

Name - ARPAN 'MANDAL

Sub - Data Communication

Exam Roll - CSE 214021

Semester - 2nd

Class Roll - 001910501001

Year - 2nd

Group-A

Q1.

No. of Signal level $L = (200000)_8 =$

$$= 2 \times 8^{0.5} = 2^1 \times 2^{3.5}$$

$$= 2^{(1+3.5)}$$

$$= (2^{4.5})_{10}$$

~~So, $b_p =$
So here $b_p =$
So, from N ~~we know~~ from Request formula~~

Now, here difference between data state (N) and

$$\text{Signal rate } (S) = (3A98)_{16} = (15000)_{10}$$

$$\text{So, } N - S = 15000$$

$$\Rightarrow N = S + 15000$$

$$\text{Now, we know } S = \frac{N}{\log_2 L}$$

$$\Rightarrow S = \frac{S + 15000}{\log_2 2^{4.5}}$$

$$\Rightarrow S = \frac{S + 15000}{4.5}$$

$$\Rightarrow 4.5S - S = 15000$$

$$\Rightarrow S = \frac{15000}{3.5} = \underline{1000 \text{ baud}}$$

Sup $\boxed{1-2}$

so $\boxed{1-6}$

Q2.

data rate $N = 10 \text{ Mbps}$

We know for manchester encoding
average signal rate

$$S_{avg} = N$$

So, Here $S_{avg} = 10 \text{ Mbaud} = 10000 \text{ Kbaud}$
and also B_{min} (minimum bandwidth) = S

$$\text{So, } B_{min} = 10 \text{ MHz} = 10000 \text{ KHz}$$

So, 2-d \rightarrow None of these above

Q2.
Q3.

~~P) 0 1 1~~

~~R) 0 1 0 following manchester~~

Scheme

Q3.

P) 0 1 1 Q) 0 1 0 following manchester

Scheme

R) ~~0 1 1~~ S) ~~0 1 0~~ following differential
manchester scheme

3-c

Q4)

Q-6) $SNR = \frac{V_s^2}{V_N^2}$ [where V_s = peak voltage of
Signal

V_N = peak voltage value of
noise]

$$\text{So, } SNR_{DB} = 10 \log_{10} SNR$$

$$= 10 \log_{10} \frac{V_s^2}{V_N^2}$$

$$= 20 \log_{10} \left(\frac{V_s}{V_N} \right)$$

So, Here

$$20 \log_{10} \left(\frac{V_S}{V_N} \right) = 20 \frac{\ln N}{\ln 10}$$

$$\Rightarrow 20 \log_{10} \left(\frac{V_S}{V_N} \right) = \log_{10} N$$

$$\Rightarrow \frac{V_S}{V_N} = N$$

$$\Rightarrow V_N = \frac{1}{N} V_S \rightarrow (a) \quad \boxed{C-a}$$

Q.5) Bandwidth $B = 1 \text{ MHz}$

$$\text{SNR} = 127$$

from Shannon's capacity formula

$$C = B \log_2 (1 + \text{SNR})$$

$$= 1 \times 10^6 \times \log_2 128$$

$$= 10^6 \times 7 = 7 \text{ Mbps}$$

✓

So, N_{max} of the channel = 7 Mbps

now from Nyquist formula we know,
minimum data rate needed for a given level

$$N = 2 B \log_2 L$$

$$\Rightarrow 7 \times 10^6 = 2 \times 10^6 \log_2 L$$

$$\Rightarrow \log_2 L = 3.5$$

$$\Rightarrow L = 2^{3.5}$$

for better result we need to take $2^3 = 8$ levels

$$\text{So, } N = 2 \times 1 \times 10^6 \times 3 = 6 \text{ Mbps}$$

So, for better result we need $N = 6 \text{ Mbps}$

and $L = 8$ (ⓐ None of these above)

$$\boxed{5-d}$$

96)

97)

data rate $N = 6000$ bps

type of modulation = QPSK, so there are 4 levels so, $p = 2$

$$\therefore S = \frac{N}{p} = \frac{6000}{2} = 3000 \text{ baud}$$

\therefore signal rate = 3000 baud (a) 7-a

98) available bandwidth

$$B = 44500 \text{ Hz}$$

Voice channel have 4 kHz bandwidth

guard band = 500 Hz

let max no. of voice channel is N .

