



①

① DBMS is a collection of interrelated data (i.e. database)

2 → to manage. a set of programs is required to interact with the database

→ Data stored in secondary storage.

(only way for permanent storage)

FILE

② DBMS provides an efficient & convenient interface for storing & retrieving information to/from database.

High Level Languages

- ↳ how to store data in files
- ↳ how to work with files

if Database ⇒ Collection of files.

↳ we conventional file processing system through high level languages.

→ COBOL was very popular before 90s

Common Business Oriented Language

Easy for file handling.

Why DBMS? (WRT Conventional file processing systems),

①

→ Data Redundancy

2 → Inconsistency

multiple copies

If some information is kept ⇒ Redundancy

↓
Lots of difficulties,

Programmer will have to take care of a no. of issues where DBMS will take the major responsibility (less burden on programmer).

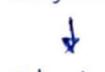
AppIn Program → No. of modules.

Admission



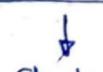
Student

Result



Student

Account



Student



Sharing info across the modules,

→ Info. appearing at multiple places.

Redundancy

→ Wastage of space.

Leads to inconsistency.

If multiple copies of same data exist & they are not updated simultaneously then the copies Differ,
In consistency

(2)

→ Difficulty in accessing data, while the programs are per the requirement to retrieve necessary data.

Requirement is changed.

$\Delta = 60\% \rightarrow M$
parametric
 40%.

If requirement is changed, existing program may have to be modified / new prog. may have to be written.

DBMS

→ SQL Statements

SELECT ROLL, NAME

FROM STUDENT

WHERE _____ ;

→ Data of an entity may spread across no. of files to get the complete information. There are to be required.

(3)

→ Isolation of Data

STUDENT

(ROLL, NAME, DOB, ...)

Result

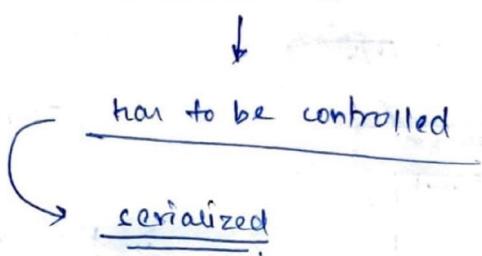
- ROLL
- Sub
- Score Score

Account

- Roll
- fees paid upto

④ Concurrent Access Anomalies.

↓
if some piece of data is
simultaneously accessed by no. of process/thread,
then it is concurrent access.



⑤

Security enforcement

→ No. of users for the database.
user can access only part of the data

HOD CSE HOD ETCE HOD CE
↓
→ CSE UG I
→ CSE UG II
...

⑥

Integrity Problem

→ Data must satisfy certain constraints
Each student has Roll (unique), Name, ...

STORED

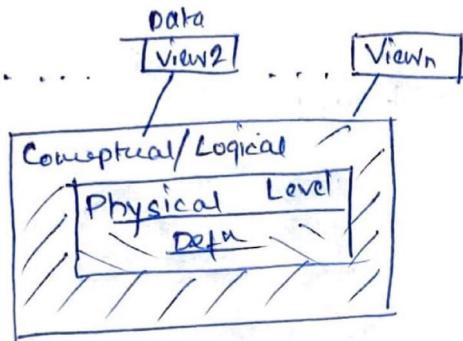
{

→ check entity or not(.)
}

→ DBMS provider contracts for specifying the constraints on data &
DBMS ensures that constraints are not violated

Data Abstraction

- hiding the complexity of internal representation.
- DBMS provides abstract view of data.



Physical Level

↓
↳ How data is stored?

Conceptual Level

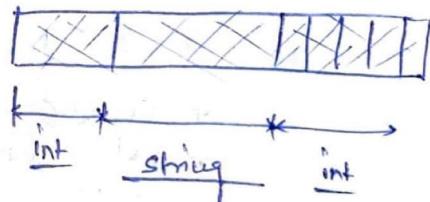
↓
↳ What data is stored?

struct Student {

```

    int roll;
    char name[8];
    int score[5];
}
```

$$2 + 3 + 10 = \underline{15}$$



View Level

The way data is to be seen by the user.

Record Based Model



Database is a collection of files. File is a collection of records.

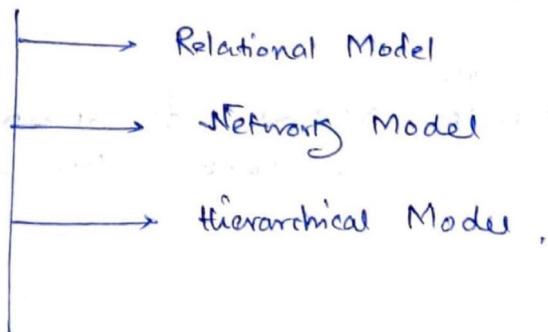
Record Base Model

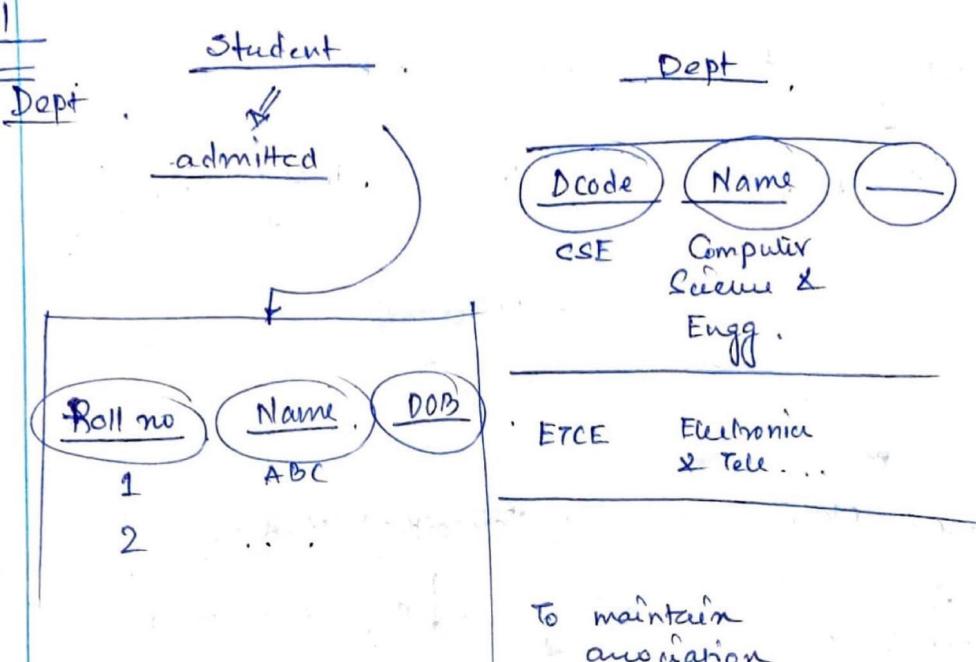
Data Model

→ This is the concept of data model underlying the structure of a database.

→ It is the collection of conceptual tools to describe the data. Their interrelationships

data semantics & constraints.



Relational Model

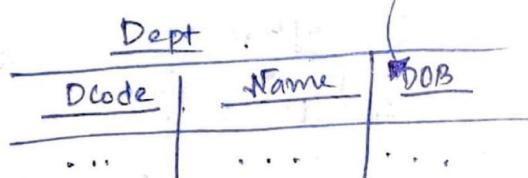
To maintain association

We are adding a field, Dcode

In a relational model to establish the relation b/w types of records as a part of the record, a common attribute is kept based on the value of that attribute association is maintained.

Network Model

Instead of keeping the value of common attribute in the record, a pointer/~~link~~ to the related record is kept.



pointer to the corresponding dept. record

Advantage Finding the

related record base on the link in table

Cons If records are relocated, all links have to be changed.

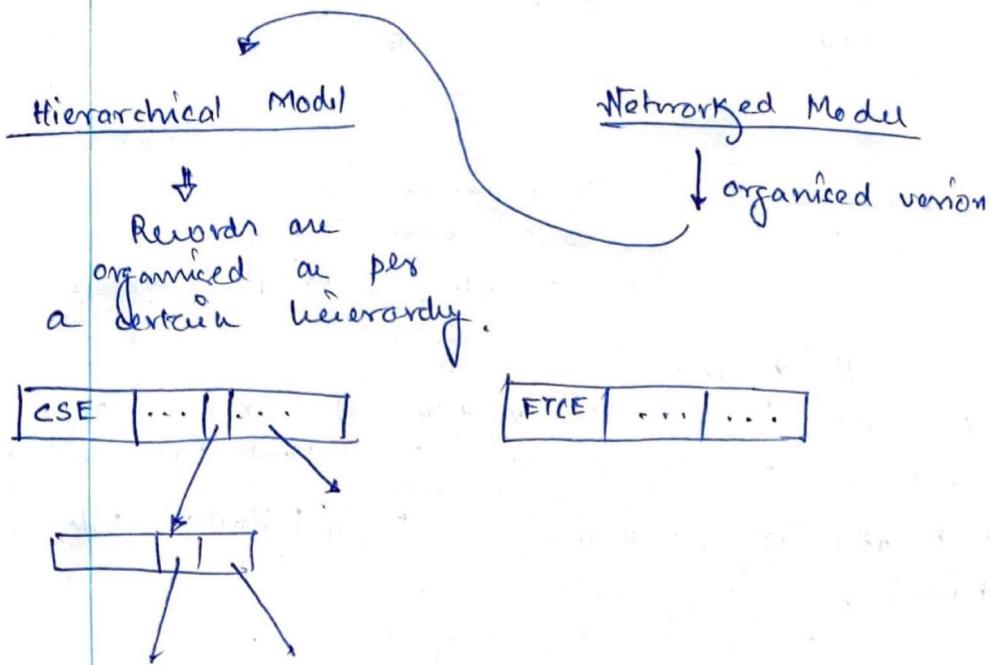
Different types of related entities



No. of files

→ links in different files give rise to a forest

→ Unorganized



Instance & Scheme (schema) of a database

→ Overall structure of the database.

→ Student (Roll:int, Name:string, DOB:date)

→ Schema also get modified

But ⇒ Infrequent

add Record
Modify data
delete Record

{ at different
points
of time !

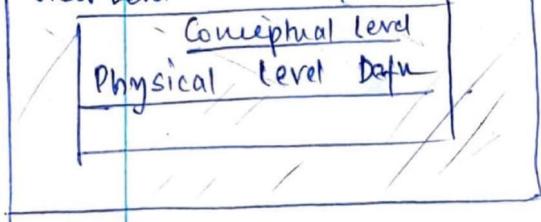
Content gets
changed.

$x_1 \Rightarrow$ Instance₁

$x_2 \Rightarrow$ Instance₂.

Data Independence

View Level



→ Capability of modifying
the defn at a level without
affecting the higher level defn. ⑦

Appln.

Conceptual Level

Independence



Conceptual defn
changed but no change in
appln program.

Physical level defn. independence
is achieved if change in the
physical level data does not have
any impact on the appln program code.

Achievable → Physical Level Independence is achieved if changes in physical defn do not have any effect on appl'n program.

To Work with database

↓
Languages

DBMS
Abstraction
mostly we deal with logical defn
Relational Independence

Commercially →

SQL

Structured Query Language

DDL

(Data Defn. Language)

↓

Used to specify/ modify the schema of the database.

DML

(Data Manipulation Language)

Procedural

Non-procedural

Manipulation Language

CRUD operations

Delete
Update
Create
Retrieve

STUDENT

start see
{

clear name [3i];
int roll;

; ...

Always with cohort data in read,
how to get the data is also specified.

The non-procedural part of SQL
is in the context of and user prog. lang
* DML

Only what is reqd. & how
to be specified not how,

Database Manager

↓
S/W module forming the core part of DBMS.

→ Interaction with file manager of operating system.

File management \Rightarrow Responsibility of Disk Blocks.

→ Interact with secondary storage
Access the disk

Accessing data

Database manager interacts with file manager to work with data in disk.

Database Manager

→ Integrity enforcement.

→ The core part of DBMS

Data must satisfy condition/ consistent.

S/W Module forming

Whenever there is a change in database instance \Rightarrow constraint.

↳ Are to be validated?

→ Security Enforcement

→ All data is not accessible by each & every user.

→ Who can access what & for what purpose

→ Security is enforced

→ Backup & Recovery

→ Failure may occur.

→ Has to be recovered to ensure that database remains in

Account

valid state

old valid state

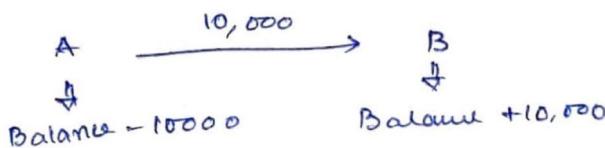
(No transaction)

AC-NO

BALANCE

New Valid State

(The transaction will succeed)



→ Concurrency Control.

DBA

(Database Administrator)

→ Overall Schema Defn.

→ Storage structure are specific.

Oracle
|
| → Student (-)
| → Dept (+)

What are the files?

Functional module of DBMS.

→ Database manager.

→ DDL Compiler. ⇒ Translate DDL statement &

Generator
metadata which is stored into data dictionary.
(part of database)

CREATE TABLE STUDENT

{ ROLL NUMBER UNIQUE }

}

① Student created by user

② Student ⇒ Roll Type

Name

General

→ DML Pre-compiler

DML ⇒ Non-procedural ⇒ For efficient

Convenient interaction with database.

→ In an application procedural aspects are also required.

↳ Loop, if else, var, constants, etc.

(HLL) → Procedural features, etc.

HLL

+ DML

Host Language..

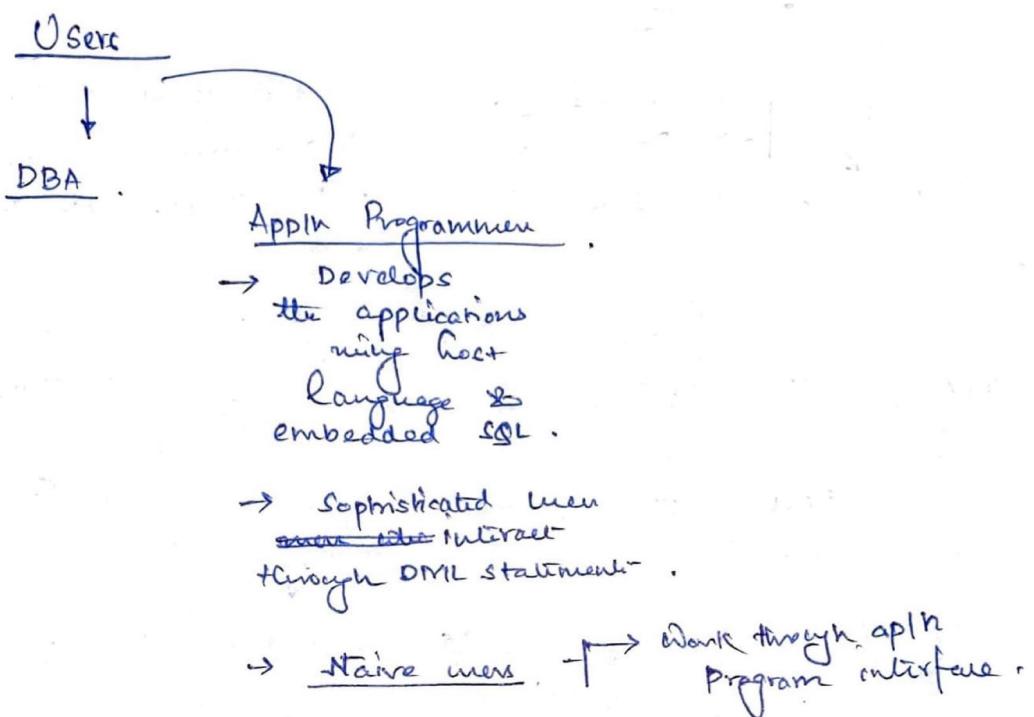
DML statements are embedded, →

DML precompiler

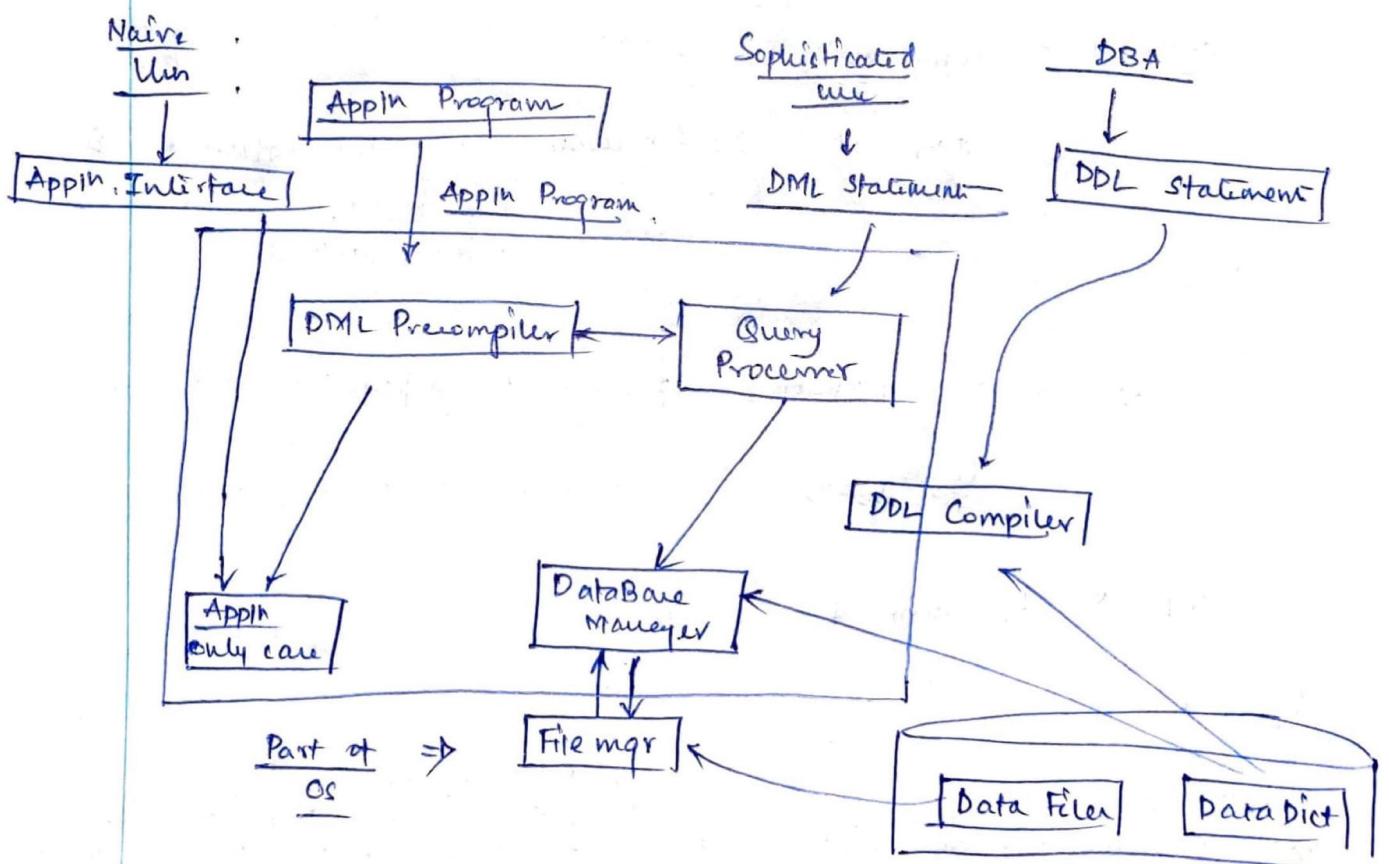
converts embedded DML statement into equivalent host lang. statement.

→ Query Processor ⇒ Query Processor translates user given query into a form that the system understands.

Also performs an optimisation to convert the query into an equivalent but efficient form.



Overall Structure of DBMS



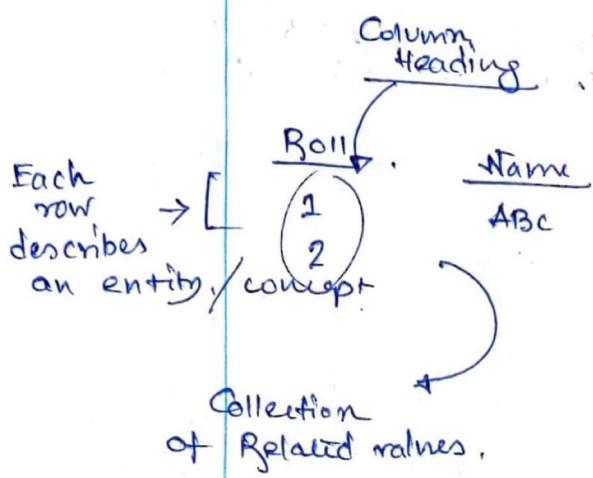
- Network Model
- Hierarchical Model
- Relational Model



→ Database is a collection of relations.

