self.lr * grad # 1 * 31
             ## compute acc in training
             predict_Y = [1 if x \ge 0.5 else 0 for x in Hx] # 450 * 1
             TPandTN = [1 if ((a == 1 \text{ and } b == 1) \text{ or } (a == 0 \text{ and } b == 0)) else 0 for (a, b) in
                         zip(predict_Y, Y)] # 这语法糖, woc
             acc = (sum(TPandTN)) / Ien(TPandTN) # (TP + TN) / (TP + FP + TN + FN)
             acc_record.append(acc)
               if self.stop_stratege(loss_record[i-1],loss_record[i],1e-8):#超出就停止
             ## print every 20 iteration
             if i % 500 == 1 and i > 500:
                 self.visulization(i, X, Y) # 此时开始画图
             ## test each epoch
             acc_test = self.test(X_test, Y_test)
             acc_test_record.append(acc_test)
        return loss_record, acc_record, acc_test_record
    def train(self, X, Y, X_test, Y_test, epochs): # 我就很不理解,你封装一这个有什么病吗?????
        loss_record, acc_record, acc_test_record = self.Logistic_Regression(X, Y, X_test, Y_test, epochs)
        return loss_record, acc_record, acc_test_record
    def test(self, X, Y):
        z = np.dot(X, self.w)
        y = self.sigmoid(z)
        predict_test_Y = [1 if x >= 0.5 else 0 for x in y] # 450 * 1 预测值
         TPandTN = [1 if ((a == 1 \text{ and } b == 1) \text{ or } (a == 0 \text{ and } b == 0)) else 0 for (a, b) in
                    zip(predict_test_Y, Y)] # 我的代码不言自明
        acc\_test = (sum(TPandTN)) / len(TPandTN) # (TP + TN) / (TP + FP + TN + FN)
        return acc_test
    def visulization(self, which_step, X_, Y_):
        x = np.linspace(-10, 10) # 生成等间距的浮点数
         y = -(self.w[0] + self.w[1] * x) / self.w[2] # 这他妈的啥啊????
        plt.plot(x, y)
        index_0 = np.where(Y_ == 0)[0]
        index_1 = np.where(Y_ == 1)[0]
        plt.plot(X_[index_0, 1], X_[index_0, 2], 'bo', color='blue', label='0')
        plt.plot(X\_[index\_1,\ 1],\ X\_[index\_1,\ 2],\ 'bo',\ color='orange',\ label='0')
        plt.xlabel('x')
        plt.ylabel('y')
        plt.title('The ' + str(which_step) + ' update figure')
        plt.xlim(-10, 10)
        plt.ylim(-10, 10)
        plt.show()
def AllNorm(X): # 按全体值归一化
    minVals = np.min(X)
    maxVals = np.max(X)
    ranges = maxVals - minVals
    normDataSet = np.zeros(np.shape(X))
    m = X.shape[0]
    normDataSet = X - np.tile(minVals, (m, 1)) # 在行方向重复 minVals m 次和列方向上重复 minVals 1 次
    normDataSet = normDataSet / np.tile(ranges, (m, 1))
    return normDataSet
def ChannalNorm(X): #按通道归一化
    # 这传进来的 X 是 450 * 30 的
    m, cols = X.shape
    Y = np.zeros((m, cols))
    for i in range(cols):
        curCol = X[:, [i]]
        minVals = np.min(curCol)
        maxVals = np.max(curCol)
        # tile 函数在指定方向上重复次数
```

```
ranges = maxVals - minVals
         normDataCol = curCol - np.tile(minVals, (m, 1)) # 在行方向重复 minVals m 次 和 列方向上重复 minVals 1 次
          normDataCol = normDataCol / np.tile(ranges, (m, 1))
          # print(normDataCol)
     Y[:, [i]] = normDataCol return Y
def plot_history(loss_record, acc_record, acc_test_record, epochs):
     plt.figure(figsize=(10, 5))
     plt.subplot(2, 2, 1)
     plt.xlabel('Epoch')
     plt.ylabel('loss')
     plt.plot(range(epochs), loss_record, label='loss')
     plt.legend()
     print("loss_record")
     plt.subplot(2, 2, 2)
     plt.xlabel('Epoch')
     plt.ylabel('acc_train')
     plt.plot(range(epochs), acc_record, label='acc_train')
     print("acc_record")
     plt.legend()
     plt.subplot(2, 1, 2)
     plt.xlabel('Epoch')
     plt.ylabel('acc_test')
     plt.plot(range(epochs), acc_test_record, label='acc_test', color='red')
     print("acc_test_record")
     # plt.plot(plt.hist['epoch'], plt.hist['acc'], label='acc', color='red')
     plt.legend()
if __name__ == "__main__":
    # data = [[-1, -1], [2, -1], [5, 3], [-1, 6], [-4, -1], [1, 4]]    # 6 * 2
    # label = [1, 1, 1, 0, 0, 0]    # 6 * 1
     # train_X = np.array(data)
     # train_Y = np.array(label)
       train_X = AllNorm(train_X)
       test_X = AllNorm(test_X)
     train_X = ChannalNorm(train_X)
     test_X = ChannalNorm(test_X)
     Logist = LR(train_X, test_X) # 实例化
     epochs = 500
     loss_record, acc_record, acc_test_record = Logist.train(Logist.train_X, train_Y, Logist.test_X, test_Y, epochs)
     plot_history(loss_record, acc_record, acc_test_record, epochs)
```

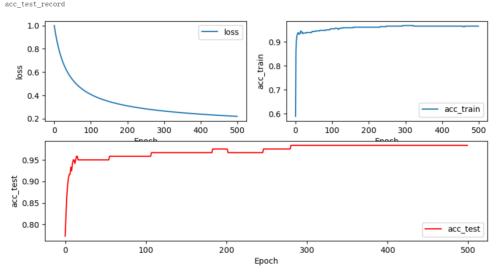
No norm:



All norm:



Channel norm:



五、实验小结 本次实验是理解 logistic 回归算法的原理并实现,logistic 回归属于分类模型, 采用极大似然估计作为优化目标,形式上和交叉熵一致,并且可以使用梯度下

降法或牛顿法作为优化算法。由于其模型中以非线性函数 sigmoid 作为激活函数,因此属于非线性分类器的一种。在进行数据处理的时候,往往需要对数据进行归一化,否则会出现梯度方向不稳定,导致损失函数波动剧烈,收敛性变差。