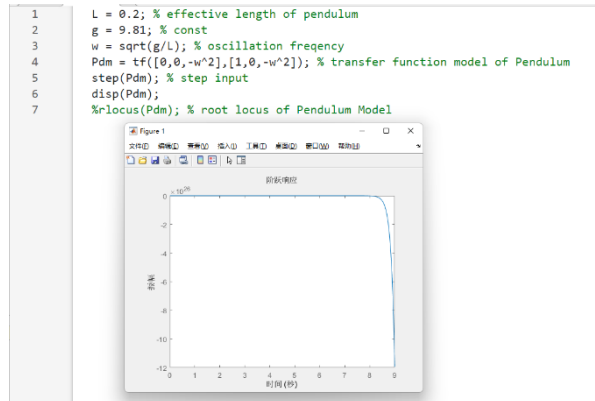


Preparation:

In Matlab, use the step command to plot the step response of the system.



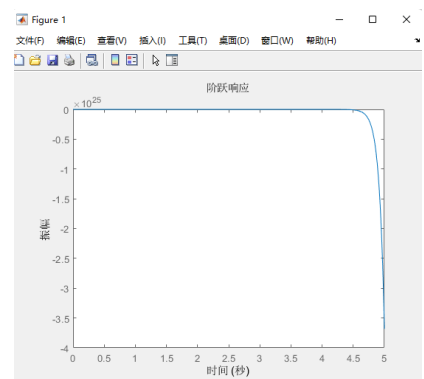
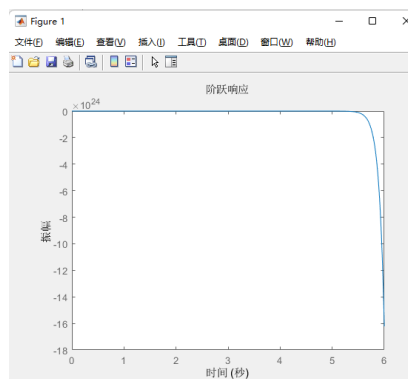
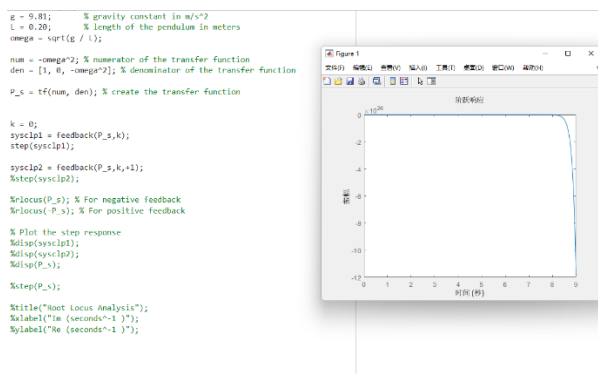
Labwork:

Question 5: variable pendulum under negative feedback:

