



# Advanced CV methods Introduction

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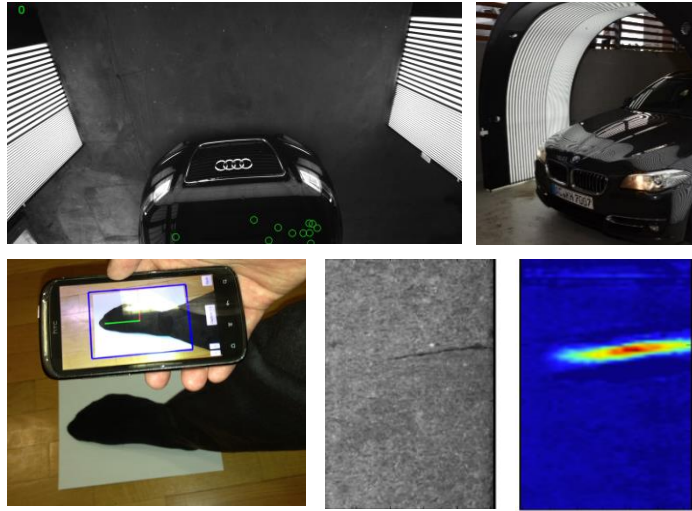
# About the lecturer

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- Matej Kristan
- Visual Cognitive Systems Laboratory (ViCoS)
- Email: [matej.kristan@fri.uni-lj.si](mailto:matej.kristan@fri.uni-lj.si)
- Homepage: <http://www.vicos.si/People/Matejk>
- Other resources:
  - Sicris: [a brief bibliography at Sicris](#)
  - Researchgate: [https://www.researchgate.net/profile/Matej\\_Kristan](https://www.researchgate.net/profile/Matej_Kristan)
  - Google scholar: [http://scholar.google.com/citations?user=z\\_8FrEYAAAAJ&hl=en](http://scholar.google.com/citations?user=z_8FrEYAAAAJ&hl=en)

# Research interests

## 0. Industrial R&D



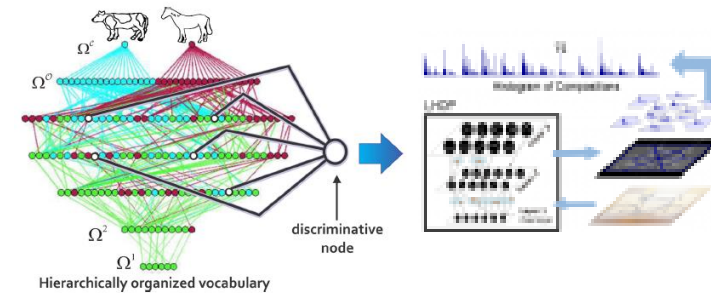
## 2. Robotic vision

Uršič et al., IJRR 2017;  
Uršič et al., ICRA 2016 ;  
Mandeljc et al., ICRA 2016 ;  
Skočaj et al., TETA 2016;  
Kristan et al., IEEE TCYB 2016;  
Uršič et al., IJRAS 2013 ;  
Kristan et al., IMAVIS 2013;  
Uršič et al., IROS 2012  
Skočaj et al., EPIROB 2010



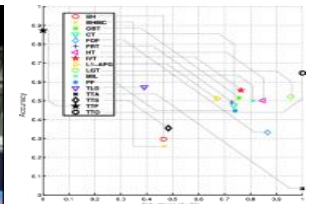
## 1. Deep structured networks

Tabernik et al., CVPR2017; Tabernik et al., CVIU 2015 ;  
Kristan et al., SCIA 2013 ; Tabernik et al., ICVS 2013 ;  
Tabernik ICPR 2012; Tabernik et al IJCV 2019



## 3. Visual tracking

Čehovin et al., ICCV2017;  
Lukežič et al., CVPR 2017;  
Lukežič et al., IEEE TCyb 2017  
Kristan et al., IEEE TPAMI 2016 ;  
Čehovin et al., IEEE TIP 2016 ;  
Čehovin et al., WACV2016 ;  
Kristan et al., ICCV-W 2015 ; Kristan et al., ECCV-W 2014 ; Čehovin et al., IEEE TPAMI 2013 ; Kristan et al., ICCV-W 2013 ; Kristan et al., IEEE SMCB 2010 ; Kristan et al., PR 2009 ; Kristan et al., CVIU 2009 ;



