

HashMap Introduction

id	marks
57	96
2	95
9	82
11	85
47	56

HashMap \rightarrow key-value pairs

get marks

update marks

remove id

add a new id-marks pair

$\rightarrow O(1)$

57 \rightarrow 96
2 \rightarrow 95
9 \rightarrow 82
11 \rightarrow 85
47 \rightarrow 56

HashMap

functions of hashmap :

```
void main() {
```

```
HashMap < Integer, Integer> map = new HashMap<>();
```

```
map.put(57, 95);
```

```
map.put(52, 97);
```

```
map.put(2, 82);
```

```
map.put(4, 90);
```

```
map.put(52, 98);
```

```
System.out.println(map.get(57));    95
```

```
System.out.println(map.get(50));    null
```

```
System.out.println(map.containsKey(57));    true
```

```
System.out.println(map.containsKey(45));    false
```

```
map.remove(50);    (Nothing will happen)
```

```
map.remove(57);
```

```
System.out.println(map.size());
```

map

57	→ 95
52	→ 97 98
2	→ 82
4	→ 90

put, get, containsKey, remove, size → $O(1)$

India	→ 357
Sri Lanka	→ 288
England	→ 354 357
New Zealand	→ 324

`map.get("India");`

357 is scored by
how many countries

`put, get, containsKey, remove, size` → $O(1)$

traverse `HashMap` → $O(n)$

n : `map.size()`

→ todo (covering in next class)

hint: getting all key of HM

Q.1 Count frequency

Given an array and Q queries, find how many times a particular element is coming in array.

A: 2 1 2 3 1 5 4 2 1

Queries

ele	ans
2	3
1	3
4	0
5	1

idea1 : for every query travel the entire array and get ans. T.C: $O(Q \cdot N)$

idea2 : create frequency map of A[].

A: 2 1 2 3 1 5 4 2 1

2	→	3
1	→	3
3	→	1
5	→	1
4	→	1

map

Key → ele

value → freq

A: 2 1 2 3 1 5 4 2 1

2	→	3
1	→	3
3	→	1
5	→	1
4	→	1

map

map.containsKey(A[i])

T

F

```
int temp = map.get(A[i]);  
temp++;  
map.put(A[i], temp);
```

```
map.put(A[i], 1)
```

```
void solve (int [] A, int [] Q) {
```

```
    int n = A.length;
```

```
    // create freq. map
```

```
    HashMap<Integer, Integer> map = new HashMap<>();
```

```
    for (int i=0; i<n; i++) { → N its
```

```
        if (map.containsKey(A[i]) == false) {
```

```
            map.put(A[i], 1);
```

```
        }
```

```
        else {
```

```
            int temp = map.get(A[i]);
```

```
            temp++;
```

```
            map.put(A[i], temp);
```

```
        }
```

```
    }
```

```
    // go on every query and give answer
```

```
    for (int i=0; i<Q.length; i++) { → Q its
```

```
        int ele = Q[i];
```

```
        if (map.containsKey(ele) == false) {
```

```
            solve(0);
```

```
        }
```

```
        else {
```

```
            solve(map.get(ele));
```

```
        }
```

```
    }
```

```
}
```

TC: $O(N+Q)$

SC: $O(N)$

Q.2 Given an array $A[]$, find first non repeating element.

$A = 2 \quad 5 \quad 4 \quad 5 \quad 2 \quad 6$ $ans = 4$

$A = 4 \quad 5 \quad 4 \quad 4 \quad 3 \quad 4$ $ans = 5$

$A =$

2	5	4	5	2	6
0	1	2	3	4	5

$2 \rightarrow 2$
$5 \rightarrow 2$
$4 \rightarrow 1$
$6 \rightarrow 1$

Idea: i) create a freq map

ii) travel $A[]$, and first ele with $freq=1$ is ans.

Note: order of insertion is not maintained in Hashmap.

HashSet Intro → It stores keys

↳ unique keys

```
void main() {
```

```
    HashSet < Integer> hs = new HashSet<>();
```

```
    hs.add(10);
```

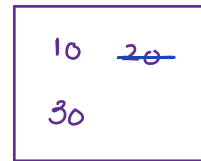
```
    hs.add(20);
```

```
    hs.add(30);
```

```
    hs.add(10);
```

hs.add(key)

(nothing)



hs

```
    System.out.println(hs.contains(20)); true
```

```
    hs.remove(20);
```

```
    System.out.println(hs.size()); 2
```

```
}
```

add, contains, remove, size → $O(1)$

Q.3 Given an array `Arr`, find total no. of distinct elements.

