

## Answers to Exercise 1

- 1- What properties should a nonce satisfy (at the generation time)?
- ☐ a) **freshness**
  - ☐ b) known to all participants
  - ☐ c) **secret**
  - ☐ d) easy to compute
- 2- Which of the following can be used to make replay attacks in authentication protocols harder?
- ☐ a) **Nonce**
  - ☐ b) **Monotonically increasing sequence number**
  - ☐ c) **Time stamp**
  - ☐ d) **Random number used no more than once**
- 3- Which notation are we using for symmetric encryption?
- ☐ a)  $\{M\}_{\text{inv}K}$
  - ☐ b)  $\{M\}_K$
  - ☐ c)  **$\{M\}_K$**
  - ☐ d) none of the mentioned
- 4- On which assumption is the security of the Diffie-Hellmann Key Exchange based?
- ☐ a) **Computing discrete logarithms**
  - ☐ b) Computing prime factorization
  - ☐ c) Computing cubic roots
  - ☐ d) Exponentiation

## Answers to Exercise 2

1. *Anonymity*: An attacker can easily tell who has voted from the first message.
2. *Confidentiality*: Confidentiality should be provided as long as the server private key  $\text{inv}(K_S)$  remains secure.
3. *Authentication*: It is reasonable for  $S$  to assume that the answer  $\text{Ans}_Q$  came from  $A$ , since only  $A$  should have been able to read and return the correct  $N_S$ . However,  $A$  cannot be sure that she is answering the right question. Nothing authenticates  $S$  to  $A$ , so the intruder can pose as  $S$  and make  $A$  think she has voted when in fact her answers never got to the real server.
4. *Multiple Votes*: There is no obvious way for a malicious user to vote more than once on the same question without compromising the private keys of someone else.
5. *Availability*: Availability generally cannot be guaranteed in this setting. If the intruder is able to block all messages, then he can easily mount a Denial of Service (DoS) attack.
6. *Integrity*: Integrity often follows from authentication, so the situation is similar:  $S$  is assured that  $\text{Ans}_Q$  has not been tampered with, but  $A$  cannot say anything about what she receives from  $S$ .

### Answers to Exercise 3

One attack works and can, e.g., be carried out as follows:

$E$  picks a very large number  $Seq$  (e.g.,  $Seq = 2^{32} - 3$ ). This minimizes the risk that  $Seq$  was already used in a previous communication between  $A$  and  $B$ .

1.  $E \rightarrow B: A, Seq$
2.  $B \rightarrow E: \{|Seq + 1, A|\}_{sk(A,B)}$ 
  - a.  $E \rightarrow A: B, Seq + 1$
  - b.  $A \rightarrow E: \{|Seq + 2, B|\}_{sk(A,B)}$
3.  $E \rightarrow B: \{|Seq + 2, B|\}_{sk(A,B)}$

Now,  $B$  believes to talk to  $A$  while in fact she talks to  $E$ . Note that  $E$  has not learned the symmetric  $sk_{A,B}$  key shared between  $A$  and  $B$ . Thus, the attacker cannot complete the second protocol run, as she cannot create the message required in the last step of this run:

$$3'. E \rightarrow A: \{|Seq + 3, A|\}_{sk(A,B)}$$

This type of attack can be prevented by making the messages in step 2 and step 3 syntactically different, e.g., by changing the second step to:

$$2- B \rightarrow A: \{|Seq + 1, A, B|\}_{sk(A,B)}$$

Note that we, alternatively, also could have added  $A$  to the third message – as long as we only change one message and not both.