$$\text{So, } 4000N + (N-1)500 = 44500$$

$$\Rightarrow 4500N = 45000$$

$$\Rightarrow N = 10$$

no. of voice channel = 10 (c) 8-c

99)

$$N_1 = 190 \text{ kbps} \quad N_2 = 180 \text{ kbps}$$

In pulse stuffing technique higher data rate of signals is considered as frame rate so here frame rate

$$X = 190000 \text{ frames/s}$$

Q9)

$$N_1 = 190 \text{ kbps} \quad N_2 = 18 \text{ kbps}$$

Here if frame size $w=2$ then one bit taken from fdyt channel and another from other, so here frame rate will be

$$x = 190 \times 10^3 \text{ frames/s} = 190000 \text{ frames/s}$$

$$\text{frame duration} = \frac{1}{190000} \text{ s} = \frac{10^6 \times 100}{19 \times 10^4} \text{ microsecond}$$

$$\approx 5.3 \text{ microsecond}$$

$$\begin{aligned} \text{here data rate} &= \text{frame rate} \times \text{frame size} \\ &= 190000 \times 2 \text{ bps} \\ &= 380000 \text{ bps} \\ &= 380 \text{ kbps} \end{aligned}$$

9-c

Q10)

line L_1 has bandwidth $B_{L_1} = 8 \text{ kHz}$

noise = 10 mV

signal = 20 V

$$\text{SNR} = \frac{(20)^2}{(10 \times 10^{-3})^2} = 4000000$$

So, by Shannon capacity, capacity of channel

$$C = B \log_2 (1 + \text{SNR})$$

$$= 8 \times 10^3 \times \log_2 (1 + 4000000)$$

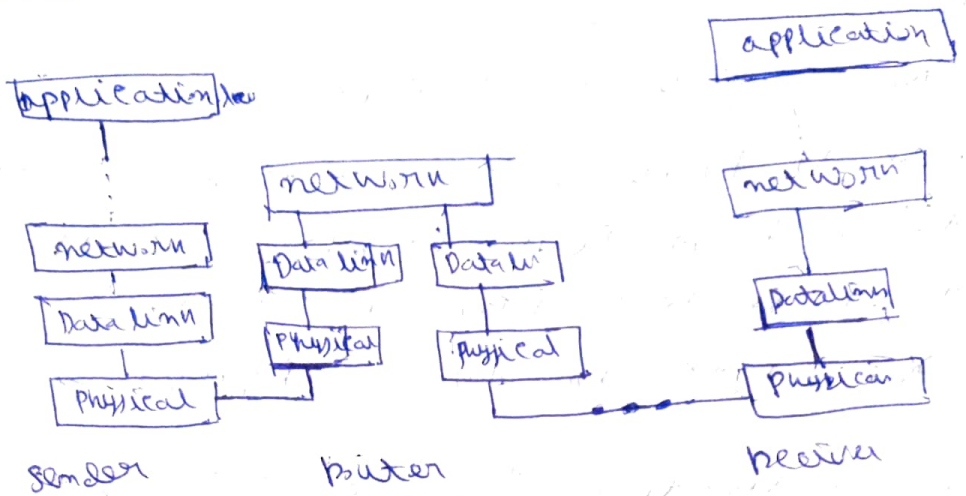
$$= 175452.5 \text{ bps}$$

for higher data rate $N \propto \frac{1}{2}$

So, any = None of the above (d)

10-d

94)



So, for Sender ^{and receiver} we pass through network and data link layer once, and for router we pass network layer once and data link layer 2 times.

