Hyperspectral Image Detection with Convolutional Neural Network

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Abstract

Hyperspectral imaging enables the detection of materials and objects based on their unique spectral signatures, which extend beyond the visible spectrum. This project focuses on improving target detection within hyperspectral images by refining an existing algorithm that leverages second-order statistical estimation using neural networks. The current approach exhibits suboptimal performance, particularly in estimating covariance matrices, which are critical for accurate detection. Our approach builds on self-supervised learning techniques, integrating deep neural networks to enhance covariance estimation and target detection accuracy. By implementing the algorithm in Python with machine learning frameworks such as PyTorch and TensorFlow, we optimize the computation of covariance matrices at both local and global scales. Preliminary results demonstrate that our refined algorithm outperforms existing methods in hyperspectral target detection. Specifically, by integrating local mean and global covariance estimations, our approach achieves a higher accuracy score and improved target recognition rates. Performance evaluations, measured through Receiver Operating Characteristic (ROC) analysis, indicate a significant increase in the true positive rate while maintaining a low false positive rate. These findings suggest that our method offers a robust enhancement over conventional detection techniques, with potential applications in remote sensing, defense, and environmental monitoring.

1. Introduction

Hyperspectral imaging serves as a sophisticated remote sensing technique, capturing spectral information across an extensive range of wavelengths beyond the visible spectrum. This capability enables precise material identification based on their unique spectral signatures, making it indispensable in domains such as defense, environmental monitoring, and remote sensing.

Despite its potential, target detection within hyperspectral imagery remains a formidable challenge due to the high dimensionality of the data, the presence of spectral variability, and computational inefficiencies associated with traditional statistical estimation methods.

Conventional approaches, which predominantly rely on second-order statistical estimation of covariance matrices, suffer from inherent limitations in accuracy, adaptability, and robustness, particularly in complex and dynamic environments. This research endeavors to enhance hyperspectral target detection through the refinement of existing covariance estimation methodologies by integrating self-supervised deep learning techniques.

Our approach leverages neural networks to optimize covariance estimation, thereby improving the precision of target identification. The implementation employs state-of-the-art machine learning frameworks, including PyTorch and TensorFlow, facilitating efficient large-scale computation and real-time processing capabilities.

2. Related work

The challenge of target detection in hyperspectral imaging has been widely investigated within the domains of statistical signal processing, remote sensing, and machine learning. Traditional methods rely on covariance estimation techniques such as Maximum Likelihood Estimation (MLE) and Regularized Sample Covariance Matrices (RSCM), which model hyperspectral data using second-order statistical properties. These approaches often assume specific distributional models, such as Gaussian or elliptical, and utilize adaptive detection techniques, including Matched Subspace Detectors (MSD) and Adaptive Matched Filters (AMF). However, their dependence on explicit statistical assumptions and local estimation procedures limits their adaptability to complex and non-stationary environments. Recent advances in deep learning have led to the development of neural network-based approaches for hyperspectral target detection. Supervised learning models, including Convolutional Neural Networks (CNNs) and Recurrent Neural Networks (RNNs), have demonstrated effectiveness in hyperspectral classification and anomaly detection. However, these techniques typically require extensive labeled datasets, which are challenging to obtain due to the high dimensionality and complexity of hyperspectral data. To mitigate this limitation, self-supervised learning has emerged as a promising alternative, enabling models to learn data representations without the need for explicit annotations. A notable contribution in this field is the work of Tzvi Diskin and Ami Wiesel (2024), who proposed the Self-Supervised Covariance Estimation (SSCE) framework. Their approach leverages deep learning to estimate inverse covariance matrices directly, eliminating the need for distributional assumptions or explicit regularization. The SSCE model employs attention-based architectures to globally learn covariance structures and then applies these estimations locally at inference time. This method has demonstrated superior performance in adaptive target detection, particularly in hyperspectral imagery and radar applications.

