

"Hello Everyone!"

Today's Content

- ① Count Pairs
- ② N Bubs
- ③ Leaders in Array



(Q.1) Count Pairs :

→ Given a char arr [n], calculate no. of pairs

indices = i, j such that

i < j and $\text{arr}[i] = 'a'$ and $\text{arr}[j] = 'g'$

All characters are lowercase.

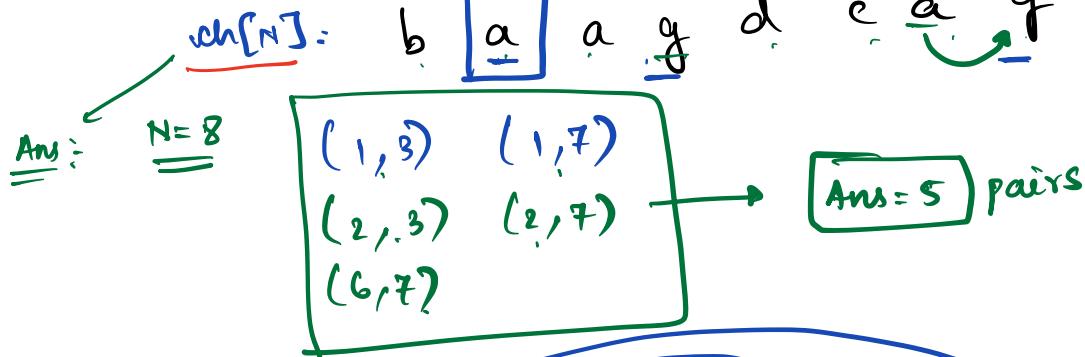
Constraints :

$1 \leq N \leq 10^5$ // N → len of array

'a' ≤ arr[i] ≤ 'z'

eq1

Ans:
 $N=8$



eq2

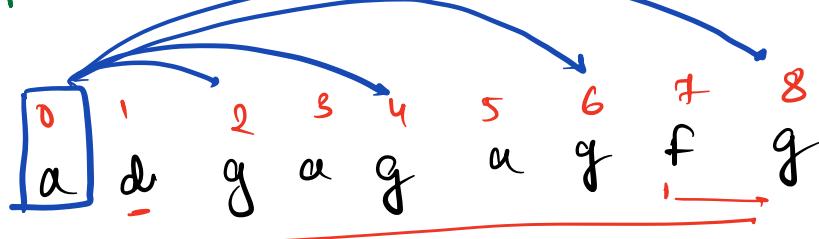
Ans:

$(0, 2), (0, 4), (0, 6), (0, 8)$

$(3, 4), (3, 6), (3, 8)$

$(5, 6), (5, 8)$

$\boxed{\text{Ans} = 9 \text{ pairs}}$



Approach 1:

```
int pairs (char ch[])
{
    n = ch.length // size of ch
    int ans = 0
    for (i=0; i <= n; i++)
        if (i == n-1, j == n)
            for (j = i+1; j < n; j++)
                if (ch[i] == 'a' and ch[j] == 'g')
                    ans++
    return ans
```

$$TC: O(n^2) \Rightarrow \begin{array}{l} N \rightarrow 10^5 \\ N^2 \rightarrow 10^{10} \geq 10^8 \end{array}$$

$$SC: O(1)$$

TLF

→

<u>i</u>	<u>j</u> $[i+1, n-1]$	# iterations
0	$[1, n-1]$	$n-1$
1	$[2, n-1]$	$n-2$
2	$[3, n-1]$	$n-3$
.	.	.
$n-2$	$[n-1, n-1]$	1
$n-1$	$[n, n-1]$	0

$$\# \text{iterations} = \underline{(n-1)} + (n-2) + (n-3) \dots 1 + 0$$

$$\frac{\cancel{N \rightarrow 1}}{\frac{N(N+1)}{2}} = \frac{(n-1)(n-1+1)}{2} = \frac{(n-1)n}{2}$$

$$\# \text{iterations} = \frac{n^2}{2} - \frac{n}{2}$$

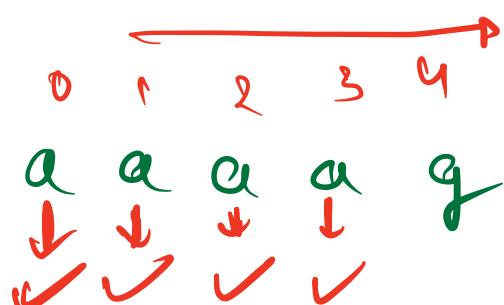
TC $\rightarrow O(n^2)$

Approach 2 :-

int pairs (vector ch[])

```
{  
    n = ch.length // size of ch  
    int ans = 0  
    for (i=0; i<n; i++) → [0, n-1]  
    {  
        if (ch[i] == 'a') ↗  
        {  
            for (j=i+1; j<n; j++)  
            {  
                if (ch[j] == 'g') ↗  
                {  
                    ans++  
                }  
            }  
        }  
    }  
    return ans  
}
```