So Here

$$X_1 = 1 + (N+1) + 1 = N+3$$

$$X_2 = 1 + 2(N+1) + 1 = 2N+4$$

$$Y_1 = 1 + (K+1) + 1 = K+3$$

$$Y_2 = 1 + 2(K+1) + 1 = 2K+4$$

$$\text{So, } X_2 + Y_2 = 2N+4 + 2K+4 = 2N+2K+8$$

$$2(X_1 + Y_1) - 4 = 2 \times (N+3 + K+3) - 4 = 2N+2K+8$$

$$\text{So, } \boxed{X_2 + Y_2 = 2(X_1 + Y_1) - 4}$$

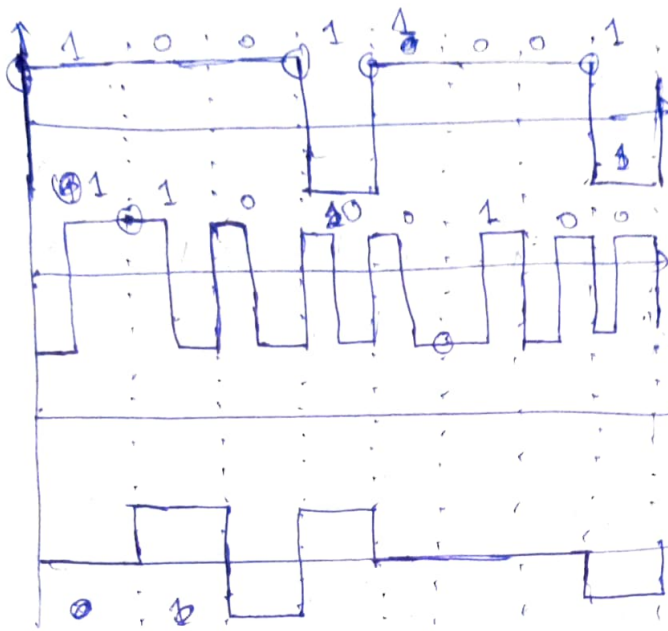
$$X_2 = 2N+4$$

$$\Rightarrow \boxed{N = \frac{X_2 - 4}{2}}$$

Ⓟ

4-6

911
911)



NRZ-I (i)

(ii)

(iii)

0 1 1 1 0 0 0 1

11-a

(a)

12)

$$N = 8 \text{ Mbps}$$

4B/5B and NRZ-I

for NRZ-I $b=1$ so $p_{avg} = N/2$

$$B_{min} = N/2$$

for 4B/5B encoding $N = 8 \times \frac{5}{4} \text{ Mbps}$

$$= 8 \times \frac{5}{4} \times 10^6 \text{ bps}$$

$$\text{So } B_{min} = \frac{1}{2} \times 8 \times \frac{5}{4} \times 10^6 \text{ bps}$$

$$= 8 \times \frac{5}{8} \times 10^5 \times 10^5 \times 10^5 \text{ kHz}$$

$$= 625 \text{ kHz} \quad (b)$$

12-b

Q13)

Here, quantization level $L=12$

$$\text{So, } n_L = \log_2 12 = 3.58$$

but here fraction is not possible for the no. of bits for each signal, so we take $n_L' > n_L$ because ~~we~~ if we take $n_L' < n_L$ then error occurs

$$\text{So, } n_L' = 4$$

$$\begin{aligned}\text{So, } \text{SNR}_{\text{dB}} &= 6.02 \times n_L' + 1.76 \\ &= 6.02 \times 4 + 1.76 = 25.84 \text{ (b)} \\ &= \cancel{25.84} \quad \boxed{13-6}\end{aligned}$$

Q14) ~~now~~

nyquist sampling rate $f_s = 600000$ samples/s

minimum frequency of bandpass channel

$$f_{\min} = 100 \text{ kHz}$$

We know Sampling rate = $2 \times$ maximum frequency of the channel

$$\text{So, } f_s = 2 \times f_{\max}$$

$$\Rightarrow f_{\max} = \frac{f_s}{2} = \frac{600000}{2} = 300 \text{ kHz}$$

So, bandwidth of the signal is

$$B = f_{\max} - f_{\min} = 300 - 100 = 200 \text{ kHz (b)}$$

$\boxed{14-6}$

Q 15)

So Size of Synchronous character is x -bit

Size of asynchronous character is

$x + \text{start bit} + \text{stop bit}$

$$= (x + y + z)$$

So data

data rate $N = nN$ bps

So no. of ~~character~~ character can be sent in 1 second is

~~is~~

So g Synchronous character can be sent in 1 sec

So $g \times x$ bits can be sent in 1 s

$$\text{So } N = g x \quad \dots (i) \Rightarrow g = \frac{N}{x}$$

Similarly,

p asynchronous character can be sent in 1 sec

$$\text{So } p(x + y + z) = N \quad \dots (ii)$$

$$\text{So } g x = p(x + y + z) \Rightarrow p = \frac{N}{x + y + z}$$

$$\Rightarrow p/x = \frac{g}{x + y + z} = \frac{\frac{N}{x}}{x + y + z}$$

$$\text{So } p = \frac{N}{x + y + z}$$

$$Q-P = \frac{N}{x} - \frac{N}{x+y+z}$$

$$Q-P = \frac{N}{x} - \frac{N}{x+y+z} = N \left[\frac{x+y+z-x}{x(x+y+z)} \right]$$