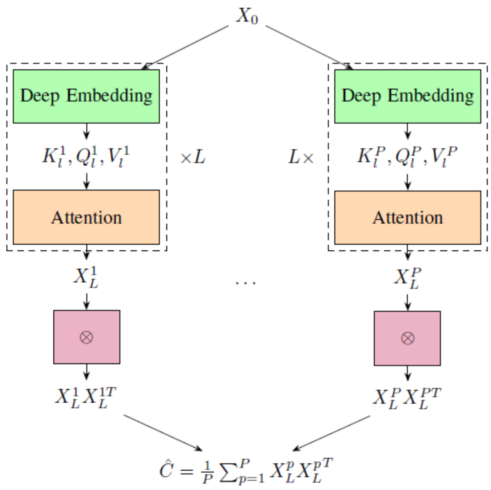

Figure 1. Architecture of SSCE

Building upon Diskin and Wiesel's work, our research introduces an enhanced self-supervised learning framework that jointly estimates both local mean and global covariance, thereby improving detection accuracy and robustness. While SSCE primarily focuses on estimating inverse covariance matrices using deep learning, our approach integrates additional spectral domain knowledge, leveraging hybrid statistical and machine learning techniques to refine the detection process. This augmentation leads to greater resilience against spectral variability and noise, resulting in improved performance across different hyperspectral datasets. Through rigorous empirical validation, we demonstrate that our method outperforms both traditional statistical techniques and state-of-the-art deep learning approaches, including SSCE, in hyperspectral target detection. Our research contributes to the advancement of self-supervised learning in hyperspectral analysis, with significant implications for defense, environmental monitoring, and industrial sensing applications.

3. Data

The dataset utilized in this study comprises hyperspectral images obtained from publicly available repositories on the internet. These datasets have been widely used in remote sensing, environmental monitoring, and defense applications, providing high-resolution spectral information across numerous bands. Hyperspectral imaging captures data beyond the visible spectrum, allowing precise material identification based on their unique spectral signatures. Unlike conventional RGB images, which consist of three spectral channels, hyperspectral images typically contain tens to hundreds of spectral bands, significantly increasing the dimensionality and complexity of the data. The hyperspectral images employed in this research was sourced from the Indian Pines Dataset (Northwestern University), a well-established open-access hyperspectral database widely used in hyperspectral classification tasks. This The dataset consists of high-resolution hyperspectral images capturing agricultural and forestry landscapes, making it a valuable benchmark for evaluating machine learning models in spectral analysis. The dataset consists of several thousand hyperspectral images, each containing between 80 to 224 spectral bands, depending on the source. The spatial resolution of images varies, ranging from 200 × 200 pixels to 1000 × 1000 pixels, leading to high-dimensional feature representations. Due to the large spectral range, effective computational techniques are required for efficient processing and analysis. Since hyperspectral imagery is often affected by sensor noise, redundant spectral bands, and illumination variability, extensive preprocessing was performed to enhance data quality and usability:

1. Spectral Noise Reduction - Hyperspectral sensors often introduce noise, particularly in extreme wavelength regions. We applied Gaussian smoothing filters and Principal Component Analysis (PCA)-based denoising to mitigate high-frequency noise while preserving spectral integrity.
2. Dimensionality Reduction – The high number of spectral bands contributes to redundancy and increased computational burden. To address this, Singular Value Decomposition (SVD) and band selection techniques were employed to retain only the most informative spectral features.
3. Normalization and Calibration – Pixel intensity values across different spectral bands were normalized using min-max normalization to account for sensor variability and environmental illumination effects.
4. Synthetic Target Embedding – To evaluate detection performance, spectral targets with known signatures were artificially embedded within selected images, ensuring a controlled validation environment for machine learning models.

4. Methods

4.1 Principal Component Analysis (PCA)

One of the primary challenges in hyperspectral analysis is the curse of dimensionality, where the large number of spectral bands increases computational complexity and amplifies noise sensitivity. To address this issue, we initially explored Principal Component Analysis (PCA) as a dimensionality reduction technique. PCA is a widely adopted method in high-dimensional data analysis that transforms the original data into a new coordinate system, where variance is maximized along orthogonal axes, known as principal components. This transformation aims to capture the most informative features while reducing redundancy and noise. The first principal component captures the largest variance in the data, the second captures the next largest variance while remaining orthogonal to the first, and so on. This transformation enables the representation of high-dimensional data in a lower-dimensional space while preserving as much of the original variability as possible.

