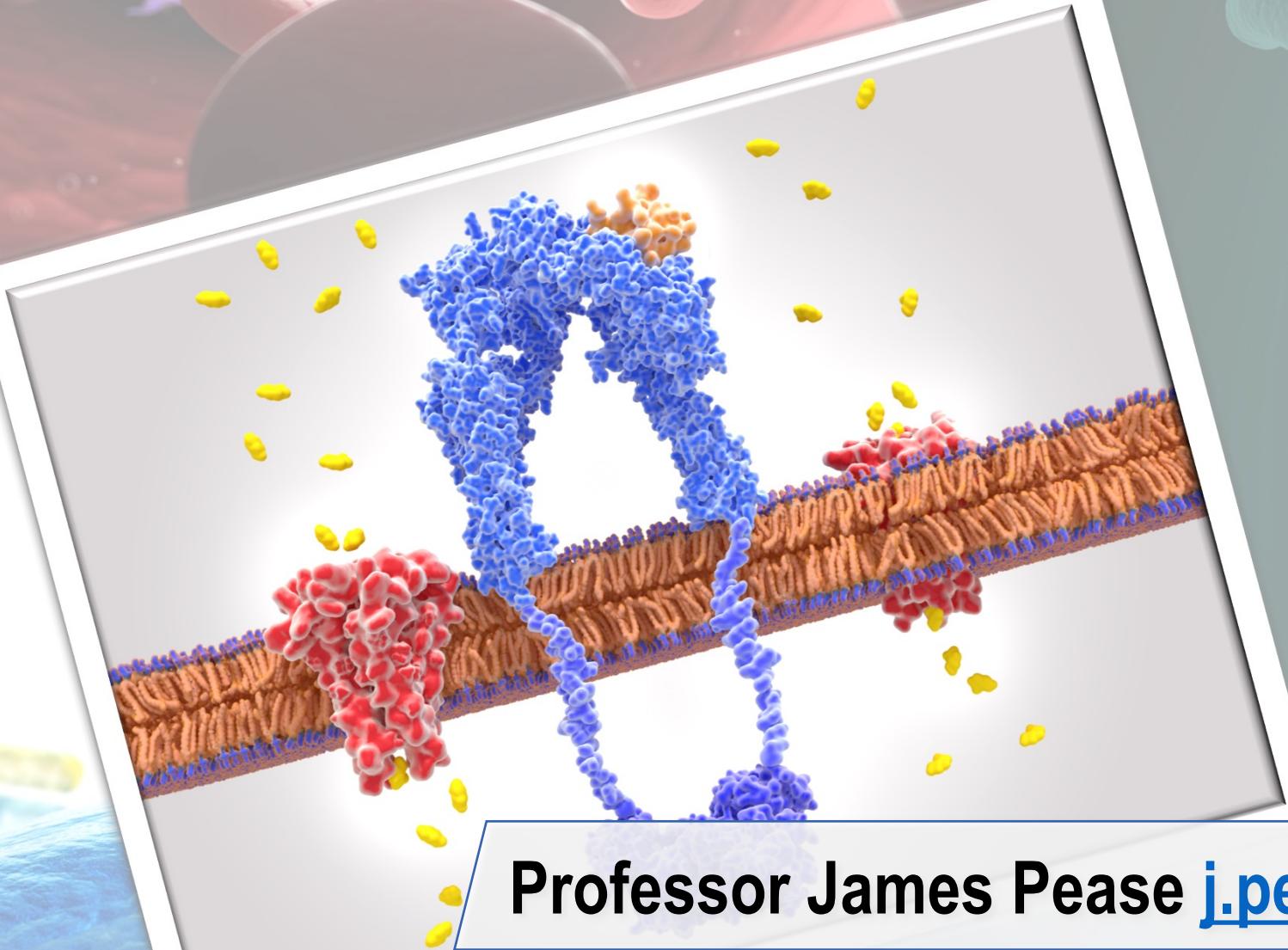
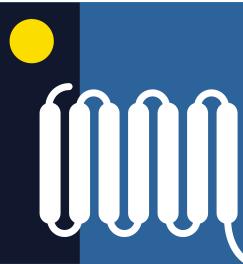


IMPERIAL

Enzyme Kinetics



Session plan

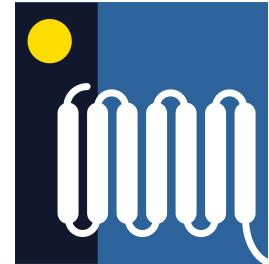


Part 1 – “wet”

