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Mini-batch gradient descent algorithm

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896: 2^7 : 104 batch 8

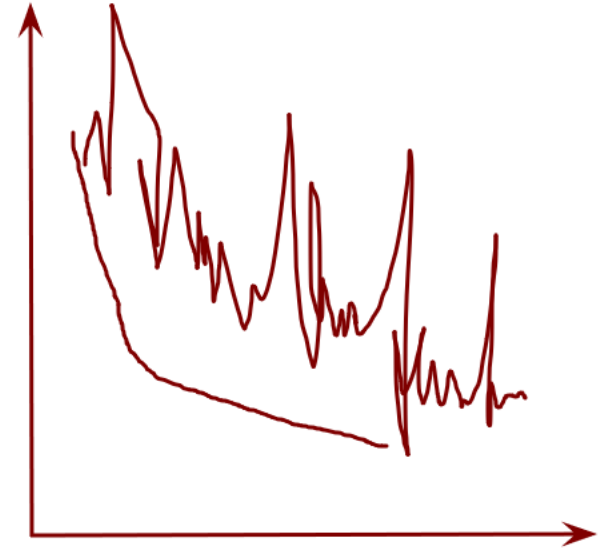
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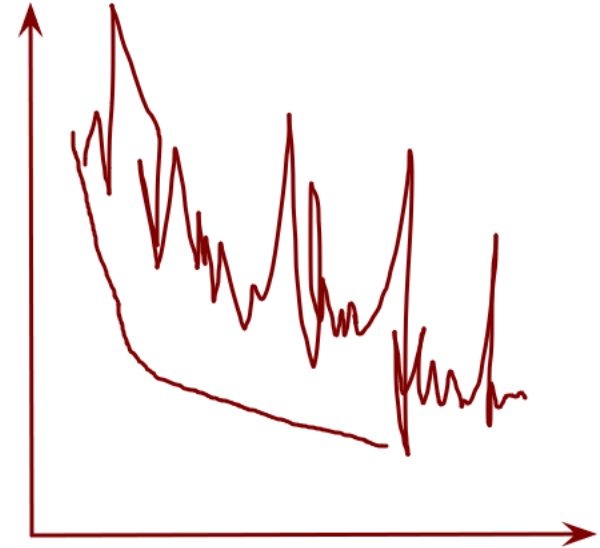
Mini-batch gradient descent algorithm

2, 4, 8, 16, 32, 64, 128, so on

128: batch size

896: 2^7 : 104 batch 8

1000-3000 data points



Advantages & Disadvantages of Batch Gradient Descent Algo

Advantages

- ▣ It is computationally efficient
- ▣ It has stable performance (less noise)

Disadvantages

- ▣ It requires a lot of memory
- ▣ It has a slower learning process
- ▣ It may become caught in local minima

Advantages & Disadvantages of Stochastic Gradient Descent Algo

Advantages

- It has faster learning on some problems
- The algorithm is simple to understand
- It provides immediate feedback

Disadvantages

- It is computationally intensive
- There's a definite probability it won't settle in the global minimum
- The performance will be very noisy

Advantages & Disadvantages of Mini Batch Gradient Descent Algo

Advantages

- It avoids getting stuck in local minima
- It is more computationally efficient than Stochastic Gradient Descent (SGD)
- It does not need as much memory as Batch Gradient Descent (BGD)

Disadvantages

- Hyperparameter Tuning (batch_size)
- It can be highly expensive and intractable for datasets that are too large to fit in memory.

Logistic Regression

Classification:

Email: Spam/no spam

online transactions: fraudulent/not

Tumor: Malignant/Benign

Diabetic: Yes/No

Y belongs to either 0 or 1

0: negative class

1: positive class

Binary classification problems: two outputs

Multi-class classification problems: multiple outputs $\{0, 1, 2, 3, 4, 5, 6, \dots\}$

