

Quiz - 2

ID: 180041120, CSE – A

Pre-Processing:

The weight taken is input is changed to

$$N = N * 1000 \text{ to convert it to gram}$$

Sub-problem:

The sub-problem $x(i)$ will store the number of ways 'i' can be formed.

Relate:

For the problem, we need to update $x(i)$ with each iteration as it gets closer to our solution.

To relate it to our solution we need to need at every ways we can achieve $x[i]$ by looking at the coins the can be used to make it.

$$x(i) = x(i) + x(i - \text{coin}[j]) \text{ where } j = (1 \dots N) \text{ if } (i - \text{coin}[j] > 0)$$

Here the graph depends on the previous values of 'i' since $\text{coin}[j]$ is subtracted and hence, the dependency graph is acyclic and dynamic programming can hence be performed.

Base:

If $N = 0$, then there is **only one way** to solve the problem which is by taking nothing at all.

So, $x(0) = 1$

Solution:

$X(N)$ will be the solution to our problem.

Runtime:

$O(\text{number of coins} * \text{size}) = O(nt)$ ie pseudopolynomial