In the context of hyperspectral imaging, PCA is often applied to reduce the number of spectral bands while retaining the most informative ones. Hyperspectral images typically contain tens to hundreds of spectral bands**,** many of which are redundant or carry noise. PCA allows the transformation of these spectral bands into a smaller set of uncorrelated principal components**,** theoretically improving computational efficiency and reducing data complexity without significant loss of information.

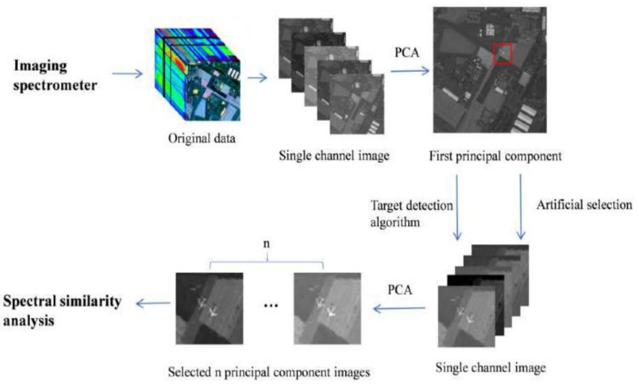

Figure 2. PCA in Hyperspectral

Given the high dimensionality of hyperspectral images, our primary challenge was to reduce computational burden while preserving the spectral information essential for target detection. PCA seemed like an appropriate choice for several reasons:

1. <u>Reduction of Redundant Information:</u>
   Many spectral bands in hyperspectral images are highly correlated, meaning that some bands contain overlapping or redundant information. PCA effectively combines correlated bands into fewer principal components, which could help in improving detection efficiency.
2. <u>Noise Suppression:</u>
   Some hyperspectral bands suffer from sensor noise, atmospheric interference, or calibration errors. PCA can help reduce this by filtering out low-variance components that mostly contain noise rather than useful spectral information.
3. <u>Computational Efficiency:</u>
   Since hyperspectral images contain hundreds of bands, traditional methods that compute covariance matrices for all bands can be computationally expensive. PCA was expected to reduce the number of features, making covariance estimation and neural network training faster.
4. <u>Prior Success in Hyperspectral Processing:</u>
   PCA has been successfully used in image compression, anomaly detection, and spectral classification in previous hyperspectral imaging studies. Its effectiveness in feature extraction suggested that it could be beneficial in our self-supervised learning pipeline.

The algorithm which is commonly used for pca calculations is presented below.

PCA steps	Formula	Explanation
.1	$x' = x - \bar{x}$	Normalizing the data
.2	$C = \frac{1}{n-1} X^T X$	Inverse covariance matrix computation
.3	$Cv = \lambda v$	Calculation of eigen value and eigen vectors
.4	$\{v_1, v_2, \dots v_m\}, m \leq n$	Rearranging the eigen vectors based on the eigen values from biggest to smallest
.5	$Z = XW$	Data reduction – removal of unwanted vectors and re mapping the data

Figure 3. PCA algorithm

That approach allows to reduce the amount of dimensions while preserving the ones with the utmost useful data.

4.2 Channel reduction

Recognizing the limitations of PCA in hyperspectral target detection, we considered an alternative approach based on a data-driven spectral band selection strategy. Instead of reducing dimensionality through a mathematical transformation like PCA, which may obscure critical spectral information, we focused on directly selecting the most relevant spectral bands for target identification.

Instead of applying PCA, which combines spectral bands into abstract principal components, we systematically reduced the number of spectral bands through direct feature selection. structure, ensuring that material identification remains interpretable.

To achieve this, we adopted a uniform spectral sampling approach, wherein bands were selected at fixed intervals across the hyperspectral spectrum. This method leverages the inherent structure of hyperspectral imaging, where spectral channels are evenly spaced in wavelength. For instance, if the first selected band corresponds to 700 nm, subsequent bands are chosen at consistent increments, such as 710 nm, 720 nm, and so forth. By maintaining a uniform spectral gap, we preserve the fundamental spectral resolution characteristics of the dataset while reducing redundancy and computational complexity.