→ Relation is a table of values.

→ File containing records.



Formal

Table → Relation.

Row → Tuple.

Column → Attribute Header

DOMAIN

- A domain D is a set of atomic values
- ↓
- Indivisible
- Each attribute has a DOMAIN.
- In a tuple, attribute can take a value from its domain.
- DATATYPE for an attribute describes the domain.

Roll . Number (3,0)

→ 0 - (999) ↕

Composite as it can be divided

Phone No.
8-digit Nos.

Atomic / Indivisibility
is usecase specific

String (60)

Name

First Name

Middle Name

Last Name

area code

→ Serial Code

Roll No.

<u>Year of Admission</u>	<u>Course Code</u>	<u>Serial No.</u>
--------------------------	--------------------	-------------------

- A relation schema R , denoted by $R(a_1, a_2, \dots, a_n)$ is made up of a name R and a set of attributes $A_1, A_2, A_3, \dots, A_n$.
- Each attribute A_i is the name of the role played by the value from domain of A_i . Each attribute A_i has a domain $\text{DOM}(A_i)$.

Roll \Rightarrow 3 digit integer
Score \Rightarrow 3 digit int.



Degree of Relation \Rightarrow No. of attributes in the schema.

A Relation/ Relation Schema

↓
Relation Schema $R (A_1, A_2, \dots, A_n)$
is denoted by $\sigma(R)$



A collection of n -tuples,

$$\sigma = \{ t_1, t_2, t_3, \dots, t_m \}$$

t_i is a n -tuple of the form

$$(v_{i1}, v_{i2}, v_{i3}, \dots, v_{in})$$



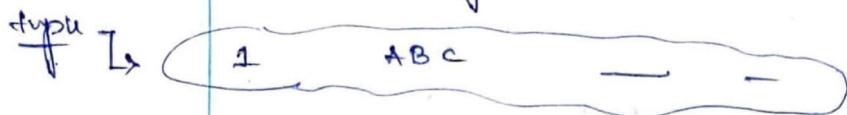
Each n -tuple is an ordered list of n values v_{in}

$$v_{in} \in \text{dom}(A_i)$$

v_{in} is the value for i th attribute

(3)

$R \Rightarrow \text{STUDENT}(\text{ROLL}, \text{NAME}, \text{DOB}, \text{PHONE})$,
degree - n



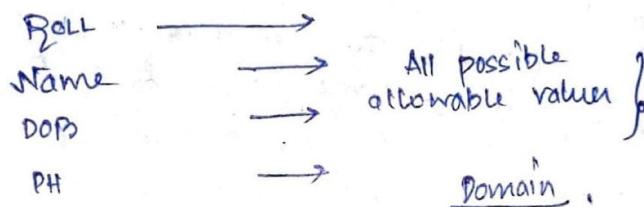
$t \Rightarrow \text{tuple}$ $t[A_i] \Rightarrow \text{value of } A_i \text{ in tuple } t$.

Formal defn of relation $\sigma(R)$

A relation $\sigma(R)$ is a mathematical relation of degree n on $\text{Dom}(A_1), \text{Dom}(A_2) \dots \text{Dom}(A_n)$.

$\sigma(R) \subseteq \underbrace{\text{DOM}(A_1) \times \text{DOM}(A_2) \dots \text{DOM}(A_n)}$,

\Downarrow
 Subset of cartesian
 product of the attribute domains,



Cardinality of domain
 cartesian pool

$$\frac{|\text{DOM}(A_1)| \times |\text{DOM}(A_2)| \times \dots}{\times |\text{DOM}(A_n)|}$$

\rightarrow tuples in $\sigma(R) \subseteq$

Relation state at a time \Rightarrow

Instance of the relation

Consisting of valid tuples
 of that point
 of time.

What is a relation intension?

NOT Intention

① Relation Intension \Rightarrow Relation Schema

SION

Extension of a relation \Rightarrow Instance Relation State

② Relation

Characteristics of relation in relational model

- Tuples are unordered.

$$\sigma(R) = \{t_1, t_2, \dots, t_n\}$$

- Ordering of attributes in a tuple

↳ May not be ordered.

May be ordered in a tuple

$$\sigma(R) = \{t_1, t_2, \dots, t_n\}$$

$$\& t_1 = \langle v_1, v_2, \dots, v_n \rangle$$

$v_i \in \text{dom}(t_i)$,

[One to one mapping]

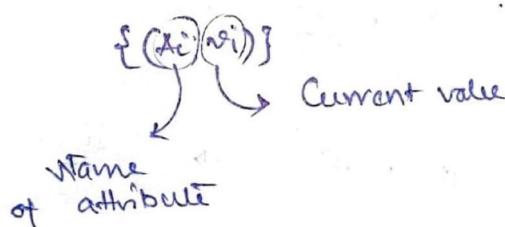
may not be ordered

A relation $\sigma(R)$ for the schema R is a finite set of mappings from R to D .

depends on the type.
are ordered according to the appearance of attributes in the relational scheme.

$$D = \bigcup_{i=1}^n \text{Dom}(A_i).$$

$t_i \Rightarrow$ collection of Attribute value pairs.



- Tuples are unordered.
- Attribute in a tuple may/may not be ordered.
- In a tuple, an attribute can have atomic value & a single value.

$v_i \Rightarrow$ Value of A_i .

$v_i \in \text{DOM}(A_i)$,

Attributes are composite & single valued in a tuple.
non Simple

→ Null Value

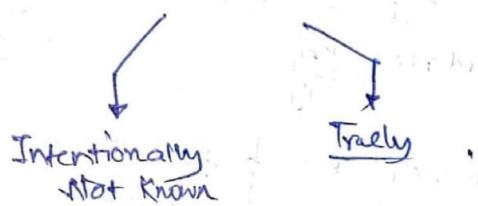
An attribute value must be taken from its domain / it may be NULL. \Rightarrow Does not mean 0 or Does not mean space.
 \downarrow
Absence of any value

Design Criteria

\uparrow
Minimise the occurrence
of Null values.

Null Value

- Attribute is not applicable for that entity.
- Applicable but value is not known.



- Meaning of a relation, a relational schema can be interpreted as a type of declaration/annotation.

Student (Roll, Name, Dob),
Data must satisfy certain constraints.
Constraints in DBMS.

Schema based constraint

- Constraints that can be defined alongwith schema specification.

Appn based constraints

Model Based.
Constraints that are inherent in the underlying model.

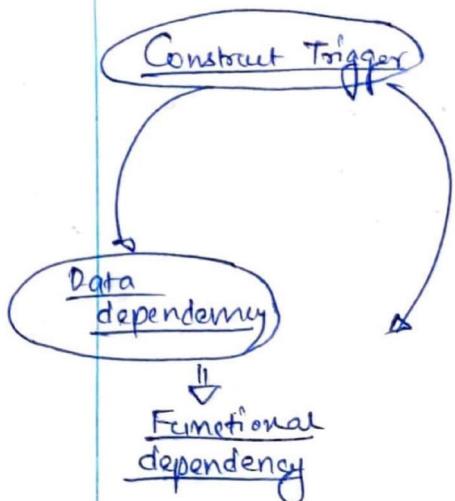
Relational model \Rightarrow Tuples unordered
attribute in type.

Attribute \Rightarrow Simple/Non-Composite

\Downarrow
Single Valued

→ Score cannot exceed full mark

→ Score < Total Salary of his/her boss.



For each ~~datatype~~ attribute →
specify the datatype → way to create
define the domain.

CREATE TABLE
STUDENT (...).

Domain Constraint

(Please check Recording)

Primary Key Constraint

→ Let SK be a subset
of attributes from the schema

$R(A_1, A_2, A_3 \dots A_n)$. Be such that
any pair of tuples $t_1, t_2 \in r(R)$.

(Please check
Recording).

If $t_1(SK) \neq t_2(SK)$,
then SK is called superkey of R

Superkey

(Please check
Recording).

Result (Roll, Score, Grade).

Primary Key \Rightarrow Multiple candidate key exist in
a Relation.

One of the candidate keys is
chosen by
on the primary key

Unique
Unique

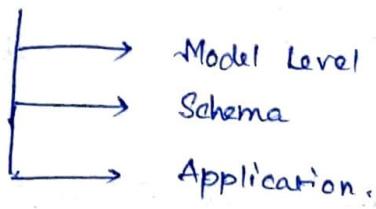
Student (RegNo, Roll)

Within the
scope of the
application,
which candidate
key is oftenly

used in
reality for
identifying the
entity denoted by the type.

→ Smaller in size is preferred.

→ Alphanumeric is preferred over alphabetic.

Constraints

valid state (consisting of tuples satisfying constraints)

Domain
Primary Key

} Can be specified

along with Schema Defn

Relational Database

A relational database is the collection of relations schema of relational database consists of $S = \{R_1, R_2, R_3, \dots, R_n\}$ & Set of Integrity Constraints
Set of Schema

State of Relational Database. = $\{\sigma_1, \sigma_2, \sigma_3, \dots, \sigma_n\}$
where $\sigma_i = \sigma_i(R_i)$.

→ Entity Integrity constraint

Primary Key is not NULL,

used to identify the entity/object tuple in a reln.

absence of any value,

→ Referential integrity constraint & Foreign Key.

DEPT

DCODE, DNAME
(Primary Key)

D₁ -
D₂ -
D₃ -
D₄ -

list of Dept.

STUDENT

NAME DOB PHONE

DCODE

REGN

R₁
R₂
R₃
R₄
R₅

Any value kept here must be present in Dept.

R_1 & R_2 are two relations. Let P_K be the subset of attributes in R_1 and it is the primary key in R_1 . Let F_K be the subset of attributes in R_2 .

If \rightarrow F_K is the foreign key in R_2 referencing P_K of R_1

- Domain of P_K in R_1 and domain of F_K in R_2 are same.

For any tuple $t_2 \in r_2(R_2)$, either $t_2(F_K)$ is

- null or there exists a tuple $t_1 \in r_1(R_1)$, such that $t_1[P_K] = t_2[F_K]$.

R_2 references R_1 .

R_1 is called Referenced Relation.

R_2 is called Referencing Relation.

F_K of R_2 refers P_K of R_1 .

Referential Integrity.

DML Statement

Relation is defined \Rightarrow DDL Statement

Retrieves data from a Relation
 { Add data
 Modify data
 Delete data

Impact of Referential Integrity on DML operations.

Referenced Relation

\rightarrow No impact of Referential Integrity. Tuple must have unique value for P_K [PK Constraint].

Referencing Relation

\rightarrow Value in foreign key field must be present in the primary key field of referenced relation else not allowed.

DML operation

Add Data

\rightarrow If primary key is changed (Bad practice) & if the old value is referred by referencing relation then not allowed.

\rightarrow If foreign key field is changed then value must be present in primary key field of referenced relation, else not allowed.

Modify Data

\rightarrow If primary key value of the tuple to be deleted is referred in referencing relation, then not allowed.

\rightarrow No problem.

Delete Data

→ Model Level

→ Schema Level.

→ Other constraints

— Appn. Level

triggers.

Functional Dependency
(Data Dependency),
Formal design of database.

Subject
SCODE Fm Pm

Result
Roll SCODE SCORE

1. Adding Record

Cannot exceed
FM

2. Modify Record

⇒ Piece of Code
Triggered by

Relational Model

→ To work with the relations.

Model should contain
provide language

Relational Algebra (Procedural)

Relational Calculus (Non-Procedural).

Expression specifies
what is required
(No operation, how?)

An expression is a sequence of operations on one/more relations + provides another relation as output.
→ Output one/more relation. O/P another relation.

SELECT

STUDENT

Roll = 1

$\delta_{\text{Roll}=1} (\text{student})$,
Select operation.

$\text{Score} > 80$

$t \cdot \text{Roll} = 1 \}$,
 $t \cdot \text{Score} > 80$.

Calculus
 $\{ t \mid t \in \text{STUDENT} \text{ AND }$

Relational Algebra

→ Select operation

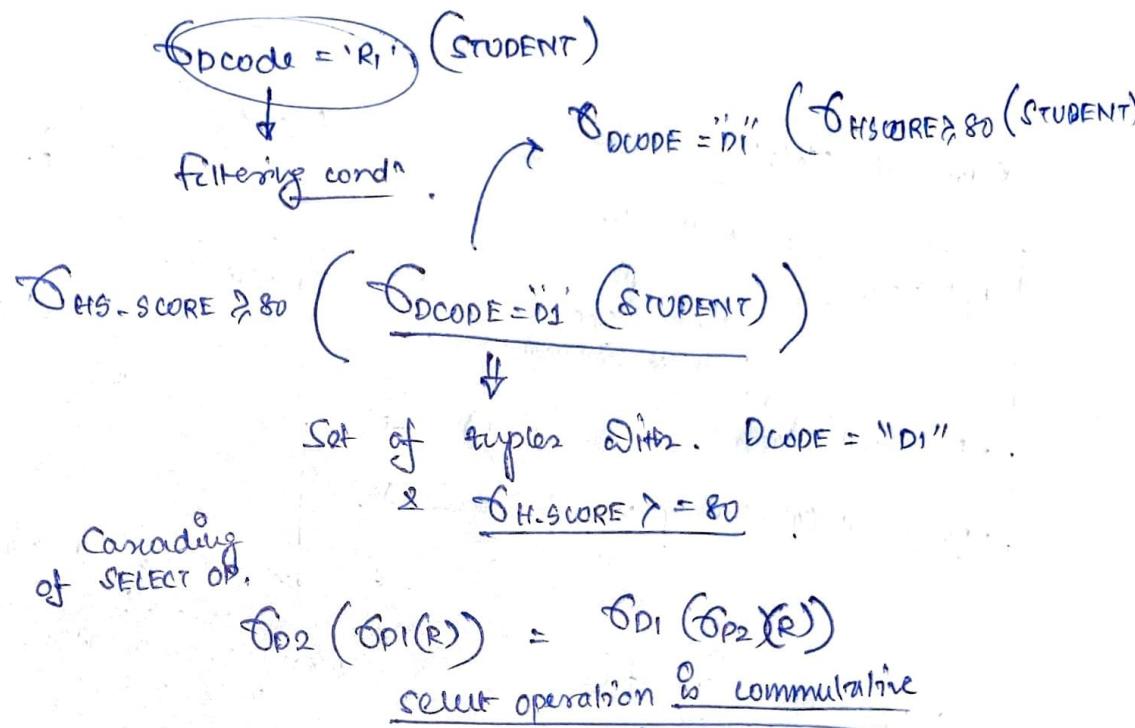
$\delta_{\text{cond}}(R)$

Works on a Relation & Returns a relation as output

Returns the Tuples from & satisfying the predicate

Schema → Same as input relation

State → formed by tuples in if input relation satisfying the predicate



Relational Algebra

✓ Defn. Importance of reln algebra.

- Provides a formal foundation for relational model operation.
- Basic of implementation & optimization of query on relations.
- Some of the concepts are also in SQL.

✓ SELECT - OPRN

→ filtering

① No. of tuples in o/p schema \leq No. of tuples in i/p schema.

→ PROJECTION



In order to consider selected attribute/expr. in the o/p schema.

② o/p schema is same as i/p schema.

$\Pi_{\text{lit}}(R)$,
I/P Reln

Output reln

⇒ No. of tuples in same as no. of tuples in i/p defn

⇒ Schema will consist of the attributes/defn given in list.

$\Pi_{\text{DCODE, BASIC}}(\text{EMP})$

Rules \Rightarrow Set of tuples.

Reln Model consta.

\Rightarrow No two tuples are same.

→ Duplicate Elimination Projection.

lit 2 \subset lit 1

$$\Pi_{\text{lit1}}(\Pi_{\text{lit2}}(R)) = \Pi_{\text{lit2}}(\Pi_{\text{lit1}}(R))$$

↓

$\Pi_{\text{lit1}}(R')$

lit1 \subset lit 2.

if lit1 = lit2 OK

lit1 \subset lit2 or

lit2 \subset lit1

Projection is
NOT
Commutative

Not happen.

Rename

$$R(A_1, A_2, \dots, A_n)$$

$$P_S(R_1, R_2, B_3, \dots, B_n)$$

\hookrightarrow In this expr. R is ~~retained as~~ renamed as S ,
 $\& A_i$ is renamed as B_i .

~~P(S)~~


$$P_S R(A_1, A_2, \dots, A_n)$$

only R is renamed as S .

Assignment

$$P_{A_1, A_2, \dots} R(-)$$

A_1, A_2, \dots renamed

~~S(B_1, B_2, \dots)~~
Cartesian Product

$$R_1 \times R_2 \rightarrow \begin{matrix} B_1, \\ B_2, \\ \vdots \\ B_n, \end{matrix}$$
 A_1, A_2, \dots
O/P Reln
Schema

Schema of $R_1 \times R_2$ = Schema of R_1 \cup Schema of R_2 .

No. of tuples: Every tuple $t_1 \in R_1$ will combine with each of $t_2 \in R_2$ one at a time.

$$\frac{N_1 \times N_2}{\text{No. of tuples in } R_1 \quad \text{No. of tuples in } R_2}$$

$$\pi_{(DEPT \times EMP)}(DEPT, DCODE)$$

$$= EMP, DCODE$$

Cartesian Product needs filtering to retain only meaningful tuples.

$$\pi_{ENAME, DCODE} \left(\begin{array}{l} f \\ DEPT, DCODE \\ = EMP, DCODE \\ (DEPT \times EMP) \end{array} \right)$$
JOIN

$$R_1 \bowtie R_2$$
 θ -join

but if θ is based on equality
 $\&$ attribute value
 then it is called equijoin

$$\pi_{ENAME, DCODE} \left(\begin{array}{l} DEPT \bowtie EMP \\ DEPT, DCODE \\ = EMP, DCODE \end{array} \right)$$
equijoin

DEPTEQUIJOIN

Attributes are compared for equality coin all appears in the schema.

For joining attributes in more than one column, same info. is obtained as o/p reln.

(Redundancy)

Natural Join

- Modified version of equijoin.
- Equality of all common attribute pairs from the schema being joined.

Name must be
↑ value.

$R_1(x, y, z, w)$

$R_1 \bowtie R_2$

$R_2(p, q, x, y)$

$R_1 \bowtie R_2, x = R_2.x \text{ and } R_1.y = R_2.y,$

only one from both the input relations will be present.

$\text{EMP} \bowtie \left(\begin{array}{l} f_{\text{DEPT(DCODE)}} \\ f_{\text{DEPT(DCODE)}} \end{array} \right)$
From To
 $\text{From} \rightarrow \text{To}$

CART. PRODUCT

$\Pi_{\text{EMP.NAME}, \text{TEMP.NAME}}$

$$= \Pi_{\substack{\text{TEMP.BASIC} \\ = \text{EMP.BASIC}}} (\text{EMP} \times \text{TEMP}(\text{EMP}))$$

$\text{EMP.ENAME} < \text{TEMP.ENAME}$

SET OPERATIONS

UNION

INTERSECTION



More than one input relations.

$R_1 \bowtie R_2$

Input relations must be
union compatible.

Set operation on $R_1 \bowtie R_2$

- ① Both are of same degree
- ② Domain of (A_i) is same as domain of (B_i) .

$$\begin{aligned} R_1(A_1, A_2, \dots, A_n) \\ R_2(B_1, B_2, \dots, B_n) \end{aligned}$$

Union

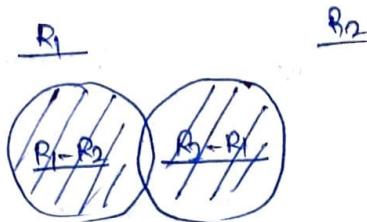
$R_1 \cup R_2$

o/p schema = Name as $R_1(R_2)$.