$$= \frac{N(y+z)}{x(x+y+z)}$$

$$\text{So, } \frac{Q-P}{y+z} = \frac{N}{x(x+y+z)} = \frac{P}{x} \quad \left[\because P = \frac{N}{x+y+z} \right]$$

$$\therefore \frac{P}{x} = \frac{Q-P}{y+z} \quad (b)$$

15-6

Group-B

Q10)

| | | | | | | | | | | | |
|------------------|------------------|---|------------------|---|---|---|------------------|---|----|----|----|
| 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 |
| 0 | 1 | 1 | 0 | 0 | 1 | 0 | C | B | A | 1 | 1 |
| $\overline{P_1}$ | $\overline{P_2}$ | | $\overline{P_4}$ | | | | $\overline{P_8}$ | | | | |

$$P_1 = \text{XOR of bits } (1, 3, 5, 7, 9, 11)$$

$$= 0 \oplus 1 \oplus 0 \oplus 0 \oplus B \oplus 1 \quad \dots (i)$$

$$P_2 = \text{XOR of bits } (2, 3, 6, 7, 10, 11)$$

$$= 1 \oplus 1 \oplus 0 \oplus A \oplus 1 \quad \dots (ii)$$

$$P_4 = \text{XOR of bits } (4, 5, 6, 7, 12)$$

$$= 1 \oplus 1 \oplus 1 \oplus 0 \oplus A$$

$$= 0 \oplus 0 \oplus 1 \oplus 0 \oplus 1 \quad \dots (iii)$$

$\therefore P_4 = 0$, as it is an even parity

$$P_8 = \text{XOR of bits } (8, 9, 10, 11, 12)$$

$$= C \oplus B \oplus A \oplus 1 \oplus 1 \quad \dots (iv)$$

from eqn (iii), we can see that this code was coded in even parity.

If there is no error then, $P_1 = P_2 = P_4 = P_8 = 0$

$\therefore P_2 = 1$ So, for even parity $A = 0$

$\therefore P_1 = 0$ So, for even parity $B = 0$

So Here $ABC = 000 (L)$

$16 - L$

Q17)

maximum size of receive window = 16

we, know sequence no starts from 0

Let's Here for Go back N, instead of selective repeat sequence number after sending 100 frames will be 3

~~Sequence no. after 100 frames will be 3~~

$$16 \times 6 = 96$$

So, sequence no. of 97 $\rightarrow 0$ [sequence no. starts from 0]

98 $\rightarrow 1$

99 $\rightarrow 2$

100 $\rightarrow 3$

101 $\rightarrow 4$

\therefore sequence no. after 100 frames will be 4 (L) $17 - L$

Q18)

1. each frame size = 1000 bits

distance between sender and receiver

is 5000 km, propagation speed = 2×10^8 m/s

So, Here data frame trip time =

$$\frac{5000 \times 10^3}{2 \times 10^8} \text{ s}$$

$$= 25 \text{ ms}$$

ack trip time is also = 25 ms

Here, transmission, waiting and processing delays are ignored

$$\text{Data frame transmission time} = \frac{1000}{10^6} = 1 \text{ ms}$$

So, total ~~trip~~ ^{delay} time for a frame is
 $1 + 25 + 25 = 50 \text{ milliseconds}$

we have to send 1 million bits so no. of data frames ~~are~~ is

$$N = \frac{10^6}{1000} = 1000$$

$$\text{So, total delay} = 1000 \times 50 \text{ milliseconds} \\ = 50000 = 50 \text{ s}$$

(ii) for Go-Back-N with window size 7

Here, In worst case, we send full window of size 7 and then wait for ack of the whole window,

So Here, Transmission time for 1 window =

$$7 \times \frac{1000}{100} = 7 \text{ ms}$$

$$\text{data frame trip time} = \frac{5000 \times 10^3}{2 \times 10^8} = 25 \text{ ms}$$

ack transmission time is ignored

$$\text{ack trip time} = \frac{5000}{2 \times 10^8} = 25 \text{ ms}$$

$$\text{So, Here delay for 1 window} = 7 + 25 + 25 = 57 \text{ ms}$$

$$\therefore \text{Total delay} = 1000 \times 57 = 57000 \text{ ms} \\ = 57 \text{ s}$$

So) option (d)

18-d

Q19)

Here for both case,

Window size $S = 32 = 2^5$

So, no of binary bits in a sequence
no. is 5

So, no of Hexadecimal digit in sequence
no will be 2 [000a eedf]