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$$0 \leq H(x) \leq 1$$

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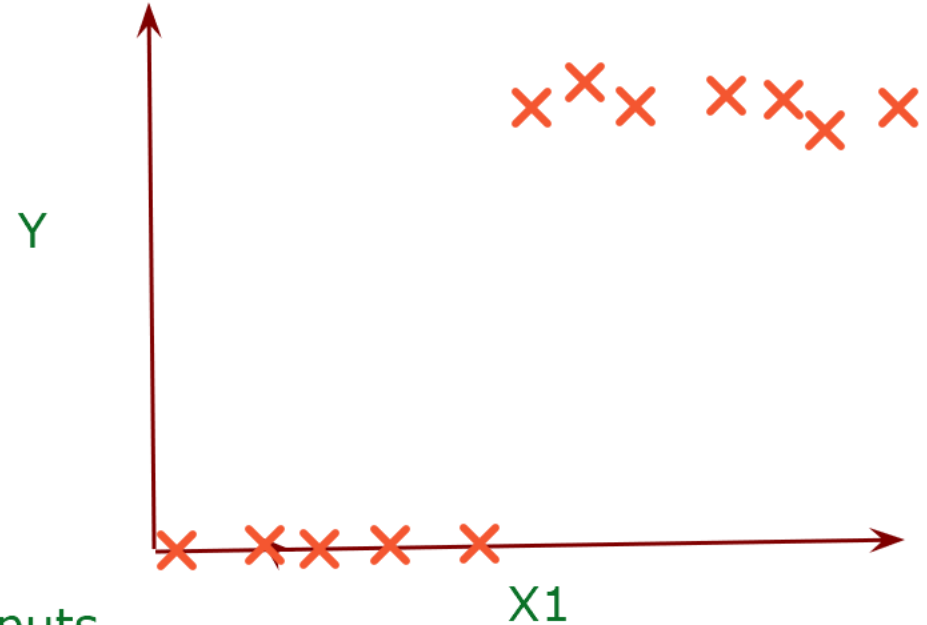
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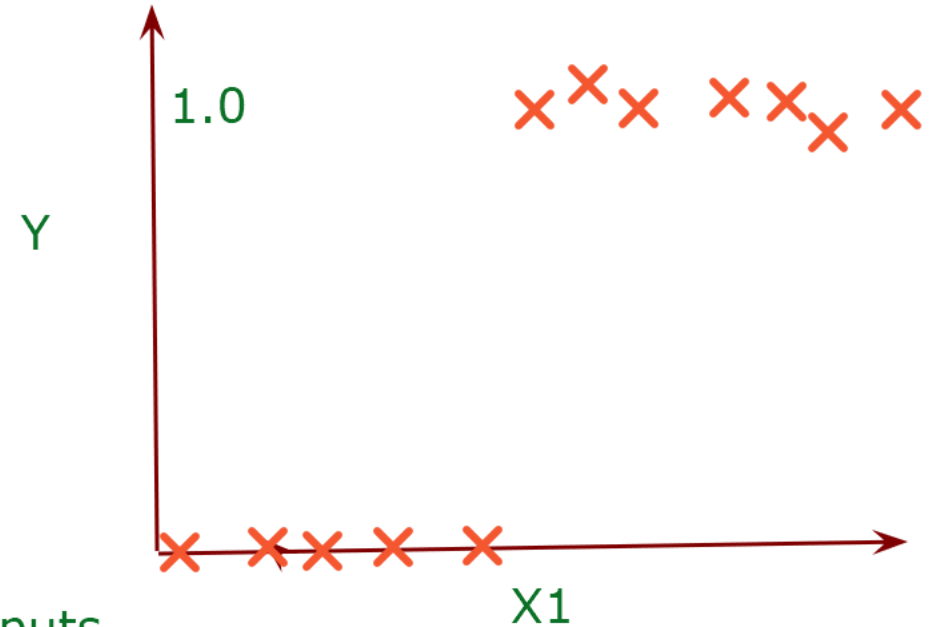
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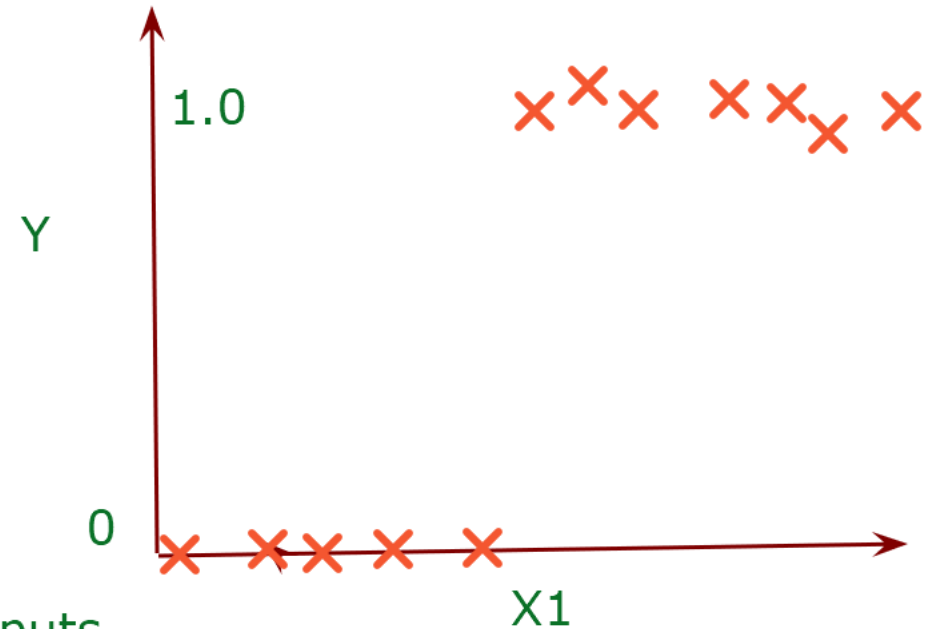
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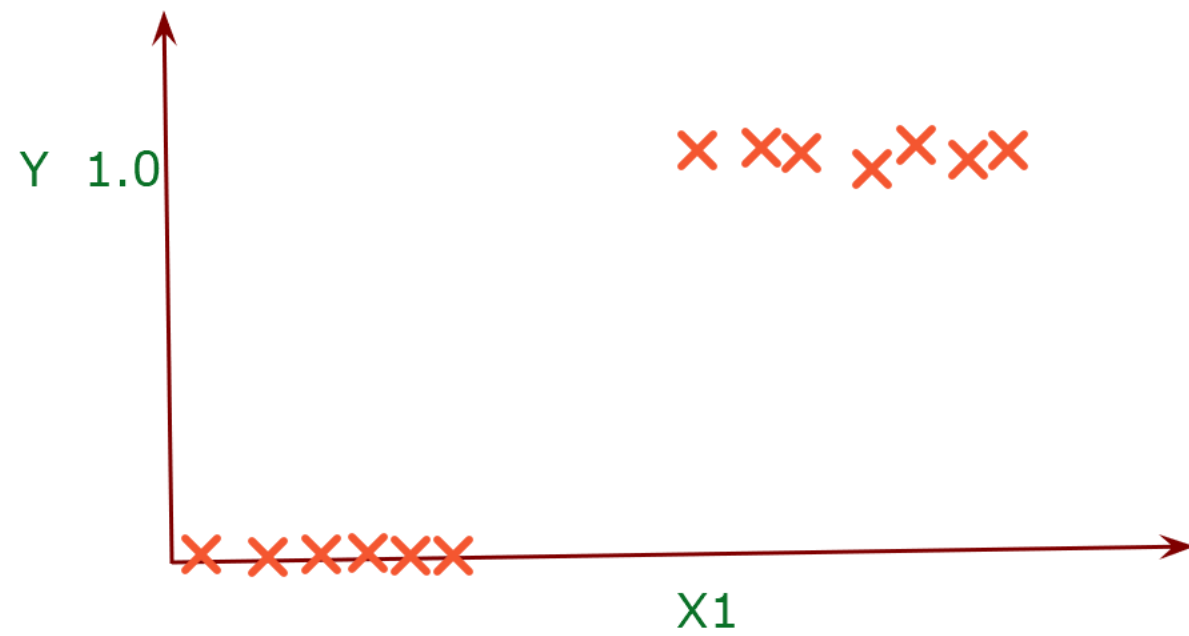
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Logistic Regression

