

Introduction

This document has as purpose to serve as an exercise for you to try out some things within L^AT_EX for each level individually. At the end there are also some challenges if you think you got what it takes. Good luck in recreating this document!

Beginner

$(\neg A \Rightarrow B) \vee (C \wedge D) \leftrightarrow E$

1	2	3
4	5	
6	7	α

Question! Is dark mode better than light mode?

- a) Yes
- b) No

Maybe I *want* to create a **table**...

Or maybe just some ~~words~~ that are VERY important.

$f(x) = \frac{1}{2} \cdot \binom{4}{1}$

$f_2(x) = \int_a^b x^2$

A nice 🎵 perhaps? Please visit [youtube.com](https://www.youtube.com)

Intermediate

Lët's góí

Is it me you're looking for?

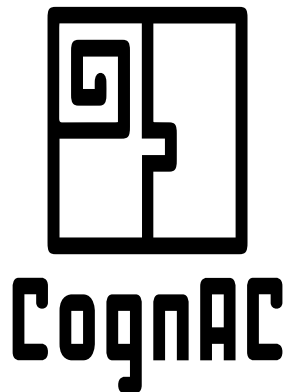
Hello...

$$\alpha(z_1, z_2) = \left(\frac{\partial \beta(z_1, z_2)}{\partial z_1}, \frac{\partial \beta(z_1, z_2)}{\partial z_2} \right) \quad \vec{v} = \begin{pmatrix} \lambda & 0 \\ 0 & \lambda \end{pmatrix} = \lambda \cdot \mathbf{I}$$

Clearly the complexity of this algorithm is $\mathcal{O}(n \log n)$, as is given by the following:

```
private void smartMethod() {
    Operator op = new Operator(nr_of_questions, input);
    if (input.size() < 3) {
        op.low_students();
        answers = op.getAnswers();
    } else if (op.correct_input()) {
        op.smartSolution();
        answers = op.getAnswers();
    } else {
        answers.add((long) 0);
        answers.add((long) 0);
    }
}
```

Given is that $\forall \eta, \exists \pi \in \mathbb{C}$ such that $\gamma(\boldsymbol{\eta}) \stackrel{?}{=} \begin{cases} 0 & \text{if } \eta = 0 \\ \max_{i \geq 5} \left[\frac{\pi}{\lambda} \right] & \text{if } \eta > 0 \end{cases}$



Little bit wrong

Figure 1: This is COGNAC!

Advanced

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Expert

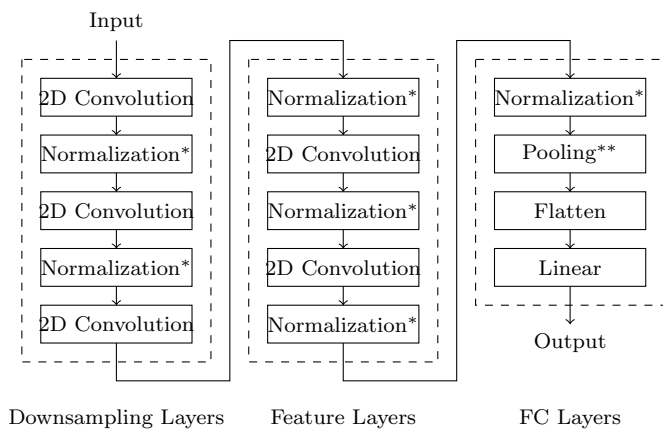
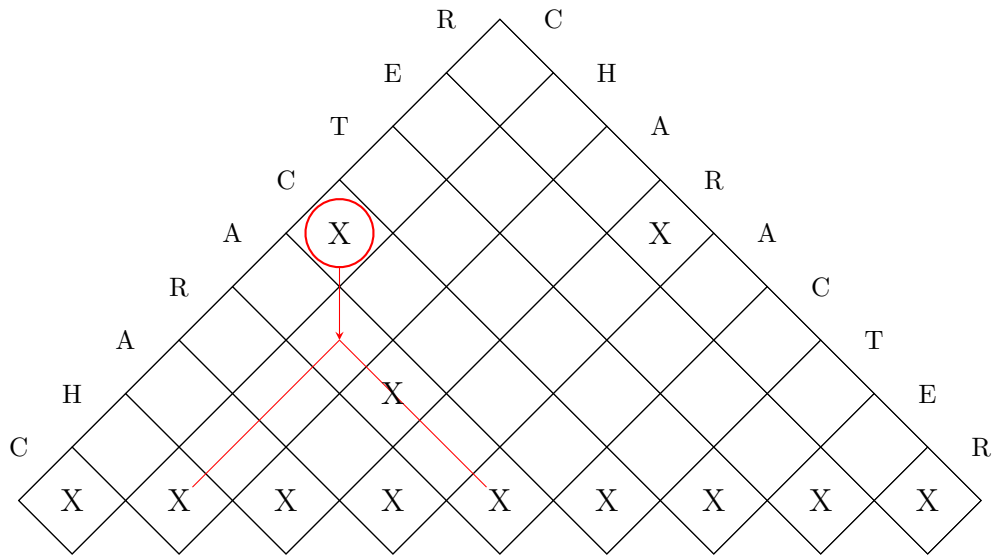
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Godlike

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Challenges

Tip: I created these images with the Tikz package from scratch, so they are created solely in L^AT_EX!



*Group Normalization

**2D Adaptive Average Pooling

Algorithm 1 Deep Q-Network with replay buffer

- 1: Initialize replay memory \mathcal{D} to capacity N
 - 2: Initialize action-value function Q with random weights
 - 3: **for** episode=1,M **do**
 - 4: Initialize sequence $s_1 = \{x_1\}$ and preprocessed sequenced $\phi_1 = \phi(s_1)$
 - 5: **for** t=1,T **do**
 - 6: With probability ϵ select a random action a_t
 - 7: otherwise select $a_t = \max_a Q^*(\phi(s_t), a; \theta)$
 - 8: Execute action a_t in emulator and observe reward r_t and image x_{t+1}
 - 9: Set $s_{t+1} = s_t, a_t, x_{t+1}$ and preprocess $\phi_{t+1} = \phi(s_{t+1})$
 - 10: Store transition $(\phi_j, a_j, r_j, \phi_{j+1})$ in \mathcal{D}
 - 11: Sample random minibatch of transitions $(\phi_j, a_j, r_j, \phi_{j+1})$ from \mathcal{D}
 - 12: Set $y_j = \begin{cases} r_j & \text{for terminal } \phi_{j+1} \\ r_j + \gamma \max_{a'} Q(\phi_{j+1}, a'; \theta) & \text{for non-terminal } \phi_{j+1} \end{cases}$
 - 13: Perform a gradient descent step on $(y_j - Q(\phi_j, a_j; \theta))$ with respect to weights θ
 - 14: Every C steps reset $\hat{Q} = Q$
 - 15: **end for**
 - 16: **end for**
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