So, for each case $S = 32$ $n = 2$

for, Go-back-N receiver window size is
always 1

So, for state ment 1

S

$$S = (32-1) \cdot n = 2 \quad R = 1 \\ = 31$$

$$So, S - n - R = 31 - 2 - 1 = 28 \neq (10)_{16}$$

$$= 28_{16} \\ + 2_{16} = 30_{16}$$

So, Statement 1 is F

for, selective repeat protocol sender
and receiver window size must be half
of max sequence no

$$So, S = R = \frac{32}{2} = 16 \text{ for state ment-2} \\ \text{and } n = 2$$

So

$$So, 2S + n - R$$

$$= 2 \times 16 + 2 - 16$$

$$= 18 \neq (22)_8$$

So, Statement-2 is ~~NOT~~ ~~True~~

(c)

19-c

Q20) for linear block code, minimum no. of 1s in $\mathbf{1}^1$'s in a codeword is the minimum hamming distance d_{min} . ~~so~~ Here $d_{min} = 2$

$$d_{min} = S + 1 \quad [\text{where } S = \text{no. of errors can be detected}]$$

$$S, S \geq d_{min} - 1 = 2 - 1 = 1$$

$$20-6$$

So 1 error can be detected

Q21)

$$V = 1111 \ 0000$$

$$V = 01p1 \ 0101$$

$$W = 0000 \ 0000$$

$$X = 0900 \ 1111$$

$$Y = 1010 \ 1010$$

$$V + V = (145)_{16} \dots (i)$$

$$S, \ 1111 \ 0000$$

$$+ 01p1 \ 0101$$

$$\begin{array}{r} 1010 \ 0101 \\ \hline 1 \quad 4 \quad 5 \end{array} \quad [\text{If we take } p=0]$$

So, If we take $p=1$ then ~~(i)~~ (ii) is satisfied

$$S, \ p=1 \quad \text{So } V = 0101 \ 0101$$

$$V + X = (144)_8$$

$$0111 \ 0101$$

$$+ 0900 \ 1111$$

$$\begin{array}{r} 0110 \ 0100 \\ \hline 1 \quad 4 \quad 4 \end{array} \quad [\text{If we take } q=0]$$

So, If we take $q=0$ then (ii) is satisfied.

$$\therefore X = 0000 \ 1111$$

$$S, U = 11110000$$

$$V = 01010101$$

$$W = 00000000$$

$$X = 00001111$$

$$Y = 10101010$$

$$S = 2k+1$$

$$k = 2$$

$$10000101$$

$$10000101$$

Hamming $d_{\min} =$

$$d(U, V) = 1+1+1+1 = 4$$

$$d(U, W) = 1+1+1+1 = 4$$

$$d(U, X) = 1+1+1+1+1+1+1+1 = 8$$

$$d(U, Y) = 1+1+1+1 = 4$$

$$d(V, W) = 1+1+1+1 = 4$$

$$d(V, X) = 1+1+1+1+1 = 5$$

$$d(V, Y) = 1+1+1+1+1+1+1+1 = 8$$

$$d(W, X) = 1+1+1+1 = 4$$

$$d(W, Y) = 1+1+1+1 = 4$$

$$d(X, Y) = 1+1+1+1 = 4$$

$$So, d_{\min} = 4$$

we know $d_{\min} = 2k+1$ where k is the no. of bits

guaranteed

to be corrected

$$So, $k = \frac{d_{\min} - 1}{2} = \frac{4-1}{2} = 1.5$$$

So, Here 1 bit is guaranteed to be corrected. (Q)

21-60

22)

CRC generator is 1101 so

CRC polynomial = $x^3 + x^2 + 1$

$$\begin{array}{r}
 x^3 + x^2 + 1 \overline{) x^6 + x^2 + 1} \\
 \underline{x^6 + x^5 + x^3} \\
 x^5 + x^3 + x^2 + 1 \\
 \underline{x^5 + x^4 + x^2} \\
 x^3 + x^2 + 1
 \end{array}$$

(1) multiplying x^3 to argument we get $x^9 + x^5 + x^4$

$$\begin{array}{r}
 (x^3 + x^2 + 1) x^9 + x^5 + x^4 \\
 x^9 + x^8 + x^6
 \end{array}$$