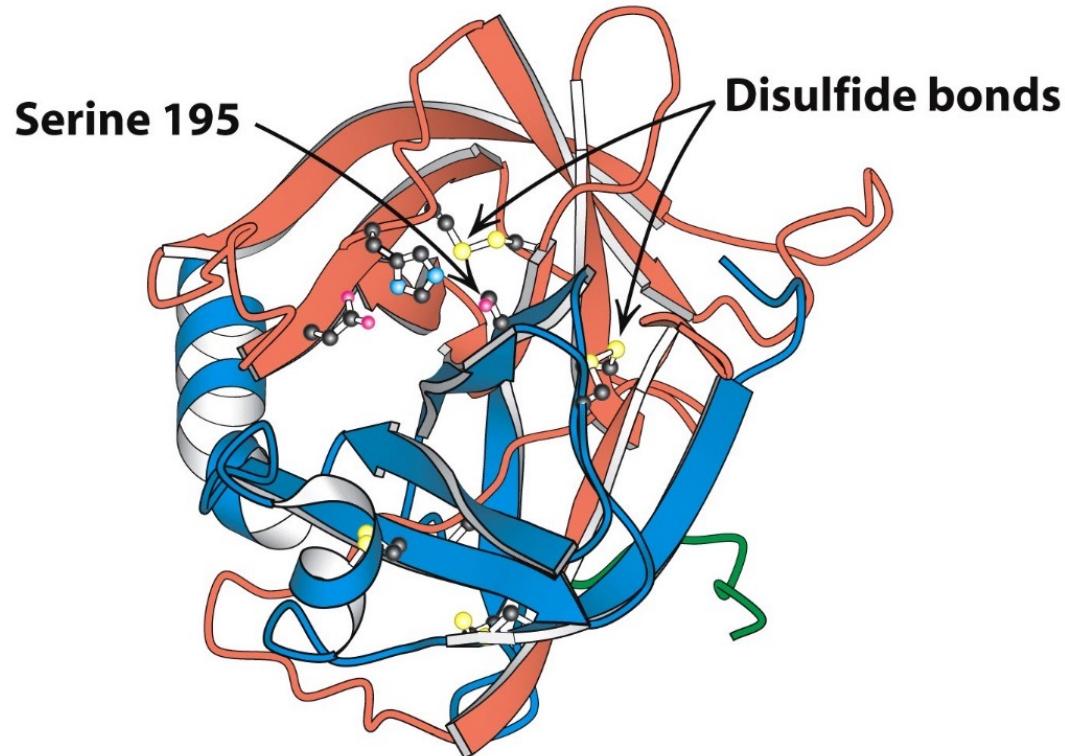
- Study the cleavage of a peptide by chymotrypsin
- Use an appropriate wavelength to monitor the rate of product formation.
- By altering substrate concentration, gain valuable information regarding the enzyme activity.

Part 2 – “dry”

- Generate Graph 2 – a plot of absorbance versus time for several substrate concentrations.
- Convert rate of change in absorbance into concentration of product
- Generate Graph 2 (Lineweaver burk plot)
- Calculate K_M and V_{max} . Enter into Qualtrics



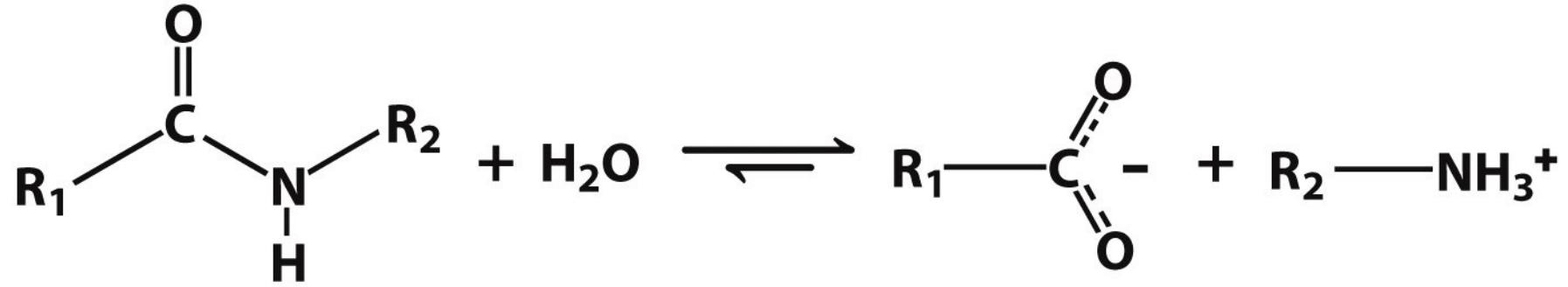
Chymotrypsin – a model protease



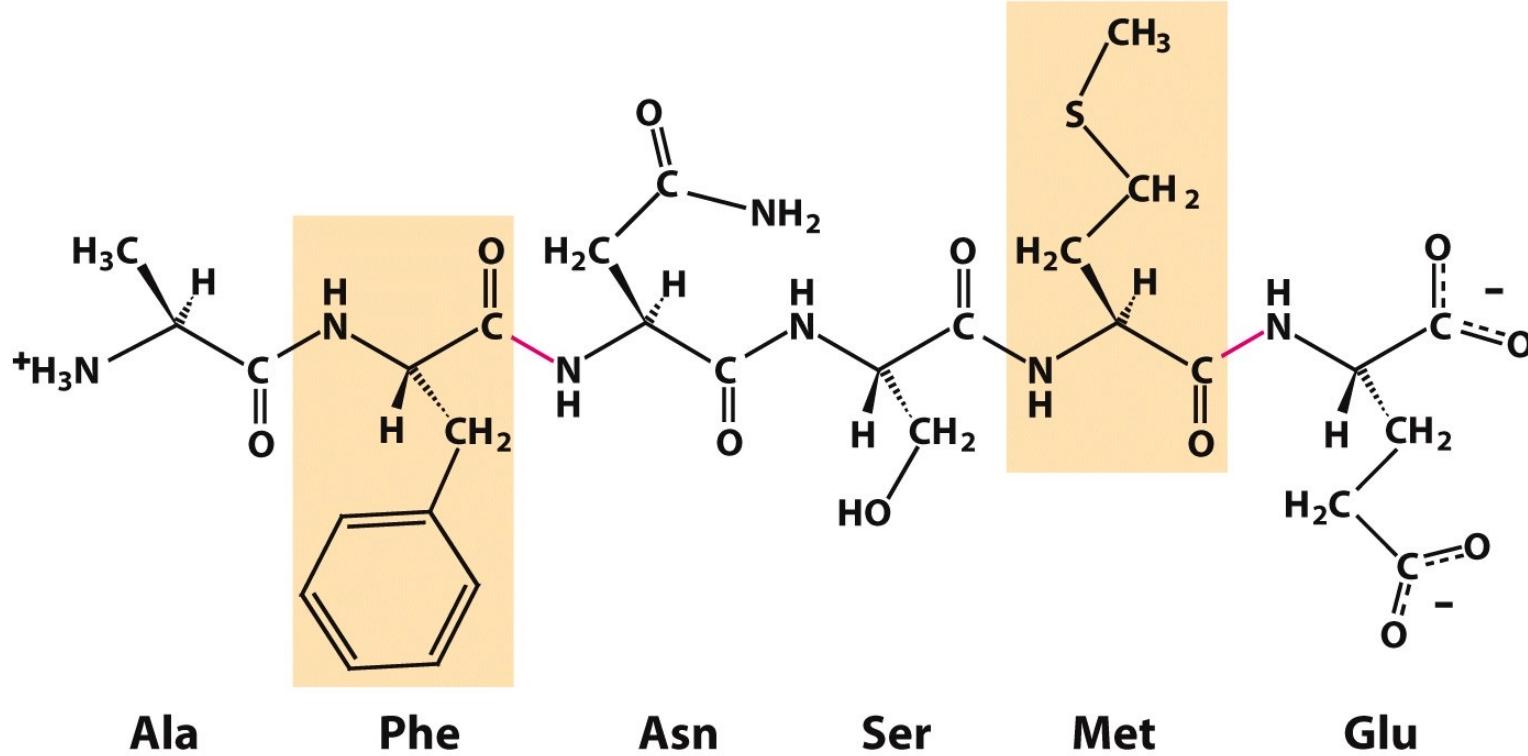
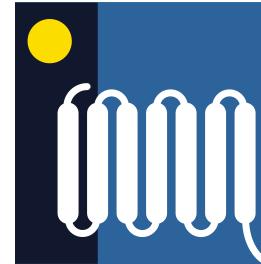
- Serine protease found in the digestive system of mammals.
- Arranged in three peptide chains (A, B and C) linked by disulphide bridges
- Proteases also key for regulation other processes:
- Protein maturation (e.g. removal of signal peptides)
- Degradation of ECM by migrating cells
- General protein turnover.