# What will this course be about?

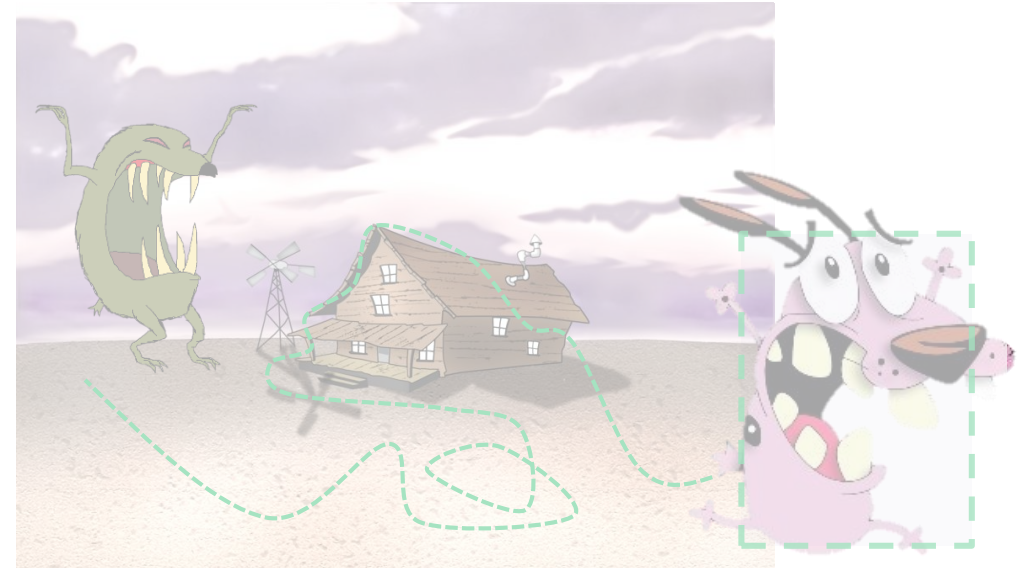
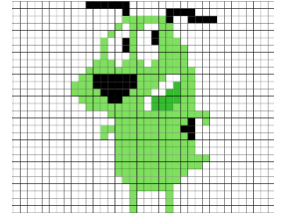
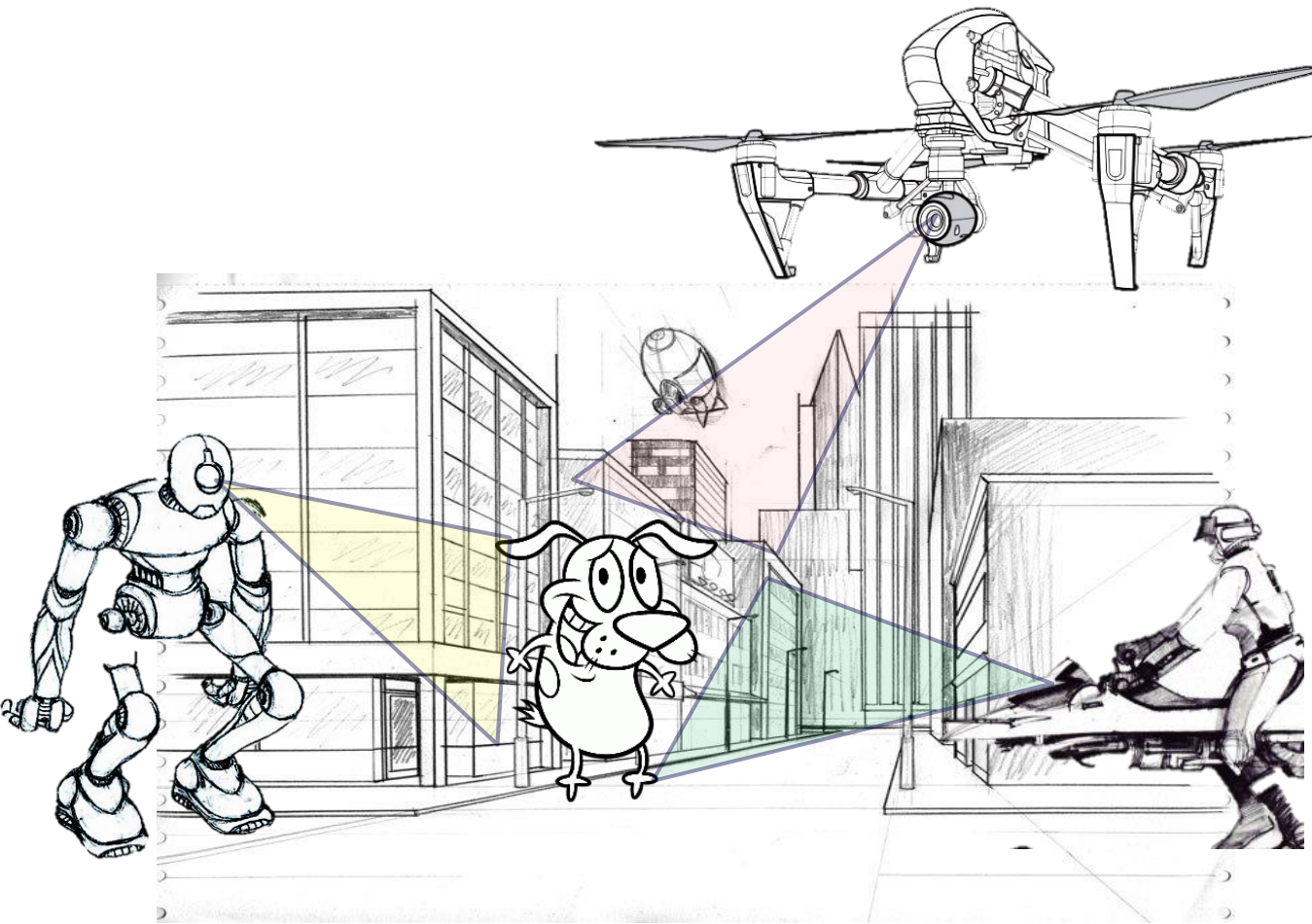
- Motion perception and Tracking