Q22) CRC generator = 1101

(i) Data word = $x^6 + x^3 + x$

$$= 1001010$$

$$1101 \overline{) 1001010000} \quad (1111001$$

$$\underline{1101}$$

$$1000$$

$$\underline{1101}$$

$$1011$$

$$\underline{1101}$$

$$1100$$

$$\underline{1101}$$

$$0010$$

$$0000$$

$$\underline{0100}$$

$$0000$$

$$\underline{1000}$$

$$1101$$

$$\underline{101}$$

$$\text{Code word} \Rightarrow \boxed{1001010 \mid 101} \Rightarrow 1 + x^2 + x^4 + x^6 + x^9$$

221

(1) \rightarrow (2)

(ii)

$$\text{data word} = x^6 + x^3 + x^2 + x$$

$$= 1001110$$

$$1101) 1001110.0000 \quad (1111110$$

$$\begin{array}{r} 1101 \\ \underline{1001} \\ 1101 \\ \underline{1001} \\ 1101 \\ \underline{1000} \\ 1101 \\ \underline{1010} \\ 1101 \\ \underline{1110} \\ 1101 \\ \underline{0011} \\ 0000 \\ \underline{110} \end{array}$$

$$\text{So, Code word} = \boxed{1001110 \mid 110}$$

$$x = x + x^2 + x^4 + x^5 + x^6 + x^9$$

(ii) - (1)

(iii)

$$\text{Data word} = x^8 + x^7 + x^6$$

$$= 141000000$$

$$1101) 111000000000 (101001110$$

$$\begin{array}{r}
 1101 \overline{) 111000000000} \\
 \underline{0110} \\
 0000 \\
 \underline{1100} \\
 1101 \\
 \underline{00010} \\
 0000 \\
 \underline{0100} \\
 0000 \\
 \underline{1000} \\
 1101 \\
 \underline{1010} \\
 1101 \\
 \underline{11010} \\
 1101 \\
 \underline{00110} \\
 0000 \\
 \underline{110}
 \end{array}$$

$$S_3, \text{ Code word} = 1110000000110$$

$$\Rightarrow x + x^2 + x^9 + x^{10} + x^{11}$$

(iii) - (5)

2) none of these above

22-8

23)

Data word $\rightarrow 100103 \cdot 1101011011$
 $\uparrow \qquad \qquad \uparrow$
 $1101 \qquad 10011$

$100100 \rightarrow x^5 + x^2$
 $x^8 + x^5 \rightarrow$ augmented data word

$1101) \overline{100100000} (1101101$
 $\quad \quad 1101 \downarrow$
 $\quad \quad \underline{1000}$
 $\quad \quad 1101 \downarrow$
 $\quad \quad \underline{1010}$
 $\quad \quad 1101 \downarrow$
 $\quad \quad \underline{1110}$
 $\quad \quad 1101 \downarrow$
 $\quad \quad \underline{0110}$
 $\quad \quad 0000 \downarrow$
 $\quad \quad \underline{1100}$
 $\quad \quad 1101$
 $\quad \quad \underline{001}$

So, Code word $\Rightarrow \boxed{100100 | 001}$
 $\Rightarrow 1 + x^5 + x^8$

So) (iii) - (3)

$11010110110000 \rightarrow$ augmented data word
 $x^9 + x^5 + x^7 + x^8 + x^{10} + x^{12} + x^{13}$

~~1100~~

10011) 11010110110000 (110000101

$$\begin{array}{r}
 10011 \downarrow \\
 \underline{10011} \\
 10011 \\
 \underline{10011} \\
 000010110 \\
 \quad 10011 \\
 \quad \underline{01010} \\
 \quad 00000 \\
 \quad \underline{14001} \\
 \quad 10100 \\
 \quad \underline{10011} \\
 \quad 01110
 \end{array}$$

So

Code word \Rightarrow 1101011011 | 01110

$$x + x^2 + x^3 + x^4 + x^5 + x^6 + x^7 + x^8 + x^{10} + x^{12} + x^{13}$$

(v) - (5)

(ii) - (3) (v) - (5) (c)

23 - e

Q29) Let's have even parity

| | | | | |
|---|---|---|---|---|
| 1 | 1 | 1 | 1 | 0 |
| 1 | 1 | 1 | 0 | 1 |
| 0 | 0 | 0 | 1 | 1 |
| 1 | 0 | 0 | 0 | 1 |
| 1 | 0 | 0 | 0 | 1 |

(i)

| | | | | |
|---|---|---|---|---|
| 1 | 1 | 1 | 1 | 0 |
| 1 | 1 | 1 | 0 | 1 |
| 1 | 0 | 0 | 1 | 0 |
| 1 | 0 | 0 | 1 | 0 |
| 0 | 0 | 0 | 1 | 1 |