Chymotrypsin cleaves certain peptide bonds



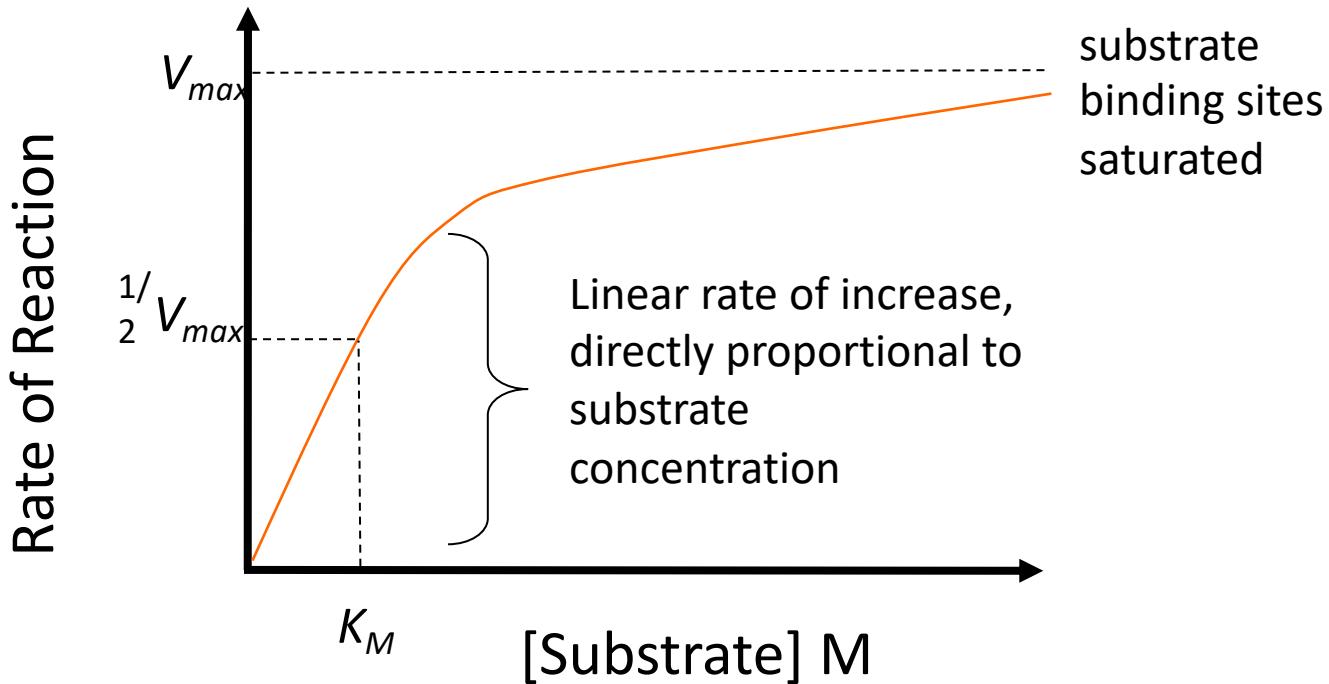
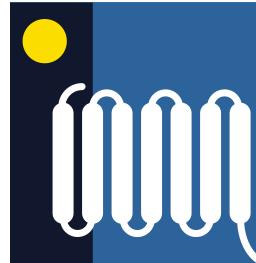
Chymotrypsin has specificity for bulky hydrophobic side chains



- The bond in cyan is cleaved, between the phenylalanine (Phe) and asparagine (Asn).