- Currently hot topics in CV as well as industry



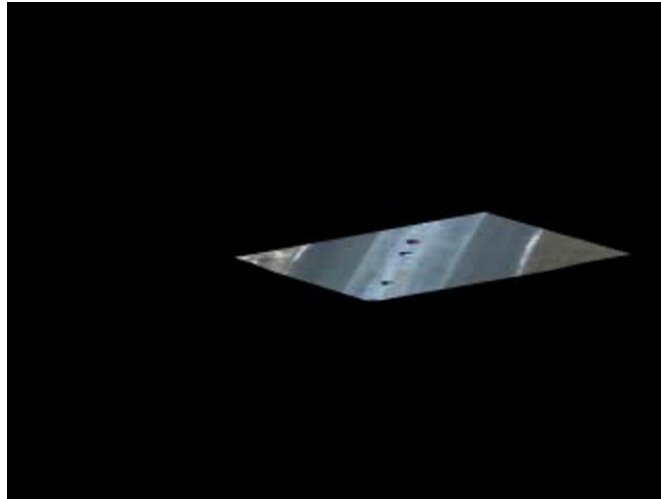
# A huge application potential



# Application examples



SaadAli , Mubarak Shah ISR2006



Perazzi et al., CVPR 2016



Čehovin, Kristan and Leonardis, IEEE TPAMI 2013



Kristan et al. CVIU 2009

# Many Challenges in Visual Object Tracking

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- Short-term Visual Object tracking challenges:
  - [VOT2013](#), [VOT2014](#), [VOT2015](#), [VOT2016](#), [VOT2017](#), [VOT2018](#), VOT2019, VOT2020?
- [Long-term Visual Object tracking challenge](#) 2014
- Multi object tracking challenge ([MOT2015](#))
- [Change detection challenge](#) 2011-2014
- KITTI auto-moto challenge:  
[car and pedestrian tracking](#)
- [VideoNet](#)  
... and much more

Advanced Methods in Computer Vision

# DETAILS ABOUT THE COURSE



# Main topics

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1. Low-level motion estimation techniques
2. Tracking regions by generative models
3. Tracking regions by discriminative models
4. Bayesian recursive filtering
5. Deep-learning-based trackers
6. Long-term tracking
7. Visual tracking performance evaluation

Tentative!  
May change

# Required background

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- Programming
- Basic algebra and vector/matrix calculus  
(basic, but good foundations)
- Basic probability and statistics  
(basic, but good foundations)
- Basics in signal processing / computer vision desired  
(will provide the references to the relevant literature)

