Marble Race

Input file:	`standard input`
Output file:	`standard output`
Time limit:	4 seconds
Memory limit:	1024 megabytes

Marble race is a fun way to play with marbles, and today you want to give it a try.

There are n starting points on the negative half of the x-axis, with the i-th point located at x_i. There are m marbles in total, where m is an odd number, and the i-th marble has a speed of v_i. In a race, each marble randomly chooses a starting point with equal probability, and different marbles can choose the same starting point. Then, all the marbles start moving simultaneously towards the positive direction of the x-axis. Let c_i be the starting point chosen by the i-th marble. At time t, the coordinate of the i-th marble is given by $x_{c_i} + v_i \cdot t$.

You are a unique marble race enthusiast and do not care which marble is the fastest. Instead, you want to find out the exact time when the **median** of all the m marble coordinates reaches the origin (i.e., $x = 0$). The median of a sequence of length m (where m is odd) is defined as the element at the position $\frac{m+1}{2}$ when sorted in ascending order (indexing starts from 1). Since the race has not yet started and the starting points are not yet determined, you are interested in the expected value of this time. To avoid floating-point errors, you only need to output the result modulo 10^9+7 (see the output format for details).

Input

The first line contains two positive integers n and m ($1 \leq n, m \leq 500$, and m is odd), representing the number of starting points and the number of marbles.

The second line contains n integers $x_1, x_2, \ldots, x_n$ ($-10^9 \leq x_i < 0$), representing the coordinates of each starting point. It is guaranteed that all x_i are distinct.

The third line contains m integers $v_1, v_2, \ldots, v_m$ ($1 \leq v_i \leq 10^9$), representing the speed of each marble.

Output

Output a single integer, representing the expected time modulo $10^9 + 7$.

Formally, let $M = 10^9 + 7$. It can be shown that the answer can be expressed as an irreducible fraction $\frac{p}{q}$, where p and q are integers and $q \not\equiv 0 \pmod{M}$. Output the integer equal to $p \cdot q^{-1} \pmod{M}$, where q^{-1} denotes the modular multiplicative inverse of q modulo M. In other words, output such an integer x that $0 \leq x < M$ and $x \cdot q \equiv p \pmod{M}$. It can be proved that there is exactly one x which meets the condition.

Examples

standard input	standard output
2 3 -4 -5 1 2 3	250000004
3 3 -4 -5 -6 1 2 3	500000006
5 5 -4 -5 -6 -10 -2 1 2 3 2 4	434986672

Note

For the first example, the speeds of the three marbles are $1, 2, 3$, respectively. Consider the initial positions

of the three marbles:

- $-4, -4, -4$: At $t = 2$, the coordinates of the three marbles are $-2, 0, 2$, and the median is at the origin.

- $-4, -4, -5$: At $t = 2$, the coordinates are $-2, 0, 1$, and the median is at the origin.

- $-4, -5, -4$: At $t = 2.5$, the coordinates are $-1.5, 0, 3.5$, and the median is at the origin.

- For $(-4, -5, -5)$, $(-5, -4, -4)$, $(-5, -4, -5)$, $(-5, -5, -4)$, $(-5, -5, -5)$, the median is at the origin at times $t = 2.5$, $t = 2$, $t = 2$, $t = 2.5$, $t = 2.5$, respectively.

In summary, the expected time is $\frac{2+2+2.5+2.5+2+2+2.5+2.5}{8} = \frac{9}{4}$, so you need to output $9 \cdot 4^{-1}$ mod $(10^9 + 7) = 250000004$.