Classification: Y = discrete in nature 0 or 1

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Logistic Regression

Classification: $Y = \text{discrete in nature } 0 \text{ or } 1$

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predictive analysis

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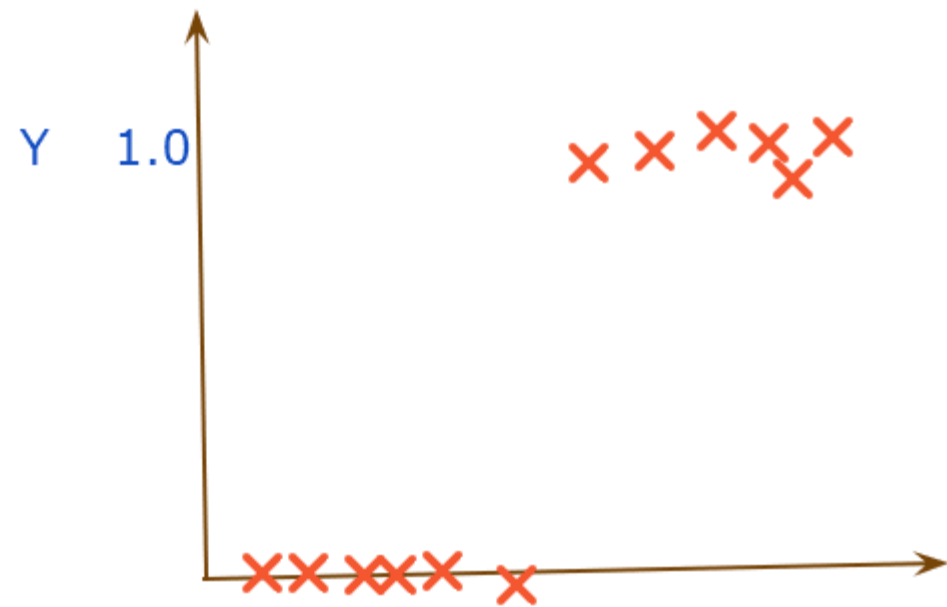


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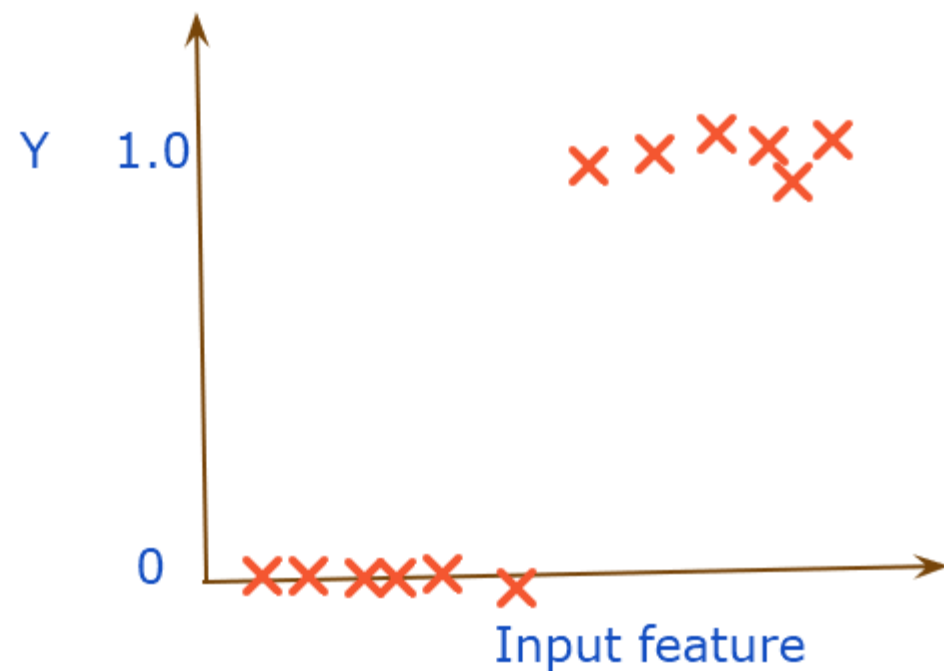


