

Chapter-17

1) a) To insert 'n' elements Using Aggregate method. Cost of i^{th} operation.

Case: 1 If we don't take need to allocate new memory $= O(1)$

Case: 2 - If we allocate new memory

$$i = 2^k + 1 \quad k = 1, 2, \dots$$

to include the capacity and double the size of array.

\therefore We need to allocate new memory.

Copy over 2^k number's from old to new array and insert new number.

$$\text{Running time} = \begin{matrix} 2^k + 1 & \text{if } i = 2^k + 1 \text{ case 1} \\ 1 & \text{Otherwise, case 2.} \end{matrix}$$

1b) Accounting method

The operations which cause capacity to include are expensive

i	1	2	3	4	5
t(i)	1	2	3	1	5

When size is changed from 4 to 5; the size is doubled and number's are copied from old to new.

no of consecutive in $t(C_i) = 2^k + 1 -$

$$(2^{k-1} + 1) - 1$$

$$= \frac{2^k + 1}{2^{k-1} + 1} = 2 \quad \text{if } k = \text{large.}$$