

Matlabintro

Pølse

January 26, 2022

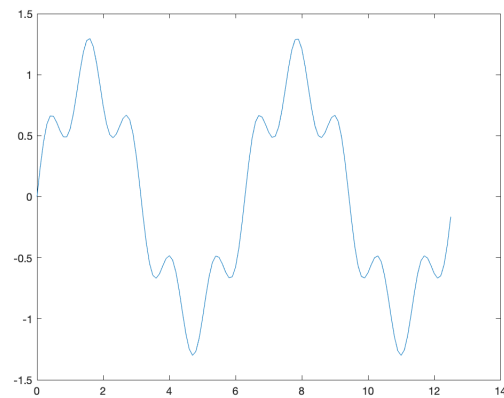
Contents

1	Introduktion till Matlab	2
2	Kontrollstrukturer och funktioner i Matlab	3
3	Matriser och vektorer i Matlab	4

1 Introduktion till Matlab

1. $A = \pi r^2$
 $r = 4$
 $A = \pi * 4^2 = 16\pi = 50.2655$

2.



3.

```
s=0;
for i=1:5
    s=s+(i ^ 2);
end
disp("Sum is ")
disp(s)
```
4. -0.8241 & 0.8241
5. (a) $y = \text{linspace}(x1,x2,n)$ generates n points. The spacing between the points is $(x2-x1)/(n-1)$.
 $y = \text{linspace}(x1,x2)$ returns a row vector of 100 evenly spaced points between $x1$ and $x2$.
(b) gg ez

2 Kontrollstrukturer och funktioner i Matlab

1.

```
if a<b
    c=a
else
    c=b
end
```
2. (a) 36569 iterations
(b) 0.785148163459949
3.

```
function Omkrets=polylen(x,y)
    n=length(x);
    Omkrets=0;
    for i=1:n-1
        Omkrets=Omkrets+sqrt((x(i+1)-x(i))^2+(y(i+1)-y(i))^2);
    end
```
4.

```
subplot(1,2,1)
axis([-1 1 -2 2])

[x,y]=ginput;
x=[x; x(1)];
y=[y; y(1)];

plot(x,y,'-o')
axis([-1 1 -2 2])

subplot(1,2,2)
fill(x,y,'g')
axis([-1 1 -2 2])
```

3 Matriser och vektorer i Matlab

1. $A = \begin{bmatrix} 1 & 4 & 7 & 10; & 2 & 5 & 8 & 11; & 3 & 6 & 9 & 12 \end{bmatrix};$
 $B = \begin{bmatrix} 4 & 5 & 6; & 3 & 2 & 1; & 1 & 1 & 1 \end{bmatrix};$
 $C = \begin{bmatrix} 1; & 3; & 5 \end{bmatrix};$
 $D = \begin{bmatrix} 0 & 2 & 4 \end{bmatrix};$

(a) $A = [A(:, 1:2) \quad c \quad A(:, 3:4)];$
 $B = [B(1, :); \quad d; \quad B(2:3, :)];$

(b) $A = [A(3, :); \quad A(2, :); \quad A(1, :)];$
 $A = [A(:, 1) \quad A(:, 4) \quad A(:, 3) \quad A(:, 2) \quad A(:, 5)];$
2. $b1 = \begin{bmatrix} 4; & 3; & 1 \end{bmatrix};$
 $b2 = \begin{bmatrix} 5; & 2; & 1 \end{bmatrix};$
 $b3 = \begin{bmatrix} 6; & 1; & 1 \end{bmatrix};$

 $B = [b1 \quad b2 \quad b3];$
3. $A = \begin{bmatrix} 10 & 7 & 8 & 7; & 7 & 5 & 6 & 5; & 8 & 6 & 10 & 9; & 7 & 5 & 9 & 10 \end{bmatrix};$

 $A11 = A([1 \quad 2], [1 \quad 2]);$
 $A12 = A([1 \quad 2], [3 \quad 4]);$
 $A21 = A([3 \quad 4], [1 \quad 2]);$
 $A22 = A([3 \quad 4], [3 \quad 4]);$

 $A = [A11 \quad A12; \quad A21 \quad A22];$
4. $A = \begin{bmatrix} 11 & 4 & 3 & 7; & 2 & 6 & 8 & 5; & 9 & 12 & 1 & 10 \end{bmatrix};$
 $b = \begin{bmatrix} 3; & 1; & 5 \end{bmatrix};$
 $c = \begin{bmatrix} 4 & 2 & 8 & 0 & 6 \end{bmatrix};$

 $\text{size}(b); \quad \% 3, \quad 1$
 $\text{size}(c); \quad \% 1, \quad 5$
% b har endast en kolonn -> kolonnvektor
% c har endast en rad -> radvektor

 $[v, i] = \text{max}(A);$
 $[\text{max_el}, j_max] = \text{max}(v);$
 $i_max = i(j_max);$
% största elementet är 12 och finns på (3,2)

 $[v, i] = \text{min}(A);$
 $[\text{min_el}, j_min] = \text{min}(v);$

```
i_min=i(j_min);
% minsta elementet är 1 och finns på (3,2)
```

```
5. t=1:5;
v=t.^2;
s=sum(v);
```

```
v=[1:5].^2;
s=sum(v);
```

```
t=1:5;
s=sum(t.^2);
```

```
s=sum([1:5].^2);
```

```
6. A=[1 5 9; 2 6 10; 3 7 11; 4 8 12];
B=[4 5 6; 3 2 1; 1 1 1];
x=[1; 1; 1];
a=[-1 0 1];
```

```
Ax=A*x; % Ax=[15; 18; 21; 24]
Bx=B*x; % Bx=[15; 6; 3]
AB=A*B; % AB=[28 24 20; 36 32 28; 44 40 36; 52 48 44]
ax=a*x; % ax=[0]
xa=x*a; % xa=[-1 0 1; -1 0 1; -1 0 1]
aB=a*B; % aB=[-3 -4 -5]
```

```
[m,n]=size(A);
p=size(x,2);
C=zeros(m,p);
for i=1:m
    for j=1:p
        cij=0;
        for k=1:n
            cij=cij+A(i,k)*x(k,j);
        end
        C(i,j)=cij;
    end
end
```

```
7. A=[1 0 0; 0 1 0; 1 0 1];
B=[1 0 0; -2 1 0; 0 0 1];
C=[2 1 1; 4 1 0; -2 2 1];
```

```

(a) isequal(A*(B*C), (A*B)*C); % -> True
    isequal(A*(B+C), A*B+A*C); % -> True
    isequal((B+C)*A, B*A+C*A); % -> True

(b) isequal(A*C, C*A); % -> False
    isequal(B*C, C*B); % -> False
    isequal(A*B, B*A); % -> True

```