# Lectures

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- First-hand insights on the topics
  - Ask questions!
- Will cover main concepts and go over the necessary derivations
- Attend the lectures and make your own notes!
- Literature:
  - Lecture slides (void of derivations)
  - Major conference or journal papers



# Lab / Assignments

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- Learn theory by implementing it!
- Python (potentially C/C++)
- Complete 5 assignments
  - Implement what you learned at lectures
  - Two-week assignments, brief directions, individual work required
  - Not guided, consultations available
  - More information at the Lab (Alan will give you details)



mag. Alan Lukežič

# The A, B and C of the course

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- A: 5 lab assignments
  - Further details at the lab exercises
- B: ~6 homework assignments
  - To help you follow the lectures
- C: Written exam
  - Mainly theory + basic computations

Final grade:  $A*0.5 + C*0.4 + B*0.2$

## NOTES:

Positively pass all assignments in (A) – required

Pass the written exam (C) – required

Homework (B) – not required, but desired



# ACVM course Gantt diagram

13 lectures (Canceled on: 30.4.)

~ 6 home works (very lightweight)



Assignments (two weeks effort!)

Assignment1 (~5.3.)	Assignment2 (~19.3.)	Assignment3 (~2.4.)	Assignment4 (~16.4.)	Assignment5 (~30.4.)
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# Where to find state-of-the-art?

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Two top journals of CV: (Source: [Cobiss.si](http://Cobiss.si))

- Transactions on Pattern Analysis and Machine Intelligence, TPAMI, IF 17.7
- International Journal of Computer Vision, IJCV, IF 6.071

Top conferences: (Source: [Microsoft academic research](http://Microsoft academic research))

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CVPR - Computer Vision and Pattern Recognition

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ICCV - International Conference on Computer Vision

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ECCV - European Conference on Computer Vision

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FGR - IEEE International Conference on Automatic Face and Gesture Recognition

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BMVC - British Machine Vision Conference

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WACV - Workshop on Applications of Computer Vision

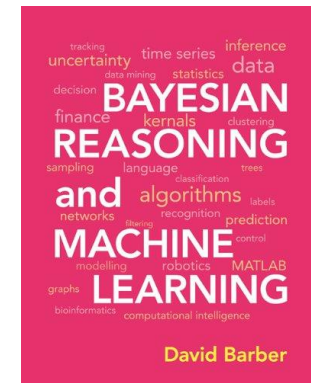
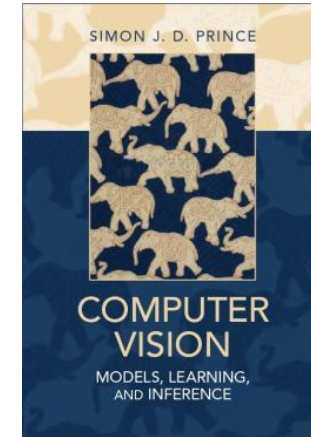
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ACCV - Asian Conference on Computer Vision

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# Some textbooks/handbooks

- General CV: Computer Vision Models
  - ([freely available](#))
  - Prince: Linear algebra: Appendix C
- Probability: Bayesian Reasoning and Machine Learning
  - ([freely available](#))
  - Vectors, matrices, gradients: Appendix A
- Some readily computed matrix-vector derivatives
  - The matrix cookbook ([freely available](#))



# Preliminaries on deep learning

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- Deep learning is an elementary methodology in computer vision
- Towards the end of semester a lecture on trackers based on CNN
- You are required to be familiar with general neural networks and have a grasp of the basic ideas behind the CNNs.
- If you're not familiar, familiarize yourself:

## **CS231n: Convolutional Neural Networks for Visual Recognition**

<http://cs231n.stanford.edu/syllabus.html>

- Lecture 4 (basics of neural nets)
- Lecture 5 (convolutional neural networks)
- Lecture 6 - Lecture 9 (training the networks and some relevant architectures)

# Today – getting on the same page

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- Have a look at linearization
  - Most of you should be familiar with this, but I will not assume that
- Get some homework (4 exercises)
  - Turn in the homework by next week (see the e-classroom for exact date)
  - Submit via e-classroom
- Promise more fun in the following lectures 😊



Advanced computer vision methods

# LINEARIZATION IN A NUTSHELL

# A task often encountered

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- Have a parametric model.
- Find parameters of the model to best fit the data.

