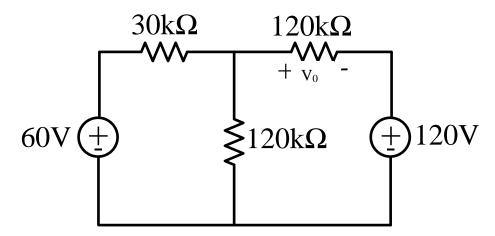
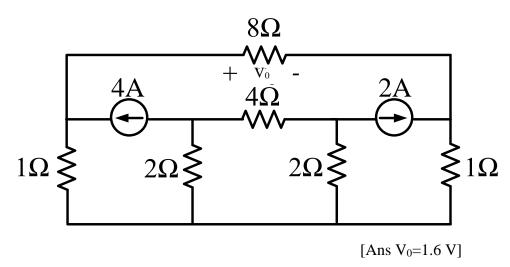
**Q1** Obtain  $V_0$  in the circuit using nodal voltage and loop current methods.

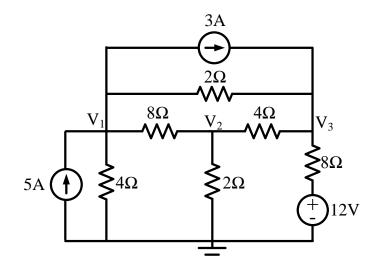
[ Ans  $V_0 = -60V$ )



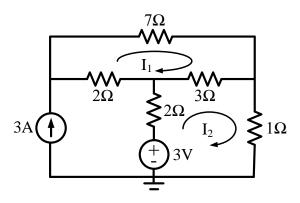
**Q2** Find Vo in the circuit across the  $8 \Omega$  resistor.



<u>O 3:</u> Find  $V_1$ ,  $V_2$ , and  $V_3$  in the circuit. [ Ans  $V_1 = 10 \text{ V}$ ,  $V_2 = 4.933 \text{ V}$ , and  $V_3 = 12.267 \text{ V}$ ]

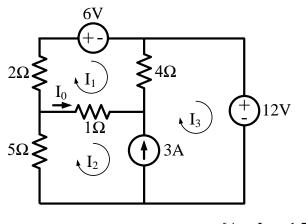


 $\underline{\mathbf{O4}}$  Find the loop currents  $I_1$  and  $I_2$  in the circuit using mesh current method.



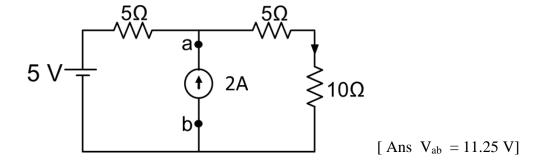
[Ans  $I_1 = 1$  A and  $I_2 = 2$  A]

**O5:**Find I<sub>0</sub> in the circuit using mesh current method.

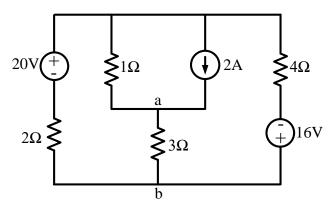


[Ans  $I_0 = -1.733A$ ]

**<u>O6.</u>** Find the voltage (V<sub>ab</sub>) across 2 A source using Thevenin's theorem.

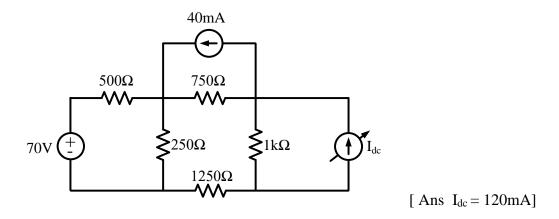


 $\underline{O7}$  Find the Norton equivalent across terminals ab and then find the voltage across  $3\Omega$  resistor in the circuit.

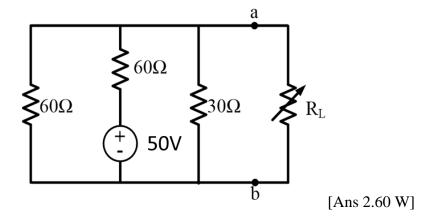


[ Ans 
$$R_N = (7/3) \Omega$$
,  $I_N = (30/7) A$ ,  $V_{3\Omega} = (45/8) V$ ]

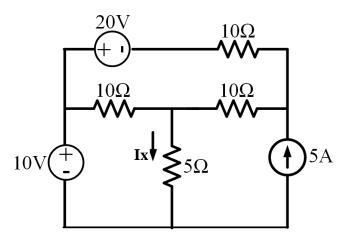
<u>**O8:**</u> Obtain the required value of the variable current source  $I_{dc}$  shown in the figure for which the power delivered by the 40mA current source will be zero.



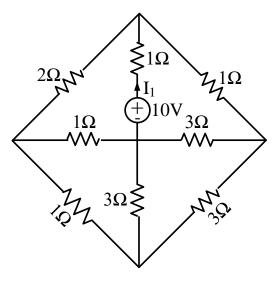
 $\underline{\mathbf{O9}}$  Find the maximum power that the active network to the left of terminals ab can deliver to the adjustable load resistor  $R_L$ .



<u>**Q10:**</u> While solving the circuit using superposition theorem, find the current (I<sub>x</sub>) through 5Ω resistor contributed by 10V, 20V, and 5A sources individually. Ans  $\left[\frac{1000}{1167}A, -\frac{4}{7}A, \frac{10}{7}A\right]$ 



 $\underline{\textbf{O11}}$  Find current  $I_1$  in the 1 ohm resistance as shown using Thevenin's theorem.



[ Ans  $V_{Th} = -10 \text{ V}$ ,  $R_{Th} = 1.5 \Omega$ , and  $I_1 = 4.0 \text{ A}$  ]

**O12** Find current I in the circuit.

