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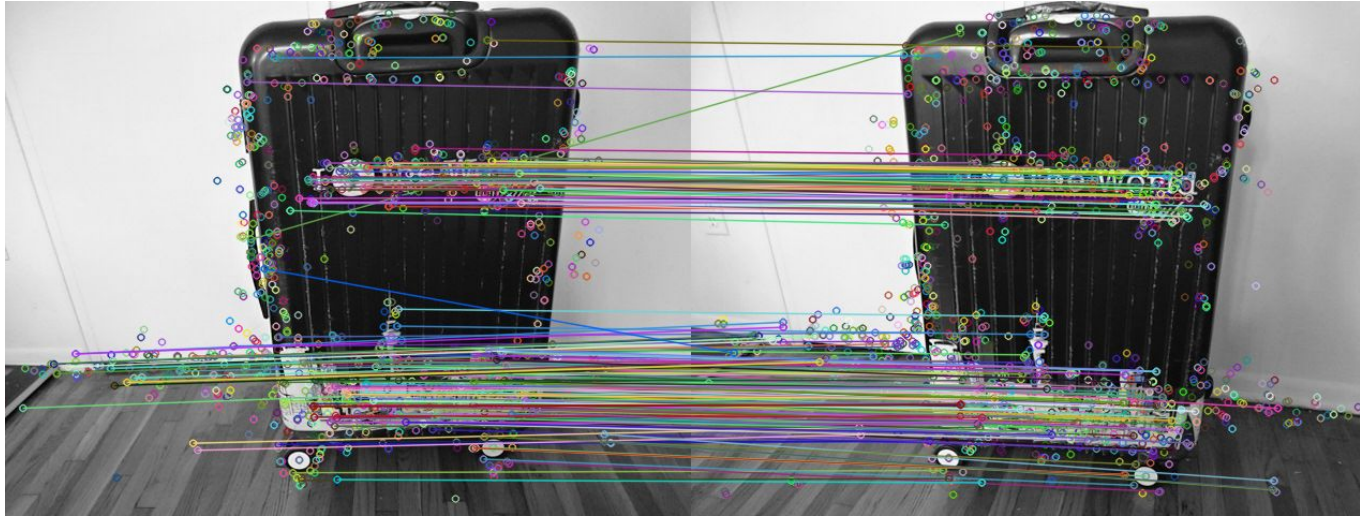
3D Reconstruction steps:

- Feature Matching
- Estimation of Camera Pose
- Triangulation between img_1 and img_n
- (Sparse)3D Reconstruction from multiple views
- Augment Reality

Feature Matching ->Method one:

- 1)In all images, detect keypoints and compute descriptors using SURF
- 2)Match points between the two conjunctive images
- 3)Choose “good matches”: Calculate max and min distances between keypoints
- 4)Tracks features across all images and generise pairwiseMatches(a vector of “good matches”)
- In opencv 2)3)4) can be done with one class FeaturesMatcher:

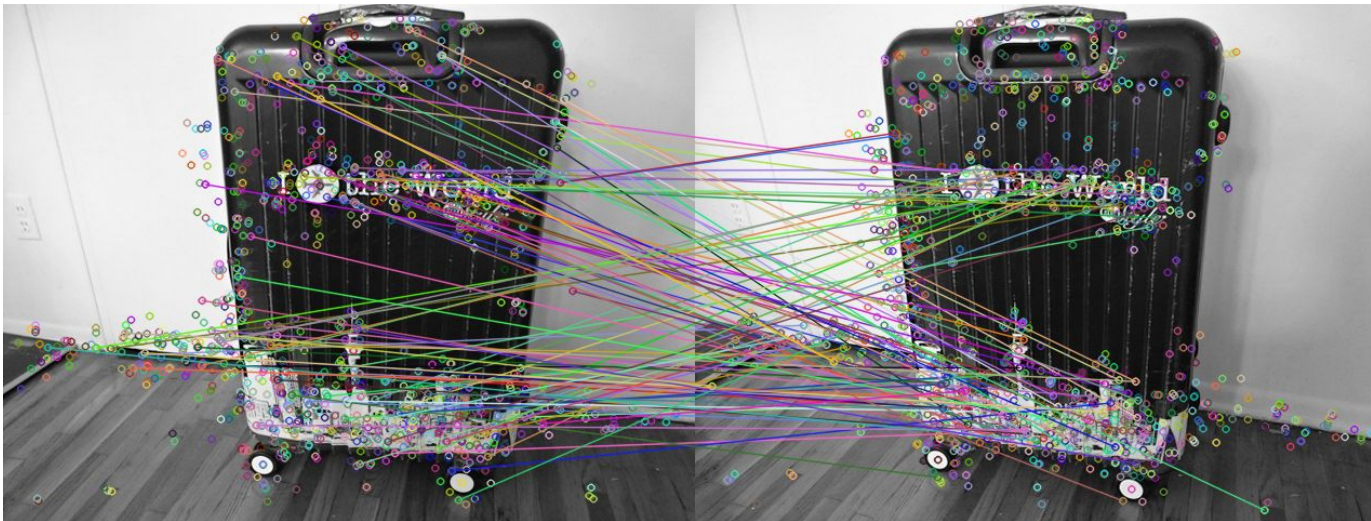
Feature Matching -> Method one:



```
vector<MatchesInfo> pairwiseMatches;  
matcher(features, pairwiseMatches);
```

using the code above, I got the result on the left.