If must have all the triples from $R_1 \& R_2$, common triples must appear only once.

$$R_1 \cup R_2 = R_2 \cup R_1 \quad (\text{Commutative})$$

$$\cancel{R_1} \quad R_1 \cup (R_2 \cup R_3) = (R_1 \cup R_2) \cup R_3 \quad (\text{Associative})$$



Intersection

$R_1 \cap R_2$ o/p schema = same as R_1 or R_2 ,
tuple that are common to both in R_1, R_2

Fundamental

- ① Select
- ② Project
- ③ Cart Product
- ④ Rename
- ⑤ Union
- ⑥ Minim

- Join
 - Natural join
 - Intersection
- ↓
Can be derived from fundamental operation

$$R_1 \cup R_2 - [(R_1 - R_2) \cup (R_2 - R_1)] \\ \Downarrow \\ R_1 \cap R_2.$$

Join Operation

$R_1 \bowtie R_2 \Rightarrow$ based on the equality of common attributes

tuples from $\tau_1(R_1)$ and $\tau_2(R_2)$ having match with each other will appear.
tuples in either of the relations without com. match do not appear in the output.

Outer Join

EMP \bowtie DEPT

for an employee
~~people~~ is not

⇒ will not appear
(existence of that employee becomes invisible).

① EMP \bowtie DEPT

left outer join.

if DEPT is not present then it is padded with NULLS.

② EMP \bowtie DEPT

Right outer join

③ Full outer join

→ EMP \bowtie DEPT

All employee tuple must and if possible with dept info.

Outer Union

$\frac{R_1 \cup R_2}{\downarrow \quad \vdash}$
Union - compatible

deal with the relations
having partial union compatibility.

$R_1 (x, y, A, B, C)$

$R_2 (x, y, P, Q)$.

R_1 OUTER UNION R_2 .

Scheme $\Rightarrow x, y, A, B, C, P, Q$.

Tuple pair in R_1, R_2
that matches based on
common attribute

Win \Downarrow
in the op. contribute one tuple
value of addn attribute of R1 win
come from a_1 & addn attribute
of R2 win come from b_2 .

Unmatched Tuple

\rightarrow they are matched with a null tuple.

OUTER UNION \neq FULL OUTER JOIN are same.
If joining is done based on the equality
of all common attributes

Relational AlgebraDivision Operation. $R(z) \rightarrow$ schema. $S(x) \rightarrow$ schema.

$$Y = z - x.$$

$$x \subset z$$

$$\frac{R(z)}{S(x)} = T(y),$$

\downarrow
 values of
 y which is
 present for
 every value
 of x .

$T(y)$ includes a tuple t if
 t_R appears in $R(z)$.

- such that

$$t_R[EY] = t$$

and

- with

$$t_R[x] = t_S.$$

for every tuple of t_S in $S(x)$,

$$(10 \div 4)$$

 2 times it appears.

 $R \Rightarrow$ ResultRoll , Scode , Score \rightarrow No entry for absent candidateSUBJECT(SCODE, SNAME, ...)RESULT(ROLL, SCODE, SCORE)

- Find Roll no. of the student who did not miss any exam.

$$\pi_{\text{Roll, Scode}}(\text{RESULT}) \div \pi_{\text{SCODE}}(\text{SUBJECT})$$

$$\text{eg. } T_1 \leftarrow \pi_{\text{Roll}}(R),$$

$$T_2 \leftarrow \pi_{\text{Roll}}(\text{RESULT} - R),$$

$$T \leftarrow T_1 - T_2.$$

Roll nos. for whom
 all roll, scode combination
 exists.

$$T \leftarrow T - T_2$$

Derived operation.

$$R(z) \div S(x) = T(y)$$

$$x \subset z$$

$$y = z - x.$$

$$T_1 \leftarrow \pi_y(R)$$

$$T_2 \leftarrow \pi_x(T_1 \times S) - R$$

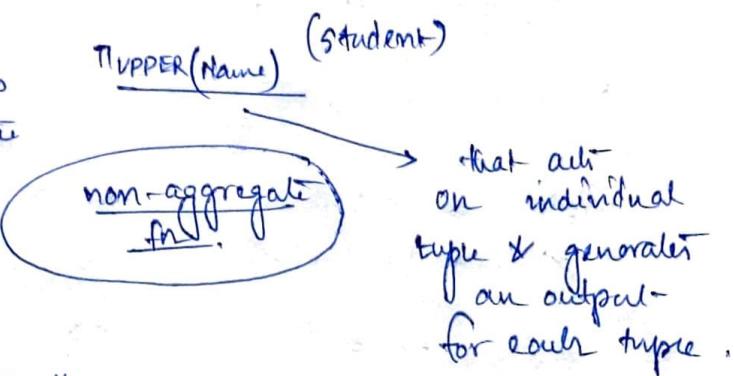
\forall value
 for which xy
 combination
 not in R

xy combinations not
in R

(2)

Aggregate fn & Grouping

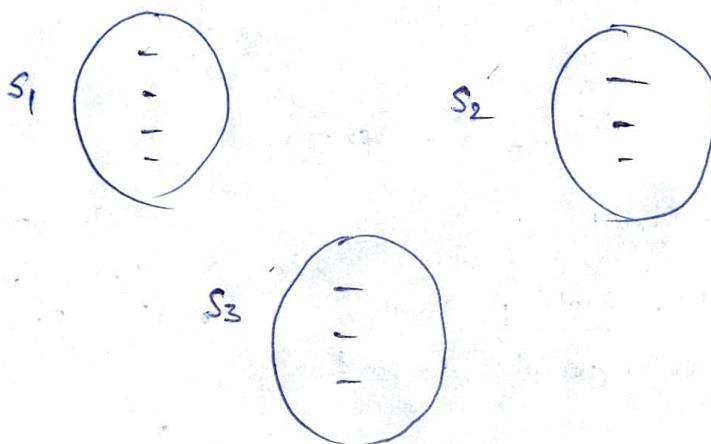
Act on a collection & returns a single value for the collection



Result
 $\text{Average}(\text{fn expression.}, \text{STDDEV(score).})$
 eg. Score.

$T(\text{Avg, StdDev})$.

Grouping



Result (Roll, Deptode, Scode, Score)

Dept wise, Sub. wise, highest score.

Sum()

Null values are ignored.

Average()

Std.dev.

f.
 DCODE, SCODE (Result),
 MAX(Score), MIN(Score), ...

Relational Calculus



tuple relational calculus

Reln Algebra

Procedural

Reln Calculus

Non-procedural

What data is required?
(Not how).

- find the name of all the students?

$$\{t \mid t \in \text{STUDENT}\}$$



tuple variable that holds a tuple from its range relation.

Range Reln.

The triple variable ranges over this reln.

- find the name of all students living in the city of Kolkata.

$$\{t.\text{name} \mid t \in \text{student}$$

and

$$t.\text{city} = \text{"Kolkata"}\}$$

- for every student whose name & corresponding dept. name.

$$\{s.\text{name}, d.\text{name} \mid \begin{array}{l} \text{student}(s) \text{ AND DEPT}(d) \text{ AND} \\ \text{OR} \\ s \in \text{student} \end{array} s.\text{Dcode} = d.\text{Dcode}\}$$

- Show the names of the students studying in dept. named as XYZ.

$$(\exists a)(\text{DEPT}(a) \text{ AND}$$

$$\text{AND}, \begin{array}{l} \text{s.Dcode} = \\ a.\text{Dcode} \\ \text{AND} \\ a.\text{Dcode} = "XYZ"\end{array}$$

$$\{s.\text{name} \mid \text{Student}(s)$$

↑
Pre-variable

May have to introduce additional tuple variable on the right side of | . Bounded type variable & annotated with bounding quantifier.

→ unbounded.

$(\exists n) \rightarrow$ Existential quantifier.

$\begin{array}{l} \text{Range relation} \\ \text{universal} \\ \text{relation} \end{array}$

$(\forall n) \rightarrow$ universal quantifier.
↑ (for all) n.

(4)

- find roll no. of student ≥ 50 in all subjects.

$\{ \text{st_roll} / \text{student(st)} \}$ $(\forall s_n)$ $(\text{Not subject}(s_n))$
 OR $(\exists r_n) (\text{Result}(r_n))$
 AND $r_n.\text{roll} = \text{st.roll}$
 and $r_n.\text{score} = s_n.\text{score}$
 and $r_n.\text{score} \geq 50 \})$

for every
subject in
subject reln

Be very
careful

Relational Calculus
 for all quantifiers.

(1)

STUDENT (Roll, Name, ...)

STUDENT (Scode, Sname, SType,

 $\text{Theory} \Rightarrow T$
 $\text{Seminal} \Rightarrow S$

RESULT (Roll, Scode, Score),

Find the students who have scored 50 or more
in all subjects.

$\{ \text{st.name} \mid \text{Student(st) AND } (\forall \text{su}) (\text{Not subject(su)} \text{ OR } \uparrow \text{true for all tuples in universal relation.}) \}$

NOT
su.type = 'T'

OR

$(\exists r) (\text{Result}(r) \text{ AND } r.\text{Roll} = \text{st.roll} \text{ AND } \cancel{r.\text{Roll}} \cancel{r.\text{Roll}} \cancel{r.\text{Roll}} \text{ AND } r.\text{Score} = \text{su.Score} \cancel{\text{AND}} \cancel{\text{AND}} \cancel{\text{AND}} \text{ AND } r.\text{Score} \geq 50)) \}$

Egr. to.

$$(\forall x)(P(x)) \equiv \text{NOT}(\exists x)(\text{NOT } P(x))$$

\uparrow
not [exists x that does not satisfy $P(x)$]

$$(\exists x)(P(x)) \equiv \text{NOT}(\forall x)(\text{NOT } P(x))$$

\hookrightarrow Not [All x not satisfying $P(x)$]
Some x for which $P(x)$

$$(\forall x)(P(x) \text{ AND } Q(x))$$

$$\equiv \text{NOT}(\exists x)(\text{NOT } P(x) \text{ AND NOT } Q(x)).$$

$$(\forall x)(P(x)) \equiv (\forall x)(P(x) \text{ OR } Q(x))$$

|||

$$\text{NOT}(\exists x)(\text{NOT } P(x) \text{ AND } \text{NOT } Q(x))$$

$$(\exists x)(P(x)) \equiv (\exists x)(P(x) \text{ AND } Q(x))$$

|||

$$\text{NOT}(\forall x)(\text{NOT } P(x) \text{ OR } \text{NOT } Q(x))$$

$$(\exists x)(P(x) \text{ OR } Q(x)) \equiv \text{NOT } (\forall x)(\text{NOT } P(x) \text{ AND } \text{NOT } Q(x)),$$

IMPLIESTalking about subject

$$(\forall x)(P(x)) \Rightarrow (\exists x)(P(x))$$

$$\text{NOT } (\exists x)(P(x)) \Rightarrow \text{NOT } (\forall x)(P(x))$$

There does not
exist any x
that satisfies $P(x)$
for all x $\vdash P(x)$
is false.

Relational Algebra & Calculus \Rightarrow have same
power of expression

Safe Expr

\uparrow
Returns finite
no. of tuples.

{ x | x \notin Student}

\uparrow $\neg \text{Student}(x)$

Amy tuple
from universal rel
except: STUDENT,

Entity Relation (ER) Model

- Designing the database by looking into the data.
- Requirement from conceptual / logical level.
- Requirement is captured & presented in the form of entity relation (ER) diagram.

ERD

↓
Shows the entity types & relation between the entity type.

It also presents the description of the entity & relationship.

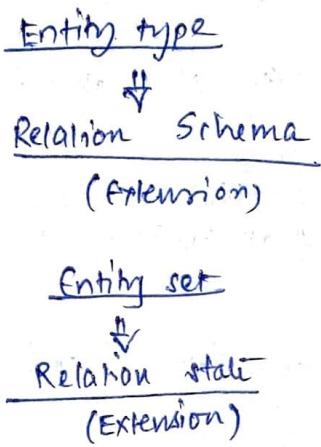
Entity \Rightarrow Entity is a real life object/concept distinguishable from each other.

Collection of similar type of entities \Rightarrow entity set

Entity type \Rightarrow defines the structure of an entity set

(1, "abc", 01-Jan-2000, ...)

STUDENT
Entity type
(Roll, Name, Dob).

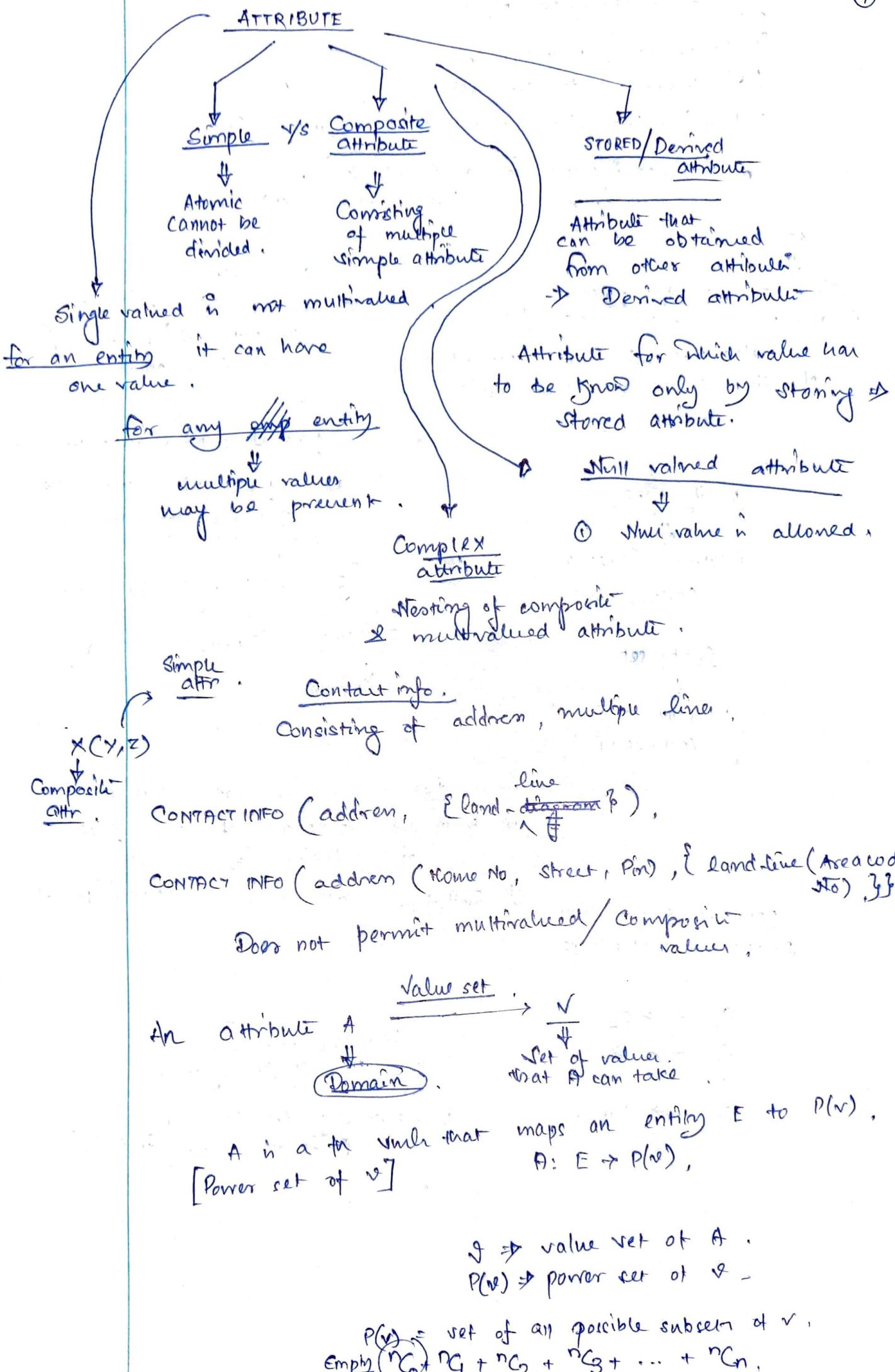


DEPT \Rightarrow Entity type
STUDENT \Rightarrow Entity type

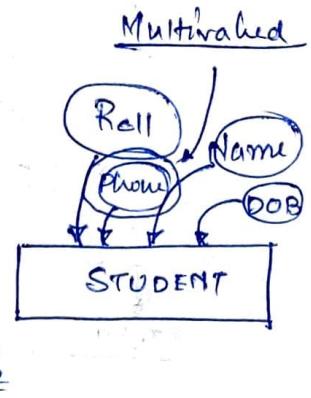
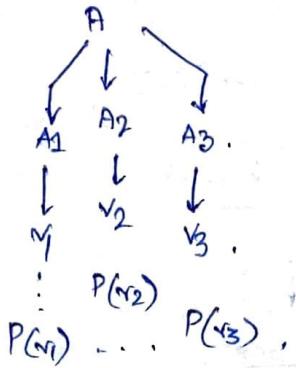
$$\begin{aligned} S_1 &\rightarrow D_1 \\ S_2 &\rightarrow D_2 \\ \vdots & \\ S_n &\rightarrow D_n \end{aligned}$$

E_1, E_2, \dots, E_n are the entity types.

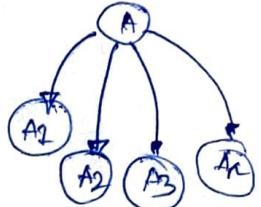
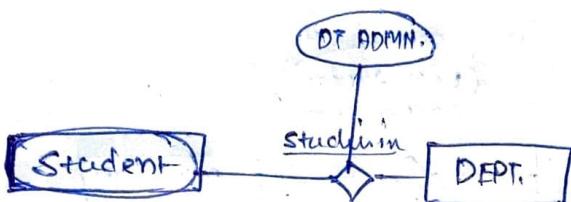
A relationship set $R = \{(l_1, r_1, \dots, l_n) \mid l_i \in E_i\}$.



Mandatory
vs
optional attribute



Entity type

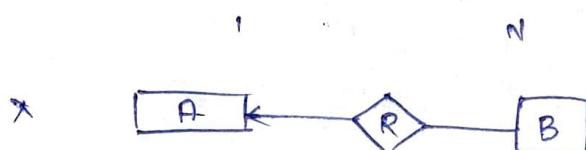


ERD → Degree of a relation : No. of entity types involved.

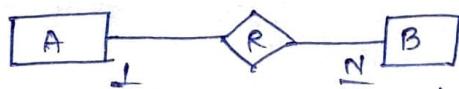
Constraints on Binary Relation

Structural constraint { → Mapping constraint/cardinality ratio
→ Participation constraint .

An entity of type A can have association with almost one entity of type B and vice versa ,



Follow



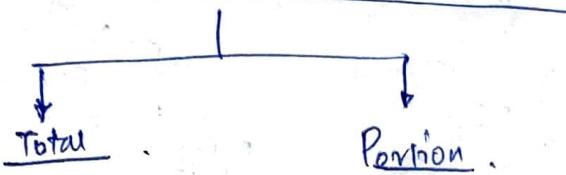
An element of A can have relationship with multiple elements of B. But, an element of B can have relationship with almost one element of A .

Mapping Constraint

An element of one entity type can have relation with how many elements of the type.

