Second Year-Second Semester

Course code	CSE/BS/B/Math/T/221	
Category	Basic Science	
Course title	 Mathematics IV	
Scheme and Credits	L-T-P: 4-0-0; Credits: 4.0; Semester – I I	
Pre-requisites (if any)		

Syllabus:

Discrete Structure:

Set Theory: Review of set theory basics, Partially ordered sets, Lattice, Relations, Equivalence relations and induced partitions, Countable and uncountable sets and their properties. Reordered sets. Least upper bound property. Statement of real number system as an ordered field with least upper bound property. Rational

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jumbers. Algebraic and transcendental numbers. Infinite decimal expansion of real numbers. C diagonalisation method for uncountability of real numbers.	antor's 10 L
diagonalisation method for uncomment	rations
time and compound propositions, Basic logical ope	iations,
Mathematical Logic: Propositions and composition, inference, qua	ntitiers
diagonalisation method for uncountability of diagonalisation metho	6L
functions: inverse functions; special	4 L
the start and surjections; composition of functions, investigation	
Truth tables, Tautologies and contrary Functions; mappings; injection and surjections; composition of functions; inverse functions; special	
The state of the s	

Proof strategies and Mathematical Induction

functions; recursive function theory;

2L

Pigeonhole principle, Permutation and combinations

4L

4L

Mathematical Theory of Probability: Basic concepts, Classical and axiomatic approaches, Sample space and events, Properties of probability functions.

Conditional probability and independent events, Concept of random variable, Discrete and continuous probability density, mass and distribution functions

Expectations and moments, Moment generating and characteristic functions, Uniform, binomial, poisson, exponential and normal distributions, Multi - dimensional random variables and random vectors, Joint, marginal and conditional probability distributions

Functions of random variable and random vector, Linear transformation of random variable and random vector, Independent random variables, Mean square estimation, Correlation and regression, Central limit 6L theorem.

Introduction to stochastic processes: Markov, stationary and ergodic processes, Correlation function and power spectral density. Introduction to Queuing Theory: Kendall's Notations, M/M/1, M/M/m Queue, effect of bulk arrival

Books:

1. C. L. Liu, Elements of Discrete Mathematics 2. J.L. Matt, A. Kandal and T. P. Taluk Dar: Dicrete Mathematics for Computer Scientists and Mathematicians

3. S.K. Mapa, Higher Algebra, Abstract and Linear

- 4. Amritava Gupta, Groundwork of Mathematical Probability and Statistics
- 5. A. M. Goon, M.K. Gupta and B. Dasgupta, Basic Statistics

6. J. Medhi, Stochastic Process

7. R. A, Fisher, An Introduction to Probability theory and its applications, Vol-1

Course Outcomes (CO):

1. be able to learn the basic mathematical objects such as sets, relations, and mappings and their simple

2. learn basic concepts of real number system including least upper bound property, different representation of real number, and Canforce method for uncountability of real number.

3. be familiar with mathematical logic in the capacity of propositional logic and predicate logic. Gain knowledge in using mathematical induction in basic combinatorics to apply in counting finite elements.

understand key concepts of probability including discrete and random variables, probability distribution. will learn general properties of joint marginal and conditional distribution, expectations, moments and variant which help to analyze these distributions.

5. be able to define and explain different popular distribution (normal, binomial, poisson). Be able to understand functions of random variables and random vectors with their linear transformation, correlation, regression, central limit theorem which are relevant to data analysis.

6. be familiar with markov process, correlation functions and power spectral density and understand basic concepts of queuing theory and some important queuing models.

Mathe matics IV	Program Outcomes										Program Specific Outcomes					
CO	PO 1	PO 2	PO 3	PO 4	PO 5	PO 6	PO 7	PO 8	PO 9	PO 10	PO 11	PO 12	PSO1	PSO2	PSO3	PSO4
CO 1	2	1								-			2		1.	
CO 2	2	1											2			See Age
CO 3	2	1		2									2	-	1.	
CO 4	1 .			2					-				1		1	
CO 5	1			2				†				-	1		2	
CO 6	1			2							-	-	1		2	