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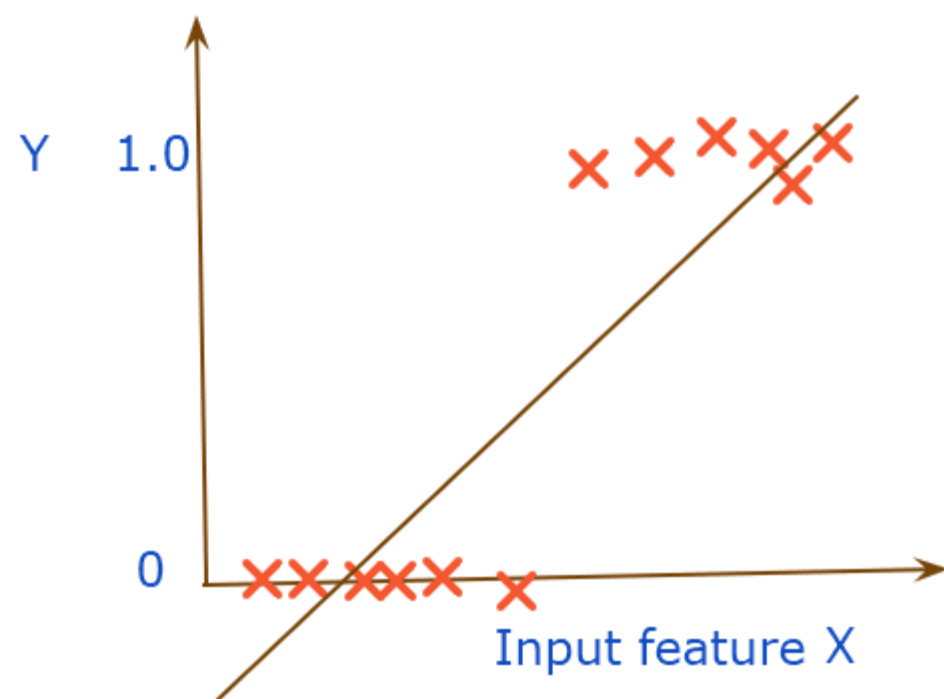


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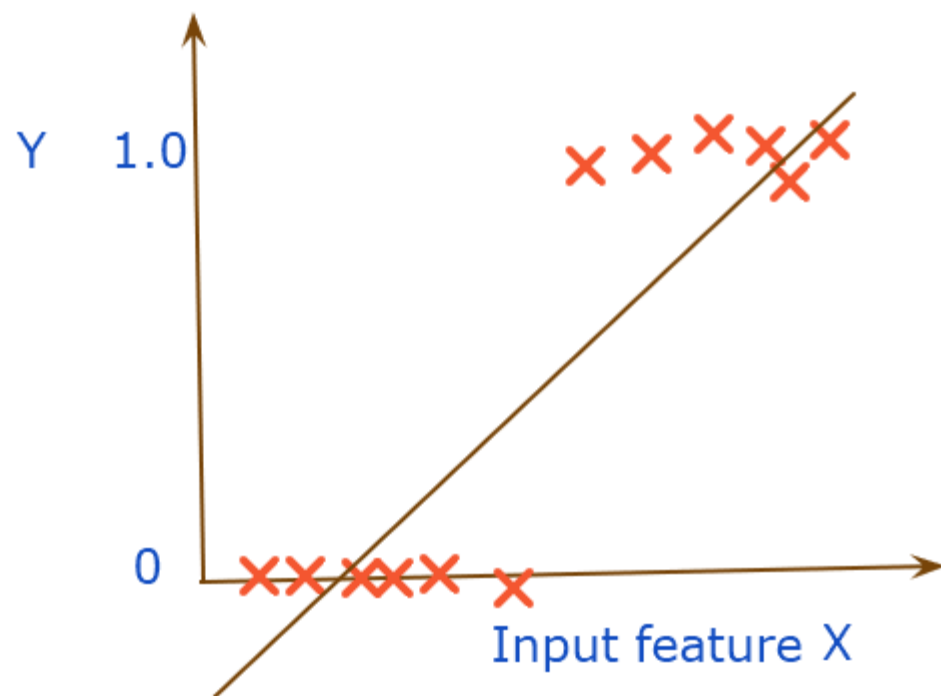
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threshold value