So I tried another way OpticalFlow



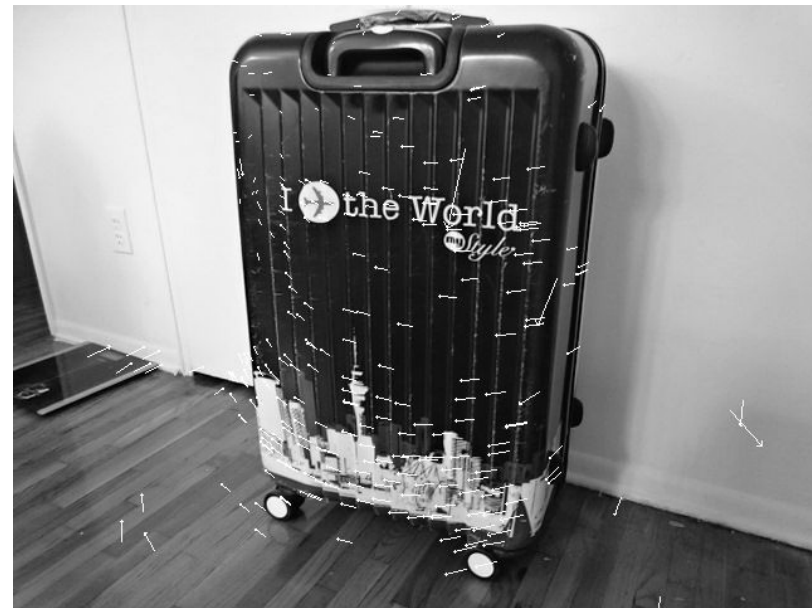
Feature Matching ->Method two:

- 1)In all images, detect keypoints using SURF
- 2)Convert keypoints to Point2f format and track them using OpticalFlow.

```
if (points[i + 1].size() != points[0].size())
```

```
std::cout << "Warning: Losing keypoints!!!" << endl;
```

- After test, all points size are 307.



Estimation of Camera Pose

- 1) Find fundamental matrix F between each image pair using RANSAC.
- 2) Find essential matrix E using $E = K_r^{-T} F K_l^{-1}$, where K is the optimized intrinsic matrix.
- 3) Assume camera matrix P_1 is at origin - no rotation or translation. And Decompose E using SVD to get the second camera matrix P_2 . However, by decomposing E , you can only get the direction of the translation. So there are generally 4 possible solutions (HZ 9.19). of which we select the one that results in reconstructed 3D points in front of both cameras.

Estimation of Camera Pose

- This step can be done by `cv::decomposeEssentialMat(E, R1, R2, t);` and Generally 4 possible second camera poses exist $P2: [R1, t], [R1, -t], [R2, t], [R2, -t]$. Then get the final one with positive depth after triangulation.
- Alternatively, it can be done by `recoverPose(E, points[0], points[1], R, t, focalLength, principalPoint);` This command decomposes E and get the final R, t using Cheirality check, which means that the triangulated 3D points should have positive depth.
- I chose the second one.

Absolute pose

- $t_{Fst} = t_{Fst} + (R_{Fst}.t()) * t;$
- $R_{Fst} = R_{Fst} * R; // 1R3 = 1R2 * 2R3$

```
t: !!opencv-matrix
  rows: 3
  cols: 1
  dt: d
  data: [ 6.7953757063460074e-001, 1.1809354653687600e+000,
          1.8567888153598671e+000 ]
RFst: !!opencv-matrix
  rows: 3
  cols: 3
  dt: d
  data: [ -2.4945316593717393e-001, -6.2589906381595972e-001,
          7.3893401594338959e-001, -6.4225092769300485e-001,
          6.7802227330562448e-001, 3.5749061914817837e-001,
          -7.2476676516062433e-001, -3.8540389050420570e-001,
          -5.7111905702999133e-001 ]
```

Triangulation between img1 and imgn

- 1) `cv::undistortPoints(points[i], points[i], cameraMatrix, distortion);`
- 2) construct projection matrix (intrinsic * extrinsic) `P2 = cameraMatrix * P1;`
- 3) `cv::triangulatePoints(P1, P2, points[i], points[i+1], points4D);`

(Sparse)3D Reconstruction from multiple views

- 1) calculate all image pairs and take the average
- 2) Since this is based on the assumption that the first camera matrix is $[I | t]$. So there is a scale factor. solve PnP.

Augment Reality

- 1) find chess board in image
- 2) generate 3d points, with $z=0$
- 3) Use solvePnP to get extrinsic matrix $rvec$, $tvec$

`cv::solvePnP(obj, corners, cameraMatrix,
distortion, rvec, tvec);`

`4)cv::projectPoints(obj2, rvec, tvec,
cameraMatrix, distortion, corners2);`