e.g:-

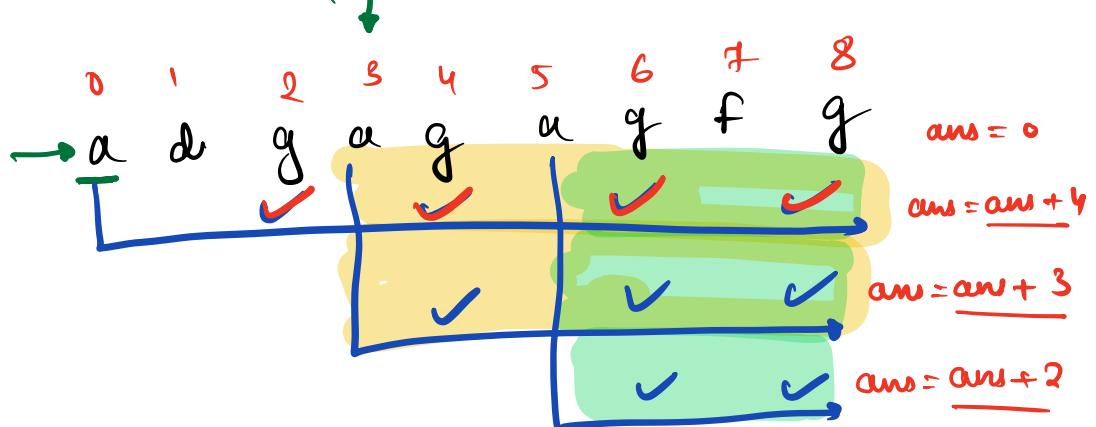


TC $\rightarrow O(n^2)$ → worst case
SC $\rightarrow O(1)$

Q1

0	1	2	3	4	5	6	7
b	a	a	g	d	e	a	g

Q2:



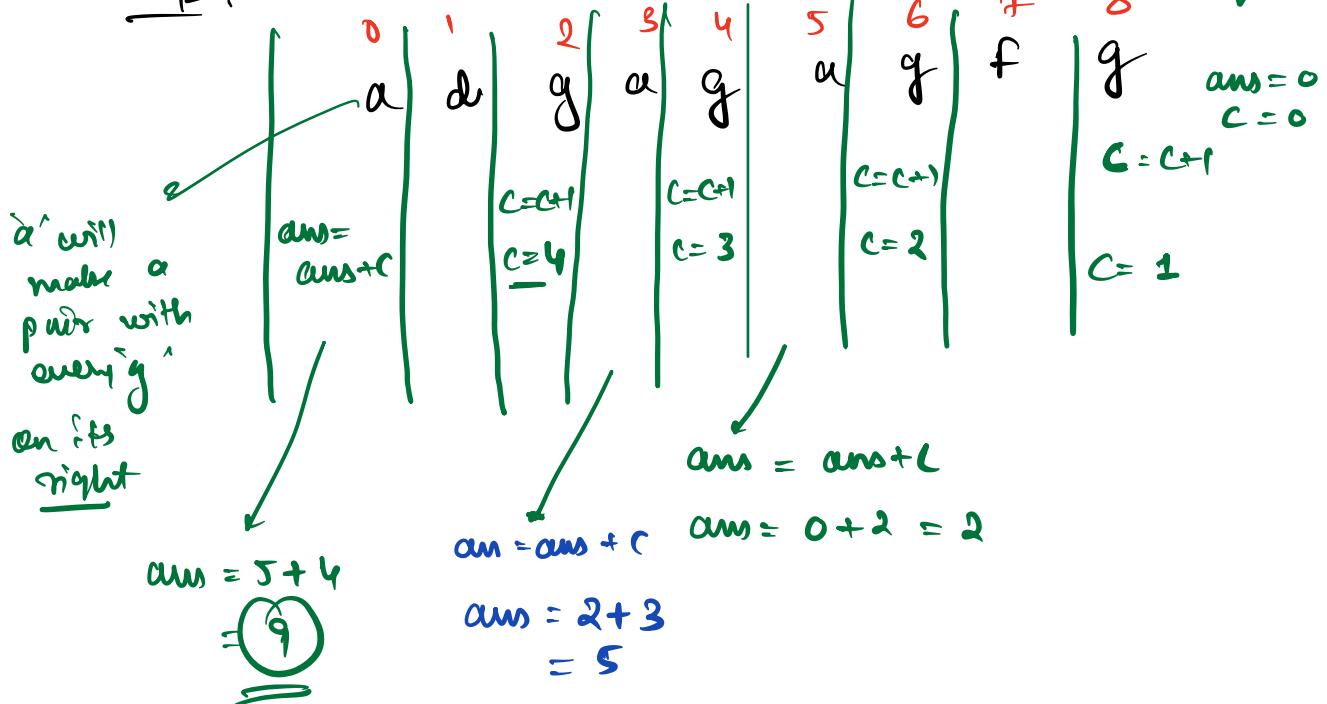
ans = 0



eg1 :-

0	1	2	3	4	5	6	7
b	a	a	g	d	e	a	g

eg2 :-



Pseudocode

```
int pair (char ch[])
{
    n = ch.length
    int c=0 , ans=0
    // L → R
    for ( i= n-1 ; i>=0 ; i-- )
    {
        if ( ch[i] == 'g' )
        {
            c = c+1
        }
        else if ( ch[i] == 'a' )
        {
            ans = ans + c
        }
    }
    return ans
}
```