$$H(x) = \theta_0 + \theta_1 (X)$$



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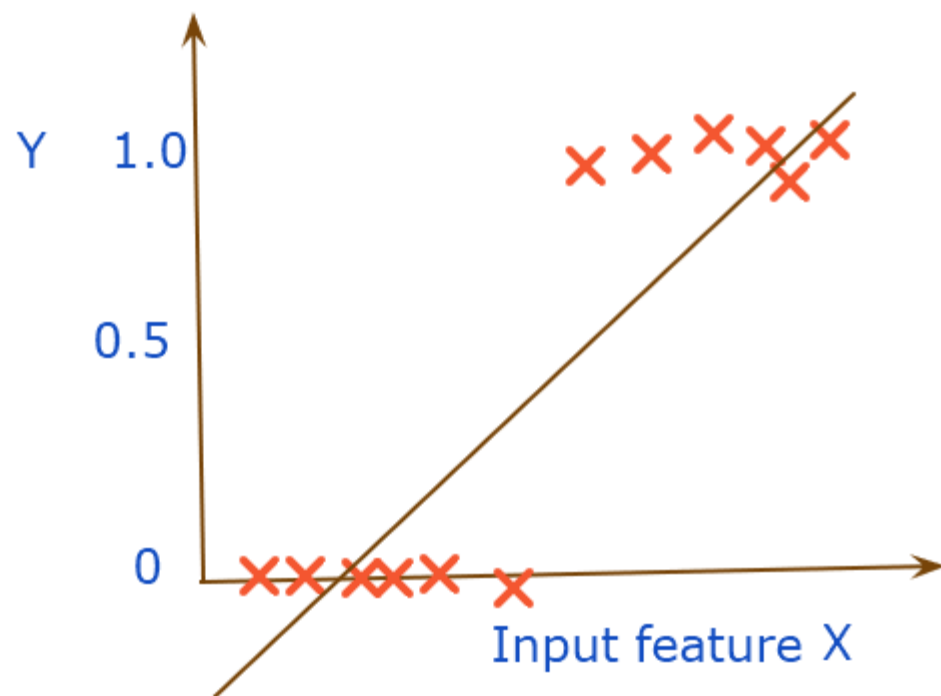
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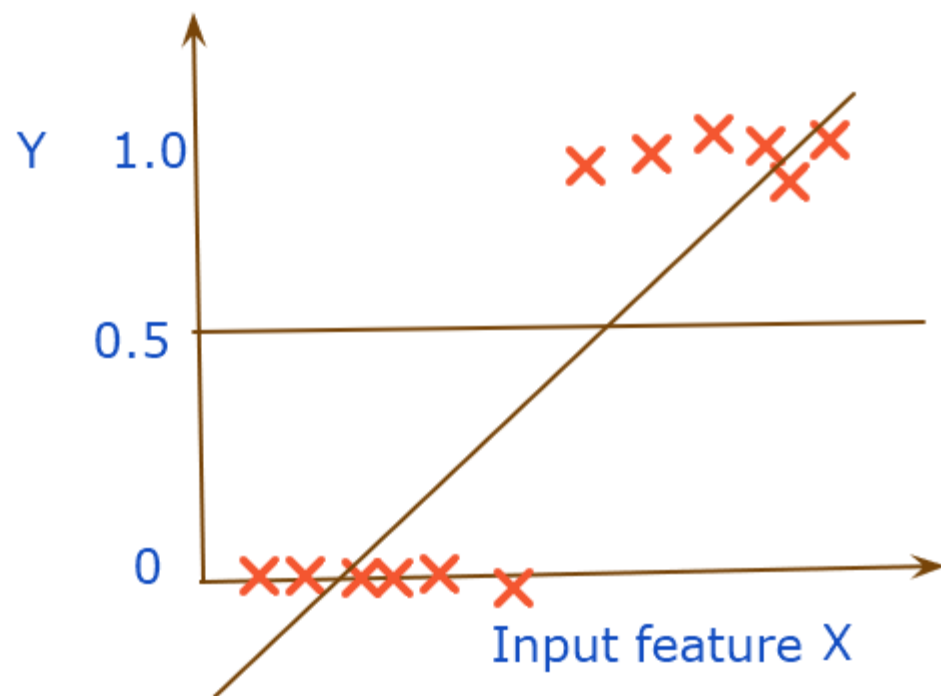
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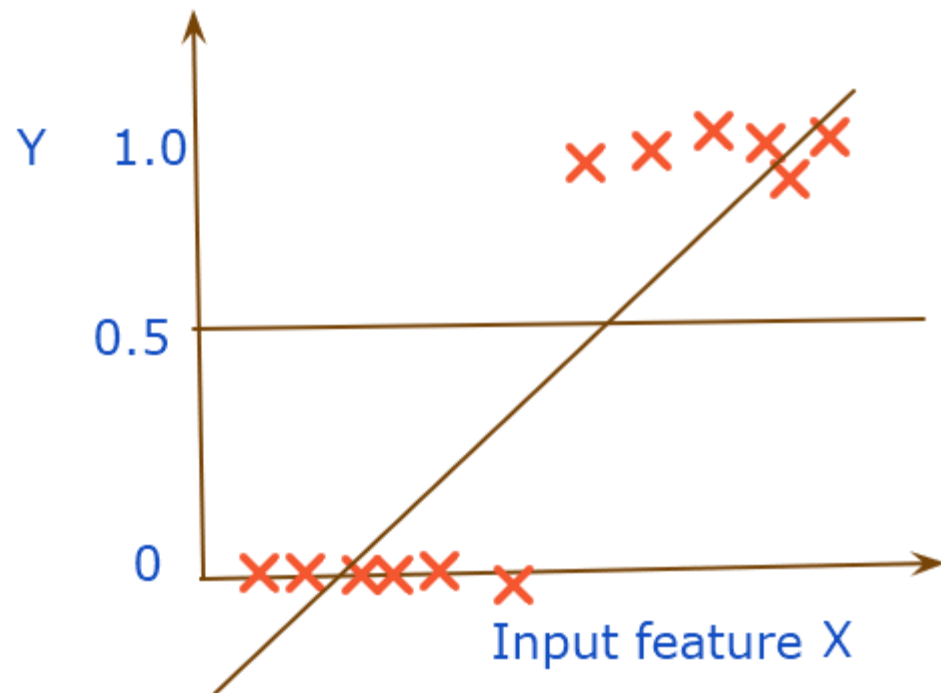
predictive analysis