Figure 9.1
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Enzyme kinetics – parameter definitions



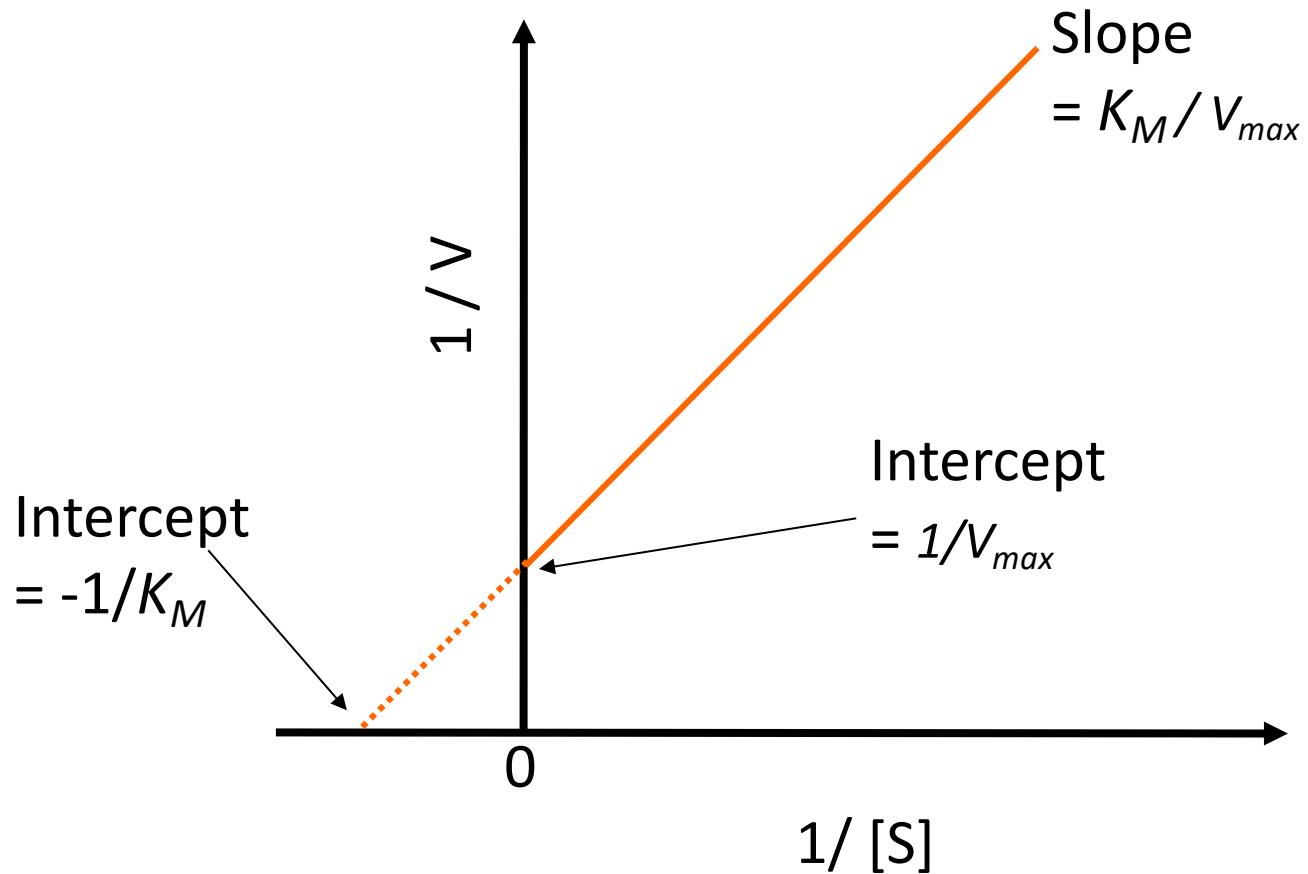
K_M is known as the Michaelis Constant and is defined as the concentration of substrate at which a particular enzyme works at half its maximal velocity.

Biochemically, the K_M value is useful as a means of comparing the strength of Enzyme-Substrate complexes.

Generally a low K_M indicates tight binding of a substrate to an enzyme.

Conversely, a high K_M is indicative of weak binding.