$T.C = O(n)$ ✓
 $S.C = O(1)$

Bulbs :

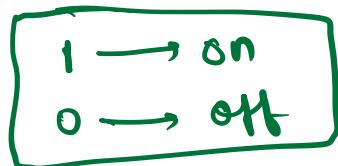
Given N bulbs and their initial states, each bulb has a switch associated to it.

If we click on any switch,
→ Every bulb on right, including current bulb
is flipped ($0 \rightarrow 1$) ($1 \rightarrow 0$)
 $2 \rightarrow 0$ $0 \rightarrow \text{off}$

Q: Min no. of times we need to click on switch so that all bulbs are On (1).

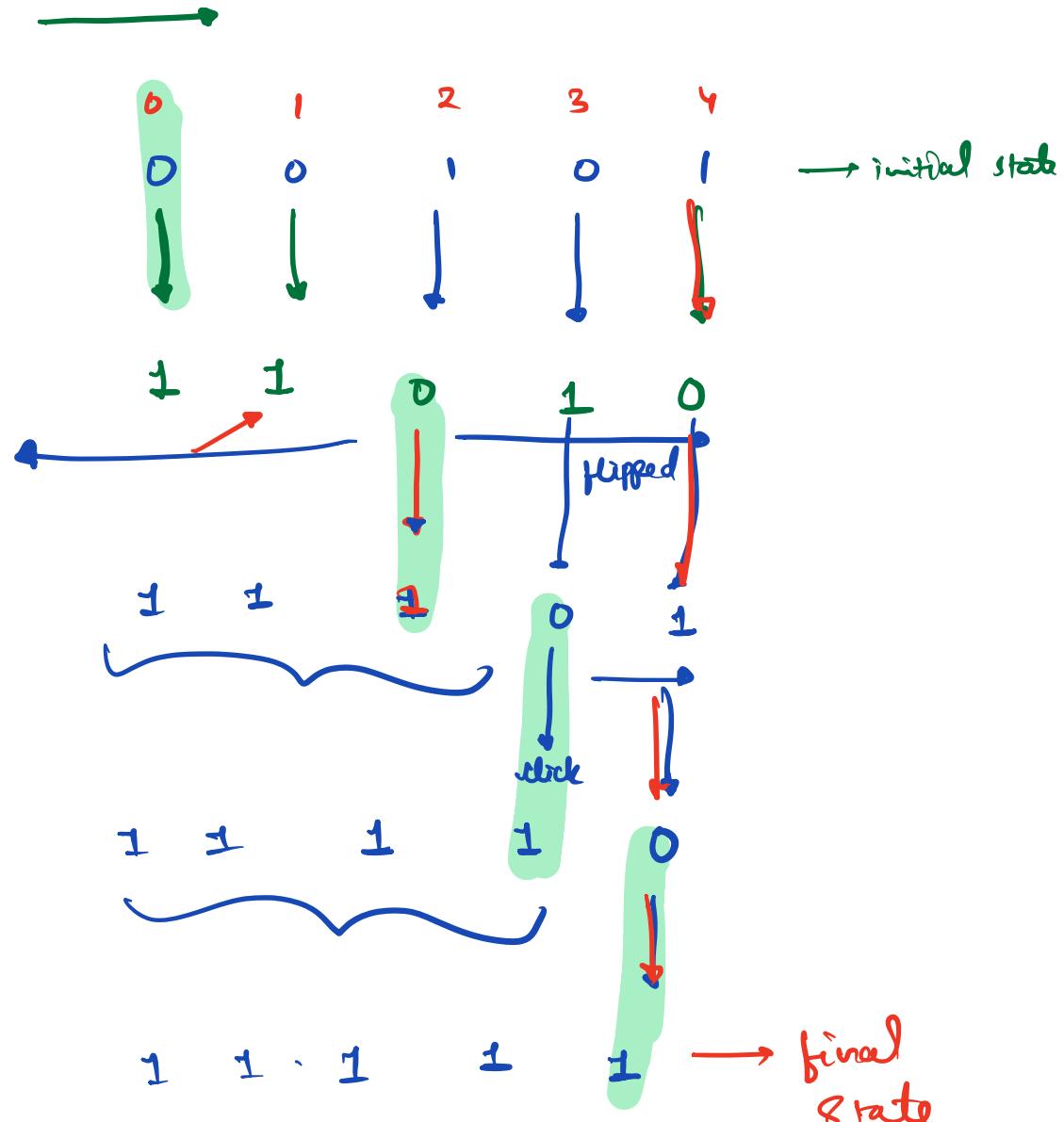
Constraints

$$1 \leq N \leq 10^5$$



eg 1:

