# Exercise 1

In [10]: **import** pandas **as** pd

**4** 1665 79.0

data = pd.read\_csv('healthcare-dataset-stroke-data 3.csv')

1. Load the dataset into Python using pandas:

Out[10]: id age hypertension heart\_disease avg\_glucose\_level bmi stroke **0** 9046 67.0 228.69 36.6 **1** 51676 61.0 0 202.21 NaN 1 **2** 31112 80.0 0 1 1 105.92 32.5 0 1 **3** 60182 49.0 171.23 34.4

2. Calculate descriptive statistics:

In [11]: features = ['age', 'avg\_glucose\_level', 'bmi']# Calculate descriptive statistics for age, avg\_glucose\_level, and bmi

174.12 24.0

1

mean\_values = data[features].mean() median\_values = data[features].median() mode\_values = data[features].mode().iloc[0] # The first mode value std\_values = data[features].std() variance\_values = data[features].var()

0

print("Mean:\n", mean\_values) print("\nMedian:\n", median\_values) print("\nMode:\n", mode\_values) print("\nStandard Deviation:\n", std\_values)

print("\nVariance:\n", variance\_values) Mean: 43.226614

45.283560

avg\_glucose\_level 106.147677 28.893237 dtype: float64 Median: 45.000 avg\_glucose\_level 91.885 28.100 dtype: float64

Mode: 78.00 avg\_glucose\_level 93.88 28.70 Name: 0, dtype: float64 Standard Deviation: 22.612647

avg\_glucose\_level

7.854067 dtype: float64 Variance: 511.331792 avg\_glucose\_level 2050.600820 bmi 61.686364 dtype: float64

3. Conduct a hypothesis test:

In [12]: from scipy import stats chosen\_value = 120 t\_stat, p\_value = stats.ttest\_1samp(data['avg\_glucose\_level'].dropna(), chosen\_value)

print(f"T-statistic: {t\_stat}, P-value: {p\_value}") **if** p\_value < 0.05: print("Reject the null hypothesis: The mean avg\_glucose\_level is significantly different from 120 mg/dL.") else: print("Fail to reject the null hypothesis: No significant difference from 120 mg/dL.") T-statistic: -21.867165560192404, P-value: 2.10116765029635e-101 Reject the null hypothesis: The mean avg\_glucose\_level is significantly different from 120 mg/dL.

4. Compute a 95% confidence interval for the mean of a selected feature:

In [13]: import numpy as np

mean\_bmi = data['bmi'].mean()

std\_error = stats.sem(data['bmi'].dropna()) confidence\_interval = stats.t.interval(0.95, len(data['bmi'].dropna())-1, loc=mean\_bmi, scale=std\_error)

print(f"95% confidence interval for BMI: {confidence\_interval}")

228.69 36.6

0.031

0.031

155.9

2.98e-35

-25512.

5.103e+04

95% confidence interval for BMI: (np.float64(28.6734745690652), np.float64(29.112999254524134))

# Exercise 2

import numpy as np

**0** 9046 67.0

import statsmodels.api as sm import matplotlib.pyplot as plt

## 1. Linear Regression Analysis on the Stroke Prediction Dataset In [17]: **import** pandas **as** pd

import seaborn as sns from sklearn.model\_selection import train\_test\_split from sklearn.linear\_model import LinearRegression from sklearn.metrics import r2\_score # Load dataset data = pd.read\_csv('healthcare-dataset-stroke-data 3.csv') # Display first few rows of the dataset

data.head() id age hypertension heart\_disease avg\_glucose\_level bmi stroke Out[17]:

0 **1** 51676 61.0 202.21 NaN 1 1 0 **2** 31112 80.0 105.92 32.5 1 0 1 **3** 60182 49.0 171.23 34.4 **4** 1665 79.0 0 174.12 24.0 1

1

bmi

### In [18]: data = data[['age', 'avg\_glucose\_level', 'bmi']] data = data.dropna()

Method:

Date:

Time:

No. Observations:

2. Preprocessing the data:

data.describe() Out[18]: age avg\_glucose\_level

**count** 4909.000000 4909.000000 4909.000000 105.305150 42.865374 28.893237 mean 22.555115 44.424341 std 7.854067 min 0.080000 55.120000 10.300000 25.000000 23.500000 **25**% 77.070000 **50**% 44.000000 91.680000 28.100000 60.000000 113.570000 33.100000 82.000000 271.740000 97.600000 max

#### In [19]: X\_bmi = data['bmi'] y\_glucose = data['avg\_glucose\_level'] X\_bmi = sm.add\_constant(X\_bmi)

model\_bmi\_glucose = sm.OLS(y\_glucose, X\_bmi).fit()

3. Perform Linear Regression (BMI vs. Glucose Level):

print(model\_bmi\_glucose.summary()) OLS Regression Results \_\_\_\_\_\_ Dep. Variable: avg\_glucose\_level R-squared: OLS Adj. R-squared: Model:

Least Squares F-statistic:

4909 AIC:

Thu, 05 Sep 2024 Prob (F-statistic):

17:28:07 Log-Likelihood:

Df Residuals: 4907 BIC: 5.104e+04 Df Model: 1 Covariance Type: nonrobust \_\_\_\_\_\_ [0.025 coef std err t P>|t| 76.6234 2.380 32.193 0.000 71.957 81.290 const 0.9927 0.079 12.488 0.000 \_\_\_\_\_\_ Omnibus: 1.935 1201.714 Durbin-Watson: Prob(Omnibus): 0.000 Jarque-Bera (JB): 2384.482 Skew: 1.485 Prob(JB): 0.00 Kurtosis: 4.685 Cond. No. 114.

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[1] Standard Errors assume that the covariance matrix of the errors is correctly specified. 4. Perform Linear Regression (Age vs. BMI):

## In [20]: X\_age = data['age'] y\_bmi = data['bmi']

X\_age = sm.add\_constant(X\_age) model\_age\_bmi = sm.OLS(y\_bmi, X\_age).fit() print(model\_age\_bmi.summary())

Dep. Variable: bmi R-squared: 0.111 OLS Adj. R-squared: Model: 0.111 Method: Least Squares F-statistic: 613.6 Thu, 05 Sep 2024 Prob (F-statistic): 9.52e-128 Time: 17:29:30 Log-Likelihood: -16793. No. Observations: 4909 AIC: 3.359e+04 Df Residuals: Df Model: Covariance Type:

OLS Regression Results \_\_\_\_\_\_

-----P>|t| coef std err [0.025 const 23.9168 0.227 105.360 0.000 23.472 24.362 0.1161 0.005 24.772 0.000 0.107 0.125 age \_\_\_\_\_\_ Omnibus: 1519.890 Durbin-Watson: Prob(Omnibus): Jarque-Bera (JB): 6828.081 0.000 Skew: 1.441 Prob(JB): 0.00 104. Kurtosis: 8.008 Cond. No. [1] Standard Errors assume that the covariance matrix of the errors is correctly specified.

5. Visualizing the relationships:

# In [26]: df\_1=data.head(10) plt.figure(figsize=(8, 6))

plt.xlabel('Age') plt.ylabel('BMI')

plt.show()

sns.regplot(x='bmi', y='avg\_glucose\_level', data=df\_1, line\_kws={"color":"red"}) plt.title('BMI vs. Average Glucose Level') plt.xlabel('BMI') plt.ylabel('Average Glucose Level') plt.show() plt.figure(figsize=(8, 6)) sns.regplot(x='age', y='bmi', data=df\_1, line\_kws={"color":"blue"}) plt.title('Age vs. BMI')

BMI vs. Average Glucose Level 225 200 175 150