Existential deficiency,

Participation Constraint

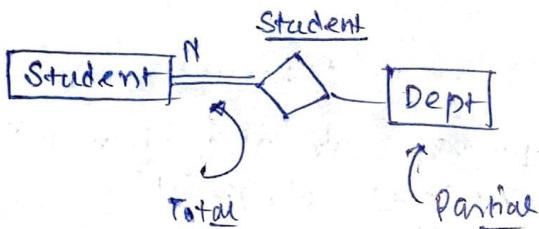


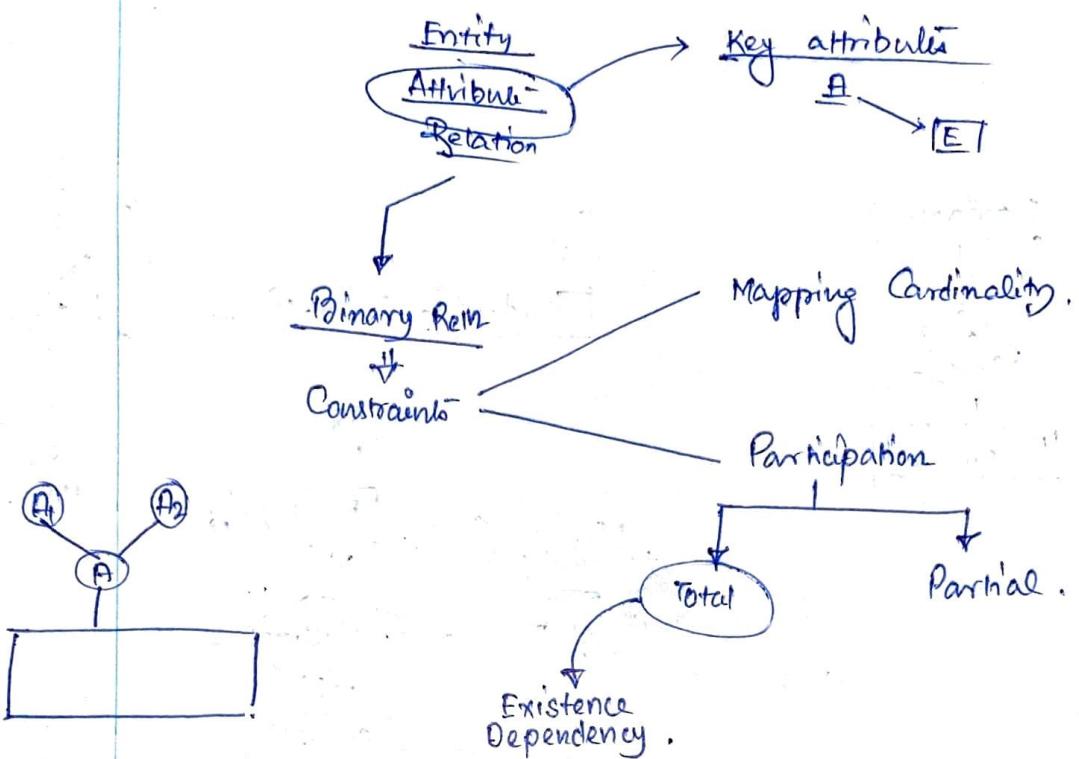
Whether every entity is bound to take part in the set or not.



An entity type E totally participates in a reln.

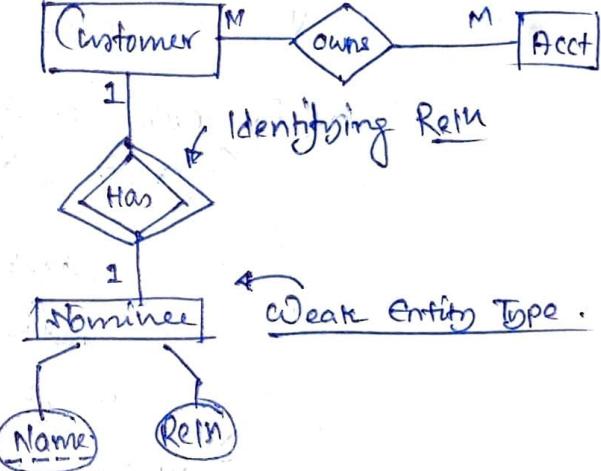
for each entity of E must take part in reln.



ER DiagramEntity type

Strong Entity type
 has its own key

Weak Entity Type
 do not have its own key

Partial key / DiscriminatorPartial Key

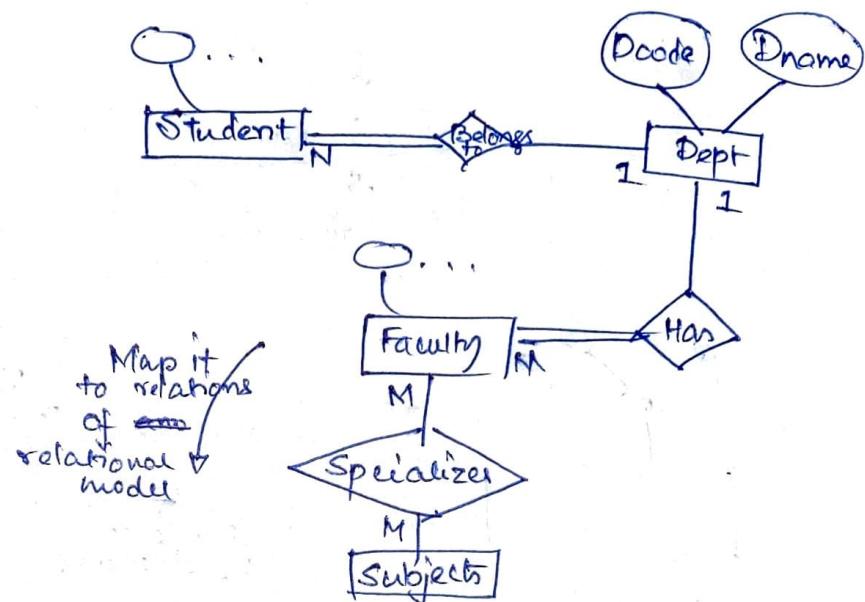
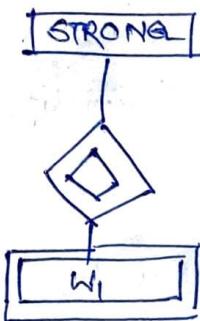
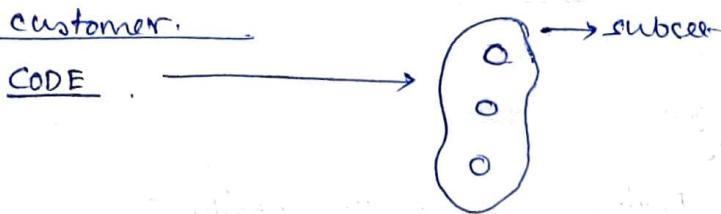
Must participate in the relationship (total) with the entity type on which it depends.

In order to identify an instance of Weak entity type, one will have to know the instance of the entity type of which one depends on that is given traverse.

The relation to obtain the related subset from weak entity set is the partial key to identify specific instance of weak entity set.

A customer.

CODE



Map it to relations of relational model

Mapping entity & Reln of ERD to Relation of Relational Model

- For each strong entity type

Create a relation



Attribute of reln
Same as attribute of entity type

Pk of Reln \Rightarrow Key attribute of entity type

Attributes must be single valued atomic

If there are any composite attr.
then decompose

File Structure
Table in SQL

Put multivalued attribute in a separate Reln

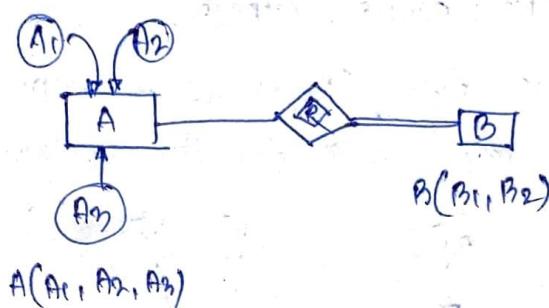
Student (Roll No., Name, ...)

Phone (Student Id, Phone No)

- ① Remove m.v. attr. & put in a separate reln
 ② Copy the p.k. of original reln to new reln.
 ③ Pk of new reln \Rightarrow Pk of original reln \cup M.V. attr.

In the new reln copied Pk of original reln will be foreign key referring to original reln.

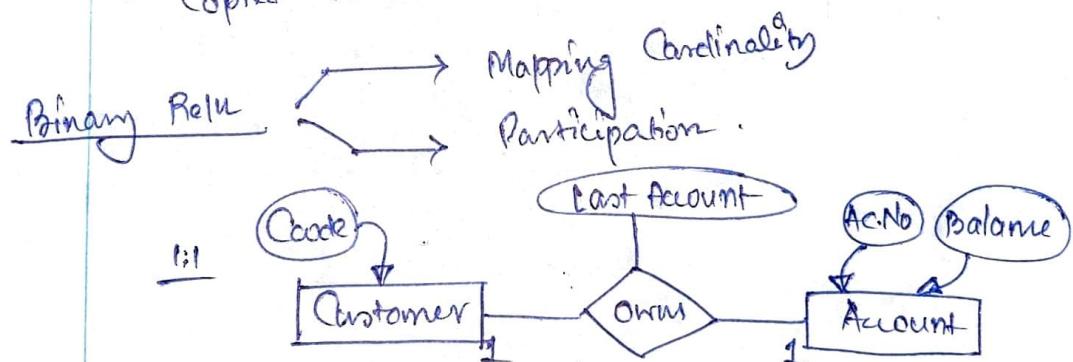
Weak Entity type



Reln schema p.k. of entity type on which it depends & its own attribute.

Pk of entity type on which it depends \cup partial key.

→ Copied Pk. will be F.K. in weak entity Reln.



Customer(Code, Name,)
 Account(Ac-No, Balance).

Foreign key approach → ① Copy the P.K. of the reln into another reln where it will be foreign key.

If one of entity type totally participates in the reln then copy the p.k. of other side in this & it will be F.K. here.

② Merged Reln

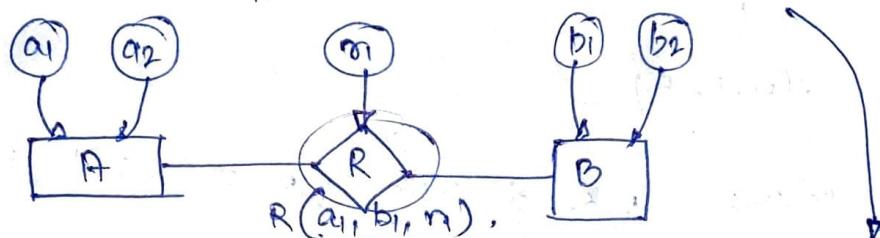
Instead of keeping
→ Both are totally participating instead of mapping the

In foreign key approach, attribute of relationship will also be copied into the entity type where primary key of other has been copied.

CUSTOMER-Account (CODE, CNAME, ...)

③ Cross Reference Reln / Relationship Reln

→ Create a separate reln for the relationship in ERD.

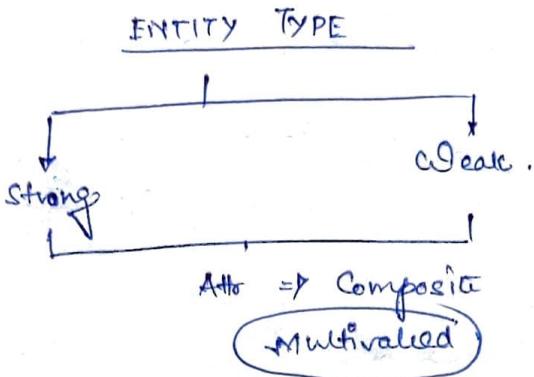
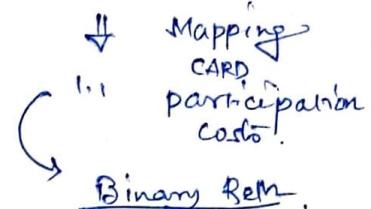
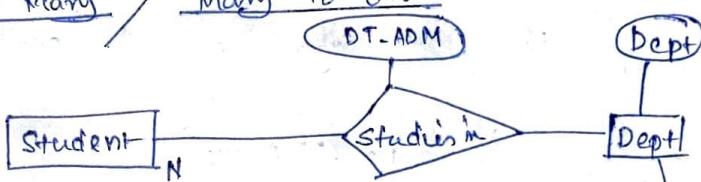


→ Both are partially participative.

Primary Key of related entity type in own attributes

ER DIAGRAM = MAPPING
 to Relations in
 Relational models.

(1)

Relationship of ERDOne to Many / Many to OneForeign Key Based

In many side copy the primary key of related entity type and it will be a foreign key in many side.

Use of Decade in Student

~~Roll~~

* ~~Foreign Key~~

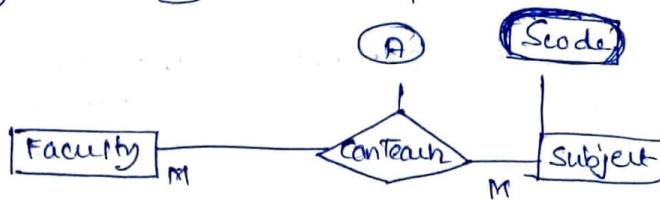
Also copy the attribute of relation in Many side

Cross Reference / Relationship Reln

Separate relation for relationship type of ERD
 $Attr \Rightarrow CPR$ of related entity types,
 OAtt. of relationship if any.

Participation of student is optional. In foreign key based approach there will be null values, but in cross-referencing approach, the value will not be there.

Many to Many Relationship



Separate form for Relationship of ERD.

↓

$A \rightarrow P_K$ of Related entity types.
U its own attribute (if any).

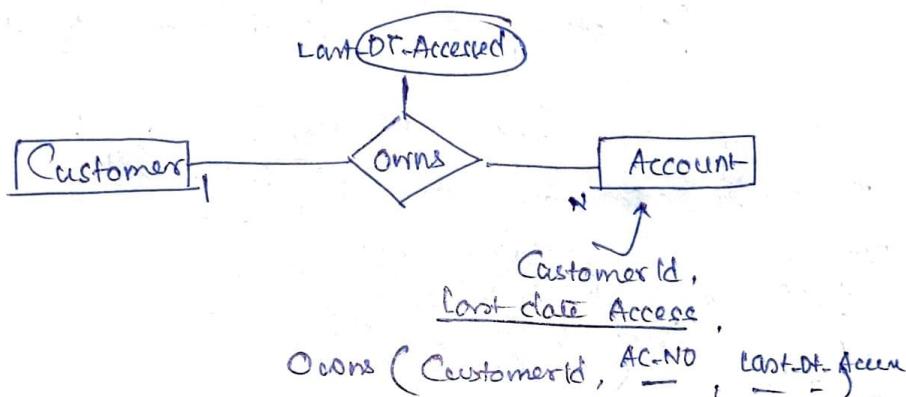
F.K $\rightarrow X$

Merged Reln $\rightarrow X$

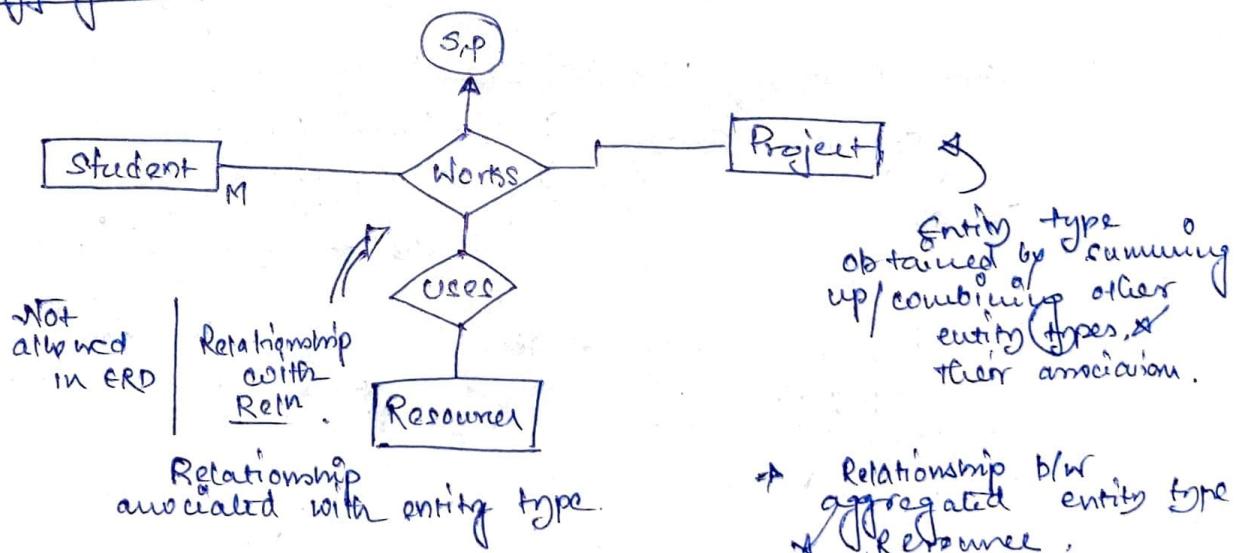
Cross Refn Reln.

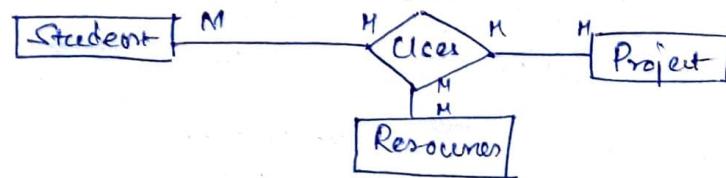
Copied P.K will also be free.

P.K $\Rightarrow P_K$ of Related entity types.

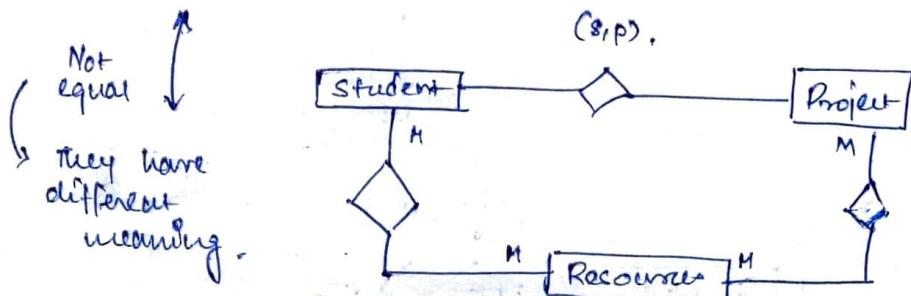


Aggregation



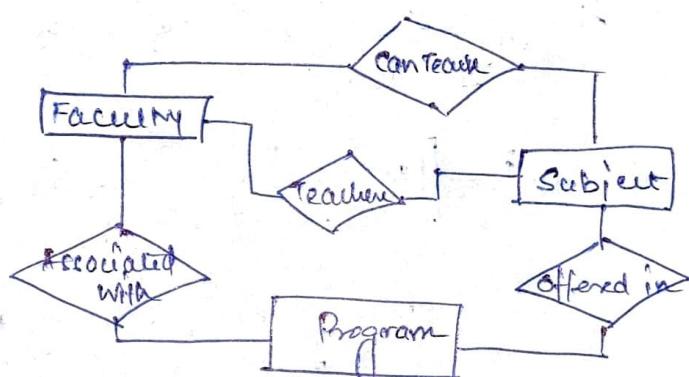


Ternary Reln



(S,P),

Any one binary relation is 1:1,
ternary relation can be avoided.

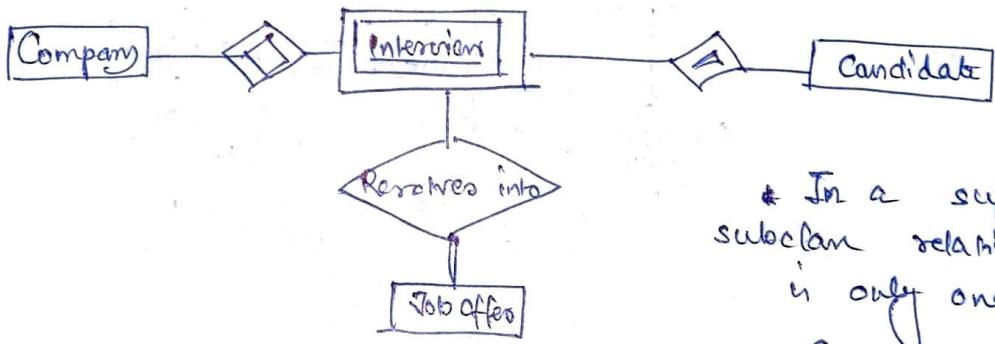
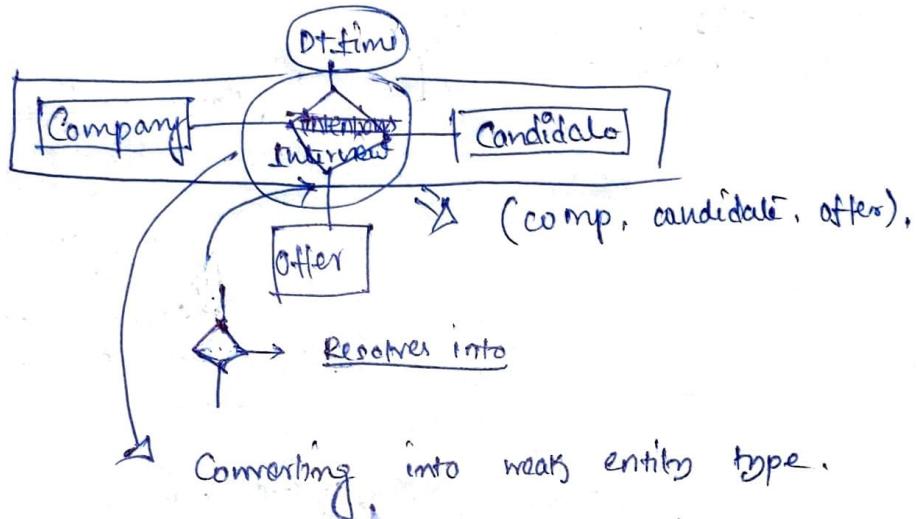
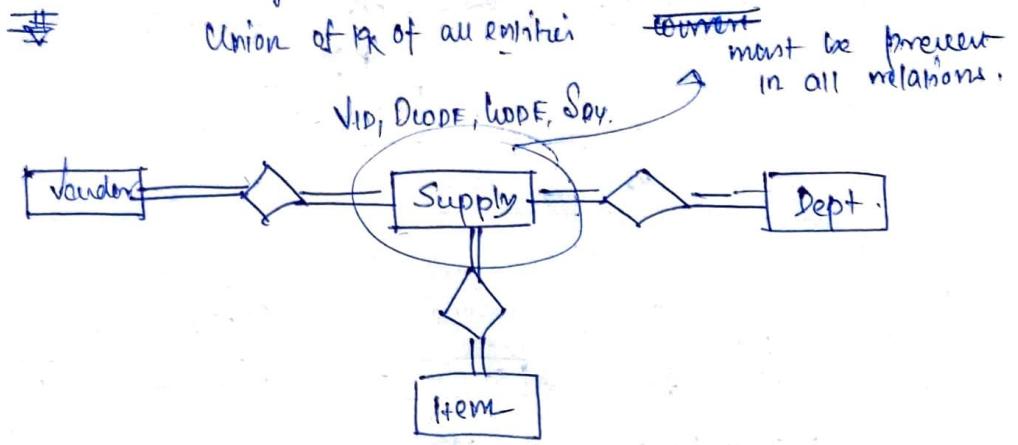


Mapping a ternary relation

A separate relation for this

Atrr = \bigcup P.K. of entity types
 \bigcup its own attributes
 F.K. \Rightarrow \bigcup P.K. of entity types

Given a vendor dept combination



* In a superclass-subclass relation tier there is only one superclass.

