

## Problem F. Build a City

Input file: *standard input*  
Output file: *standard output*  
Time limit: 3 seconds  
Memory limit: 1024 mebibytes

Recently, you have become addicted to a game called “Build a City”.

The game can be played on a two-dimensional map. On the map, there are  $n + 1$  human settlements labelled from 0 to  $n$ , whose coordinates are  $(x_i, y_i)$  for  $i = 0, 1, \dots, n$ . It is guaranteed that  $x_0 = y_0 = 0$ , which means that settlement 0 is located at the origin.

Your city is a rectangle made of walls, with sides parallel to coordinate axes. The city is said to contain a settlement when this settlement is inside or on the border of the rectangle.

At first, your city contains settlement 0 and is a degenerate rectangle at the origin. In one move, you can acquire an unoccupied settlement and build some walls to enclose it in the city. Specifically, the new city is the smallest rectangle with sides parallel to the coordinate axes, such that it contains what the old city contained, plus the newly acquired settlement. Your goal is to enclose all human settlements in your city.

In one move, your city’s infrastructure department can only build walls of total length up to  $m$ . Note that existing walls can be reused, but cannot be placed elsewhere. So, the length of walls built in each move is the perimeter of the new rectangle minus the length of the common part of the original rectangle and the new rectangle. If the newly acquired settlement is already within the city, the length of walls to be built is zero.

You now want to know if there exists an order in which to acquire the settlements, so that the total length of walls to be built in each move does not exceed  $m$ .

### Input

The first line of input contains one integer  $T$ , the number of test cases ( $1 \leq T \leq 5 \cdot 10^5$ ). For each test case:

The first line contains two integers  $n$  and  $m$ , the number of unoccupied settlements and the maximum length of walls that can be built in one move ( $1 \leq n \leq 5 \cdot 10^5$  and  $1 \leq m \leq 4 \cdot 10^9$ ).

The  $i$ -th of the following  $n$  lines contains two integers  $x_i$  and  $y_i$ , the coordinates of settlement  $i$  ( $1 \leq x_i, y_i \leq 10^9$ ).

It is guaranteed that the sum of  $n$  in all test cases does not exceed  $5 \cdot 10^5$ .

### Output

For each test case, output a line containing the word “Yes” if such an order exists, or the word “No” otherwise.

## Example

<i>standard input</i>	<i>standard output</i>
3	Yes
3 6	No
1 1	Yes
4 1	
2 2	
4 9	
1 4	
2 3	
3 2	
4 1	
10 14	
10 8	
1 6	
2 5	
4 2	
5 5	
8 9	
2 7	
6 8	
6 5	
7 4	