

LAB-7

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EE20S049

1. Implement 2D DFT using row-column decomposition.

```

%%%Function to find 2D DFT using row-column decomposition.
function DFT=findDFT(Image)
[rows,colms]=size(Image);           %Finding the rows and column size
Intermediate=zeros(size(Image));     %Initializing the Intermediate matrix
DFT=zeros(size(Image));              %Initializing the DFT matrix
%Taking Rows and finding DFT of each row
for i=1:rows
    Intermediate(i,:)=fft(Image(i,:));
end
%Taking Columns of intermediate and finding DFT of each column
for i=1:colms
    DFT(:,i)=fft(Intermediate(:,i));
end
end

```

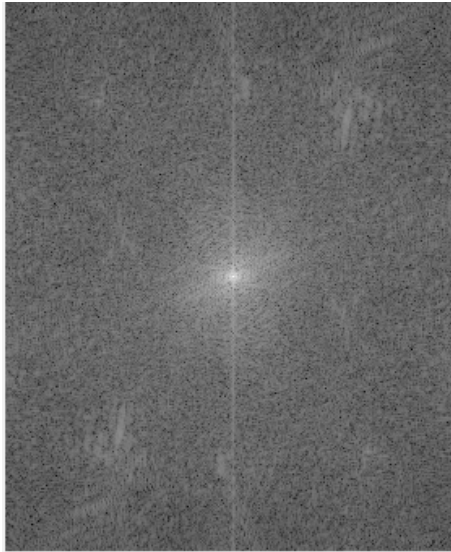
2. Compute DFTs $F1(k, l) = |F1(k, l)| \exp(j\phi1(k, l))$ and $F2(k, l) = |F2(k, l)| \exp(j\phi2(k, l))$ of $I1$ (fourier.png) and $I2$ (fourier transform.png) respectively. Arrive at two new images $I3$ and $I4$ such that their DFTs are, respectively, $F3(k, l) = |F1(k, l)| \exp(j\phi2(k, l))$ and $F4(k, l) = |F2(k, l)| \exp(j\phi1(k, l))$.

Outputs:

Fourier.png:



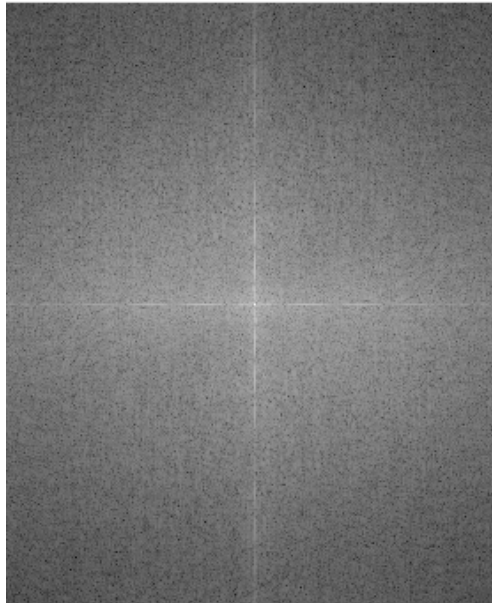
2D-DFT:



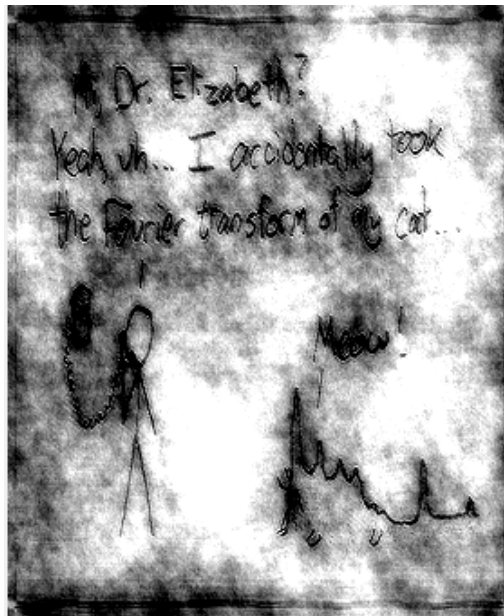
Fourier transform.png:



2D DFT:



13:



I4:

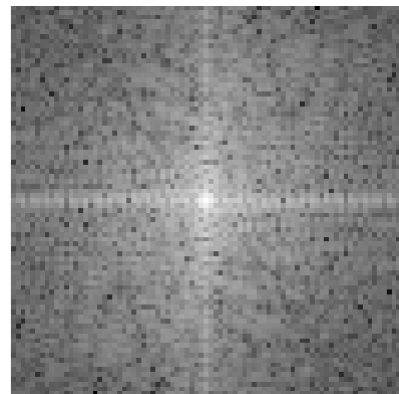


3. Verify the rotation property of 2D DFT using peppers small.pgm.

Input:



90 degree Rotated DFT:



2D IDFT of Rotated DFT:



Image Rotated by 90 degree:



Observation: Verified the rotation property of 2D DFT