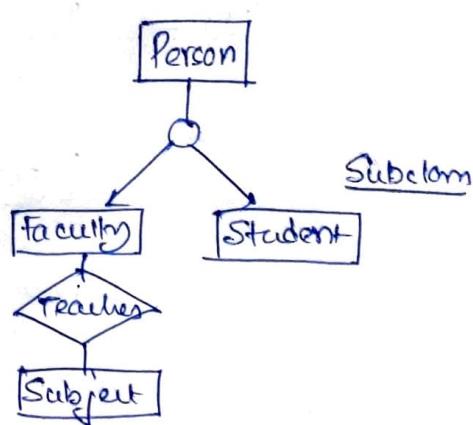
Enhanced ER (EER) Diagram

→ Superclass Subclass Relationship



* Some attributes may be applicable only for a subset of superclasses instances.

* In some relationships only the subclasses may take part



Constraints on superclan-subclan relationship

→ disjointness constraint

↳ Association overlapped is disjoint

Disjoint \Rightarrow A supertype instance can be a member of atleast one subtype.

Overlapped \Rightarrow A supertype instance might be a member of multiple subtype instances.

→ Completeness constraint

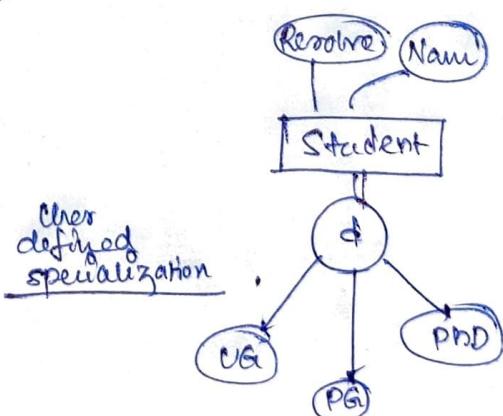
→ total
→ partial

Every supertype instance must belong to atleast one subtype

A supertype instance may not be member of any of the subtype.

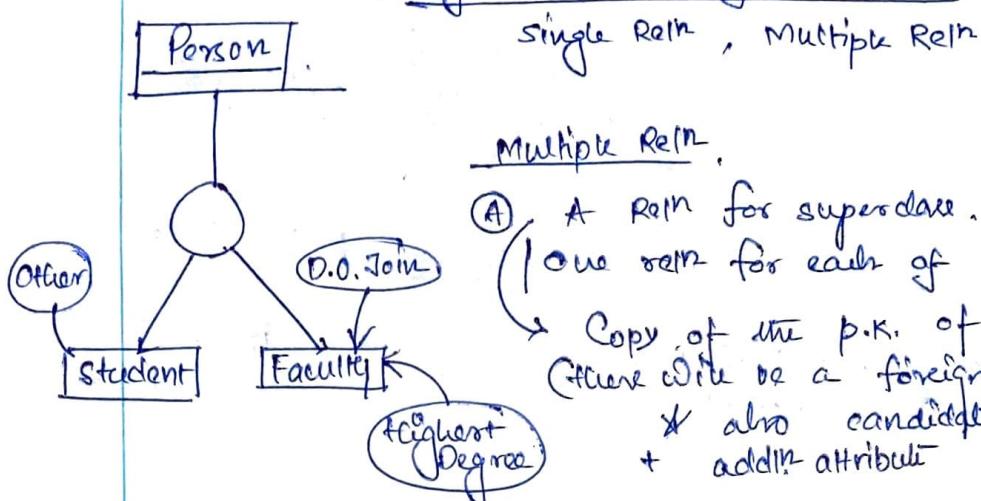
A supertypes member may be defined as subtypes member based on certain condition.

Conditional specification /
predicate defined specialization.
based on certain attribute



Superclass - Subclass association

Mapping to relation of relational model.



A Reln for superclass.

One reln for each of the sub-classes.

Copy of the p.K. of superclass
 There will be a foreign key here
 * also candidate key/primary key
 + addin attributi

Overlapped / Partial
 ✓ Model is good enough

Total participation →
No reln for superclass → Disjoint / Total

For each subclass

→ Consider a relation.

Attribute.

Attr. of superclass
 ∪ Attr. of subclasses
 (it's own attributes)

Student ()
 Faculty ()

If total participation → OK
 If partial participation ⇒ lost

overlapped → Redundancy.
 Disjoint → No problem.

③ One reln ⇒ Union of attributes of superclass & those of all subclasses.

Type field ⇒ Denote the type of subtypes (disjoint specialization).

④ One relation ⇒ Attribute of superclass ∪ Attribute of all ~~subclasses~~ subclasses. ∪ No. of type fields.
 (No of subtypes)

b₀ b₁ b₂ ... b_{n-1} Type 1 Type 2 Type 3

↓
 bit position
 b_j = 1 means
 belongs to jth subclass

Multiple {

- (A) Superclass + Subclasses
- (B) Subclasses

Person, Student, Faculty.
X Addm Attribute.

Single {

- (C)
- (D)

For a subclass

↓
We also want to know
corresponding superclass information.

Person \bowtie Student

Person, Person-ID
= Student, Person-ID

- (A) → carry out Equijoin
- (B) No equijoin needed
- (C) \Downarrow (D)

[All superclass information] \Rightarrow (A).

↓
Outerunion

(C) & (D) \Rightarrow No outer union is required.

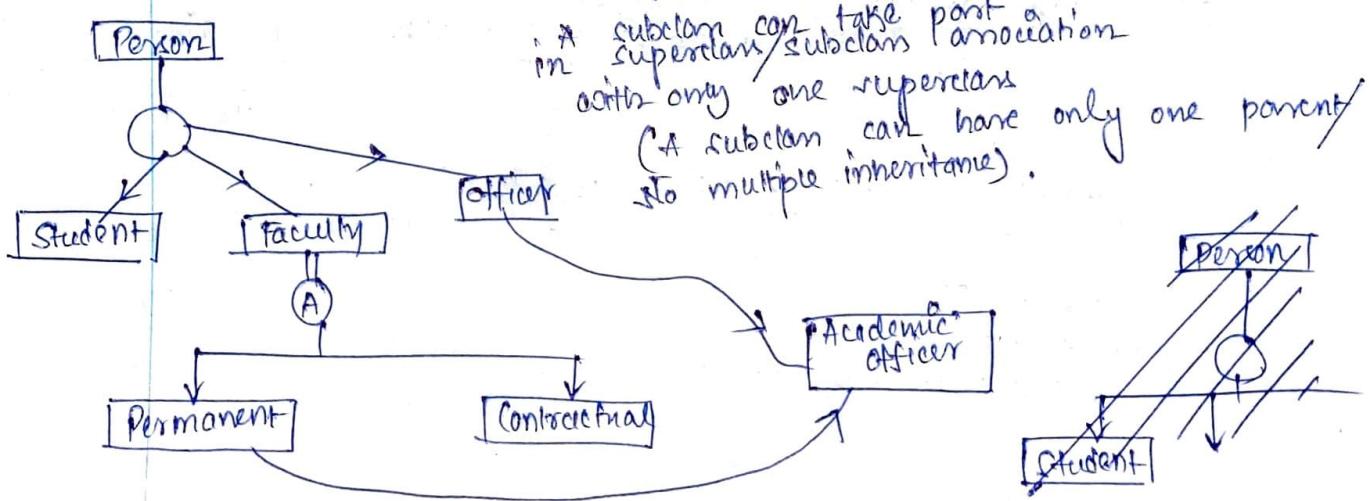
Subclasses are no. of attributes

↓
A superclass instance
may belong to COW no. of subclasses.
 \Rightarrow cost of none value in
tmp attributes

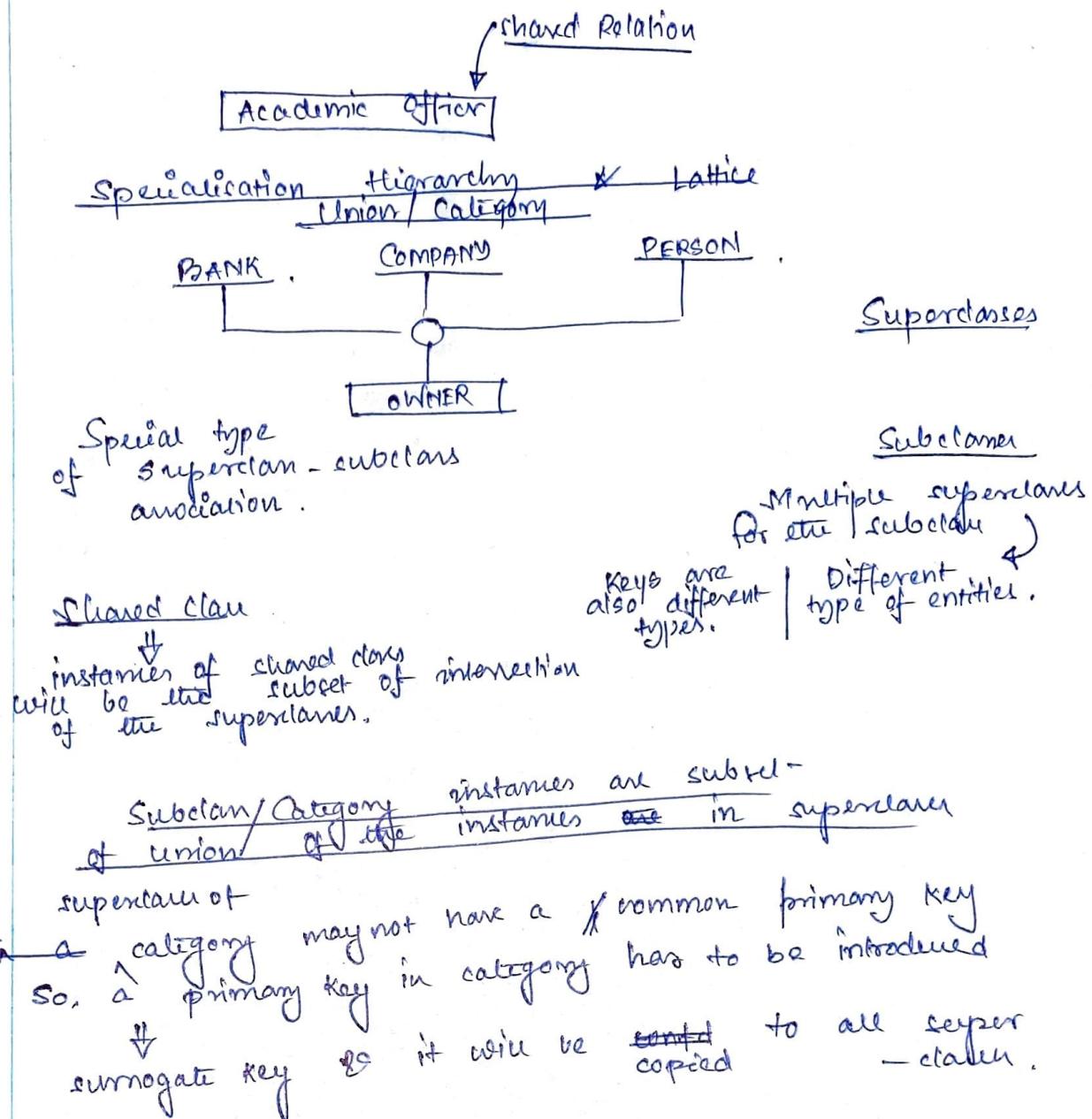
Not a large
no. of subclass &
they are not having
large no. of
attributu

Specialisation hierarchy \Downarrow Lattice

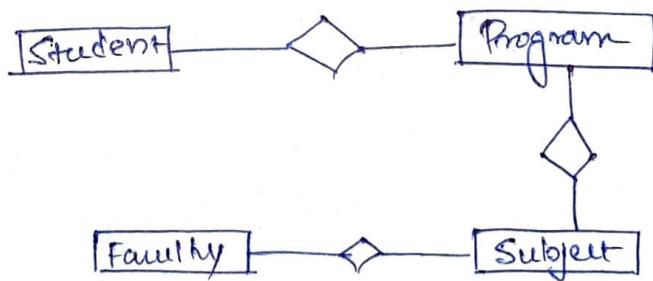
Superclass — Subclass.



In a lattice, a subclans can have multiple parents. ③



Given a system \Rightarrow study interact with the user
 \rightarrow Capture data requirement
and ~~user~~ user relation.

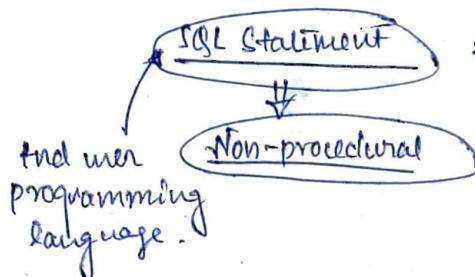


Structured Query Language (SQL)

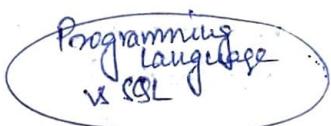
→ DDL
→ DML

Statements → DDL
→ DML

Relational Algebra (Prog).
Relational Calculus (Non-procedural).



⇒ similarity with Relational Algebra

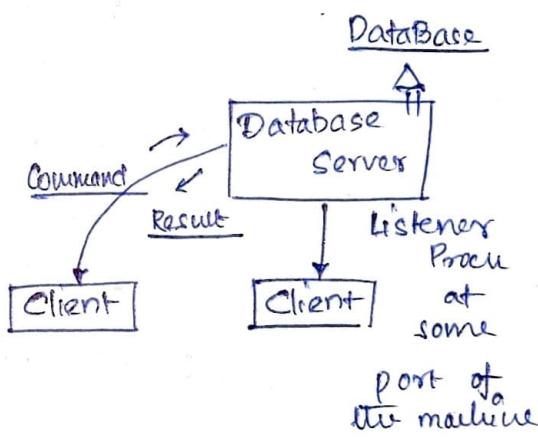
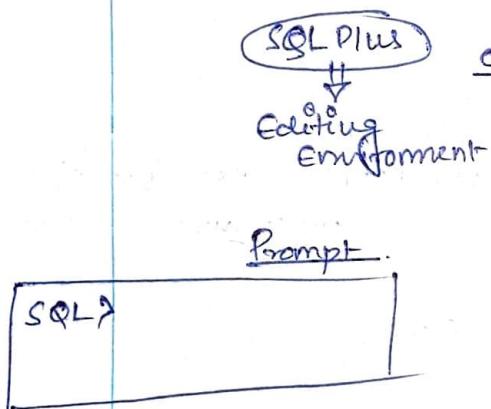


SQL → Oracle DB2

MySQL

Logically same

Syntax may vary a bit.



Q. Where is the server?
Q. Which service?

→ Encapsulation in the host string.

Data Defn Language

DEPT (DCODE, DNAME)

STUDENT(ROLL, NAME, DOB, SCORE, DCODE)

DDL

↳

CREATE TABLE DEPT

(DCODE CHAR(5) PRIMARY KEY

Column description

Column Name

Type & Size

Constraint

Metadata is stored in a data dictionary

e.g. Number(3,1)

Number(5,0)

Number(M,N)

total no. of digits

↳ No. of digits after decimal.

→ If you enter ~~at~~ after a blank line it will not execute but will store into a buffer. (2)

If we write SQL> RUN
OR / → Command in the buffer will be executed.

Pro tip : Use a text editor like Notepad to type in the commands.

SYS-00-50

Name given

Column Type & Size

Primary Key

Constraint

SQL> CREATE TABLE DEPT

(DCODE CHAR(5) PRIMARY KEY CONSTRAINT
DNAME CHAR(10) NOT NULL)

PK-dept
Constraint name

SQL> CREATE TABLE STUDENT

(ROLL NUMBER(3,0) PRIMARY KEY CONSTRAINT PKSTUDEN
NAME CHAR(20)
DOB DATE
SCORE NUMBER(5,2)
DCODE CHAR(5) REFERENCED DEPT(DCODE)
CONSTRAINT FK-STUDENT)

SCORE NUMBER(5,2) CHECK (SCORE ≥ 0)

PRIMARY KEY
REFERENCING
NOT NULL
UNIQUE
CHECK (cond.)

RESULT (ROLL, SCODE, SCORE)
Composite Primary Key

Column Constraint

↓
Specified for individual column along with its description

CREATE TABLE RESULT

(ROLL NUMBER(3,0)
SCODE CHAR(5)
SCORE NUMBER(5,2)
PRIMARY KEY (ROLL, SCODE))

As a whole it must refer

BACKLOG (ROLL, SCODE)

ATTENDANCE
(ROLL, SCODE,
DT-EMP)

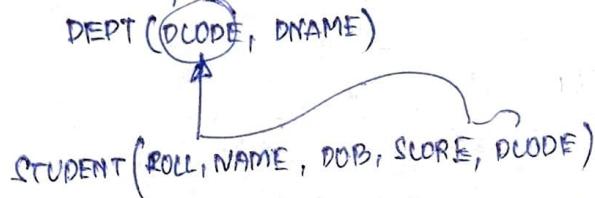
(3)

CREATE TABLE ATTENDANCE (ROLL NUMBER(3,0) ,
 REFERENCES STUDENT (ROLL)
 SCOPE CHAR(5) REFERENCES SUBJECT
 DE-EXAM DATE .
 PRIMARY KEY (ROLL, SCOPE)) Primary Key
 of Subject

CREATE TABLE RESULT

(ROLL NUMBER(3,0) ,
 SCODE CHAR(4),
 SCORE NUMBER(5,2) ,
 → PRIMARY KEY (ROLL,SCODE)) .

TO ADD TUPLES/ROWS



INSERT INTO DEPT VALUES ('D1', 'ABC')

Value of the columns
 following their order of
 specification in CREATE_TABLE

SQLPLUS COMMAND

SQL> DESC DEPT

NAME	TYPE	NOTNULL
DCODE		
DNAME		

TO Display DATA → List of Expressions

SQL> SELECT FROM STUDENT ;

↓
 Displays all the
 tuples/rows from STUDENT .

col. names .

SELECT ROLL, NAME
 FROM STUDENT;

SELECT ROLL, SCORE+5
 FROM STUDENT ;

SELECT 'ABC' FROM STUDENT ;

(4)

SQL > SELECT *
FROM STUDENT
WHERE DCODE = 'D1' ;

takes a table
checks the where
clauses if satisfied
 \Downarrow
take action

Condition

AND
OR
NOT

>
<
>=
!=
==
!=

SELECT *
FROM STUDENT
WHERE SCORE IS NULL

To Compute with NULL

- IS NULL
- IS NOT NULL

SELECT *
FROM STUDENT
WHERE DCODE IN ('D1', 'D5', 'D7')
DCODE = 'D1' OR DCODE = 'D5' OR DCODE = 'D7'

WHERE SCORE BETWEEN 70 AND 90
SCORE \geq 70 AND SCORE \leq 90.