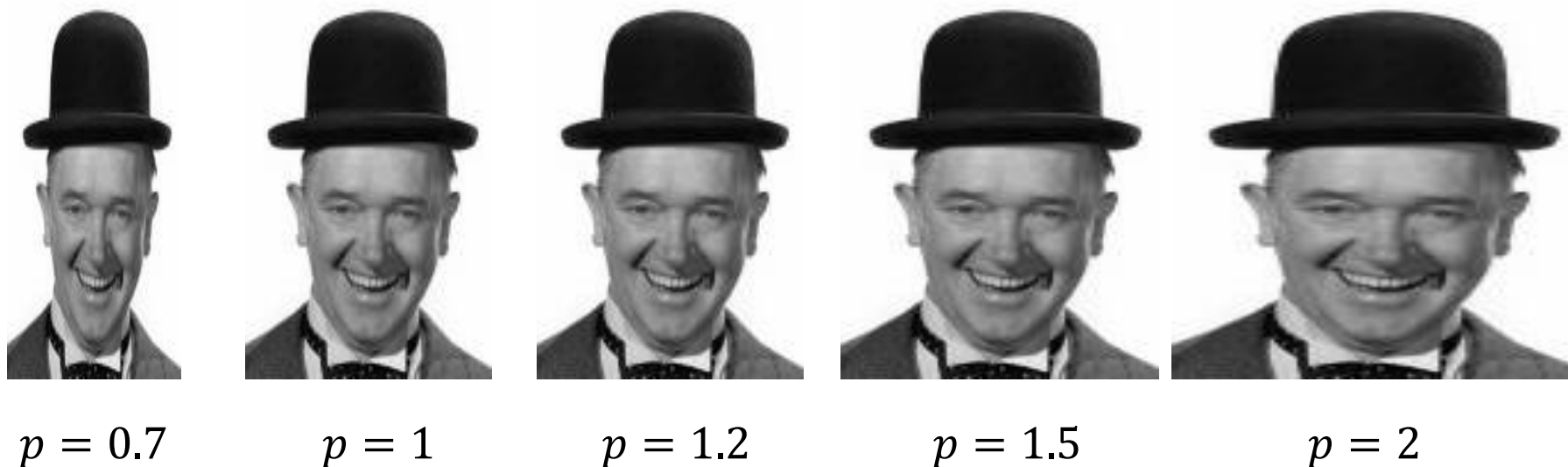


- A fitting example:  
By how much should be expand/shirk Stan to best fit Olio?

# Parameterized Stan's face

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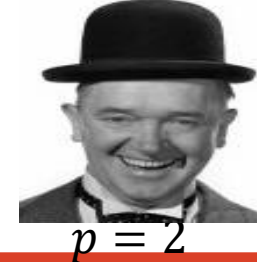
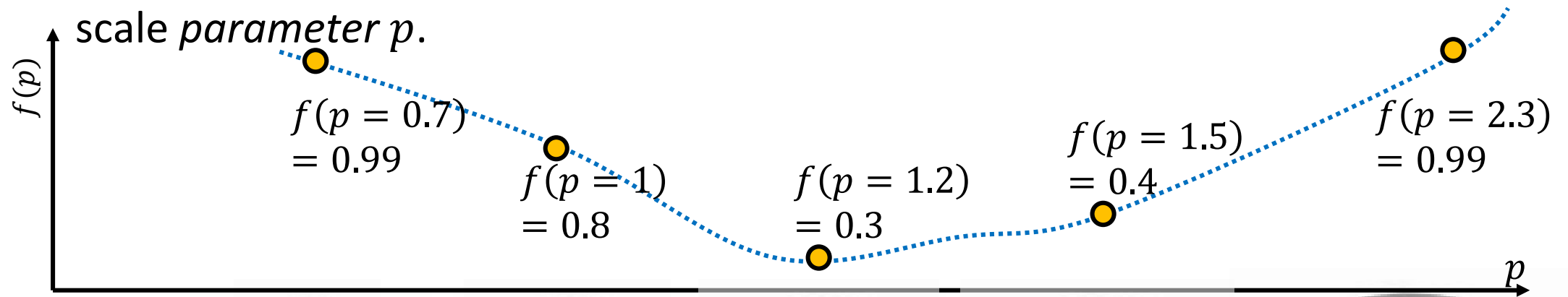
- Stan's width parameterized by a scale factor  $p$ .



- Now we need to compare Stan's warped face to Olio's face...

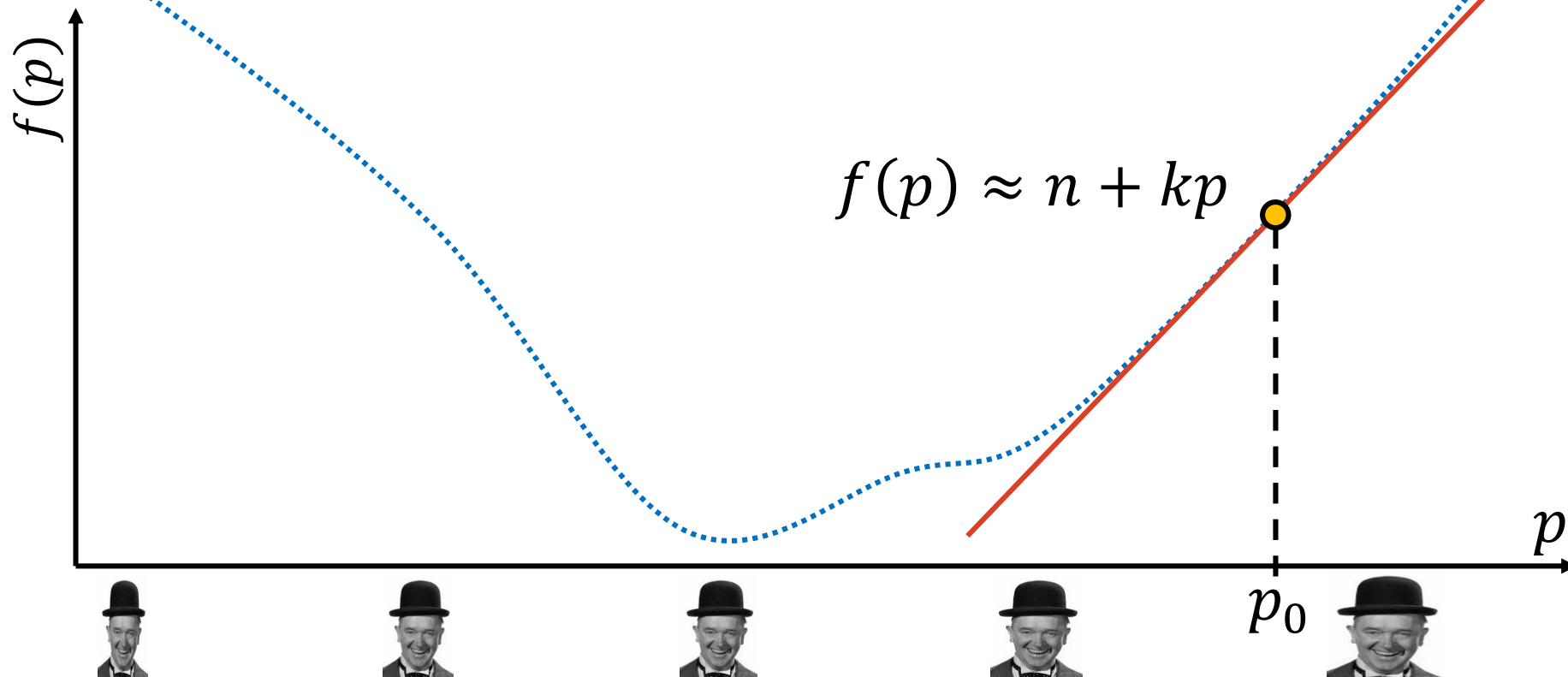
# Parameterized Stan's face

- Difference  $f(p)$  between Stan's face deformed by  $p$  and Olio's face depends on the scale parameter  $p$ .



# Parameterized Stan's face

- Often we will want to use the function  $f(p)$  in our computations, but working with nonlinear functions can complicate calculations.
- Often we will be considering values of  $f(p)$  only in the neighborhood of  $p_0$ .
- Solution: Find a local linear approximation at some  $p_0$