threshold value

$$H(x) = \theta_0 + \theta_1 (X)$$

$H(x) < 0.5$; predict $y = 0$

$H(x) \geq 0.5$; predict $y = 1$



Logistic Regression

Classification: $Y = \text{discrete in nature } 0 \text{ or } 1$

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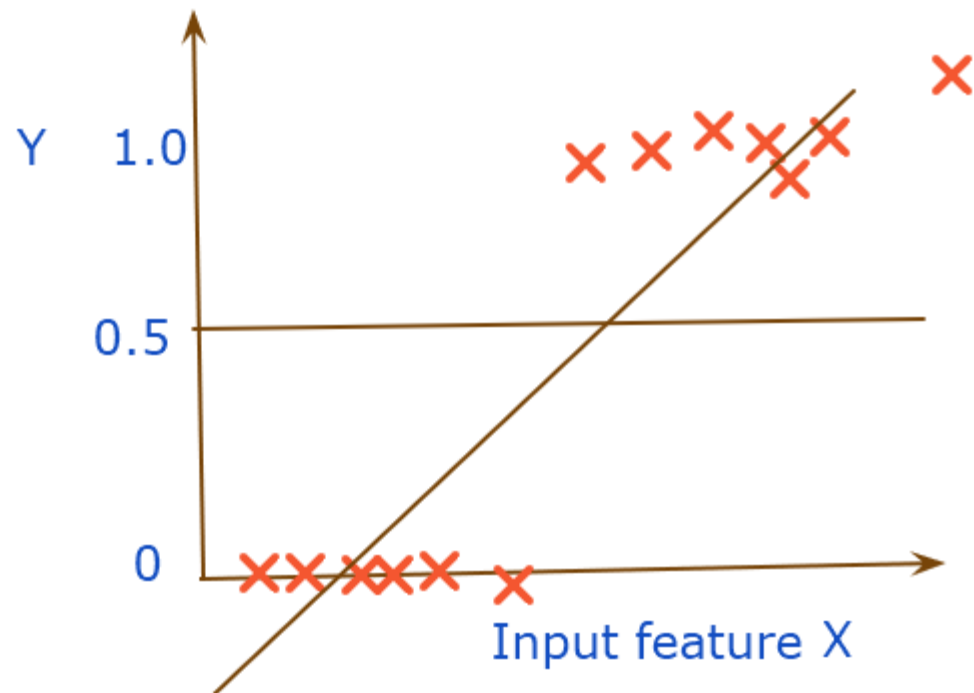
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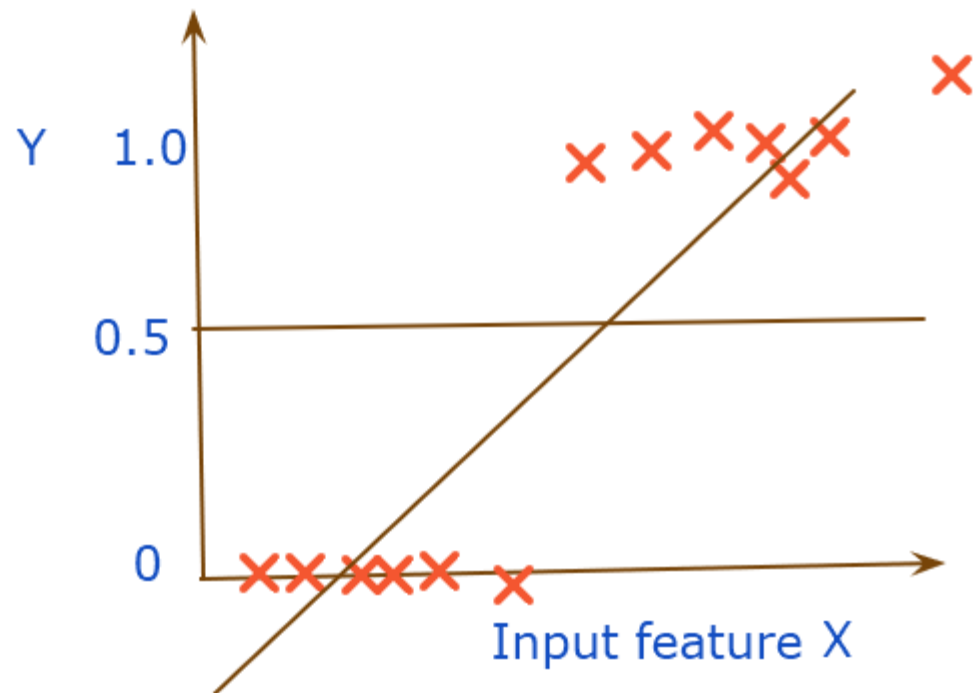
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$Y = 3.5$ lakhs for given size of house