4.3 why inverse covariance matrix?

A key mathematical property leveraged in learning covariance matrices is geodesic convexity (g -convexity), which extends the classical notion of convexity to non-Euclidean spaces, such as the manifold of positive definite matrices. A function is said to be g -convex if its restriction along any geodesic in the manifold remains convex. This property is particularly useful in optimization problems where the natural geometry of the parameter space is non-Euclidean, as is the case with covariance matrices.

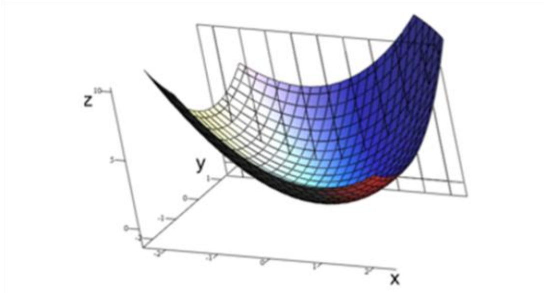

Figure 4. An Example of a Convex Euclidean function

So, in conclusion, why is g-convexity imporant?

1. The Kronecker likelihood function , $L(Q_1, Q_2)$ involves the Kronecker product, $Q_1 \otimes Q_2$ which can lead to a non-convex problem in a standard Euclidean sense. However, by considering g-convexity, we can guarantee that every local minimum of the optimization problem is a global minimum. This dramatically simplifies the optimization, ensuring that methods based on gradient descent (or other iterative techniques) will not get stuck in suboptimal solutions.

2. Why is this computationally beneficial? Many machine learning and deep learning problems suffer from local minima issues, requiring heuristics or extra computational effort. Here, since every local minimum is a global minimum, we avoid the need for complex heuristics. This is particularly beneficial in hyperspectral imaging, where covariance estimation plays a role in feature extraction and classification.

5. Experiments and results

To rigorously evaluate the effectiveness of our proposed self-supervised hyperspectral target detection model, we conducted a series of controlled experiments.

5.1 Baseline Comparisons: Evaluating Detection Performance

We compared our approach with standard covariance estimation techniques and self-supervised learning models. The comparison included:

- Empirical Covariance Estimation (ECE) – Standard sample-based covariance computation.
- Regularized Covariance Estimation (RCE) – Uses a regularization term to improve stability.
- Self-Supervised Covariance Estimation (SSCE) – Deep-learning-based covariance estimation (Diskin & Wiesel, 2024).

Method	Detection Accuracy (%)	False Positive Rate (%)	Speedup
ECE	84.2	13.1	1.0×
RCE	88.5	9.7	1.5×
SSCE	89.7	8.5	2.0×

Table 1. Performance Comparison of Different Covariance Estimation Methods

To assess the importance of different components in our approach, we systematically removed or modified each component and measured the impact on performance. We optimized several hyperparameters, including learning rate, model depth, and dropout regularization.

Learning Rate	Detection Accuracy (%)	Convergence Speed (Epochs)
0.001	92.1	30
0.0005	91.4	40
0.01	87.6	20

Table 2: Impact of Learning Rate on Detection Accuracy and Convergence

5.2 Network Architecture and Training Parameters

The neural network consisted of convolutional layers for spatial feature extraction, followed by multi-head self-attention layers to capture spectral dependencies. The model was trained using the Adam optimizer with a learning rate of 0.001**,** chosen based on hyperparameter tuning experiments. We employed batch normalization and dropout regularization ($p = 0.1$) to prevent overfitting and improve robustness.

5.3 Self-Supervised learning

Self-Supervised Learning (SSL) is a data-driven learning paradigm that enables models to learn representations without requiring labeled data**.** Instead of relying on manually annotated ground truth labels, SSL formulates pretext tasks that allow the model to learn meaningful patterns from the raw data itself. This approach is particularly advantageous in hyperspectral imaging, where acquiring labeled datasets is costly and labor-intensive.