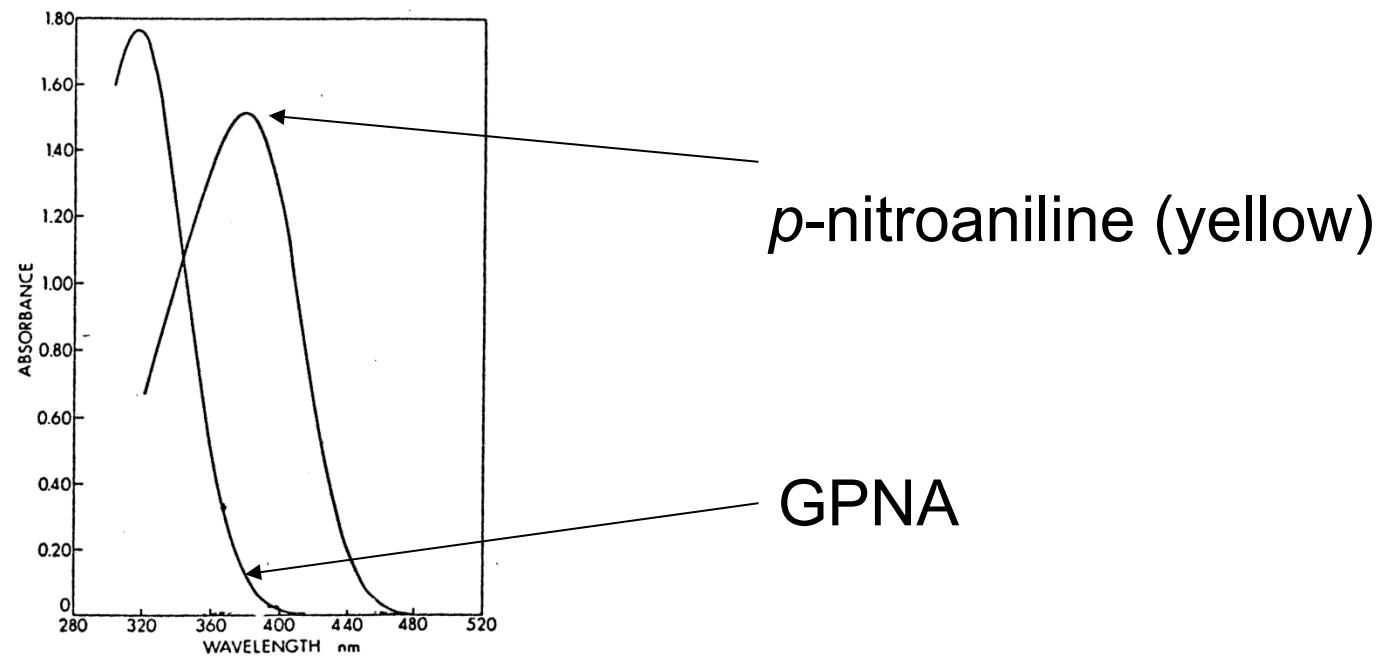
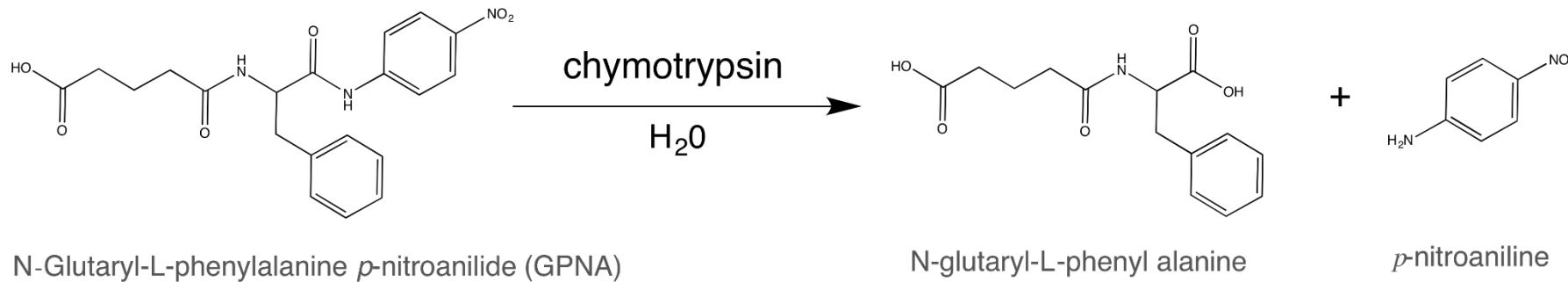
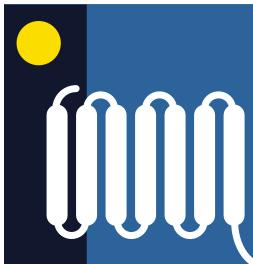
Lineweaver-Burk plot



A double-reciprocal plot of $1 / V$ against $1 / [S]$

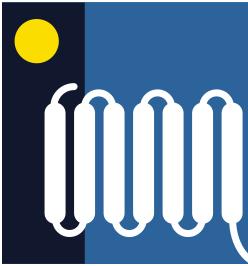
Intercepts give us K_M and V_{max} .

Reaction scheme and detection



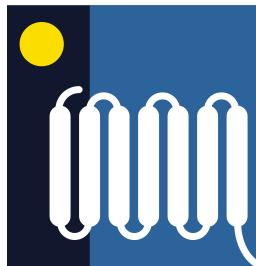
- Absorbance at 410 nm allows us to monitor production formation.

Protocol outline



- 2 students per spectrophotometer
- Measure the production of *p*-nitroaniline at 410 nm at a variety of GPNA concentrations and determine the rate of reaction (**Graph 1**).
- Construct a Lineweaver-Burk plot (**Graph 2**). From this:
- Calculate V_{max}
- Calculate K_M
- Takes 1 hour to generate a dataset. 1 hour to plot the graphs.

Protocol



You are provided with:

20ml of Reaction buffer, pH 7.8

5ml of a stock solution of 20 mM GPNA (labelled S).

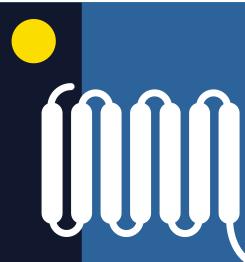
0.4ml of chymotrypsin at 20mg/ml (labelled E)

Ensure that the spectrophotometer is set to 410 nm.

You will pipette varying amounts of the stock GPNA solution and the reaction buffer into a 3ml cuvette to create a range of substrate concentrations.

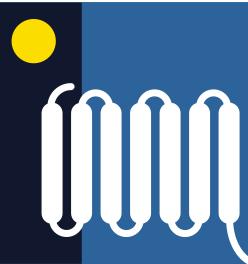
Mix & Calibrate (press CAL button).

Add Enzyme (Mix again) and start recording A_{410} for 3 minutes.