n=5



$$ans = 4$$

L → R

idea: if i th bulb is 0, flip all bulbs,
click++, from $i+1$ to $n-1$.

```

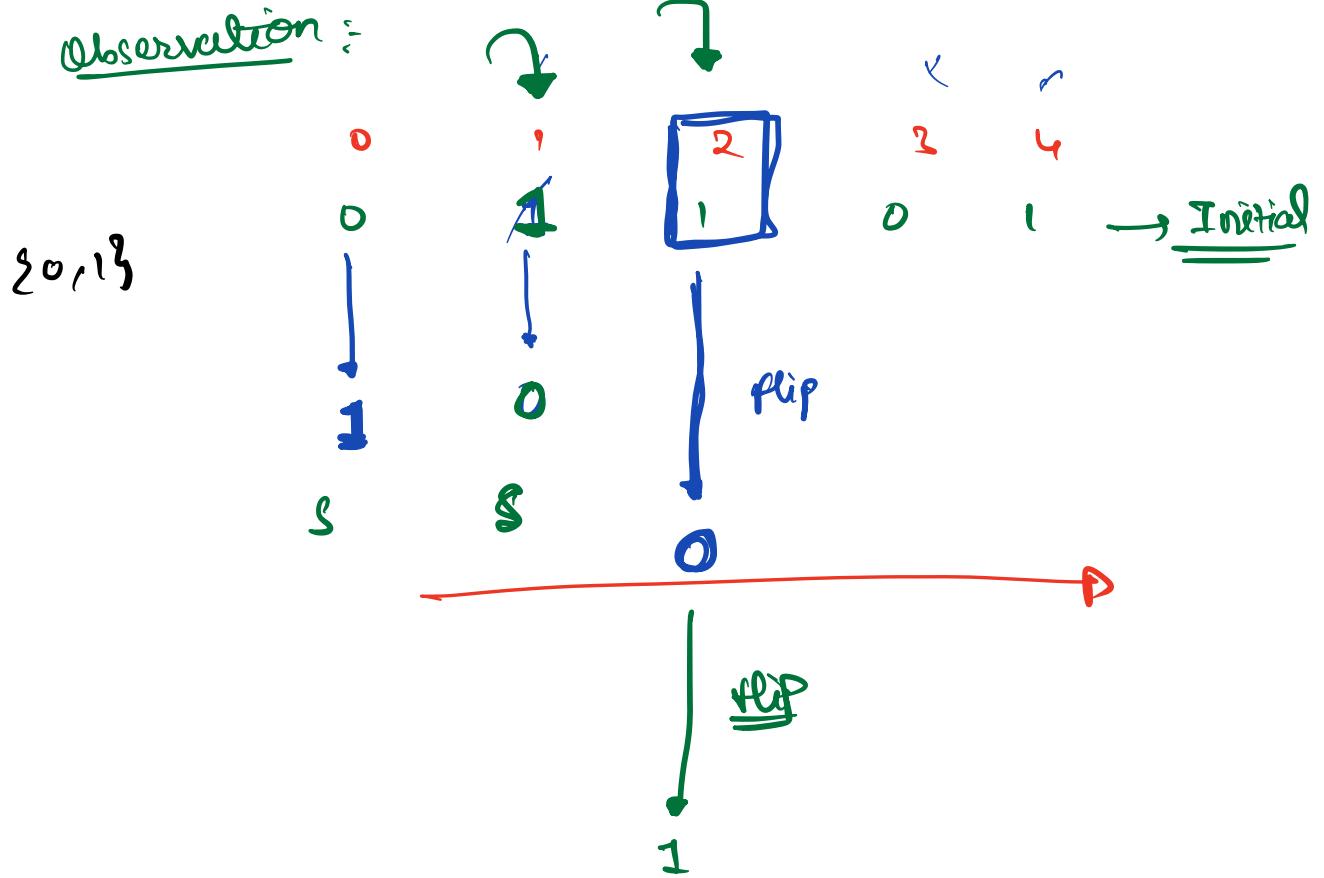
int minSwitch( int b[])
{
    int c = 0
    for (i=0; i<n; i++)
        {
            //if  $i$ th bulb is off
            if (b[i] == 0)
                {
                    b[i] = 1
                    c = c + 1
                    //flip all bulbs on right of  $i$ th bulb
                    for (j=i+1; j<n; j++)
                        {
                            if (b[j]==1) {b[j]=0}
                            else if (b[j]==0) {b[j]=1}
                        }
                }
        }
    return c
}

