

A note on the g and h control charts

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Abstract

In this note,

Keywords: control charts, geometric distribution, maximum likelihood estimator, minimum variance unbiased estimator, g and h charts.

1 Introduction

Introduction here....

2 Basic

For example, Beyyeyan [1, 2], to name just a few

It is immediate from [3] that

We can employ the Rao-Blackwell theorem [4, 5]

For example, Minitab [6] uses

It should be noted that the R language provides the **hypergeo** package to calculate the hypergeometric function; see [7].

In his thesis [8]

[9]

[10]

[11]

3 Equation.....

In Section 2, we reviewed In this section, we will solve some equations.

We have

$$x + y = 0 \tag{1}$$

Substituting $x = -3$ into (1), we have

$$y = 3.$$

However, if one use $x = -10$ in (1), then we have

$$y = 10.$$

We solved an equation. In Section 4, we will incorporate this result into several engineering applications.

4 Application

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