Let the length of Array = n

(4) i = 1 j = 1, 2, 3, ... n

i = 2 j = 1, 2, 3, ... n

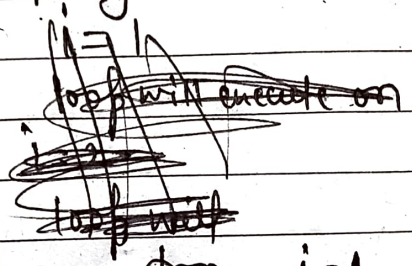
i = Ne (j = 1, ... n)

Since the loop are nested we multiply their complexities:

$$O(N) \times O(N) = O(N^2)$$

Space complexity (O(1)).

(5) As



(5) The loop runs from i=1 to n times. So, the time complexity will be O(n). Space complexity (O(1)).

(6) This is also runs from i=1 to n, So, the time complexity will be O(n). and space complexity O(1) because it only using a single loop variable (i) which uses constant space.

(3) Give time complexity $(O(n^2))$

i) 10 $(O(100) \Rightarrow O(10^2)$

So, the algorithm will perform almost 100 operation.

ii) 50 $(O(n^2)) = O(50^2)$

it will perform 2500 oper.

iii) 100 $(O(n^2)) = O(10^4)$

it will perfom 10000 oper.

~~iv)~~ 500 $(O(n^2)) = O((500)^2)$

it will perform 250000 oper so it will take long t

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② $O(\log n)$ → i have not study yet but i know because I saw kk vidios and from there I got to know but still i don't know how.

①

⑧
```
i = 1
while (i<n)
    i = i*2
```
∵ i is initialize from 1 and the cond^n is i should be less than n and i = i*2

so, i = 1, 2, 4, 8, 16, ...

$i = 2^0$	$i = 2^1$	$i = 2^2$	$i = 2^3$ .....

Power = 2^k

$2^k < n$

$k < \log_2 n$

(9) As the loop runs from 1 to n

Since the loop iterates n times so,

$T(C) = O(n)$.

(11) This loop is also runs from 1 to n

So, the loop iterates n times so,

$T(C) = O(n)$.

(12) As the outer loop is running from 1 to k and the inner loop is running from 1 to array.length and inner loop is independent of outer loop.

So, Time Complexity will be

as the loops are nested so,

$TC = O(k \cdot \text{length(array)})$

(15) As outer loop runs from i from 1 to length (array)

Let say length of array be n.

So, outer loop runs from 1 to n.

if $i=0$ $j = 1, 2, 3, \ldots n$

$i=1$ $j = 1, 2, 3, \ldots n$

$i=n$ $j = \frac{n(n+1)}{2} = n^2$

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So,

$TC = O(N^2)$

(18) As the outer loop runs i from 1 to length[matrix1]

So, and inner loop runs j from 1 to length[matrix 2

and k from 1 to length (matrix 1[0])

So,

(TC) = length [matrix 1] * length [Matrix 2[0]] * length [Matrix 1[0]].

(19) As outer loop runs from 1 to n ;

and inner loop runs from 1 to i times;

then $T.C = \frac{n(n+1)}{2}$

$= O(n^2)$

Yaha multiply nahi kiya kiu ki n^2 bda h n se.

(22) As the outer loop run from 1 to length(array)

Let say length(array) = n ;

and inner loop runs from 1 to length(array) = means 1 to n

As they are nested;

So, $(TC) = O(n \times n)$

$= O(n^2)$

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(23.) As the outer loop runs from 1 to n times.
and inner loop runs from 1 to n times;
and they are nested loop;
So, TC = O(n x n)
= O(n²).

(24) As this loop runs from 1 to length(matrix)/2
Let length(matrix) → n
So,
TC = O(n/2) # SC = O(1)
and we can avoid constants
So, TC = O(n).
the only additional space used is for temporary variables.

(26) As this loop run from 1 to length(array) then
let say length(array) = n
So, TC = O(n) SC = O(1)
variable do not depend on the input size and remains constant.

(22) TC = O(n)
one input variable i and result they will take space. the space of (i) will be constant

(28) ∵ i runs from 1 to n
and i = i * 2
so, we have already solved.
So, TC = O(log n)
SC = O(1).
but the space of result will increase. as loop execute - it will go to n.
So, SC = O(n)

i = 2

j = 1

cond^n check $ 1 > 0

so, j = 1 - 1

j = 0

again i = 2 # Space complexity = O(1)

j = 2

2 > 0

j = 1

(30) As outer loop runs from 1 to length(array) - 1

Let length(array) = n

1 to (n - 1)

and

inner loop