CSE 3666

- 1. For each of the 10-bit numbers specified by hexadecimal digits below, write down 1) the 10 bits in the number, 2) its value in decimal when the bits are interpreted as 10-bit unsigned binary numbers, and 3) its value in decimal when the bits are interpreted as 10-bit two's complement numbers.
 - a. 0x 1AB
 - i. 0110101011
 - ii. 427
 - iii. 427 (because the first bit is a 0, the number remains positively signed)
 - b. 0x 2CD
 - i. 1011001101
 - ii. 717
 - iii. -307 (because the first bit is a 1, we can use two's complement and get 0100110010 which equates to -307)
- 2. Convert the following decimal numbers to 8-bit 2's complement numbers, and then represent 8 bits with two hexadecimal digits.
 - a. 95
 - i. 95 128 = N/A | 0, 95 64 = 31 | 1, 31 32 = N/A | 0, 31 16 = 15 | 1, 15 8 = 7 | 1, 7 4 = 3 | 1, 3 2 = 1 | 1, 1 1 = 0 | 1. Binary \rightarrow 01011111 Two's Complement Binary \rightarrow 10100001 Hexadecimal \rightarrow 5F
 - b. -101
 - i. The same process as above. However after getting it we have to do two's complement to demonstrate it as negative 101. Binary of 101 then -101 \rightarrow 01100101 \rightarrow 10011011 Hexadecimal \rightarrow 9B
- 3. For each instruction in the table write 8 hexadecimal digits that represent the 32 bits in the destination register after the instruction is executed.
 - a. For this section of the assignment, it requires us to use simple operations using s0 and s1 which are then stored in the temporary registers t0-t6 and s2.
 - i. 0xb9ab2802
 - ii. 0x00ab4808
 - iii. 0xb8ffdffa
 - iv. 0xb85497f2
 - v. 0x98abd064
 - vi. 0x98abcd60
 - vii. 0xbcd6a000
 - viii. 0xff98abcd

```
1
             lui
                      t6, 0xFFFFF
 2
             addi
                      t6, t6, 0xF00
 3
             slli
                      t0, s1, 9
                      t1, s1, 1
             andi
 4
                      t1, 1, zeros
 5
             beq
 6
                      t3, s1, t6
             ori
 7
             beq
                      x0, x0, end
                      t2, s1, 0x1FF
 8
    zeros:
             andi
 9
    end:
10
```

This is my version of this code. I wasn't able to minimize instructions however I do believe my mind was on the right track towards a minimal line program.

5. Hamming Weight Code:

4.

a. To start the code, we have two initializing instructions that will always execute and will only ever execute once when code has begun. This adds 2 to our counter. Whenever a 0 is found, 4 instructions are executed. Whenever a 1 is found, 5 instructions are executed. For 0xFF00FF00 we can rewrite it as 0x1111111100000000111111111000000000 . Then for each 0 we can add 4 and for each 1 we can add 5. That comes out to 144, plus the 2 initial instructions which makes 146.

```
add s2, s2, x0 #this sets i = 0
 1
            bge s2, s1, end #this initiates the loop and ends it when i > a
 3
    loop:
 4
    if:
            andi t0, s2, 0x91 #this does the operation in the parenthesis of the if statement
 6
            beq t0, 0 else: #this checks if the operation above is equal to 0, if it is, go the else branch
            slli t1, s2, 4 #this is the first part of the if condition shifting i to the left 8 bits
 7
 8
            xor t4, s3, s2 #this is the xor
9
            add s3, t4, s3 #this makes it xorequals
10
            addi s2, s2, 1 #this increments i for the next loop
            beq x0, x0, loop #this restarts the loop after i has been incremented
11
12
13
14
    else:
            srli t2, s2, 2 #this shifts i to the right 4
            add s3, t1, s3 #this adds the i shifted to the right 4
15
16
            addi s2, s2, 1 #this increments i for the next loop
17
            beq x0, x0, loop #this restarts the loop after i has been incremented
18
    end: #this is the end branch and denotes the end of the given loop.
19
20
```

a. I managed to get it to 13 instructions and possibly could have made it twelve by deleting line 9 and simply having the xor of s3 and s2 stored in s3. This required 4 branches.