So error will be detected

(ii)

| | | | | |
|---|---|---|---|---|
| 1 | 1 | 1 | 1 | 0 |
| 1 | 1 | 1 | 0 | 1 |
| 1 | 0 | 0 | 0 | 1 |
| 0 | 0 | 0 | 1 | 1 |
| 1 | 0 | 0 | 0 | 1 |

here some parity bits are generated so can't detect error

(iii)

| | | | | |
|---|---|---|---|---|
| 1 | 1 | 0 | 0 | 0 |
| 0 | 0 | 1 | 0 | 1 |
| 0 | 0 | 0 | 1 | 1 |
| 1 | 0 | 0 | 0 | 1 |
| 0 | 1 | 1 | 1 | 1 |

here error can be detected

option - (b)

24-b

Q25)

Statement-1 is True

CRC can detect more error than checksum due to its more complex function. CRC is an improvement over checksum

Statement-2 is ~~not~~ ~~false~~ true

If several 16-bit words are ~~impl~~ incrementally during transmission, but the total change is multiple of 65535, the sum and checksum doesn't change. So, it fails to detect error.

Ans - option (c)

25-c

26.

CRC polynomial is

$$x(x^{n-1} + 1) + (x^{n-6} + 1)$$

taking $n=8$

$$g(x) = x(x^7 + 1) + (x^2 + 1)$$

$$= x^8 + x^2 + x + 1$$

$$\text{degree of } g(x) = p = 8$$

(i) Burst errors of size $8+1 = p+1$ will be deleted with probability $1 - \left(\frac{1}{2}\right)^7$ i.e. $1 - \left(\frac{1}{2}\right)^{p-1}$
 $= 0.992$

(ii) Burst errors of size $(2n+1) > (p+1)$ will be deleted with probability, $1 - \left(\frac{1}{2}\right)^{2p}$
 $= 1 - \left(\frac{1}{2}\right)^8 \approx 0.996$

So, option (B) & (D)

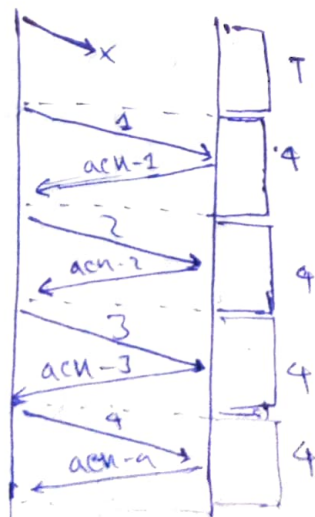
26-D

Q 27)

Here ~~first~~ ^{0th} frame is ~~lost~~

Here first frame is lost so a timeout will occur then first frame resends

So:



So, Here we can see total time required to send 4 frames is
 $T + 4 \times 4 = T + 16$

