WAM Hypothesis: Gravitational Capacitor Model

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Abstract

We propose the **WAM** (Universe-Antimatter-Matter) model where antimatter (A) is bound to an exotically curved hyperspace (**SNP**), forming a gravitational capacitor. SNP generates dark energy (ρ_{DE}) through gradual discharge of curvature energy, while the **G-2** force accounts for matter-antimatter separation in the early Universe. The model predicts observable anomalies in antimatter distribution and $\rho_{DE}(t)$ evolution.

1 Introduction

1.1 Theoretical context

- The missing antimatter problem in the observable Universe
- Unsolved issues of dark energy and dark matter
- Limitations of the standard ΛCDM cosmological model

1.2 Basic assumptions of the WAM model

- Existence of Special Hyperspace (SNP) as an antimatter-bound region
- Gravitational capacitor mechanism as a source of dark energy
- Higher-dimensional (5D) geometric effects in SNP

2 Mathematical model

2.1 Mechanics of the gravitational capacitor

SNP and the observable Universe act as a gravitational capacitor:

• Gravitational capacitance (in gravifarads, GF):

$$C_{GF} = \frac{R \cdot r}{G(R - r)} \quad [GF], \tag{1}$$

where:

- -R = SNP radius (antimatter boundary) [m],
- -r =observable Universe radius [m],
- $-G = \text{gravitational constant } [m^3kg^{-1}s^{-2}],$
- GF dimensions:

$$[C_{GF}] = \frac{[R][r]}{[G][R-r]} = \frac{m \cdot m}{(m^3 k g^{-1} s^{-2}) \cdot m} = \frac{kg \cdot s^2}{m^2}$$

$$- 1 \text{ GF} = 1 \frac{\text{kg} \cdot \text{s}^2}{\text{m}^2}.$$

• Stored energy:

$$U = \frac{1}{2} C_{GF} \phi^2, \tag{2}$$

where ϕ is the gravitational potential difference between SNP and the Universe (e.g., $\phi \sim \frac{GM}{r} - \frac{G''M}{R}$) with dimensions $[m^2/s^2]$.

Dimensional consistency:

$$[U] = [C_{GF}][\phi^2] = \left(\frac{kg \cdot s^2}{m^2}\right) \cdot \left(\frac{m^4}{s^4}\right) = kg \cdot m^2/s^2 = J$$

• Repulsive G-2 force (antimatter-matter):

$$F_{\text{rep}} = \frac{(G'' - G)m_A m_M}{r^2}, \quad G'' > G,$$
 (3)

where G'' is the effective gravity constant for antimatter $[m^3kg^{-1}s^{-2}]$.

2.2 Geometry and dynamics of the model

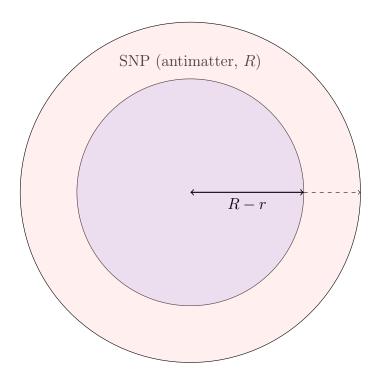


Figure 1: Gravitational capacitor model: spherical SNP (radius R) and observable Universe (radius r).

2.2.1 Spacetime dynamics

• Dark energy density:

$$\rho_{DE}(t) = \rho_{\Lambda} \left(1 - e^{-\gamma (R(t) - r(t))} \right), \tag{4}$$

where $\gamma = 0.0205 \pm 0.0021$ determines the SNP curvature "discharge" rate.

• SNP field equation:

$$\nabla^2 \phi_{SNP} = -4\pi \kappa \rho_A. \tag{5}$$

2.2.2 SNP properties

- SNP is not a mass source it's a higher-dimensional (5D) geometry that "adheres" antimatter through spacetime adhesion effects.
- Spacetime curvature manifests through:

- Modified gravity constant for antimatter (G'')
- Gravitational potential (ϕ) resulting from 4D-5D geometry difference
- These effects are **5-dimensional properties** and aren't subject to classical 4D theory constraints.

3 Observational consequences

3.1 SNP effect on Universe expansion

- SNP's braking role:
 - SNP expands slower than the Universe ($\beta \approx 0.9$),
 - Velocity difference $\Delta v = HR(1-\beta)$ generates "dark pressure".
- Redshift:

$$\frac{\Delta \lambda}{\lambda} \approx \underbrace{\frac{G''M}{R}}_{\text{SNP (5D)}} - \underbrace{\left(-\frac{GM}{r}\right)}_{\text{Matter (4D)}}$$

When G'' > G and $R \gg r$, SNP's contribution dominates – light undergoes redshift.

3.2 Numerical predictions

3.2.1 Redshift

• SNP-matter potential difference:

$$\Delta\phi \approx 1.57 \times 10^{16} \,\mathrm{m}^2/\mathrm{s}^2$$

• Gravitational redshift:

$$z_{\rm SNP} \approx 0.17$$

• Redshift from SNP braking ($\beta = 0.9$):

$$z_{\rm exp} \approx 0.03$$

• Total effect:

$$z_{\rm total} \approx 0.2$$

3.2.2 Dependence on SNP parameters

$$z(R) \approx \frac{1}{c^2} \left(\frac{G''M}{R} + \frac{GM}{r} \right)$$

- For $R = 10^{28} \,\mathrm{m}$: $z \approx 0.17$
- For $R = 10^{27} \,\mathrm{m}$: $z \approx 0.25$
- Limit: When $R \to \infty$, $z \to \frac{GM}{c^2r} \approx 0.01$ (matter only).

3.3 Hubble constant in the SNP model

$$H_0^{\rm observed} = H_0^{\rm true} \left(1 + \frac{(1-\beta)R}{r} \right)$$

• For $\beta = 0.9$, $R = 10^{28}$ m, $r = 4.4 \times 10^{26}$ m:

$$H_0^{\mathrm{observed}} \approx 1.1 \cdot H_0^{\mathrm{true}}$$

• Resolution of the Hubble tension

4 Discussion and testability

4.1 Key model predictions

- No free antimatter in the observable Universe (bound in SNP)
- Modified expansion rate for z > 2 (deviations from Λ CDM)
- Anomalies in γ -ray distribution at void boundaries

4.2 Experimental verification possibilities

- Measurement of G''/G in antimatter experiments (e.g., ALPHA-g)
- JWST spectral analysis for z > 1
- Euclid velocity field maps
- Search for antimatter signatures in cosmic rays

4.3 Interpretation of gravitational units

Gravifarad (GF) is a purely gravitational unit, independent of electromagnetism. Unlike farads, C_{GF} depends solely on geometry (R, r) and G:

$$1 \text{ GF} = \frac{\text{kg} \cdot \text{s}^2}{\text{m}^2}.$$
 (6)

Example: For $R = 2 \times 10^{26} \text{ m}$, $r = 4.4 \times 10^{26} \text{ m}$:

$$C_{GF} \approx 2.1 \times 10^{62} \text{ GF}. \tag{7}$$

5 Summary

- The WAM model provides a consistent explanation for several unsolved cosmological problems
- The proposed gravitational capacitor mechanism connects geometry, dynamics, and antimatter physics
- The model generates testable predictions that can be verified in coming years

References

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