$Y = 0$ given input feature x_1



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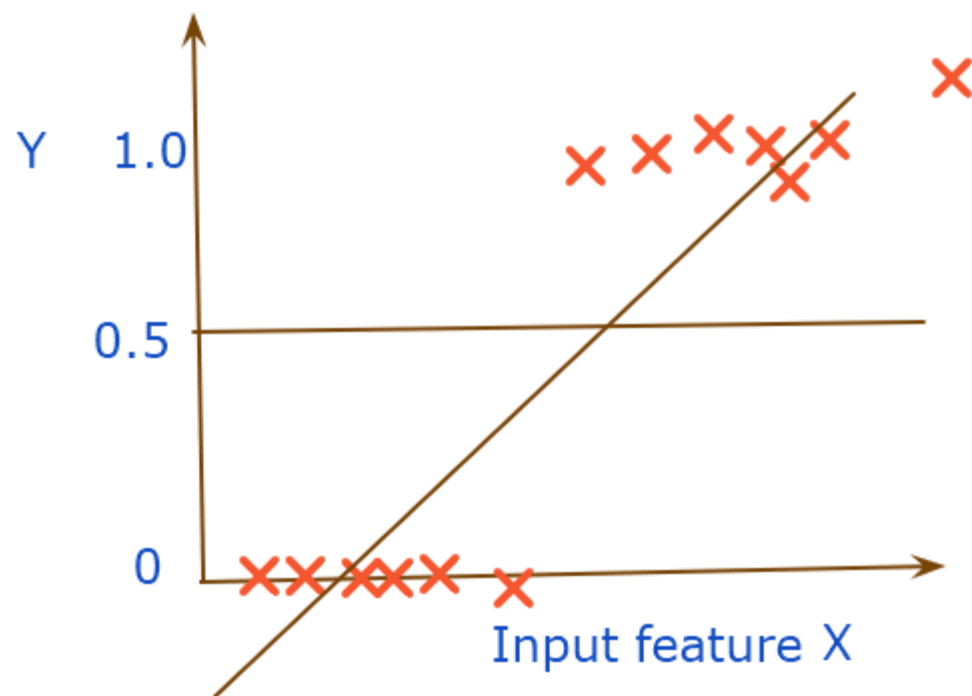
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predict the probabilities

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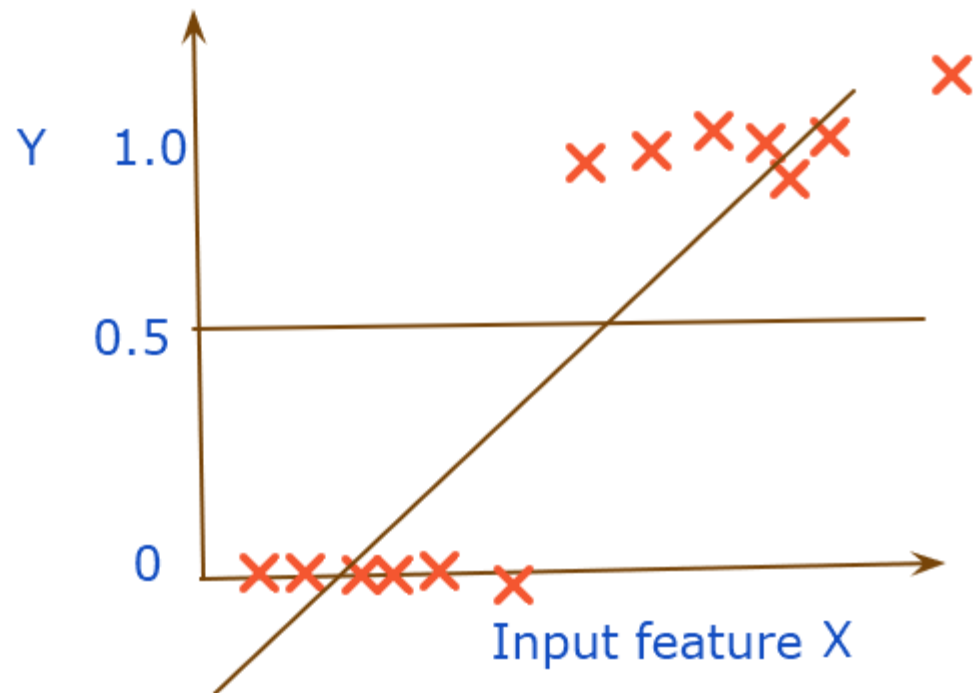
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predict the probabilities

$$\begin{aligned} H(x) &= P(y = 1|x; \theta) \\ &= P(y = 0|x; \theta) \end{aligned}$$

$$H(x) = y = \theta_0 + \theta_1 (x)$$

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$$P = \theta_0 + \theta_1 (x)$$

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$$P = \theta_0 + \theta_1(x)$$

odds of P

$$(P/(1-P)) = \theta_0 + \theta_1(x)$$

The odds of an event represent the ratio of the (probability that the event will occur) / (probability that the event will not occur)

$$H(x) = y = \theta_0 + \theta_1(x)$$

$$P = \theta_0 + \theta_1(x)$$

odds of P

$$(P/(1-P)) = \theta_0 + \theta_1(x) \quad (0 \text{ to } +\infty)$$

$$(P/1-P) = \theta_0 + \theta_1(x)$$

restriction in the range - restrict the no of data points

$$(P/1-P) = \theta_0 + \theta_1(x)$$

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$$\log \text{ of odds of } P = \log (P/1-P)$$