```

$i. [0 \rightarrow n-1]$

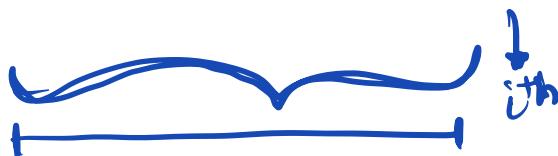
$T.C: O(n^2)$ TLE

$S.C: O(1)$

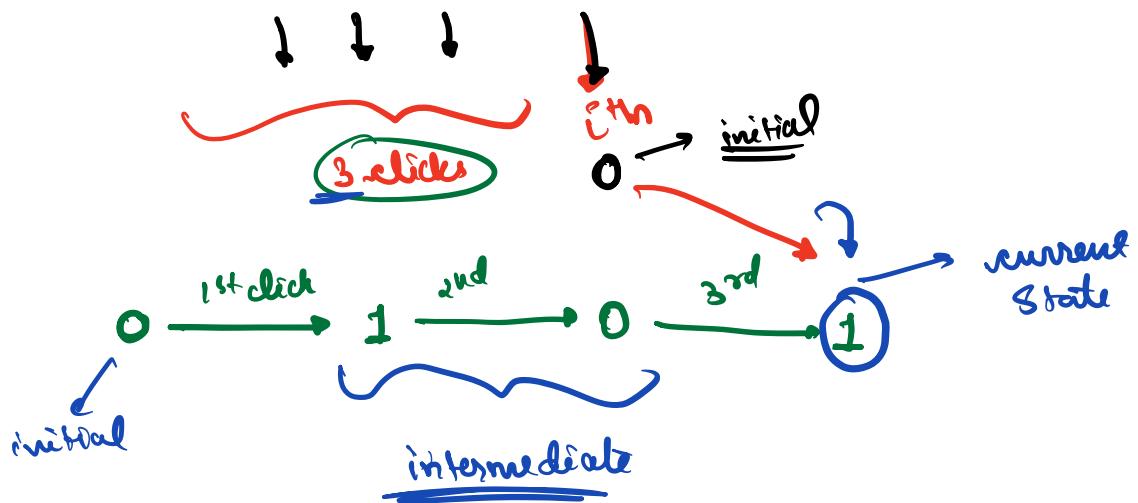


Obs :- whenever a click happens on left, the state of the i^{th} bulb in flipped.