`A = 3 9 3 4 5` ans: 4

`A = 3 3 3 4 4` ans: 2

`A = 3 9 3 4 5`

1) idea1: HashMap

→ create freq. map

ans: `map.size()`;

3	→ 2
9	→ 1
4	→ 1
5	→ 1

2) idea2: HashSet

(freq. of ele is not our concern in this question)

A = 3 9 3 4 5

```
int count-distinct (int [] A) {
```

```
    HashSet<Integer> hs = new HashSet<>();
```

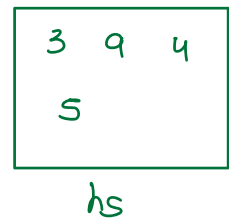
```
    for (int i=0; i<A.length; i++) {
```

```
        |         hs.add(A[i]);
```

```
    }
```

```
    return hs.size();
```

```
}
```



Q-4 Given an $A[]$, find if it has any subarray with $\text{sum} = 0$. {leetcode}

↳ continuous part of array

A: 0 1 2 3 4 5 6 7
 2 4 -1 3 -2 5 1 6 ans: true

A: 0 1 2
 2 4 3 ans: false

idea1: Go on every subarray and find sum from s to e using prefix sum.

boolean solve (int [] A) {

 for (int s = 0; s < n; s++) {

 for (int e = s; e < n; e++) {

 sum of subarray from s to e

 → using ps / cf

 if (sum == 0) {

 return true;

 }

 }

 }

 return false;

itr: $\frac{N(N+1)}{2}$

TC: $O(N^2)$

Expected TC: $O(N)$

	0	1	2	3
A:	1	-3	2	4
PS	1	-2	0	4

→ Sum of subarray 0, i
if (PS[i] == 0) {
 return true;
}

	0	1	2	3	4	5	6	7
A:	2	4	-1	3	-2	5	1	6
PS:	2	6	5	8	6	11	12	18

ans: true

$$PS[1] = PS[4]$$

$$\text{sum}(0,1) = \text{sum}(0,4)$$

$$\cancel{\text{sum}(0,1)} = \cancel{\text{sum}(0,1)} + \text{sum}(2,4)$$

$$\text{sum}(2,4) = 0$$

i) If $ps[i] = 0$, return true

ii) If value in $ps[]$ is repeated, return true.

```
boolean solve (int [] A) {
```

```
    int [] ps = prefixSum(A);
```

```
    for (int i = 0; i < ps.length; i++) {
```

```
        if (ps[i] == 0) {
```

```
            return true;
```

```
        }
```

```
        hs.add(ps[i]);
```

```
    }
```

```
    if (hs.size() != ps.length) {
```

```
        return true;
```

```
    }
```

```
    else {
```

```
        return false;
```

```
    }
```

```
}
```

	0	1	2	3	4	5
A =	-4	1	5	-2	7	0
PS :	-4	-3	2	0	7	7

	0	1	2	3	4	5
A =	4	2	5	-1	-4	0
PS :	4	6	11	10	6	6

4	6	11
10		

hs

TC: $O(n)$

SC: $O(n)$

Doubt

3 5 10

	max	min	diff
{ 3	0	0	0
{ 3 3	3	3	0
{ 5 3	5	5	0
{ 10 3	10	10	0
{ 3 5 3	5	3	2
{ 3 10 3	10	3	7
{ 5 10 3	10	5	5
{ 3 5 10 3	10	3	7
			<hr/>
			21

0 1 2
3 5 10
↓ ↓ ↓

Atij is → 1 2 4

max in

how many subseq.

$$s_{\max} = 3 + 10 + 40 = 53$$

0 1 2

3 5 10

↓ ↓ ↓

A[i] is → 4 2 1

min in

how many subseq.

A[i] is min in $2^{(n-i-1)}$

$$s_{\min} = 12 + 10 + 10$$

$$= 32$$

$$\text{diff} = s_{\max} - s_{\min}$$

$$= 53 - 32 = 21$$

Arrays-sort(A);

int s_{max} = 0;

for (int i=0; i < A.length; i++) {

 // A[i] is max in 2^i subseq.

 s_{max} += A[i] * $\underbrace{(1 \ll i)}_{\rightarrow 2^i}$;

}

int s_{min} = 0;

for (int i=0; i < A.length; i++) {

 // A[i] is min in $2^{(n-i-1)}$ subseq.

 s_{max} += A[i] * $\underbrace{(1 \ll (n-i-1))}_{\rightarrow 2^{n-i-1}}$;

}