Reaction volumes

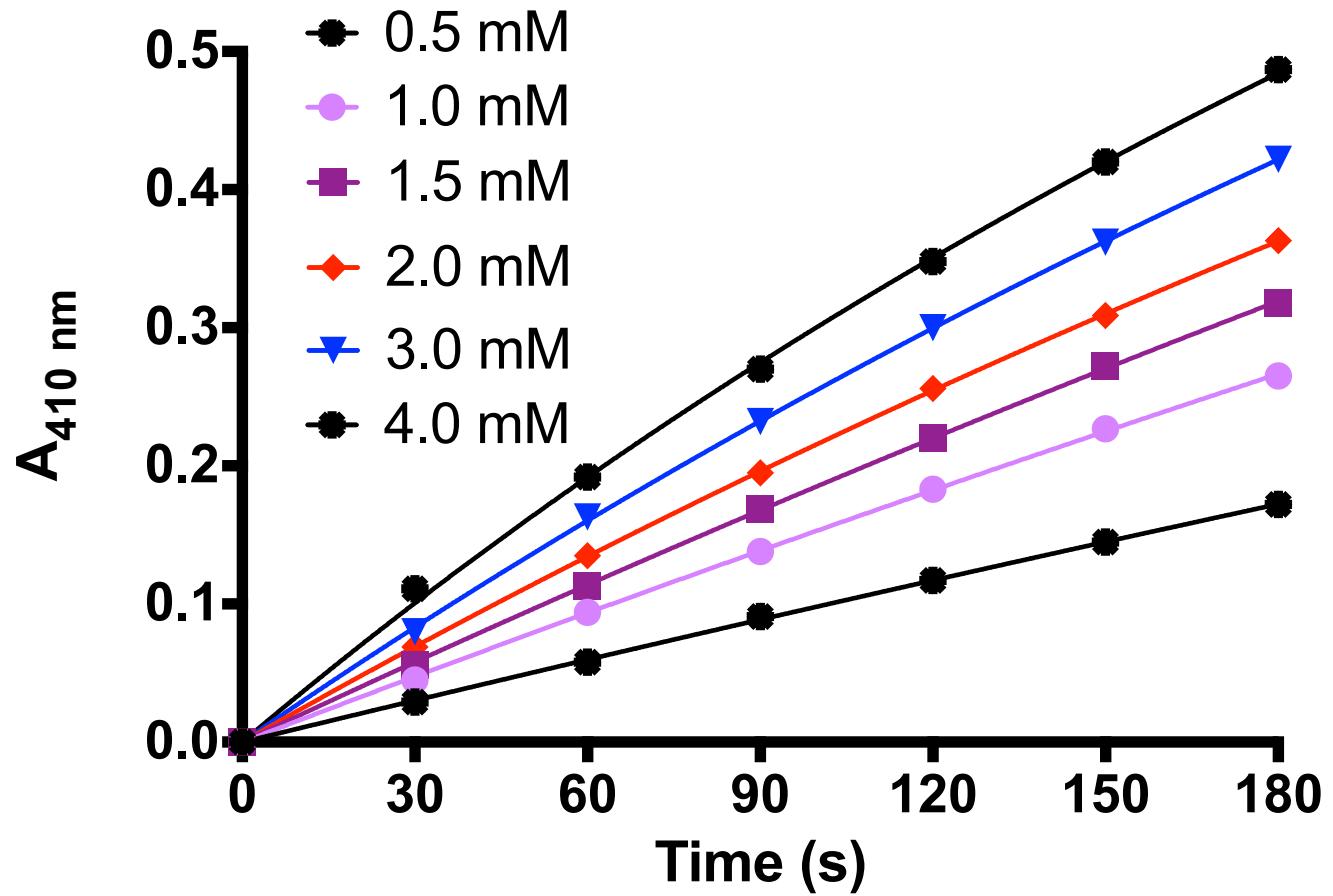
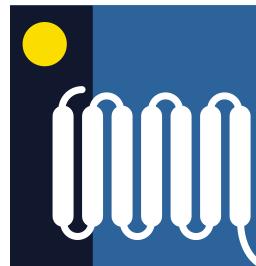
Volume of Stock GPNA (ml)	Volume of Buffer (ml)	Volume of enzyme (ml)	Total Volume in Cuvette (ml)	Final [GPNA] in cuvette (mM)
0.600	2.350 (3X 0.783)	0.050	3.000	4.0
0.450	2.500 (3x 0.833)	0.050	3.000	3.0
0.300	2.650 (3 x 0.883)	0.050	3.000	2.0
0.225	2.725 (3 x 0.908)	0.050	3.000	1.5
0.150	2.800 (3 X 0.933)	0.050	3.000	1.0
0.075	2.875 (3 x 0.958)	0.050	3.000	0.5



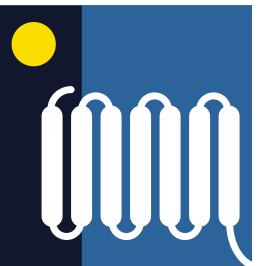
Raw data table (Excel)

	A _{410nm} at various GPNA concentrations (mM)					
Time (s)	0.5	1.0	1.5	2.0	3.0	4.0
0	0.000	0.000	0.000	0.000	0.000	0.000
30						
60						
90						
120						
150						
180						

Graph 1



- How do we relate A_{410} to $[P]$?
- Haemoglobin practical
- Beer-Lambert Law



How do we change Absorbance into [P]?