$\{0, i-1\}$



Case ① if odd no. of flips on left of it



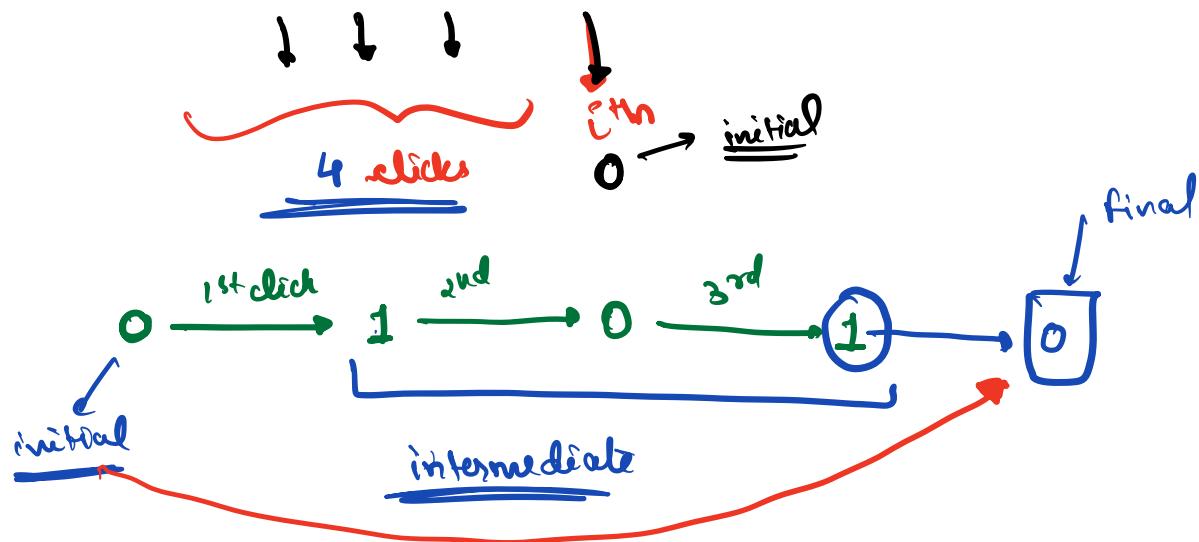
obs :- if odd no. of clicks before

reaching it →

initial state
is currently
flipped

Care2

If even no. of flips on left of it

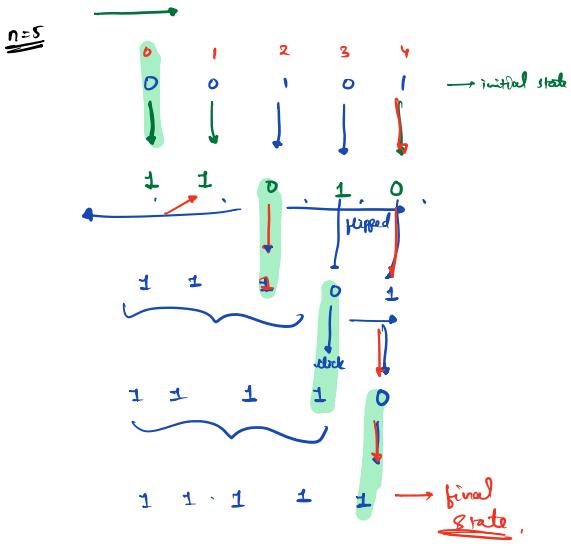


Obs : if even no. of clicks before

reaching it →

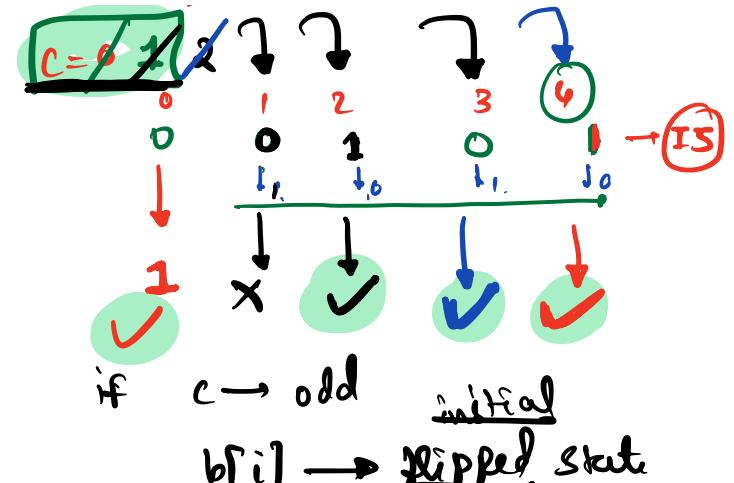
initial state
is currently
Same.

(~~3~~) (4)



$ans = 4$

visualize :-

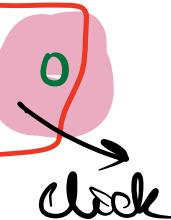


Pseudocode :-

① If initial $\rightarrow 0$, even flips done

even flips
done

curr state



$0 \xrightarrow{1} 1 \xrightarrow{2} 0$

↓
1 → same

1

②

odd clicks

Initial

0

flip

curr

1

1

0

→ click

③

Final :- Decision on ith bulb.

If curr state 1 \rightarrow don't click

0 \rightarrow click

Pseudocode:

```
int minSwitches (int b[])  
{  
    int n = b.length()  
  
    int c = 0  
  
    for (i=0; i<n; i++)  
    {  
        // Initial state of ith bulb → b[i]  
  
        if (b[i] == 1 and c%2 == 1)  
        {  
            c++  
        }  
        else if (b[i] == 0 and c%2 == 0)  
        {  
            c++  
        }  
    }  
    return c  
}
```

iterate over every bulb and decide for it.

current state is off (0) → make it on by clicking

$\text{TC: } O(n)$
 $\text{SC: } O(1)$

8:51 → 8:58

(Q.2) Leaders in a Array:

→ Given an arr[$_$ N], you have to count
leaders in arr[$_$ N].

Note :

① arr[i] is said leader:

if its greater than ($>$) max of all
the elements on its left from [0, i-1].

② arr[0] is considered as leader.



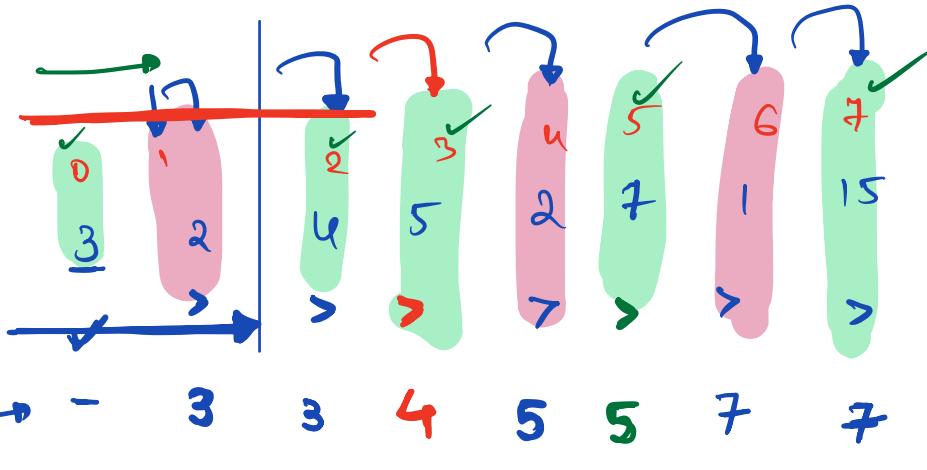
Constraints:

$$1 \leq N \leq 10^5$$

$$1 \leq arr[i] \leq 10^9$$

Q91:

Ans: 5

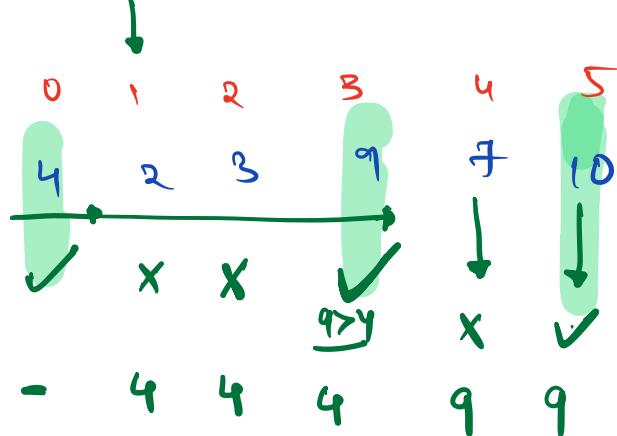


max
so far
on left

Q92:

Ans: 3

max



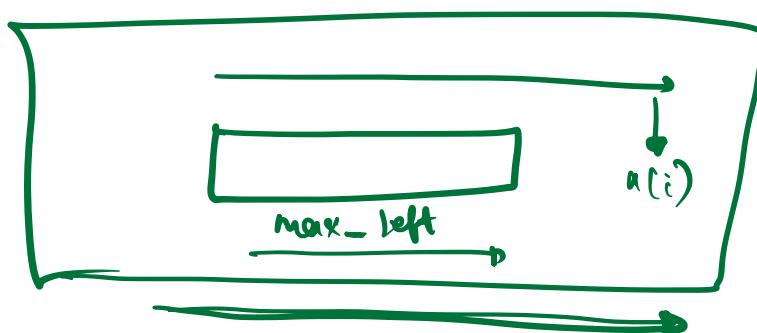
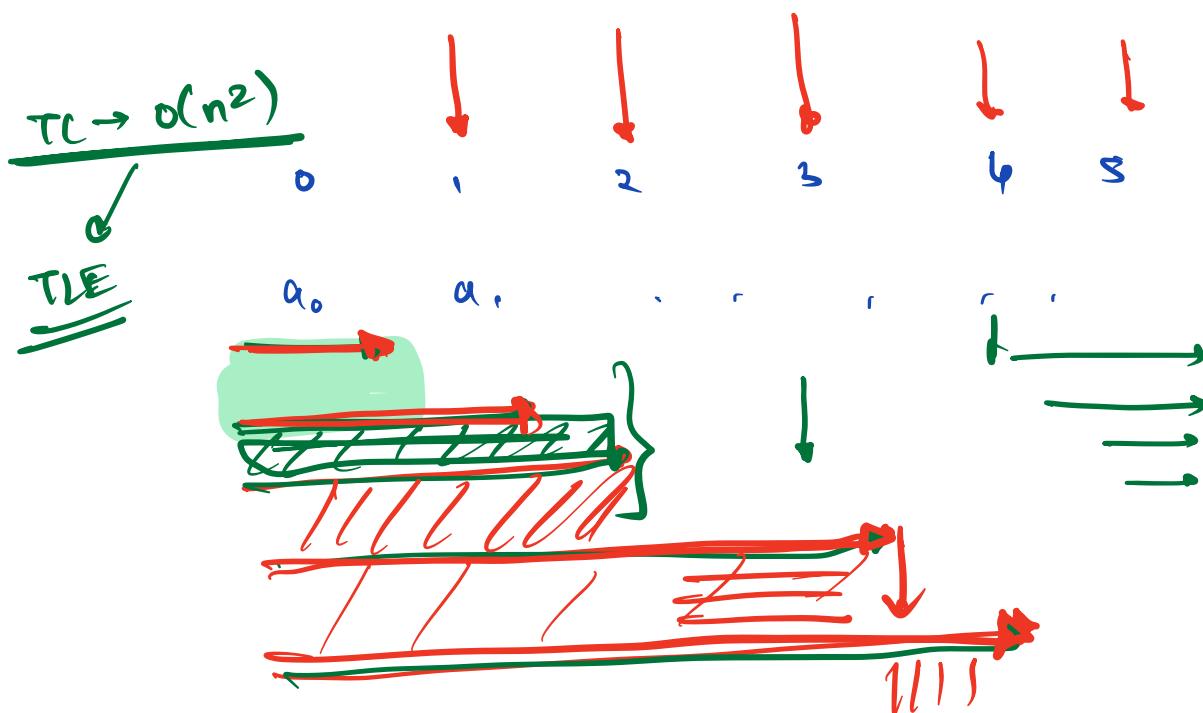
Approach :- ① for $[i : 0 \rightarrow n-1]$