So Here total time ~~to~~ to complete this process is 22 ms,

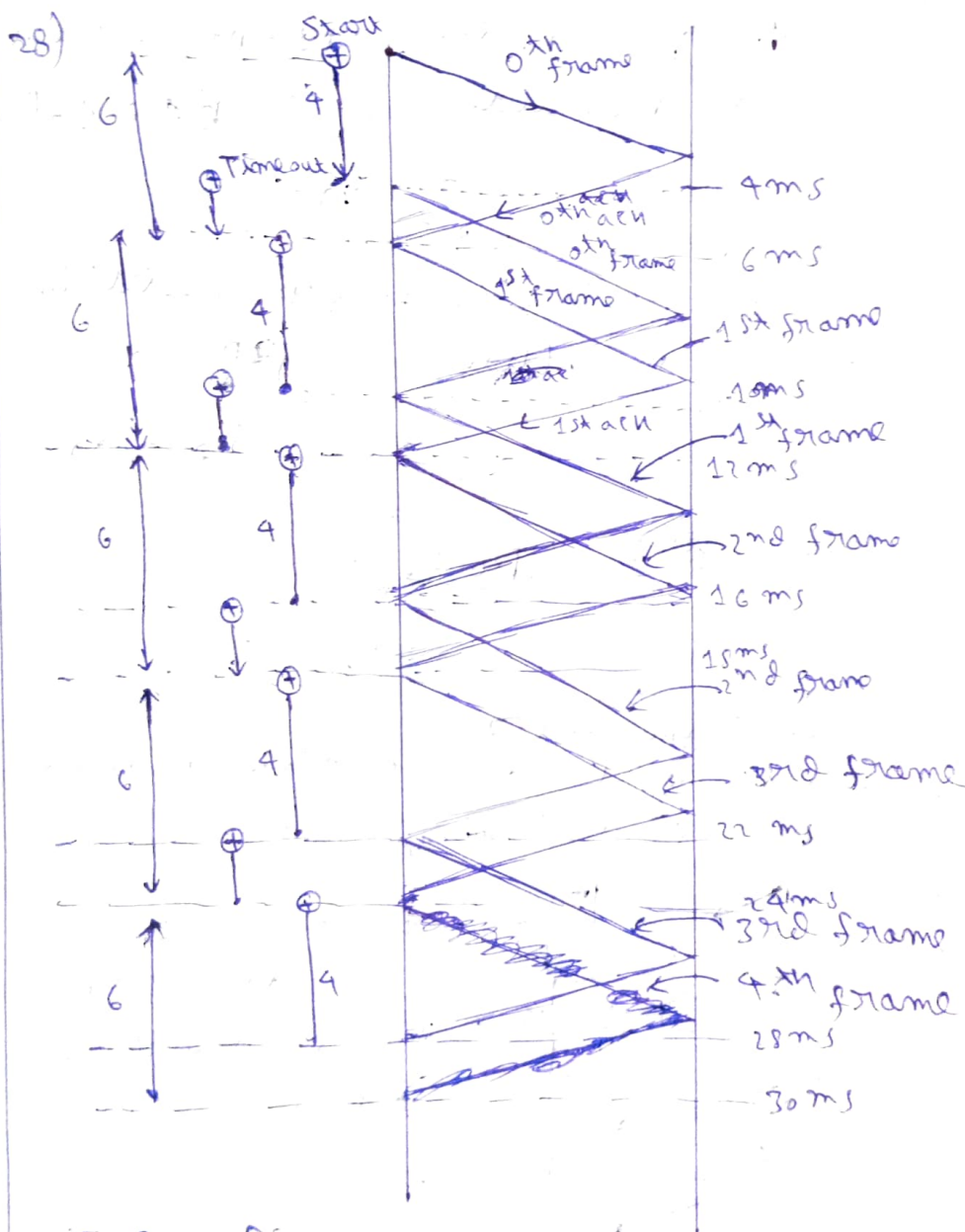
So,

$$T + 16 = 22$$

$$\Rightarrow T = 22 - 16 = 6 \quad \text{So, } T \leq 7$$

$$\left\lceil \frac{T}{\text{round Trip delay}} \right\rceil = \left\lceil \frac{6}{4} \right\rceil = \lceil 1.5 \rceil = 2$$

27-e

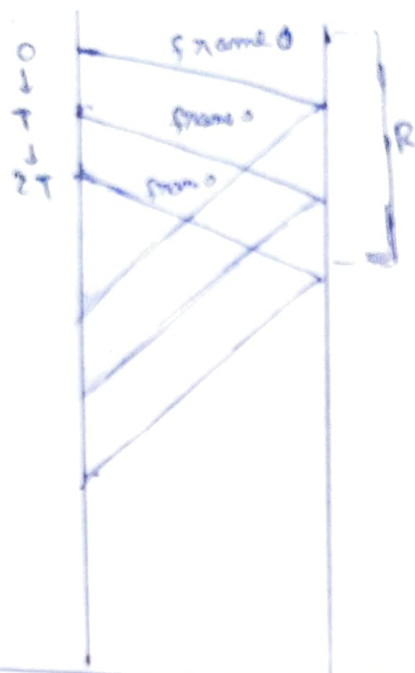


So from diagram we can say total time required to complete this process is ~~22ms~~ 28ms

So answer is (d)

28-d

Q29)



This is clearly shown in the picture that the round trip time must be $\geq T$

So, here

$$R \geq T$$

$$\Rightarrow \boxed{R \geq T}$$

Q30) We need to insert a zero after 5 consecutive 1's for bit-stuffing to work in this case.

X=1 because we will check whether the incoming bit from buffer is 1 or not. If bit is 1; we increment a counter (to keep track of incoming 1's); or else set is to 0 to indicate a consecutive 0 group has been processed. Y=5

because we need to keep track of the moment where the number of consecutive 1's (stored in counter) becomes 5. When it becomes 5, we will add bit Z=0 as per bit-stuffing rule.

$$\boxed{Z=0}$$