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$$\log \text{ of odds of } P = \log (P/1-P) = \theta_0 + \theta_1(x)$$

$$\exp[\log (P/1-P)] = \exp [\theta_0 + \theta_1(x)]$$

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$(p/1-p) = \exp [\theta_0 + \theta_1(x)]$

$P = \exp(\theta_0 + \theta_1(x)) - p \exp(\theta_0 + \theta_1(x))$

$$(P/1-P) = \theta_0 + \theta_1(x)$$

restriction in the range - restrict the no of data points

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$$(p/1-p) = \exp [\theta_0 + \theta_1(x)]$$

$$P = \exp(\theta_0 + \theta_1(x)) / (1 + \exp(\theta_0 + \theta_1(x)))$$

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$P = \exp(\theta_0 + \theta_1(x)) - p \exp(\theta_0 + \theta_1(x))$

$P = P [\exp(\theta_0 + \theta_1(x))/p - \exp (\theta_0 + \theta_1(x))]$

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$P = P [\exp(\theta_0 + \theta_1(x))/p - \exp (\theta_0 + \theta_1(x))]$

$P [1 + \exp(\theta_0 + \theta_1(x))] = \exp (\theta_0 + \theta_1(x))$

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$P [1 + \exp(\theta_0 + \theta_1(x))] = \exp (\theta_0 + \theta_1(x))$

$H(x) = P = 1/(1+ \exp^{-(\theta_0 + \theta_1(x))})$

$$\exp[\log(\frac{p}{1-p})] = \exp(\beta_0 + \beta_1 x)$$

$$e^{\ln[\frac{p}{1-p}]} = e^{(\beta_0 + \beta_1 x)}$$

$$\frac{p}{1-p} = e^{(\beta_0 + \beta_1 x)}$$

$$p = e^{(\beta_0 + \beta_1 x)} - p e^{(\beta_0 + \beta_1 x)}$$

$$p = p[\frac{e^{(\beta_0 + \beta_1 x)}}{p} - e^{(\beta_0 + \beta_1 x)}]$$

$$1 = \frac{e^{(\beta_0 + \beta_1 x)}}{p} - e^{(\beta_0 + \beta_1 x)}$$

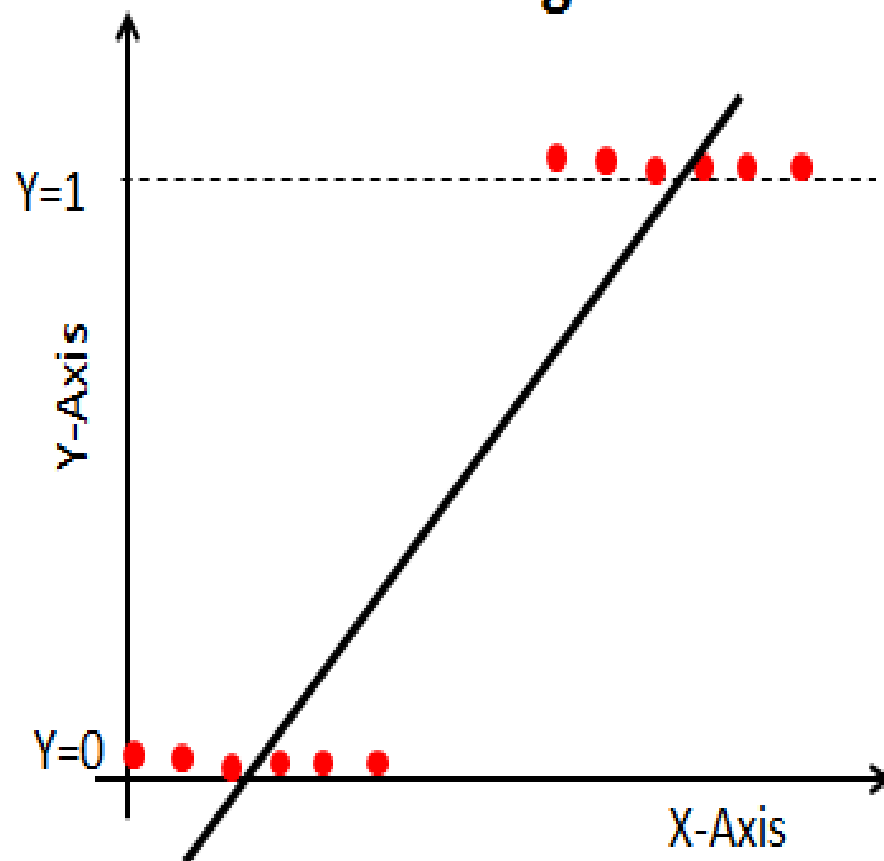
$$p[1 + e^{(\beta_0 + \beta_1 x)}] = e^{(\beta_0 + \beta_1 x)}$$

$$p = \frac{e^{(\beta_0 + \beta_1 x)}}{1 + e^{(\beta_0 + \beta_1 x)}}$$

Now dividing by $e^{(\beta_0 + \beta_1 x)}$, we will get

$$p = \frac{1}{1 + e^{-(\beta_0 + \beta_1 x)}} \text{ This is our sigmoid function.}$$

Linear Regression



Logistic Regression