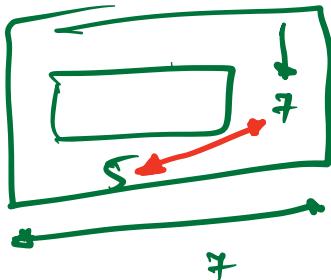
② find the max elem



$a[i] > \text{max_left}$

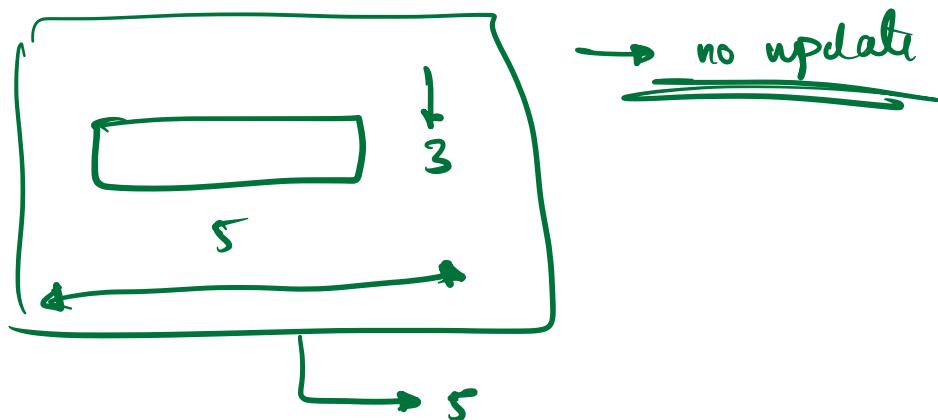
$\rightarrow \text{leader}++$



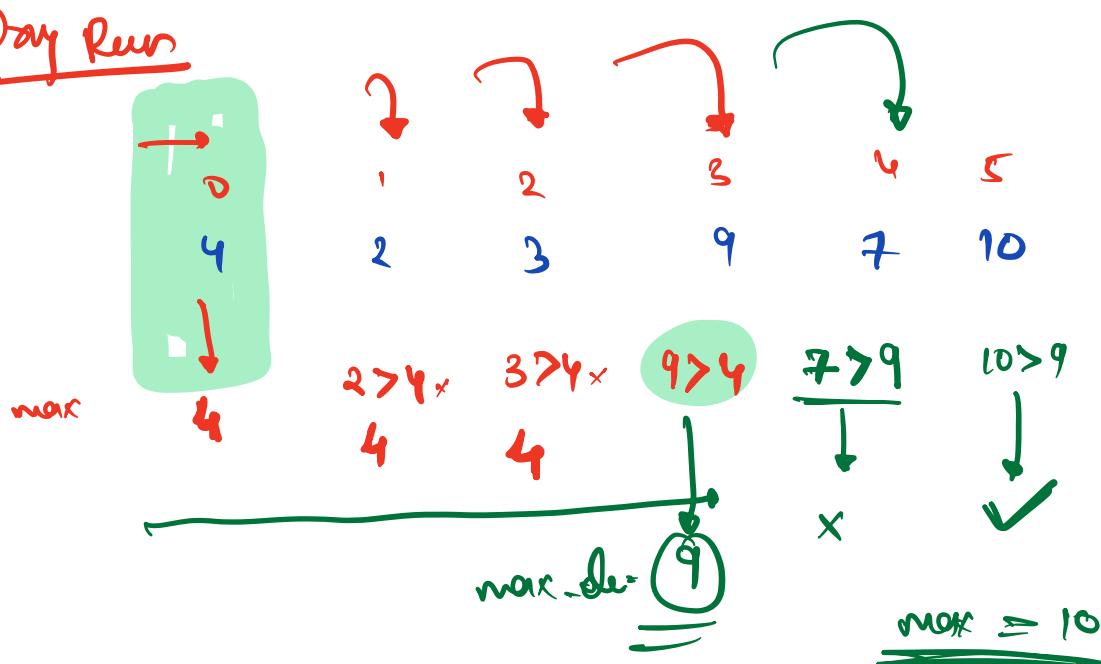


$a(i) > \text{max_left}$
 $\rightarrow \text{max_left} = a(i)$

else $a(i) \leq \text{max_elem}$



Day Run



Pseudocode :-

```
int countleaders ( int a[] )  
{  
    n = a.length()  
    int leaders = 1  
    int max = a[0]  
  
    for ( i=1; i < n; i++ )  
    {  
        // check if a[i] is leader  
        if ( a[i] > max )  
        {  
            leaders ++  
            max = a[i]  
        }  
    }  
    return leaders  
}
```

$TC: O(n)$

$SC: O(1)$