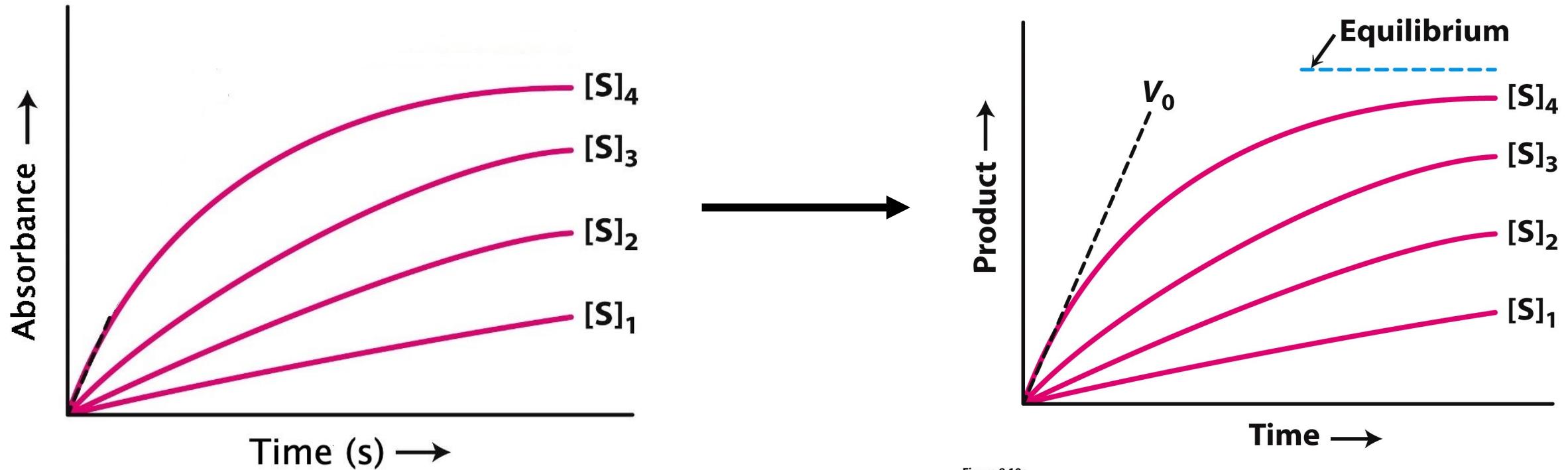
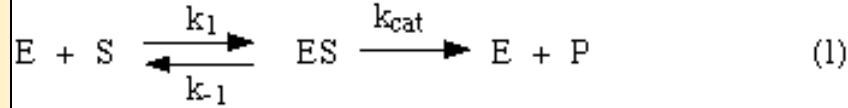
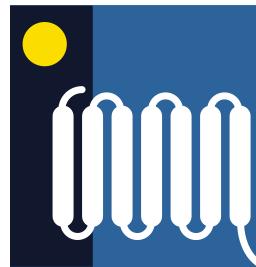


Figure 8.10a
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A simple (?) model of enzyme:substrate interaction



For this model, let V_0 be the initial velocity of the reaction. Then
 $V_0 = k_{\text{cat}} [\text{ES}]$. (2)

The maximum velocity V_{max} occurs when the enzyme is saturated -- that is, when all enzyme molecules are tied up with S, or

$$[\text{ES}] = [\text{E}]_{\text{total}} . \\ \text{So } V_{\text{max}} = k_{\text{cat}} [\text{E}]_{\text{total}} . \quad (3)$$

During the initial phase of the reaction, as long as the reaction velocity remains constant, the reaction is in a **steady state**, with ES being formed and consumed at the same rate. During this phase, the rate of formation of [ES] equals its rate of consumption. According to model (1),

$$\begin{aligned} \text{Rate of formation of } [\text{ES}] &= k_1[\text{E}][\text{S}] . \\ \text{Rate of consumption of } [\text{ES}] &= k_{-1}[\text{ES}] + k_{\text{cat}}[\text{ES}] . \\ \text{So in the steady state, } k_{-1}[\text{ES}] + k_{\text{cat}}[\text{ES}] &= k_1[\text{E}][\text{S}] . \quad (4) \end{aligned}$$

$$\begin{aligned} (k_{-1} + k_{\text{cat}}) [\text{ES}] &= k_1[\text{E}][\text{S}] , \\ \text{and } (k_{-1} + k_{\text{cat}})/k_1 &= [\text{E}][\text{S}]/[\text{ES}] . \quad (5) \end{aligned}$$

Grouping the kinetic constants by defining them as K_m :

$$K_m = (k_{-1} + k_{\text{cat}})/k_1 \quad (6)$$

and then express [E] in terms of [ES] and [E]total:

$$[\text{E}] = [\text{E}]_{\text{total}} - [\text{ES}] \quad (7)$$

Substitute (6) and (7) into (5):

$$K_m = ([\text{E}]_{\text{total}} - [\text{ES}]) [\text{S}]/[\text{ES}] \quad (8)$$

Solve (8) for [ES]: First multiply both sides by [ES]:

$$[\text{ES}] K_m = [\text{E}]_{\text{total}} [\text{S}] - [\text{ES}][\text{S}]$$

Then collect terms containing [ES] on the right:

$$[\text{ES}] K_m + [\text{ES}][\text{S}] = [\text{E}]_{\text{total}} [\text{S}]$$

Factor [ES] from the left-hand terms:

$$[\text{ES}](K_m + [\text{S}]) = [\text{E}]_{\text{total}} [\text{S}]$$

and finally, divide both sides by ($K_m + [\text{S}]$):

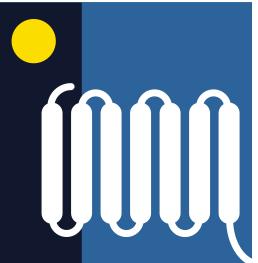
$$[\text{ES}] = [\text{E}]_{\text{total}} [\text{S}] / (K_m + [\text{S}]) \quad (9)$$

Substitute (9) into (2): $V_0 = k_{\text{cat}} [\text{E}]_{\text{total}} [\text{S}] / (K_m + [\text{S}])$
(10)