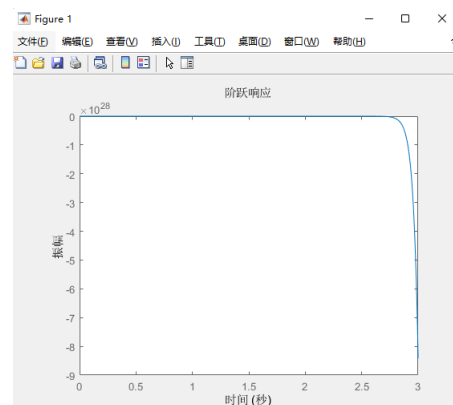
K=0

k=1

k=2



K=10



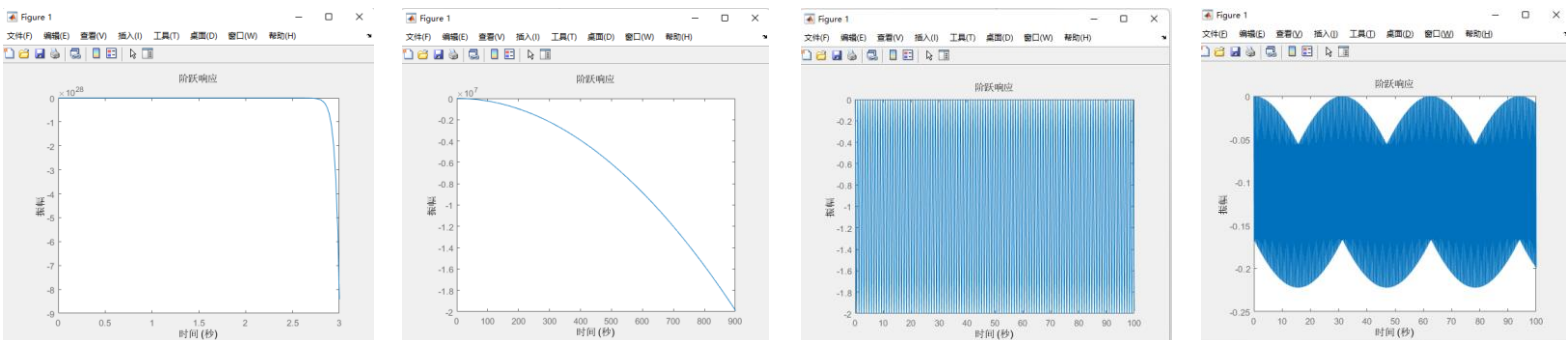
Question 6: Investigate positive feedback

K=0

k=1

k=2

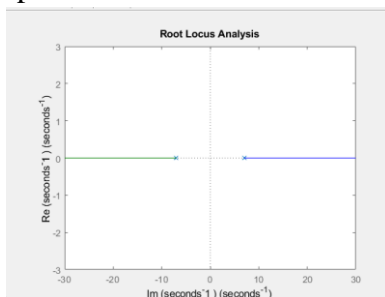
k=10



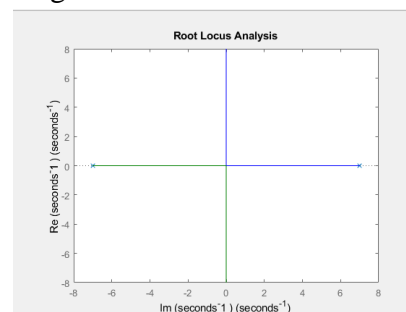
For a more readable diagram, add run time setting:

```
sysclp2 = feedback(P_s,k,+1);
t = 0 : 0.1 : 100;
step(sysclp2, t);
```