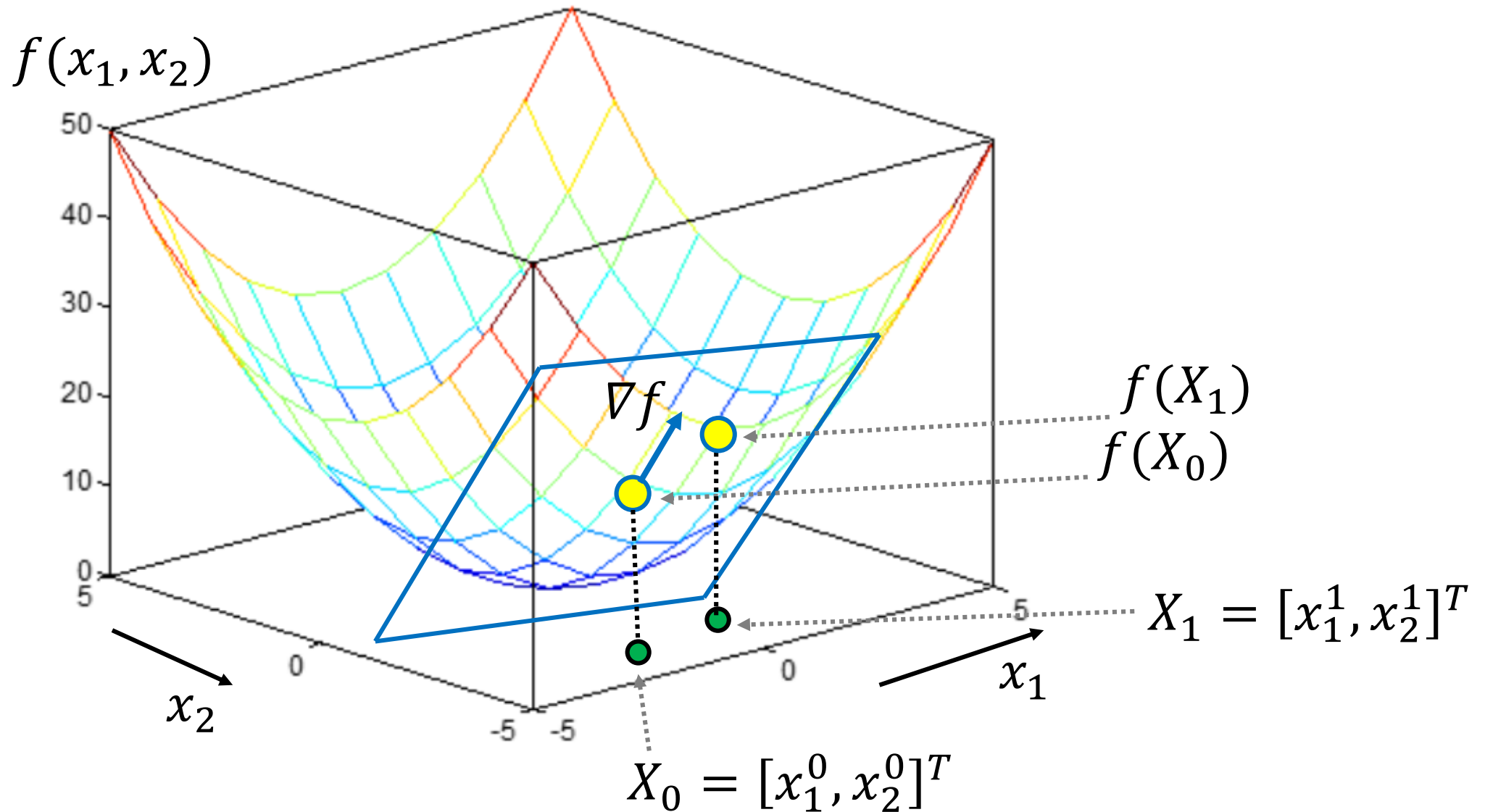


# General problem emerges

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- Given a nonlinear function  $f(x(\mathbf{p}))$  parameterized by some parameters  $\mathbf{p} = [p_1, p_2, \dots, p_n]$ , what is the linear approximation at a neighborhood of parameters  $\mathbf{p}_0$ ?
- Linearize by Taylor expansion (ignore higher-order terms).
- See notes that you took at lectures.

# Multivariate gradient



# Linearization by Taylor expansion

- To brush up on Taylor expansion and linearization, see “[Bayesian Reasoning and Machine Learning](#)” Appendix A, Section 29.2
- For explanation of the gradient and partial derivatives, specifically, equation (29.2.4) for linearization by Taylor expansion.
- Interactive examples of multivariate derivatives: [http://mathinsight.org/linear\\_approximation\\_multivariable](http://mathinsight.org/linear_approximation_multivariable)