SCORE \geq ANY (50, 65, 80)
 \geq ALL (50, 65, 80)
any relational operator

SQL > SELECT AVG(SCORE)
FROM STUDENT

BUILT IN FUNCTIONS

Non-Aggregate FN

Act on non-tuple
for every tuple
gives in output

Aggregate FN

Act on a collection of tuple/rows
For each connection gives one
output

$\rightarrow \text{SUM}()$, $\text{COUNT}(*)$, $\text{COUNT}(\text{DISTINCT COL.})$

\uparrow
Count of all triple.

Aggregate

- $\rightarrow \text{COUNT}(\text{DISTINCT DCODE})$
- $\rightarrow \text{MAX}()$ AND $\text{MIN}()$
- $\rightarrow \text{VARIANCE}()$, $\text{STDEV}()$

NON Aggregate

WHERE $\text{DCODE} = '01'$
 $\text{UPPER}(\text{DCODE}) = '01'$

INIT CAP

Multiline string
 1st character of each word in UPPERCASE
 & Rest in Lowercase.

$\text{INSTR}(\text{String1}, \text{String2}, m)$ → nth pos. of string2.
 finding string2 in string1. r start position.

SUBSTR (String, n, m)
 \downarrow
 No. of characters to extract
 from from in 1st parameter $\Rightarrow 1$.

NUMERIC

ROUND (value, n)
 (172.452)

$$\begin{array}{r} 172.452, 1 \\ \hline + \\ 172.5 \end{array}$$

ROUND (172.452, -1)

$$\begin{array}{r} \Rightarrow 170, \\ 172.452 \\ \Rightarrow 180. \end{array}$$

ROUND (172.452, 0)

$$\begin{array}{r} \downarrow \\ 172 \end{array}$$

TRUNCATE (Value, No. of places)

DATE FN

MONTHS_BETWEEN(dt1, dt2)

Real value

ADD_MONTHS(dt)

Numeric String

To Number

TO_CHAR (Numeric value)

STUDENT(ROLL, NAME, DOB, SCORE, DCODE)

INSERT INTO STUDENT VALUES

(1 , 'ABC' , '01-Jan-2001' , 95 , '01') ,
char to be converted to date

The diagram illustrates the relationship between three components:

- SYSDATE**: Represented by a horizontal line with a downward arrow pointing to it.
- Oracle**: Represented by a horizontal line below SYSDATE, also with a downward arrow pointing to it.
- SystemDate**: Represented by a curved arrow pointing from Oracle to SystemDate.

SELECT CEIL(17.1)
FROM DUAL

~~TO DATE~~

TO-DATE ('01-JAN-2001'), 'DD-MM-YY'

- DD → Day of Month
- MM → Month
- MON → 3 character Month name
- MONTH → full month Name
- YYYY → 4 digit Year

SQ L UPDATE STUDENT
 PER SCORE = SCORE + 5
 WHERE DEPCODE = 'DS'

SQL **DROP TABLE** TABLENAME

Syntax → SQL SELECT, CREATE DDL Statement

24/3/2021

DBMS

Prof.
Sanjay
Kumar Saha

(1)

SQL

SUBJECT (SCODE, -, FM, PM)
 STUDENT (ROLL, NAME, DOB)
 RESULT (ROLL, SCODE, SCORE)

SQL>

```
SELECT *
FROM STUDENT
WHERE DOB >= '01-Jan-2000'
      AND DOB <= '31-Dec-2000'
      DOB >= TO_DATE('01-Jan-2000', 'DD-MM-YYYY')
      AND DOB ? = _____.
```

SELECT *
 FROM STUDENT
 WHERE DOB ? = '01-Jan-2000'

↓
 where clause is checked with
 every tuple.

Cartesian Product/Join .

SQL> SELECT * FROM RESULT, STUDENT \Rightarrow Cartesian Product/Join.

Students born in 2000

JOIN
CAN
BE
AVOIDED

SELECT ROLL, SCORE
 FROM RESULT R, SUBJECT S
 WHERE R.SCODE = S.SCODE AND SCORE < PM ,

SELF JOIN

SELF JOIN

(Please check slide examples).

SQL ?
 SELECT *
 FROM RESULT WHERE SCORE >= 50
 ORDER BY SCODE, ROLL, SCORE DESC.
 SCODE ASC, SCORE DESC.

To group by we → GROUP BY ROLL.
 → ORDER BY SUM(SCORE) DESC
 HAVING SUM(BASIC) >= 400
 ↓
 cannot be used
 without groupby.

→ FROM
 → WHERE
 → GROUP BY
 → HAVING
 → ORDER BY

ROLL, NAME, TOTAL SCORE ...
 SELECT STUDENT, ROLL, NAME,
 SUM(SCORE)
 FROM STUDENT, RESULT
 WHERE STUDENT.ROLL = RESULT.ROLL
 GROUP BY STUDENT.ROLL, NAME.

SQL

Simple Subquery.

Show the student
 who have scored > 70
 in subject named OOPS.

SELECT *
 FROM RESULT
 WHERE SCORE > 70 AND SCODE =

[(SELECT SCODE
 FROM SUBJECT
 WHERE UPPER(INDEX) = 'OOPS').]

↑
 ④ Inner query is executed only
 once. It's evaluated & its result is
 used.

④ Inner query must return a single value.

④ If inner query returns no value/mutable value then special measures have to be taken.

```
SELECT NAME  
FROM STUDENTS  
WHERE UPPER(CITY) =  
( SELECT UPPER(CITY) FROM STUDENT WHERE ROLL=10 ).
```

Find the subjects in which no student has scored ≥ 80 .

```
SQL> SELECT *  
FROM SUBJECT  
WHERE SCODE NOT IN  
( SELECT SCODE  
FROM RESULT  
WHERE SCORE  $\geq 80$  )
```

Max score in SCODE S1

```
SQL> SELECT SCORE  
FROM RESULT  
WHERE SCODE='S1'  
AND SCORE  $\geq$  ALL  
( SELECT SCODE  
FROM RESULT  
WHERE SCODE='S1' ).
```

Example HW
 \rightarrow Roll of the students who have not scored minimum score

```
SELECT SCODE  
FROM SUBJECT  
WHERE SCORE IN  
( SELECT DISTINCT SCORE  
FROM ...  
... )
```

\rightarrow Simple subquery
correlated subquery where
the tuple in outer query
is referred in inner query.

Correlated subquery,
(Please go through slide examples).

SQL

Correlated Subquery.

Find the students & subject who have scored more than avg. in the corresponding subject.

```
SELECT ROLL, SCODE
FROM RESULT R1
WHERE SCORE >
    (
        SELECT AVG(SCORE)
        FROM RESULT R2
        WHERE R2.SCODE = R1.SCODE
    )
```

Inner query is executed no. of times

Take a tuple from the table in outer query
Candidate tuple.

for each candidate tuple
→ Execute inner query.
→ Use the outcome to decide the action on and tuple.

Correlated query | Outer Query ↗

Inner query

Same Reln

⇒ Self correlation

Find the subjects where nobody has failed (among those who had appeared)

```
SELECT SCODE, SNAME
FROM SUBJECT
WHERE NOT EXISTS
    (
        SELECT *
        FROM RESULT
        WHERE SCORE = NULL
        AND SCORE < SUBJECT.DM
    )
```

DDL Statement

→ Create TABLE

→ Drop TABLE

TO MODIFY THE SCHEMA

SQL> ALTER TABLE tablename

[ADD (Col1, descr.,
Col1, descr., ...)]

[MODIFY (col1 descr., col2 descr.)]

Existing columns.

if certain tuples are already present the constraint not null cannot be used.

Existing Column

- Increasing the size ✓
- Decreasing the size ✓

↓
Change of type
Allowed only if there are no.
of tuples.

DROP constraint ConstraintName,

Create Table Tablename

An query will have the schema same as that of the query output & it will contain the types produced by the query.

Result (Roll, Scode, Score)

- ① Absent (Roll, Scode)
- ② create table absent (x,y)
 ↓
 Roll, Scode
 Score

Backlog (Roll, Score)

Score is Null
or Score < PM

Insert into Backlog
values (select Roll,
Scode from Result
where score is
null OR score <
(select PM from
subject
where S.code
= R.Scode))

View

Student (Roll, Name, Dcode,
...) | for all
students

HOD CSE \Rightarrow Students of CSE

HOD Civil \Rightarrow " " Civil

Create view CSE-STUDENT
 As
 SELECT * FROM student
 WHERE Dcode = 'CSE'

→ One a view
is created the
defn is stored
into data dictionary

→ Is not a
physically separate
table

Single Table Based View

Affects
the
physical
table

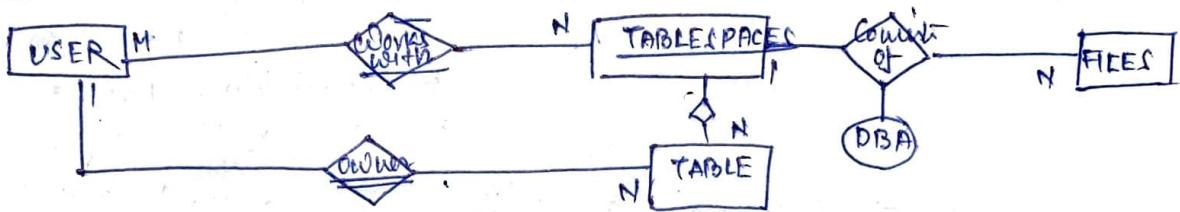
- Select
 - Insert \Rightarrow If schema of
view is subset of attribute of the
physical table for attribute not in
view
 - Modify
 - Delete
- May lead to constraint \Rightarrow Null / Default values are
considered.

CREATE VIEW CSE_STUDENT
 AS
 SELECT *
 FROM STUDENT
 WHERE D_CODE = ____.
 WITH CHECK_OPTION CHECKNAME .

ORACLE SPECIFIC

A
DATABASE → LOGICAL
PARTITIONED INTO
NO. OF TABLESPACES
 Create user account
 ↓ default TS
 also can spend resources

Contains the tables, indexes.



CREATE TABLESPACES



FILE NAME

(SYSTEM) →
holds data dict

DATABASE Design

Functional Dependency / Normalization

Attributes are grouped in a relational schema.

Certain meaning is associated with the attributes & there exists an interpretation of attributes based on other attributes are grouped.

Interpretation based on meaning & interpretation.

Formal way to analyse the database design based on key & functional dependency.
→ Different levels of normal form.

Database satisfies a particular normal form.

STUDENT

(ROLL NAME, DOB, E-MAIL, PHONE,
DLODE, ... , BUDGET)

↓
Combined everything.

In a Dept. \Rightarrow No. of students
 are there every student, same dept info.
 in dept, so, Redundancy.

① A schema
 should correspond
 to one type
 of entity/relationship.

UPDATE Anomalies

→ Insert Anomaly

A new dept has been
 introduced
 no student in there
 cannot be stored.

* Primary key roll is NULL,
 student has come, Dept.info
 is not known. lot of null values
 to be allowed.

→ Deletion Anomaly.

Suppose
 A student tuple is to be
 deleted & he/she is the
 only student in the dept.
 then dept.info is also
 lost.

→ Modification Anomaly

Suppose, HQD of a dept.. is changed
 multiple student tuple for the dept
 are to be modified the consistency.

② Relationship

design must avoid
 Redundancy & update anomalies

③ Avoid atleast

frequent occurring of null
 values.

STUDENT(ROLL, NAME, DOB, PH, E-MAIL, DLODE,

HOSTEL-ID, HOSTEL-NAME, ...

↓
Not applicable

JTUDENT(ROLL, ..., YEAR-EST)

DEPT(DLODE, YEAR-EST, DNAME, ...)

EQUJOIN

BASED IN

4

May Generate
 unwanted
 tuples.

↳ Spurious
 tuples

③ Design must be such that it is possible to go for equijoin based on primary key & foreign keys [to avoid spurious tuples].

Universal Universal Reln \Rightarrow single relation with all attr.

Let R be a schema $X \& Y$ are two subsets of attributes.

$X \subset R \& Y \subset R$.

A functional dependency $X \rightarrow Y$ in a constraint on two set of attributes F.D. specified on R means all tuples in $\sigma(R)$ must satisfy it.

for any two tuples,

$t_1, t_2 \in \sigma(R)$,
if $t_1[x] = t_2[x]$
then $t_1[y] = t_2[y]$

$\frac{R}{\sigma(R)} \Rightarrow$ A set of F.D.
specified on score \rightarrow Grade.

Score \rightarrow Grade

70 \rightarrow B

70 \rightarrow A.

• if $X \rightarrow Y$ holds on $\sigma(R)$
specified on R
does not mean $Y \rightarrow X$.

• if X is A (and Key).
then $X \rightarrow R$
if ($t_1[X] = t_2[X]$
then $t_1[R] = t_2[R]$) .

$\sigma(R)$

Roll	Name
1	XYZ
2	ABC
:	:
7	XYZ

Functional Dependency

$$X \rightarrow Y$$

Given:- A F. D. SET F specified on Relation R
From this some other F.D. can be inferred

Reference Rule

Armstrong's Axioms

- IR1 Reflexivity Rule $X \rightarrow Y$ if $Y \subset X$ ← Trivial F. dependency.
- IR2 Augmentation Rule. if $X \rightarrow Y$ then $WX \rightarrow WY$.
- IR3 Transitive Rule if $X \rightarrow Y$ and $Y \rightarrow Z$
then $X \rightarrow Z$
- IR4 Decomposition Rule if $X \rightarrow YZ$ then $X \rightarrow Y$
- IR5 Union Rule if $X \rightarrow Y$ & $X \rightarrow Z$ then $X \rightarrow YZ$.
- IR6 Pseudo-transitive Rule
if $X \rightarrow Y$ AND $WY \rightarrow Z$ then $CWX \rightarrow Z$.

Proof

IR1

$$t_1, t_2 \in \tau(R)$$

if $t_1[x] = t_2[x]$ then $t_1[y]$ must be same as $t_2[y]$.

As $t_1[x] = t_2[x]$ AND $Y \subset X$

then $t_1[y] = t_2[y]$.

IR2

$$X \rightarrow Y \text{ holds, } \left\{ \begin{array}{l} t_1[x] = t_2[x] \\ t_1[y] = t_2[y] \end{array} \right. \begin{array}{l} \textcircled{A} \\ \textcircled{D} \end{array}$$

Say $t_1[wx] = t_2[wx]$, no We have to check that $t_1[wy] = t_2[wy]$

Let $WX \rightarrow WY$ does not hold

$$\Downarrow \quad \left\{ \begin{array}{l} t_1[wx] = t_2[wx] \\ t_1[wy] \neq t_2[wy] \end{array} \right. \quad \textcircled{B}$$

But $t_1[wy] \neq t_2[wy]$

$$\textcircled{A} \neq \textcircled{B} \Rightarrow t_1[w] = t_2[w] \quad \textcircled{C}$$

$$\textcircled{C} \& \textcircled{D} \Rightarrow t_1[wy] = t_2[wy]$$

IR3

$$\begin{array}{c} x \rightarrow y \\ y \rightarrow z \end{array} \quad \text{Holds} .$$

$t_2[x] = t_2[y] \quad \textcircled{A}$ $t_2[y] = t_2[z] \quad \textcircled{B}$
 $t_2[x] = t_2[z] \quad \textcircled{C}$
 $\textcircled{A} \wedge \textcircled{B} \Rightarrow x \rightarrow z$

IR4

$$\begin{array}{l} x \rightarrow yz \\ yz \rightarrow y \end{array} \quad (\text{IR1})$$

$x \rightarrow y$
 $x \rightarrow yz$
 $y \rightarrow z$

IR5

$$\begin{array}{l} x \rightarrow y \\ x \rightarrow z \end{array} \Rightarrow \text{IR2} .$$

$x \rightarrow xy$ (\text{IR2})
 $x \rightarrow xz$ (\text{IR3})
 $x \rightarrow yz$
 $xy \rightarrow yz$
 $xy \rightarrow xz$ (\text{IR3})
 $x \rightarrow yz$

IR6

$$\begin{array}{l} x \rightarrow y \\ wx \rightarrow z \end{array}$$

$wx \rightarrow wy$
 $wy \rightarrow z$ | IR3 .

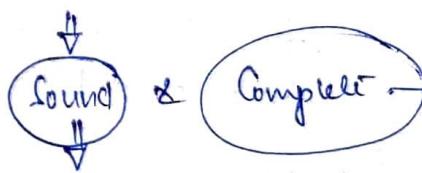
Set of FD's + specified on R

F^+ is closure of F



Set of all FDs
that includes F and FDs that
can be inferred from F .

Armstrong's Axioms



Fn dependency set is specified on relation R using the armstrong's axioms any F.D. that is inferred from F using the armstrong's axioms that holds on R . Any valid tuple satisfies the fn dependency.

By successive applying of armstrong's axioms on F a complete set of FDs can be inferred.

$$\frac{F}{X \rightarrow Y \quad Y \rightarrow Z}, \quad \frac{F^+}{X \rightarrow Y \quad Y \rightarrow Z}$$

$$\begin{matrix} \uparrow \\ X \rightarrow Y \\ X \rightarrow Z \\ Y \rightarrow Z \end{matrix}$$

Reln R

↓
F.D.

set F } Given.

Closure of set of attr. A

↓
Set of all attributes that can be determined by X .

(X)

$$X^+ \rightarrow X$$

repeat $X^+ = old\ X^+$

For each functional dependency $A \rightarrow B$ in F

if $A \subset X^+$ then $X^+ = X^+ \cup \{B\}$

$$\begin{array}{l} X \rightarrow Z \rightarrow FD\ 1 \\ X \rightarrow Y \quad FD\ 2 \end{array} \left\{ \begin{array}{l} \text{until}(old\ X^+ = X^+) \\ \text{until}(old\ X^+ = X^+) \end{array} \right.$$

$$\begin{array}{l} X^+ = (X) \\ Y \subseteq X^+ (X) \\ X^+ = XY \end{array}$$

$$\frac{x^+ = x}{\text{old } x^+ = x}$$

if $(x^+ = R)$



x is a candidate key.

$$\frac{x^+ = xy}{\text{old } x^+ = xyz}$$

can be.

$R(A_1, A_2, \dots, A_n)$

A_1^+

A_2^+

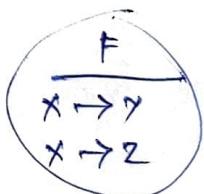
:

A_n^+

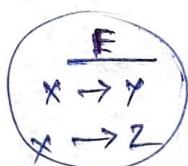
Given two F.D. set E & F specified on R ,

F covers E ,

If each F.D. in E is present in F^+



$$F^+ \quad X \rightarrow Y \\ Y \rightarrow Z \\ X \rightarrow Z$$



$$X \rightarrow Y \\ X \rightarrow Z$$

→ Cannot infer anything else.
Reverse is not true.

$E \oplus F$
Two F.D. sets are equivalent if
 F covers E and vice-versa.
 $\Leftrightarrow F^+ = E^+$

Minimal cover.