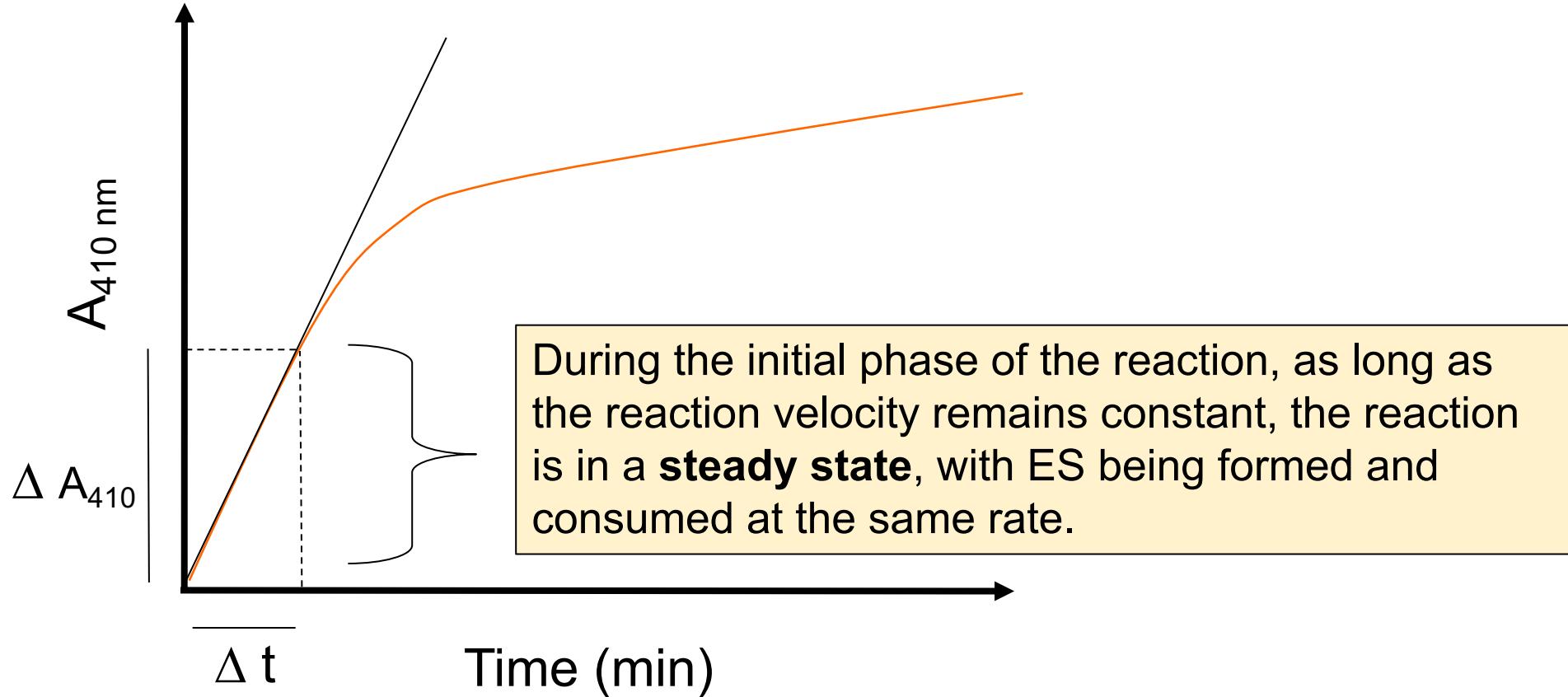
Recalling (3), substitute V_{max} into (10) for $k_{\text{cat}} [\text{E}]_{\text{total}}$:

$$V_0 = V_{\text{max}} [\text{S}] / (K_m + [\text{S}]) \quad (11)$$

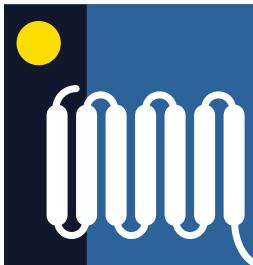
N.B. You do not need to derive or recall this!



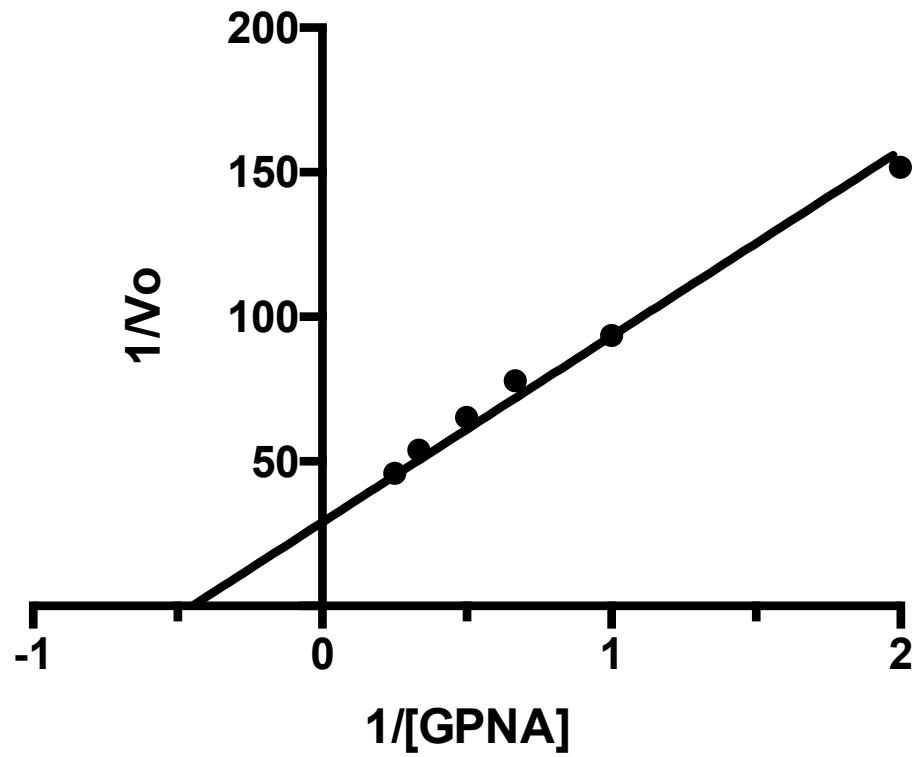
Calculating V_0



Graph 2



Lineweaver-Burk Plot



$V_{max} = ?$

$K_M = ?$

Enter your data via the
Qualtrics link