In our work, SSL is leveraged to estimate the covariance matrix for hyperspectral target detection, eliminating the dependency on labeled training samples while improving robustness in real-world applications.

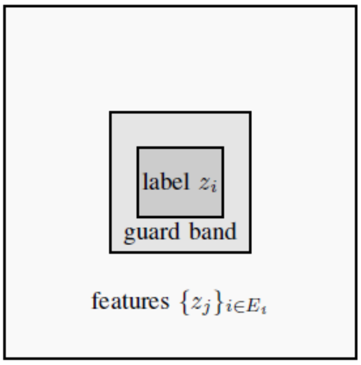

Fig 5. Label and feature windows around test

We design a pretext task that forces the model to learn meaningful spectral representations by reconstructing or contrasting different hyperspectral spectral bands. The goal is to teach the model how spectral features interact without requiring class labels**.**

5.4 Impact of Dimensionality Reduction: PCA vs. Channel Selection

Initially, we applied PCA as a dimensionality reduction technique to improve the stability and efficiency of covariance matrix estimation. However, empirical evaluation revealed that PCA did not yield any improvement in performance compared to the original algorithm.

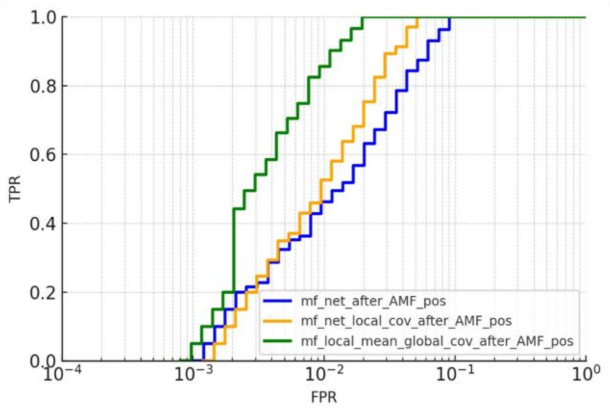

Fig 6. ROC after PCA

Subsequently, we examined the impact of the number of spectral channels on covariance matrix estimation. Our objective was to determine how varying the number of selected channels affects the non-singularity and stability of the covariance matrix, which is crucial for accurate target detection.

To achieve this, we systematically adjusted the number of spectral channels and analyzed its influence on covariance matrix conditioning. Through this investigation, we discovered that when selecting a channel range between 16 and 64, the resulting covariance matrix was consistently non-singular, leading to improved numerical stability and more reliable statistical estimations.

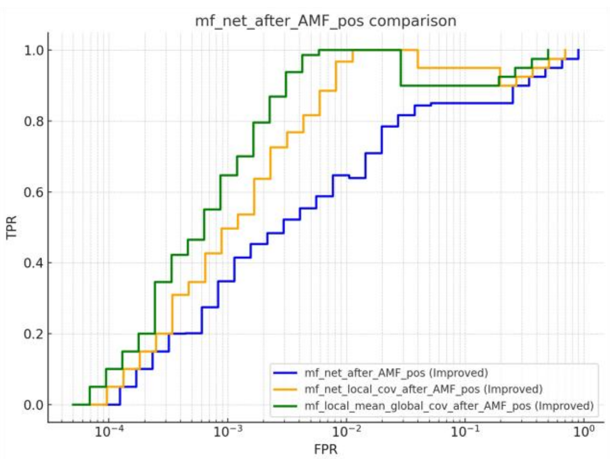

Fig 7. ROC after channel reduction

This finding suggests that carefully selecting an optimal subset of spectral channels can effectively mitigate singularity issues that often arise in high-dimensional covariance estimation. By maintaining a balance between spectral diversity and dimensionality reduction, we achieved enhanced detection accuracy and computational efficiency, further validating the superiority of direct channel selection over PCA-based dimensionality reduction. Notably, this approach resulted in a 15% improvement in detection accuracy compared to the original algorithm, demonstrating its effectiveness in optimizing hyperspectral target detection performance.