Question 7: Plot the root locus positive feedback

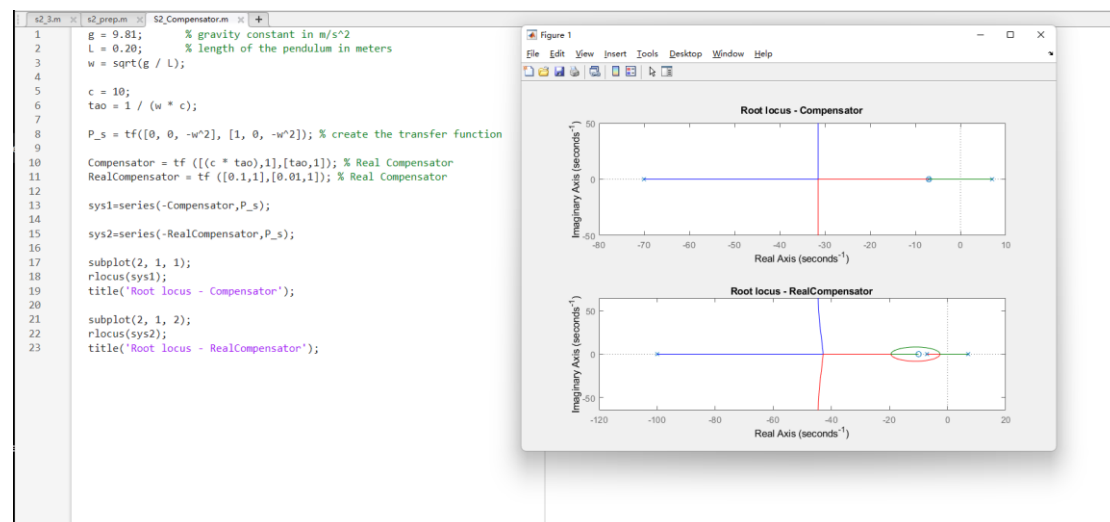


negative feedback



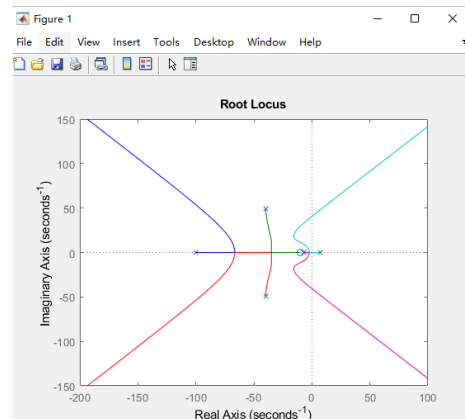
Question 8: Comment on stability

Question 10-11: Compensator

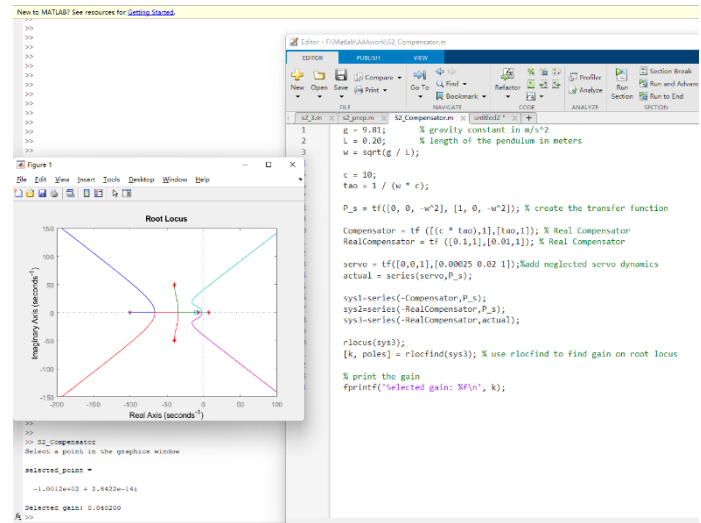


Question 13: neglected servo dynamics

Root locus:



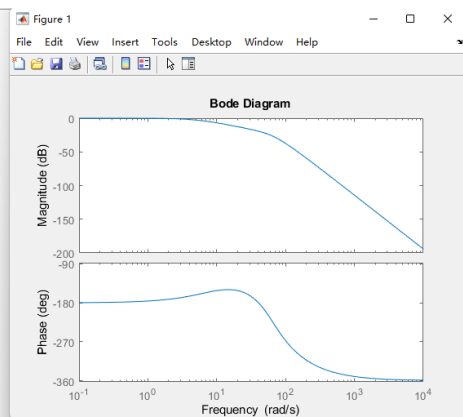
Rlocfind:



Question 14: Robustness

```

1  g = 9.81; % gravity constant in m/s^2
2  L = 0.20; % length of the pendulum in meters
3  w = sqrt(g / L);
4
5  c = 10;
6  tao = 1 / (w * c);
7
8  P_s = tf([0, 0, -w^2], [1, 0, -w^2]); % create the transfer function
9
10 RealCompensator = tf([0.1, 1], [0.01, 1]); % Real Compensator
11
12 servo = tf([0, 0, 1], [0.00025, 0.02, 1]); %add neglected servo dynamics
13 actual = series(servo, P_s);
14
15 sys1 = series(-RealCompensator, actual);
16 rlocus(sys1);
17
18 k = rlocfind(sys1); %demonstrate the value of K on Root Locus Diagram
19 sysclp = feedback(sys1, k); %Construct the Close Loop
20 bode(sysclp); % Bode(Gain&Phase Analysis)
21 nyquistplot(sysclp); %Plot Nyquist Diagram
    
```



Nyquistplot:

