

Numpy

When you are learning data Science, you can't miss Numpy. Numpy is a module for python. The name is an acronym for "Numeric python" or "numerical python". Numpy is core library for scientific computing in Python. It provides a high-performance multi-dimensional array object.

Below is command to import the Numpy module.

```
import numpy
```

But, the better way of importing the Numpy is given below

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```
import numpy as np
```

A lightweight alternative is to install Numpy using popular Python package installer, pip.

```
pip install numpy
```

How are lists different from Numpy?

- lists, they are very slow meanwhile numpy is very faster.

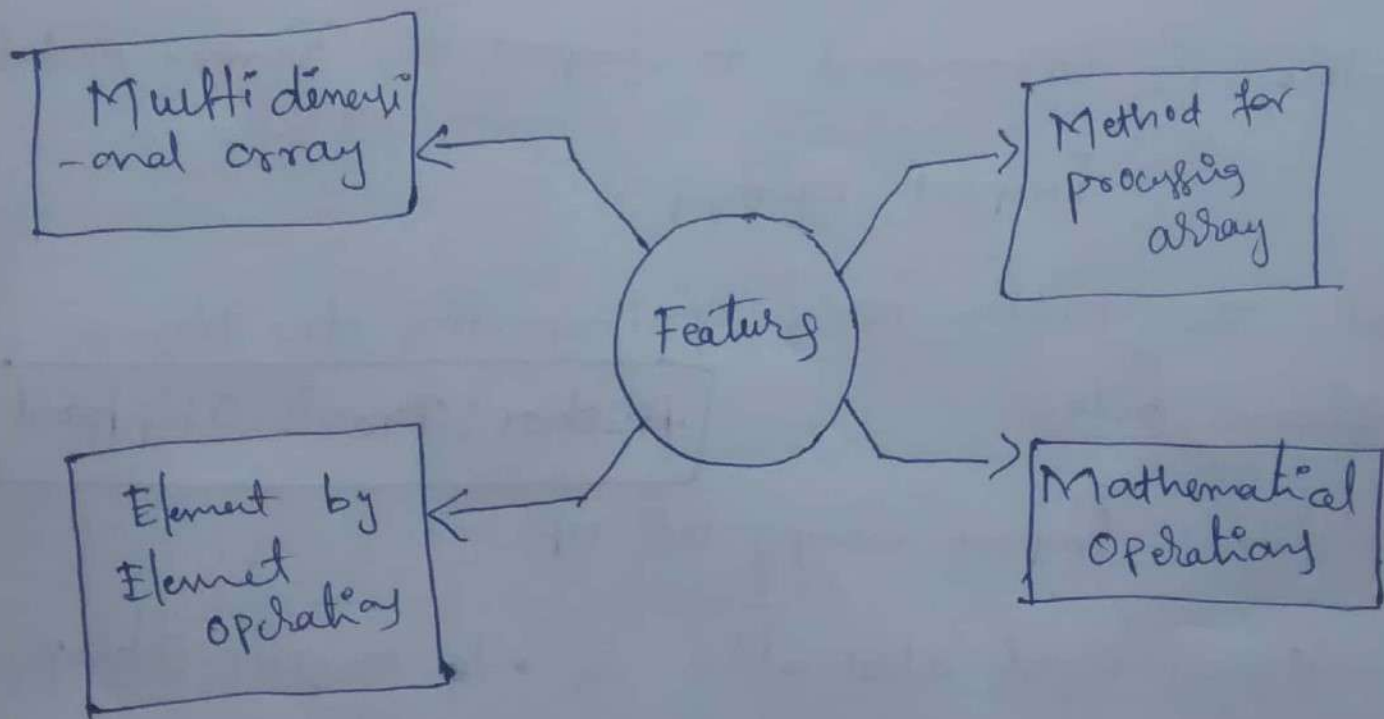
Memory

The main benefits of using Numpy arrays should

be Smaller memory consumption and better runtime behavior.

Applications of Numpy ?

- Mathematics
- Plotting (Matplotlib)
- Machine learning



Single dimensional array

import numpy as np → Single dimensional array.

Hello = np.array([4, 8, 9])

print(Hello)

output: - $[4 \ 8 \ 9]$

Multi Dimensional Array

import numpy as np

hi = np.array([[3, 1], [8, 6]])

print(hi)

Multi dimensional array.

Output: $\begin{bmatrix} 3 & 1 \\ 8 & 6 \end{bmatrix}$

Numpy

import numpy as np

x = np.array([1, 2, 3], np.int16)

print(x)

print(type(x))

16 bit integer is the data type of the elements within this 1d array

Output:- $[1 \ 2 \ 3]$

<class 'numpy.ndarray'>

One of the most important data structure. ndarray \rightarrow stands for 'n' dimensional array.

print(x[0]); print(x[1]); print(x[2])

o/p: 1 2 3 \rightarrow Accessing index value.


```
import numpy as np
```

```
x = np.array([1, 2, 3], np.int16)
```

```
print(x[3])
```

Throw an Error

Output:- Index Error. Traceback

→ print(x[3])

Index Error: index 3 is out of bounds for axis 0 with size 3.

Two dimensional array Example

```
import numpy as np
```

```
x = np.array([[1, 2, 3], [4, 5, 6]], np.int16)
```

```
print(x)
```

O/P:- $\begin{bmatrix} [1\ 2\ 3] \\ [4\ 5\ 6] \end{bmatrix}$

```
print(x[0,0]), print(x[0,1]), print(x[0,2])
```

O/P:- $\begin{matrix} 1 \\ 2 \\ 3 \end{matrix}$

Slice the data Structure around two axis

Let us see now, how to slice this particular ndarray.