→ Replace each F.D. of the form

$$X \rightarrow A_1, A_2, A_3, \dots, A_n$$

with set of FDs.

$$X \rightarrow A_1, X \rightarrow A_2, \dots, X \rightarrow A_n$$

Set in F



f_{min} : For each FD $X \rightarrow Y$
 $\{ (F - \{X \rightarrow Y\}) \cup (X \rightarrow F \setminus Y) \} \rightarrow Y$

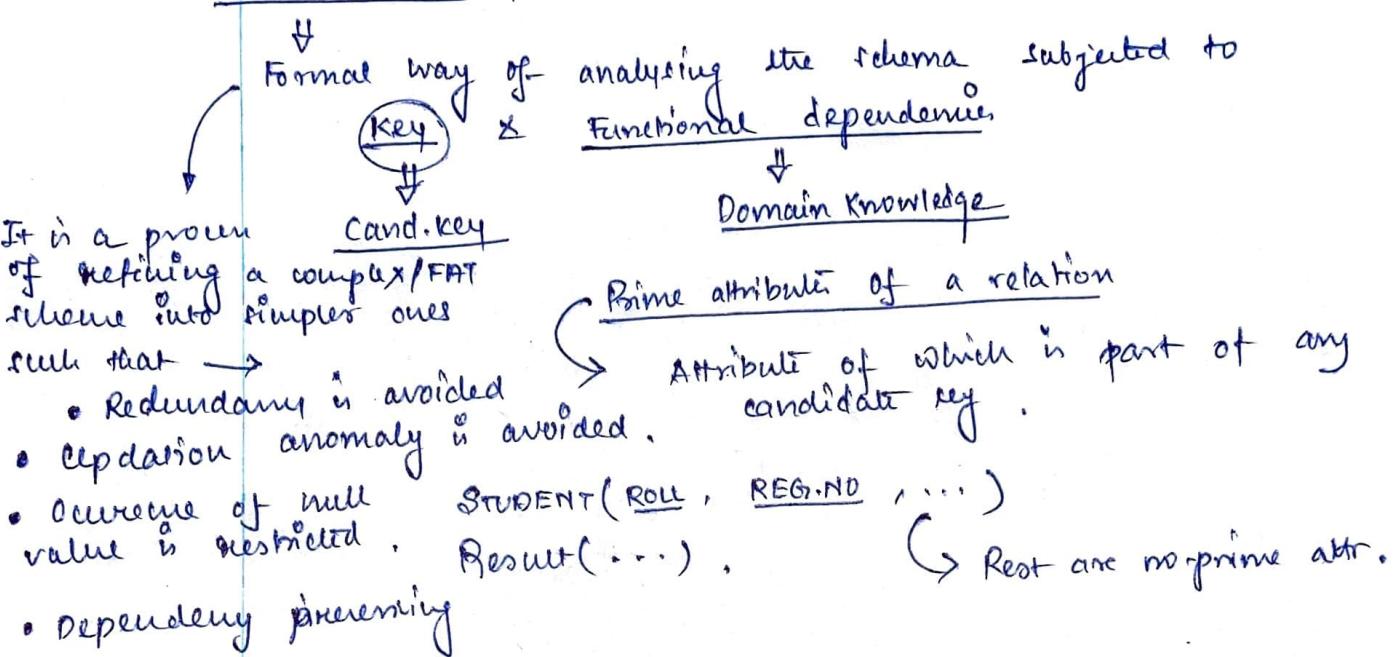
Name, Roll

↓
Score

B C X

- After each functional dependency $x \rightarrow y$ in F
 If $F \rightarrow \{x \rightarrow y\}$ is equivalent to F
 then $F = F - \{x \rightarrow y\}$.
- Any redundant F.D.?

Normalization



A reln is in a normal form satisfies 1st, 2nd, ..., Knt.

1 NF
2 NF
3 NF

Always highest level of normalisation may not be done
 Certain redundancies may be allowed by not going for higher form.
Denormalization

05/04/2021

Prof.
Sanjay
Kumar
Saha
①

NORMALIZATION

DDBMS

⇒ F.O. Set is Given
(Minimal Cover).

SCHEMA

For every student, need to store information.
Every student has unique roll \Rightarrow Roll is the p.k.

→ Roll No.

→ Name → Phone No.

→ City → {SCODE, SNAME, PH...}

→ DCODE

→ DNAME

→ Y-EST

1st Normal Form

→ Every attribute in the schema
must be atomic & single valued.

If we have non-atomic attributes

(Atomic/Non-atomic) \Rightarrow Requirement
specific.

Replace it by the components

If there is multi-valued attribute \Rightarrow Remove these attributes
from original schema
& put into a new schema.
Also copy the p.k. in new
schema

Student

Roll (P.K.)

Name

City

Phone No.

{SCODE, ...}

DCODE

M.V. attributes that
repeat together & related
with each other, group them
& remove them from original
schema to form a new one.
Copy p.k. of original relation.

Student

Roll (P.K.)

Name

City

Ph.No.

DCODE

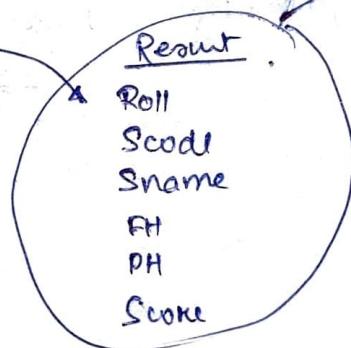
DNAME

YR-EST

OFFICE PH.

1NF

ER



2NF

Result

Roll
SCODE
Score

Subject

→ Sname
→ FM
→ PM

DFONE

ROLL
PH-NO

$\text{ROLL} \rightarrow \text{NAME, CITY, PH-NO, DCODE}$
 $\text{DCODE} \rightarrow \text{DNAME, YR-EFT, OFF-PH}$
 $\text{SCODE} \rightarrow \text{SNAME, FN, PM}$
 $\text{ROLL, SCODE} \rightarrow \text{SCORE}$

2ND NORMAL FORM

(2NF)

A schema is in 2NF if every non-prime attribute is fully dependent on Primary key.

Functional dependency.

Set of attributes

Full / Partial dependency

Full functional dependency

$X - \{A\} \rightarrow Y$ is not possible

$A \subset X$

$X - \{A\} \rightarrow Y$ is possible

then Y depends on X partially.

X is simple

If P.K. is atomic \Rightarrow that schema is in 2NF.

X
Roll, SCODE

Name, FN, PM, SCORE

$A = \text{Roll}$

$X - \{A\}$

Violation
for 2NF

X is p.K.

$A \subset X$

$X - \{A\} \rightarrow Y$

Non-prime

→ Remove Y from original schema & put them into new Reln.

Copy $X - \{A\}$ (Part on which Y depends) in new schema.

$\text{SCODE} \Rightarrow \text{SNAME, FN, PM}$

In original schema

$X - \{A\}$ ($\{\text{code}\}$) will be a F.K. referring to new schema.
Remove \rightarrow

3NF (3rd Normal Form)

→ To remove transitive dependency

Schema . R

$x \rightarrow y$ holds on R

Suppose $x \rightarrow z$ & $z \rightarrow y$ holds on R.
 $\&$ z is not a candidate key $\&$ Non-prime.

Say, a non-trivial F.D. $x \rightarrow y$ violates
 $\Rightarrow x$ is not a S.K. $\&$ y is non-prime,

$$\begin{aligned} \underline{x \rightarrow y} \Rightarrow & (x \text{ is S.K.) OR (} y \text{ is prime}), \\ \text{Violates} \\ \text{3NF} & = (x \text{ is not a S.K) AND (} y \text{ is not prime}) \\ & = (x \text{ is part of S.K.) OR (} x \text{ is non-prime}) \\ & \quad \text{AND (} y \text{ is non-prime).} \end{aligned}$$

Violation of 2NF

x is part of candidate key $\&$ y is non-prime

$x \rightarrow y$
 \nwarrow
 x non-prime

If $x \rightarrow y$ violates 3NF
 then remove y from original schema
 $\&$ put in a new one. Copy x
 into new schema $\&$ it will P.K.
 in original, it will be F.K.

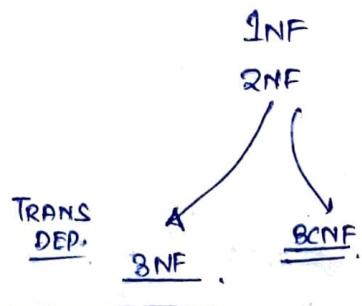
New schema (DEPT).

- DNAME
- YR-EST
- OFF-PH,
- DCODE

STUDENT
 \dots
DCODE

F.K.

- STUDENT (ROLL, NAME, CITY,
 PH-NO, DCODE)
- DEPT (DCODE, DEPT, YR-ET, ...)
- SUBJECT (SCODE, SNAME, FM,
 PM),
- RESULT (ROLL, SCODE, SCORE).



(ROLL, SCODE, FACULTY-ID)

$X \rightarrow Y$
 X is S.K.
OR
 Y is prime attribute

$\text{ROLL, SCODE} \rightarrow \text{FACULTY-ID}$
 $\text{ROLL, FACULTY-ID} \rightarrow \text{SCODE}$

$R(A, B, C)$
 A is Key
 $C \rightarrow B$
 AB is Key

BCNF, \downarrow (Stricter than 3NF),

A schema is in BCNF

If for every $X \rightarrow Y$ trivial F.P. that holds on the schema
 X is a S.K.,

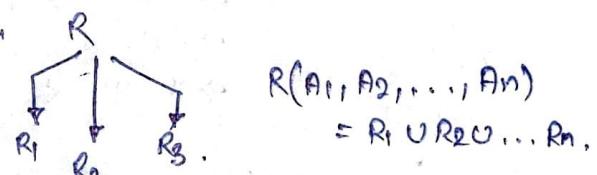
$X \rightarrow Y$ violation

Remove Y , put in new schema.

Copy X , X is P.K.
& F.K in OLA.

To remove redundancy,
minimize the nullable values.

* Remove update anomaly.



→ Decomposition must be loss-less.

Natural join of $\sigma_i(R'_i) = \text{nat. join of } \pi_{R'_i}(\sigma(R'_i))$

$$\sigma_1, \sigma_2, \dots, \sigma_n = \pi_{R'_1}(\sigma(R)) \times \pi_{R'_2}(\sigma(R)) \times \dots \times \pi_{R'_n}(\sigma(R))$$

Either $R_1 \cap R_2 \rightarrow R_1$.
OR
 $R_1 \cap R_2 \rightarrow R_2$.

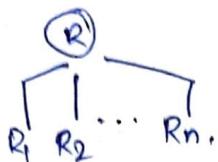
Decomposition should be

→ loss-less

→ Dependency preserving F.D. let F on R

$$E = \bigcup E_i \quad \text{if } E^+ = F^+$$

Say, E_i^o be the set of F.D. on R_i^o



for any F.d. $x \rightarrow y \in E_i^o$
 $x \cup y \subseteq R_i^o$

$$(x \cup y) \subseteq R_i^o$$

E_i^o is the restriction
of F on R_i^o

$$x \rightarrow A_1, A_2, \dots, A_n$$

$$y \rightarrow B_1, B_2, \dots, B_n$$

3NF

- Removes Redundancy
- loss-less decomposition
- Dependency preserving.

~~BCNF~~ BCNF

- Removes Redundancy.
- loss-less decomposition
- May not be dep. pres.

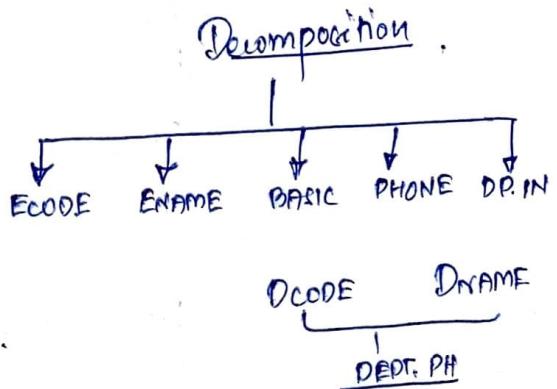
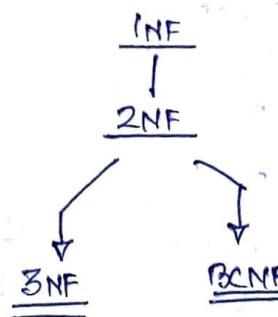
06/04/2021

DBMS

Prof.
Sangay
Kumara
Saba

(1)

NORMALIZATION



- Loss less Decomposition
- Dep. pres. Decomposition.

→ $EMP(ECODE, ENAME, BASIC, \dots, DCODE)$,
 → $DEPT(DCODE, DNAME, DEPT, PH)$.

DEPT

<u>DCODE</u>	<u>DNAME</u>
D1	
D2	
D3	
⋮	

EMPLOYEE

<u>ECODE</u>	<u>ENAME</u>
E1	
E2	
E3	
⋮	
E9	

<u>DEPT</u>
D1
D2
⋮
NULL

~~EMP~~

EMP OR DEPT

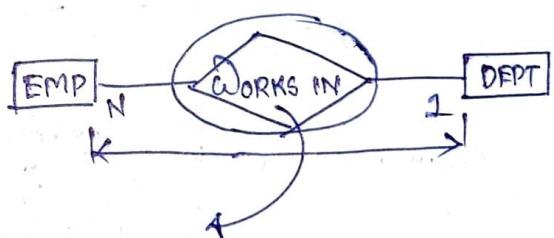
EMP \bowtie DEPT

($EMP.DCODE = DEPT.DCODE$)

Decomposition



Be aware of the null values while joining.



EMP ($ECODE, ENAME, BASIC, PH, \dots$)
DEPT ($DCODE, DNAME, DEPT-PH$)

WORKS IN ($ECODE, DCODE$).

WORKS IN

(2)

E CODE

E₁

E₂

E₃

:

E₉

:

E₅₀

D CODE

D₁

D₂

D₃

:

NULL

:

NULL

If D CODE is known,
not
No entry can be made.

EMP \bowtie WORKS-IN

↓

EMPLOYEE TUPLES

NOT IN WORKS-IN WILL
NOT APPEAR.

(EMP ————— D CODE)
NULL

(EMP NOT WORKS-IN)

↙
CANNOT ALLOW.

EMP(E CODE, ENAME, ..., D CODE).

All employees

EMP(E CODE, ENAME, ...)
WORKS-IN(E CODE, D CODE)

EMP \bowtie WORKS-IN

NO NULL IS ALLOWED

Decomposition is extrinsically made.

↙
Equi join (inner) may not give all
tuples.

(3)

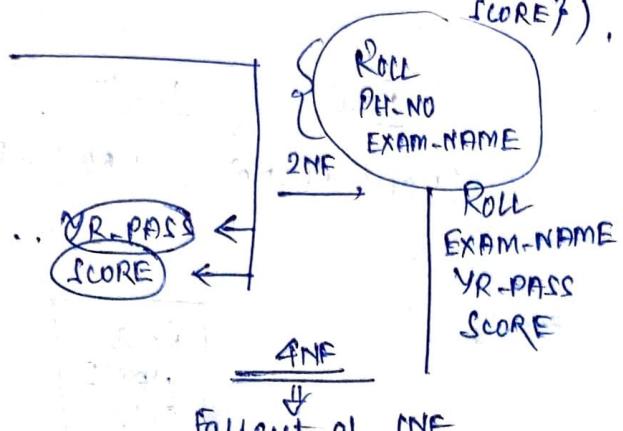
Multi-valued dependency

STUDENT (ROLL, NAME, DOB, {PHONE NO}, {EXAM NAME}, YR-PASS, SCORE),

H INF.

1. ROLL
2. PHONE NO
3. EXAM NAME

<u>t₁</u>	-	P1	10th
<u>t₂</u>	-	P1	12th
<u>t₃</u>	-	P2	10th
<u>t₄</u>	-	P2	12th



X multi-determines Y

MVD (Multivalued dependency) ON SCHEMA R

SAY,

$$Z = R - \{X \cup Y\}$$

$X \rightarrow\!\!\! \rightarrow Y$ means

if there exists two tuples

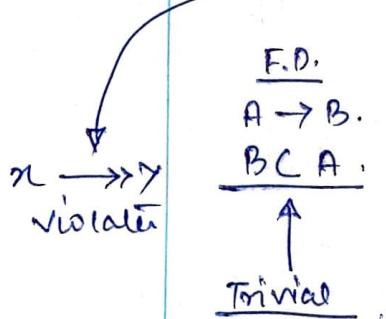
$t_1, t_2 \in \tau(R)$ with $t_1[X] = t_2[X]$

then there exists two other tuples t_3, t_4 such that:

$$\rightarrow t_1[X] = t_2[X] = t_3[X] = t_4[X]$$

$$\rightarrow t_1[Y] = t_2[Y] \text{ AND } t_3[Y] = t_4[Y]$$

If a MVD $X \rightarrow\!\!\! \rightarrow Y$ holds on R
then if it is not a trivial dependency,
then R is not in 4th normal form.



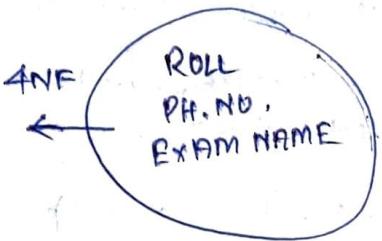
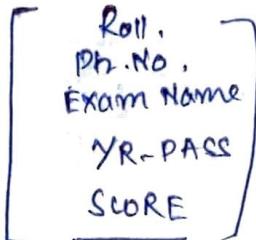
MVD $X \rightarrow\!\!\! \rightarrow Y$ is trivial if
Y is a subset of X or
 $X \cup Y = R$

ROLL $\rightarrow\!\!\! \rightarrow$ PHONE NO.

$$\begin{aligned} & X, Y \subset R \\ & Z = R - \{X \cup Y\} \\ & X \rightarrow\!\!\! \rightarrow Y \quad | \quad X \rightarrow\!\!\! \rightarrow Z \end{aligned}$$

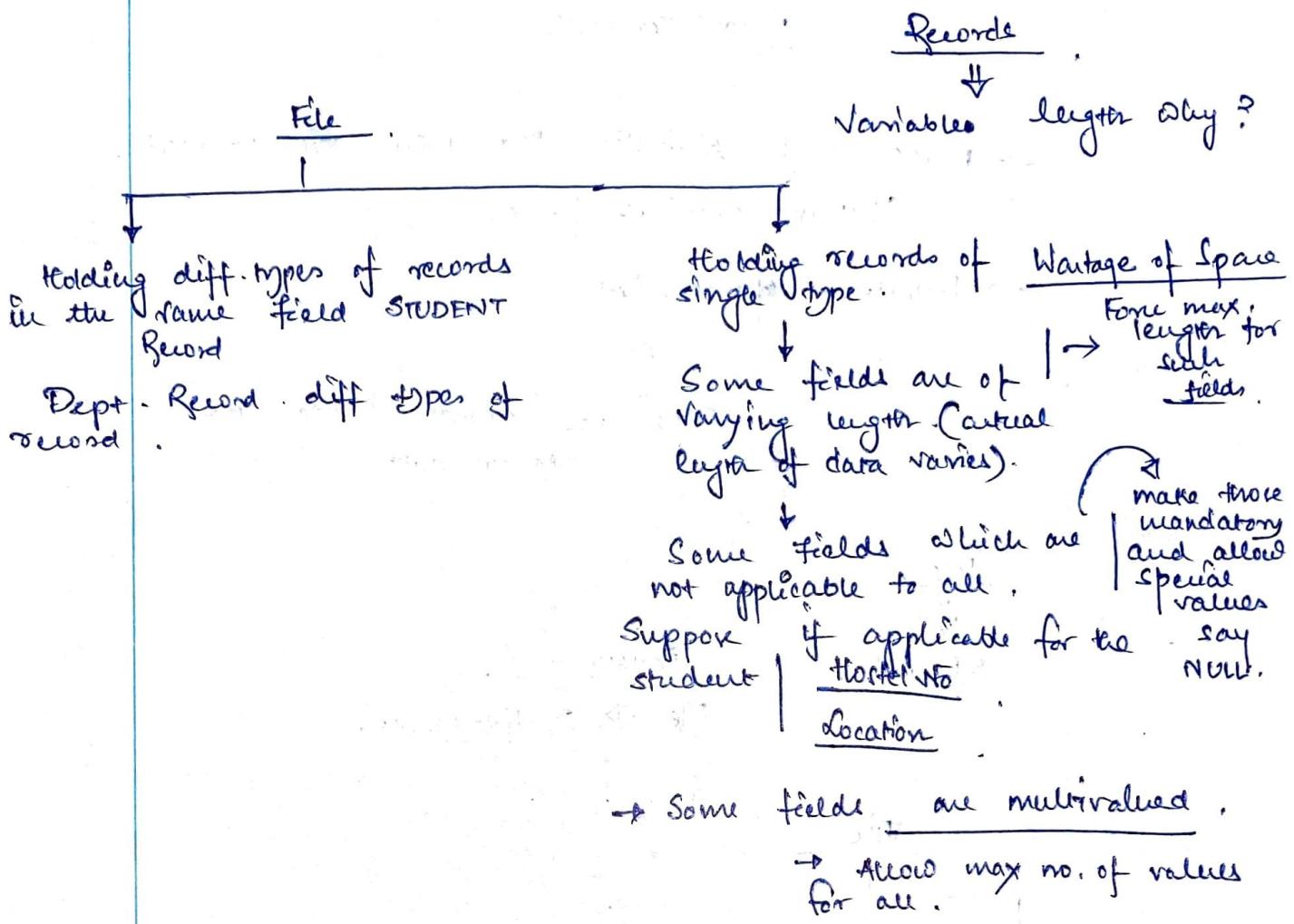
[Remove Y in a separate relation
and copy X.

