

HY-457

Assignment 2 - Tutorial

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Assignment 2.1

In this assignment you are asked to implement a simple bash script

- This script must contain an **ssh invocation** but at the same time “**steals**” user’s password
- Host must be given as input parameter while calling the script in the cmd
e.g my_ssh.sh *<destination>*
- Your script must behave like normal ssh but will be a bit slower

Assignment 2.1

Key ideas

- Monitor system calls and their arguments.
Use [strace\(1\)](#) to complete this step
e.g `strace <command or process>`
- Filter and parse monitored system calls and find which of them may contain the password
 - You are free to use any methods necessary
- Store the password (not in plain sight)

Assignment 2.1

This part will NOT be graded

!! For this part, locking home directory and spare is required !!

Suppose that you managed to inject *my_ssh.sh* in a user's directory.

The *.bashrc* file is a script file that is executed when a user logs in. The file itself contains configurations for setting up or enabling coloring, auto-completion, shell history, **command aliases** and more. The main function of this file is loading the terminal preferences and environmental variables and saving them.

Try to set your *my_ssh.sh* as an **alias** for the original *ssh* so that when the user calls *ssh* from the command line, *my_ssh.sh* is called instead and the credentials are stolen.

Assignment 2.1

- Open and edit `.bashrc` (hidden file) and add an alias for ssh
- `alias ssh= /path/to/your/my_ssh.sh`
- To enable the changes `$source .bashrc`
- Run ssh in cmd
- When this part is complete do not forget to remove the ssh alias

Assignment 2.2

In this assignment you need to Implement a simple Intrusion Detection System (IDS)

Your code should do the following:

- Read a .txt file that contains all of your rules
- Read .pcapng file for traffic
- Detect packets that match one or more rules of the txt file
- Alert the user

Assignment 2.2

Your rules should have the following form:

- <src IP address> <src port> <dst IP address> <dst port> “ALERT MESSAGE”

For example:

- 192.168.1.2 55 192.168.1.7 55 “this is one rule”
- 192.168.1.0/24 8080 192.168.1.0/24 1234 “this another rule”

Assignment 2.2

CIDR Notation

- 192.168.1.0/24 is equivalent to 192.168.1.* or 192.168.1.0 - 255
- In more detail, 192.168.1.0/24 in binary is 11000000.10101000.00000001.*
- The first 24 bits stay the same and the last 8 can take any value between 00000000 - 11111111

Assignment 2.2

Reading .pcapng files

- Use pcap_loop() from pcap library
- `int pcap_loop(FilePointer, 0, packetHandler, NULL)`
- `void packetHandler(u_char *useless, const struct pcap_pkthdr* pkthdr, const u_char* packet)`

Assignment 2.2

- packetHandler(... , ... , const u_char* packet) where *packet* points to the first u_char of the header.
- You will need to parse the header to get the source ip, source port, destination ip and destination port
- The headers you need to parse are:
 - ethernet
 - ip
 - tcp

Assignment 2.3

- In this assignment you need to implement a secret sharing mechanism between three entities: Alice, Bob and Carol
- The three people will share a secret number “S” by each taking a piece of the number
- Only when all three pieces are presented then all of them are able to reconstruct the secret number “S”

Assignment 2.3

- This will be achieved by constructing the polynomial $f(x) = a \cdot x^2 + b \cdot x + c$
 - “c” will be the secret number “S”
- Each will take a point of the polynomial
 - Alice: (1, f(1))
 - Bob: (2, f(2))
 - Carol: (3, f(3))
- When all 3 points are presented, they reconstruct the polynomial to retrieve “c” which is the secret number “S”
- If the secret has to be reconstructed by K entities, the polynomial degree must be K-1

Assignment 2.3

Example

- Let's assume that Alice and Bob want to share the secret number 72
- Since they are 2, the polynomial degree is 1. They chose a randomly to be 14 and b is the secret number
 - $f(x) = a \cdot x + b \Rightarrow f(x) = 14 \cdot x + 72$
- They calculate $f(1) = 86$ and $f(2) = 100$
- Alice gets (1, 86) and Bob (2, 100)

Assignment 2.3

Example (cont)

- To reconstruct the secret, they present their points and reconstruct the polynomial

$$\begin{array}{l} 86 = a + b \\ 100 = 2a + b \end{array} \left. \vphantom{\begin{array}{l} 86 = a + b \\ 100 = 2a + b \end{array}} \right\} \begin{array}{l} a = 86 - b \\ 100 = 2(86 - b) + b \end{array} \left. \vphantom{\begin{array}{l} a = 86 - b \\ 100 = 2(86 - b) + b \end{array}} \right\} \begin{array}{l} 100 = 172 - 2b + b \\ -72 = -b \end{array} \left. \vphantom{\begin{array}{l} 100 = 172 - 2b + b \\ -72 = -b \end{array}} \right\} \mathbf{b = 72}$$

Assignment 2.3

Develop a program called *secret_sharing* using C that does the following:

1. Using the *split* option and a secret number the program generates the 3 points
e.g.

```
$ ./secret_sharing split 72
```

```
> (1, f(1)), (2, f(2)), (3, f(3))
```
2. Using the *join* option and the 3 points, the program reconstructs the secret number
e.g.

```
$ ./secret_sharing join (1, f(1)), (2, f(2)), (3, f(3))
```

```
> 72
```
3. Generalize your solution for N friends. When **any three** present their points they are able to reconstruct the secret

Assignment 2.4

- In this assignment, you need to develop an anonymous voting method using the previous approach
- For this reason, “c” in $f(x) = a \cdot x^2 + b \cdot x + c$ will be each person’s vote where $c == 1$ means “yes” and $c == 0$ means “no”
- Alice, Bob and Carol create a polynomial each
 - $A(x) = a_2 \cdot x^2 + a_1 \cdot x + a_0$
 - $B(x) = b_2 \cdot x^2 + b_1 \cdot x + b_0$
 - $C(x) = c_2 \cdot x^2 + c_1 \cdot x + c_0$

Assignment 2.4

- Alice computes $A(1)$ and gives $A(2)$ to Bob and $A(3)$ to Carol
- Bob computes $B(2)$ and gives $B(1)$ to Alice and $B(3)$ to Carol
- Carol computes $C(3)$ and gives $C(1)$ to Alice and $C(2)$ to Bob
- Alice computes $D(1) = A(1) + B(1) + C(1)$
- Bob computes $D(2) = A(2) + B(2) + C(2)$
- Carol computes $D(3) = A(3) + B(3) + C(3)$
- Alice, Bob, and Carol contribute their points $(1, D(1))$, $(2, D(2))$, and $(3, D(3))$ to create polynomial $D(x) = d_2x^2 + d_1x + d_0$. Note that d_0 is equal to $a_0 + b_0 + c_0$: the sum of their votes.

Assignment 2.4

- Write a program called *anon_voting* using C that implements this anonymous voting
- Generalize your program for N voters.
- In the README file, explain why d0 is the sum of the votes