```
import numpy as np
```

```
x = np.array([[1, 2, 3], [4, 5, 6]], np.int16)
```

```
print(x)
```

O/P: $\begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \end{bmatrix}$.

```
print(:, 0)
```

O/P: $\begin{bmatrix} 1 \\ 4 \end{bmatrix}$
invalid syntax

$\text{print}(x[:, 0]) \rightarrow$ which prints
1st column

O/P: $\begin{bmatrix} 1 \\ 4 \end{bmatrix}$

$\text{print}(x[:, 1]) \rightarrow$ which prints
2nd column

O/P: $\begin{bmatrix} 2 \\ 5 \end{bmatrix}$

$\text{print}(x[1, :]) \rightarrow$ which prints entire
Second row

O/P: 4 5 6

Numpy Nddarray Properties

```
x = np.array([[[[1,2,3],[4,5,6]], [[0,-1,-2],  
[-3,-4,-5]]], np.int16)
```

```
print(x)
```

O/P:- $\begin{bmatrix} \begin{bmatrix} 1 & 2 & 3 \end{bmatrix} & \begin{bmatrix} 4 & 5 & 6 \end{bmatrix} \end{bmatrix} \begin{bmatrix} \begin{bmatrix} 0 & -1 & -2 \end{bmatrix} & \begin{bmatrix} -3 & -4 & -5 \end{bmatrix} \end{bmatrix}$

```
print(x.shape)
```

O/P:- $(2, 2, 3) \rightarrow 3$ entries in the shape

There is another way to check that.

```
print(x.ndim)  $\rightarrow$  number of dimensions  
(ndim)
```

O/P:- 3

How to check data type?

```
print(x.dtype)
```

O/P:- int16

How to check size of the ndarray?

```
print(x.size)
```

O/P:- 12 \rightarrow Total 12 Elements present in the array.

$\text{print}(x.T) \rightarrow \text{o/p: } \left(\begin{bmatrix} 1 & 0 \\ 4 & -3 \end{bmatrix} \begin{bmatrix} 2 & -1 \\ 5 & -4 \end{bmatrix} \begin{bmatrix} 3 & -2 \\ 6 & -5 \end{bmatrix} \right)$
 \downarrow
 which is used for transpose matrix.

Numpy Constants \rightarrow int

$\text{print}(np.inf) \rightarrow +ve \text{ infinity}$

$\text{print}(np.NaN) \rightarrow \text{Not a Number} \rightarrow \text{o/p: nan}$

$\text{print}(np.NINF) \rightarrow -ve \text{ infinity} \rightarrow \text{o/p: -inf}$

$\text{print}(np.NZERO) \rightarrow -ve \text{ zero} \rightarrow \text{o/p: -0.0}$

$\text{print}(np.PZERO) \rightarrow +ve \text{ zero} \rightarrow \text{o/p: 0.0}$

Scientific Constants of Numpy

$\text{print}(np.e) \rightarrow 2.718281828459045$

$\text{print}(np.euler-gamma) \rightarrow 0.5772156649015329$

$\text{print}(np.pi) \rightarrow 3.141592653589793.$

numpy .eye method

import numpy as np

$x = np.eye(3, dtype=np.uint8)$

$\text{print}(x)$

(array)

o/p: $\begin{pmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{pmatrix} \rightarrow$ which prints an array where all the diagonal elements are 1. 4

$x = \text{np.identity}(3, \text{dtype}=\text{np.uint8})$

O/P:- $\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix} \Rightarrow \begin{bmatrix} [1 \ 0 \ 0] \\ [0 \ 1 \ 0] \\ [0 \ 0 \ 1] \end{bmatrix}$

We can even create a matrix of one's

$x = \text{np.ones}((2, 5, 5), \text{dtype}=\text{np.int16})$

print(x)

O/P:- $\begin{bmatrix} [1 \ 1 \ 1 \ 1 \ 1] \\ [1 \ 1 \ 1 \ 1 \ 1] \\ [1 \ 1 \ 1 \ 1 \ 1] \\ [1 \ 1 \ 1 \ 1 \ 1] \\ [1 \ 1 \ 1 \ 1 \ 1] \end{bmatrix}$

$\begin{bmatrix} [1 \ 1 \ 1 \ 1 \ 1] \\ [1 \ 1 \ 1 \ 1 \ 1] \\ [1 \ 1 \ 1 \ 1 \ 1] \\ [1 \ 1 \ 1 \ 1 \ 1] \\ [1 \ 1 \ 1 \ 1 \ 1] \end{bmatrix}$

Even we can create zero's

$x = \text{np.zeros}((2, 3, 3), \text{dtype}=\text{np.int16})$

print(x)

$\begin{bmatrix} [0 \ 0 \ 0] \\ [0 \ 0 \ 0] \\ [0 \ 0 \ 0] \end{bmatrix} \begin{bmatrix} [0 \ 0 \ 0] \\ [0 \ 0 \ 0] \\ [0 \ 0 \ 0] \end{bmatrix}$

* arange Attributes
* linspace * Split
* logspace * resize
* reshape * append
* copy * insert
* nditer * delete
* flat * unique
* flatten * capitalize
* ravel * strip()
* rollaxis * join
* swapaxes * decode
* broadcast
* Empty * Encode
* hsplit * sin
* vsplit * cos
 * tan.