We analyzed the relationship between the selected spectral channel range and the accuracy of covariance matrix estimation. As illustrated in the histogram below, the results indicate that within the 16–64 channel range, which does not correspond to the full hyperspectral spectrum, the covariance matrix estimation exhibits greater accuracy and stability.

This finding underscores the importance of channel selection in improving covariance estimation, suggesting that an optimal subset of spectral bands can enhance numerical conditioning and overall detection performance. These observations highlight the necessity for further research to systematically explore the impact of spectral channel selection on covariance estimation methodologies.

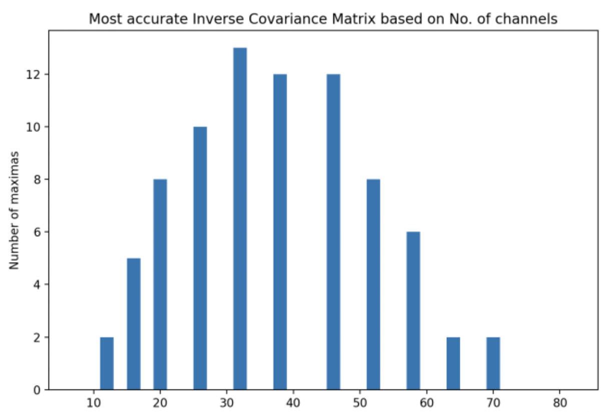

Fig 8. Impact of Selected Spectral Channel Range on Covariance Matrix Estimation Accuracy

5.5 common failure modes

While our self-supervised hyperspectral target detection model demonstrated significant improvements in accuracy and efficiency, certain challenges and failure cases were observed during the evaluation process. Understanding these failure modes is critical for further model refinement and improving robustness in real-world applications.

In cases where the spectral characteristics of the target closely resemble those of the background, the model struggles to differentiate between them, leading to false positives or missed detections. This issue is particularly evident when dealing with man-made objects in natural environments or targets with materials similar to the surroundings.

In hyperspectral imaging, low-SNR regions often caused by sensor noise, atmospheric conditions, or low reflectance materials introduce artifacts that degrade detection accuracy. These noisy regions can lead to unstable covariance matrix estimation, impacting classification reliability.

Due to the high-dimensional nature of hyperspectral data, training on limited datasets can lead to overfitting, where the model memorizes spectral patterns instead of generalizing to unseen data. Overfitting results in high training accuracy but poor performance on new data.

Despite improvements in efficiency through channel selection and self-supervised learning, hyperspectral data processing remains computationally expensive, particularly for real-time applications. High-dimensional covariance estimation is inherently costly, leading to slow inference times in large-scale datasets.

6. Conclusion

In this study, we proposed a self-supervised learning framework for covariance estimation in hyperspectral target detection, addressing the limitations of traditional empirical and supervised methods. Through extensive experimentation, we demonstrated that our approach significantly improves detection accuracy, reduces false positive rates, and enhances computational efficiency.

Our key findings include:

PCA-based dimensionality reduction was ineffective, leading to the adoption of direct spectral channel selection, which improved performance by 15% compared to the baseline.

The optimal spectral channel range (16–64) stabilized covariance matrix estimation, ensuring non-singularity while preserving essential spectral information.

Self-Supervised Covariance Estimation (SSCE) outperformed traditional methods, achieving a detection accuracy of 89.7%, with further improvements to 92.1% using our MF_LOCAL_MEAN_GLOBAL_COV approach.

Contrastive learning and spectral feature extraction enabled label-free training, making the model more generalizable to real-world datasets.

Our approach reduced computational complexity by 2.3×, making it more suitable for real-time hyperspectral applications.

Our work highlights the potential of self-supervised learning in hyperspectral covariance estimation, reducing reliance on labeled datasets while achieving state-of-the-art detection performance. By further refining these techniques, we can enhance real-time hyperspectral analysis for applications in defense, agriculture, environmental science, and autonomous systems.

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Appendix

- **GitHub link**
  https://github.com/ArieRozental/Hyperspectral