ROLL PH-NO
 (ROLL PH-NO) (ROLL, EXAM-NAME)



ROLL
EXAM-NAME
YR-PASS
SCORE



Disk \Rightarrow FileFile \Rightarrow Collection of Records.Record \Rightarrow Collection of related values/fields. - value/data.Management of fixed length record is easier

→ For each record certain space is reserved, so editing within size limit is not a problem.

→ For each

→ Variable length record \Rightarrow New length $>$ old length.

— Old length,
Addition length?

Variable length Record

→ End of Record.

Record terminator symbol.



Record Terminator

→ Large no. of attributes but most are optional.
(AttributeName, value) pairs.

→ FieldName Operator (#)



separators cannot happen as
Actual data.

File



Σ Records.

Physically

File \Rightarrow Σ disk blocks.

File



Spanned Org

Unspanned Org

→ A record can cross block boundary.

→ A record cannot span over multi

Can span over multiple boundaries.

bfr \Rightarrow Blocking factor.

Fixed length record \Rightarrow Block size B Bytes.
Record size R Bytes.

Unspanned Org.

$$bfr = \lceil \frac{B}{R} \rceil \quad \lceil \frac{512}{100} \rceil$$

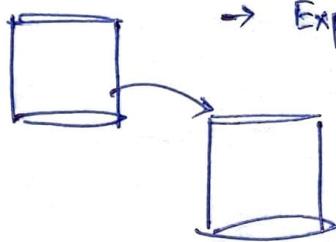
Say there are n no. of records stored in b no. of blocks

$$B = \lceil \frac{n}{bfr} \rceil$$

Alloc. of disk blocks to a file

Closed alloc. \longleftrightarrow Continuous alloc.

Blocks are allocated to a file in contiguous manner.



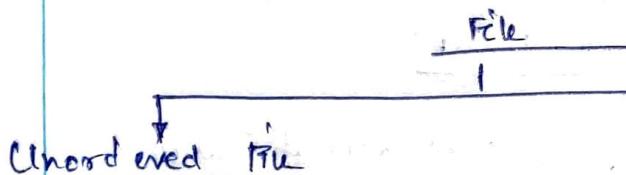
→ Expansion is easier but nearly all the records will be slower.

Advantage Reading all the records will be faster for all the blocks in a track \Rightarrow [Only one seek time + latency for the first block]

→ Clustered Allocation.

Indexed alloc.

For the file, an index holding the pointer to the data block is maintained.



Unordered File
Records are not stored in an ordered or order due to any particular field.

Ordered File
Records are stored maintaining an order on certain fields, (ordering field). If ordering field is a key field \Rightarrow Ordering Key.

Unordered

→ Insertion of record is easy.

→ Searching : Linear search b no. of blocks in worst case, ~~all~~ all the b blocks are to be read. On an avg. $b/2$ block access.

Ordered

→ Insertion is difficult. Find the position

→ Searching : Based on ordering field. Binary search. $\lceil \log_2 b \rceil \in$ no. of block access.

→ We want to access all record acc. to the same order.

Order \Rightarrow Equal

→ If search is based on criteria other than ordering field \Rightarrow Linear Search.

editing the record

Read it
Modify it
Read.

Deleting a record

\Rightarrow Reusing the space.

Logical Deletion

\Rightarrow Checks a flag set it if deleted coincide ageing, checks the flag before working with it.

Periodically \Rightarrow go for physical deletion.

Count exceeds a limit

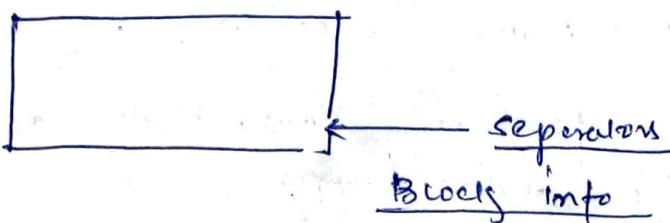
OR

Unordered

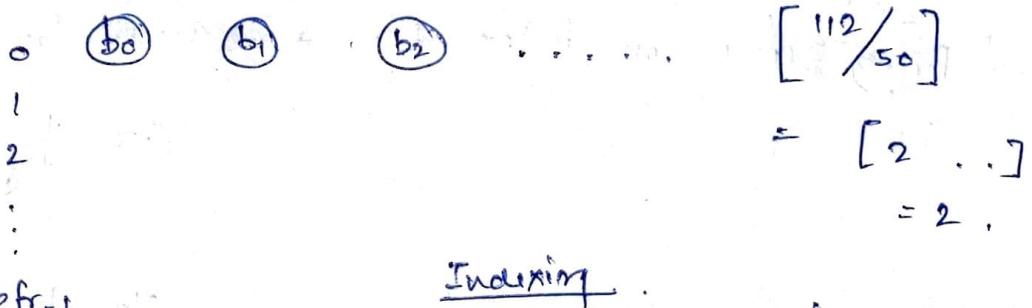
A new record will occupy the space of logically deleted one.

header of a file

→ Info that helps to interpret the data



fixed length record



Indexing

→ To make the search in a file fast

Any index file is an ordered file of fixed length records (very often so) where records are of the form.

{ index field , Record/Block pt. value of corresponding record } >

Index file

Record
Point

Non-Rec
Non-Point

P.I. Entry

One entry / data block. 1st record of each data block is called block anchor or anchoring record of the block.

Corresponding to each block anchor there is an entry into index file.

Index file

Primary
Index
(Non-
Denie)

Cluster
Index.
(Non-
Denie)

Secondary
Index.

Searching for a value:

→ Index field value.

- Carry out the binary search on index file to find the entry such that $\text{Key}(i) \leq K \leq \text{Key}(i+1)$.
- go to the particular data block as provided by matching index entry.

→ P.I. search on index file + access particular data block.

→ $\frac{\text{Size of index file}}{\text{Size of data file}} \ll 1$

$$\text{Data blocks} \Rightarrow \frac{50,000}{5} = 10,000$$

$$[\log_2 10,000]$$

$$\text{No. of index records} = \frac{\text{No. of data blocks}}{\text{Size of index record}} < \frac{\text{No. of data records}}{\text{Size of index record}}$$

Data Record added

blocks \downarrow
may change → P.I needed
to be created again.

Size of index block $\Rightarrow 10$ Bytes.

$$\begin{aligned} \text{No. of index Recs} &= \text{No. of data block} \\ &= 10,000 \\ \text{No. of index block} &= \left[\frac{10,000}{50} \right] \end{aligned}$$

$$\begin{aligned} \text{Binary Search on Index} \\ = [\log_2 200] \end{aligned}$$

Indexing
Hashing
Internal Hashing

hash(key) → Index to a
(table in memory)

hash field . equality checking on hash key.

Collision

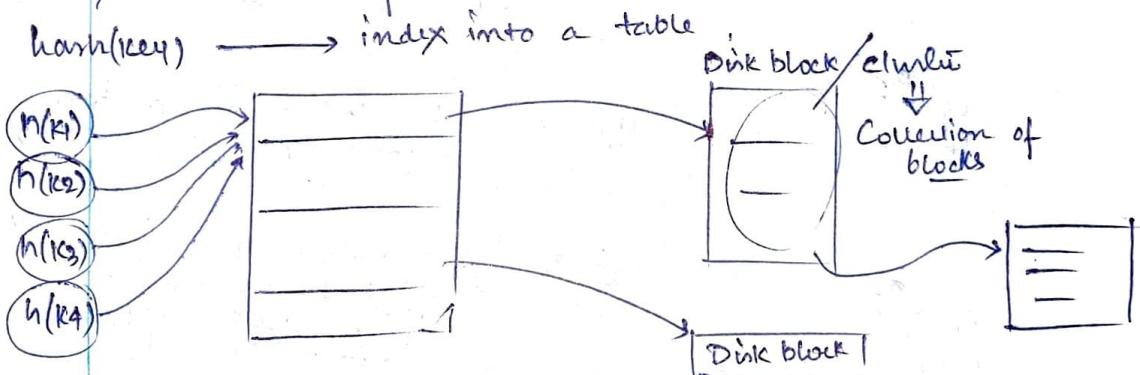
hash fn
hash field
 $h(K)$

multiple key value ⇒ may give same index

Linear probing

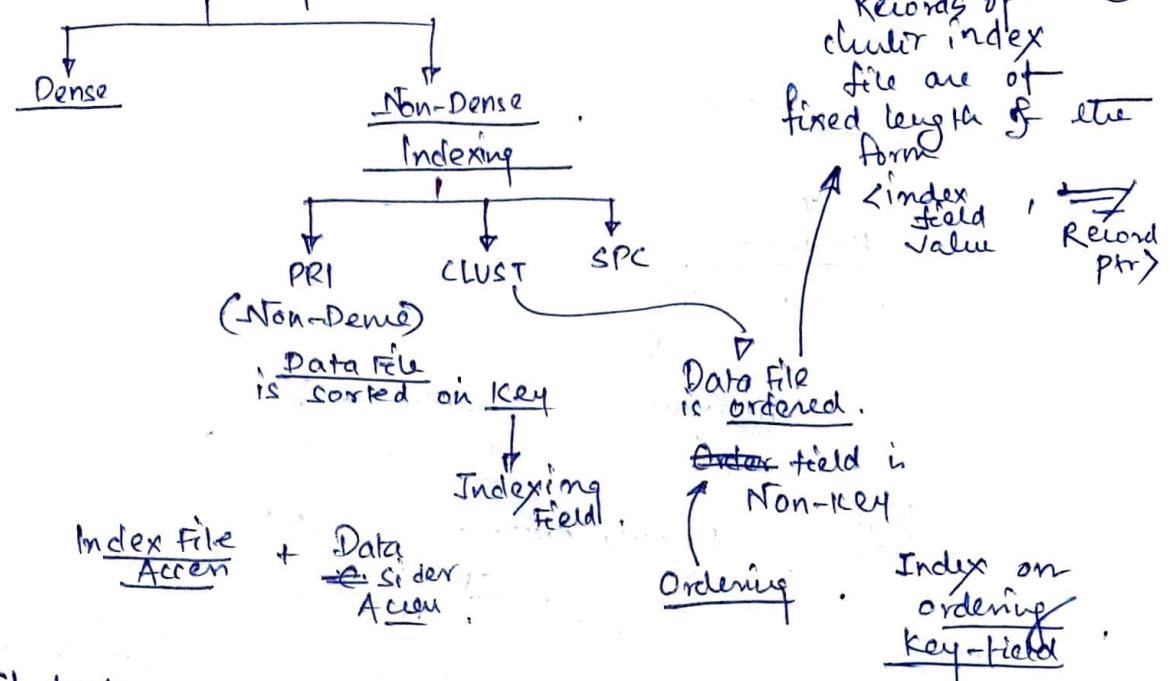
$h(a) \Rightarrow L \rightarrow$ deleted.

External Hashing



A block/cluster
→ Hold multiple records so collision problem is less severe.

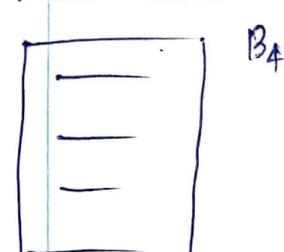
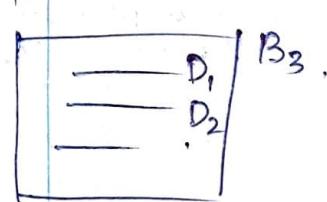
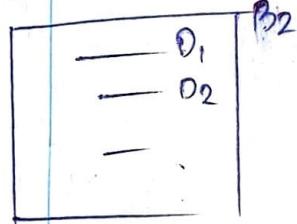
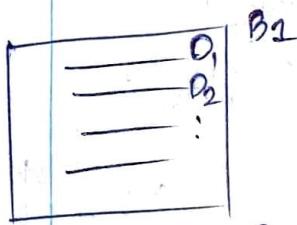
Indexing



Student

Row
 Name
 Score
 Dob
 ...
Decode

Sorted on Decode



In Index File

→ For every distinct value of indexing field, an entry is made

100 distinct value of ordering/indexing.

- D₁ → Address of disk block where the value first appears
- D₂ →
- D₃ →
- ⋮
- D₁₀₀ →

Search, for a particular index value

→ An index file carry out binary search to find the block containing the desired entry.

Insert/Delete operation

⇒ May lead to changes in data file.

Secondary Index

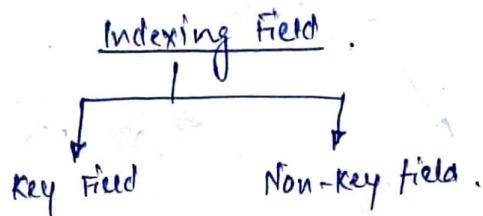
If Data file is
not sorted on indexing
field.

P.I. } IndexField
C.I. } IndexField

Data file is
sorted on index
field.

See Index on
Key Field

↓
Delete Index



Far

Data File

→ Contains 50,000 words

100 Bytes/record

Block size → 512 Bytes

$$bfr = \left\lceil \frac{512}{100} \right\rceil = 5 \text{ records/block}$$

$$\text{No. of data blocks} \Rightarrow \frac{5000}{5}$$

Linear search on Data File
on an average : $\frac{5000}{2} = 2500$ block average

Given a key, find the data record.

↓
Carry out binary search on index key. Get the
record and open the data block in the disk.

Index Record
Record Size

$$bfr = \left\lceil \frac{512}{10} \right\rceil = 50$$

No. of index records

⇒ No. of data records

Secondary Index

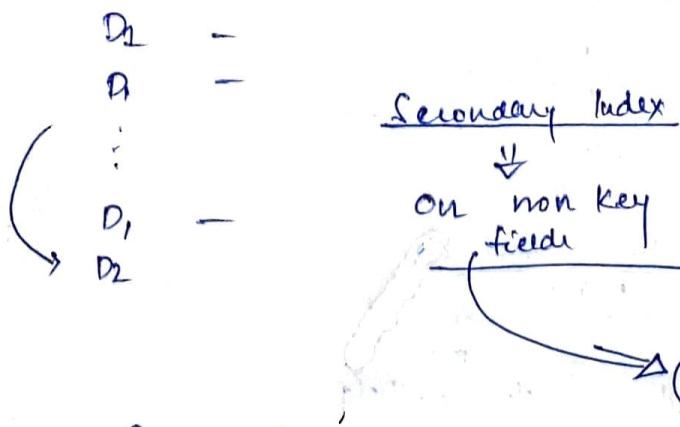
On non-key
field

↓
Delete
Index

↓
Non-Delete
Index

for every data record
an index entry

Lindex field name, block pointer



- Set index field value.
- Go to first level of index file to obtain comp. data block pointer
- Access the data block.

Variable length record for every distinct value of indexing field \Rightarrow index entries
100 index entries

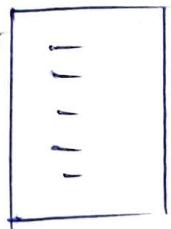
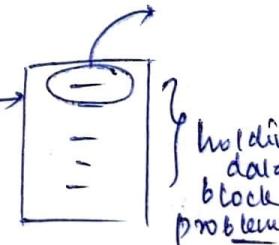
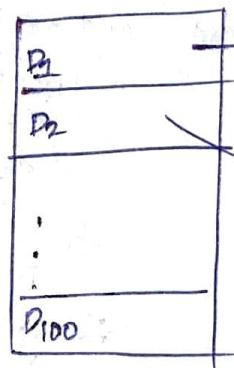
< Index field values , set of records >

< D₁ , (P₁ | P₂ | P₃ | ... | P₁₀₀) >

< D₂ , (P₁ | P₂ | P₃ | ... | P₁₀₀) >

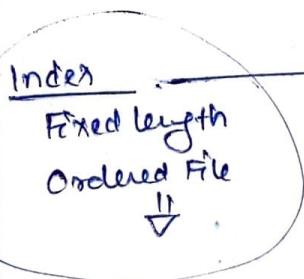
data block

Data File

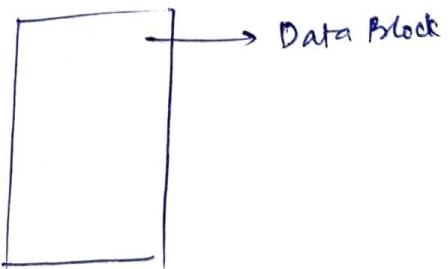


Dependency on the situation

- PRI
- Cluster
- Sec.



if it's quite rare



Multilevel Indexes n-blocks

n-blocks

Bare Index



:

Search

Consider Bare Index on data file.

Sorted on Index Field

Index entry
block size

Create Pri Index.

n-entries

$$\left[\frac{n}{bfr} \right]$$

$$\left[\frac{n}{bfr^t} \right] = 1$$

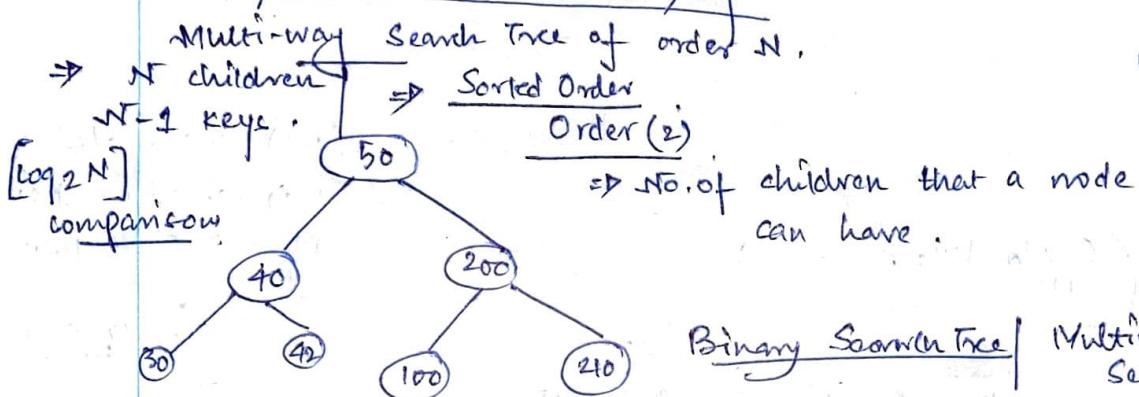
t levels + 1

IndexingMulti-level indexing

No. of disk access

$$= \text{No. of levels in Index} + 1 \text{ (Data Block)}$$

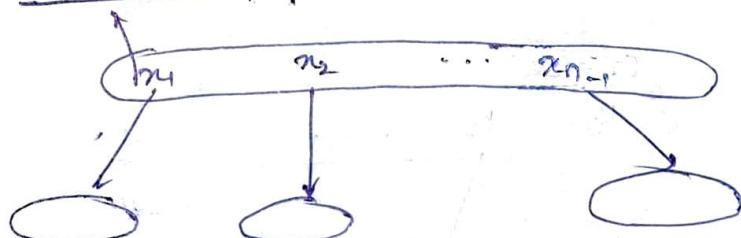
Problem → Insertion

B/B_T Tree Based Indexing

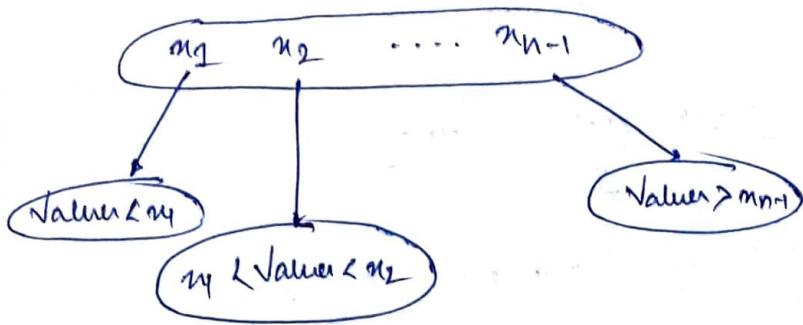
Binary Search Tree | Multimode Search Tree

↓
 Depth will be len.

Index → Disk Resident
 One node corresponds to a block.

Disk address

B-Tree of order N



1st children \Rightarrow Key value (m_1)
 last children \Rightarrow Key value $\geq m_{N-1}$
 $m_i < \text{Key value} < m_{i+1}$
 for other i-th children.



$(N-1) \rightarrow \text{key value}$
 $(N-1) \rightarrow \text{Record pointer}$
 $N \rightarrow \text{child pointer}$

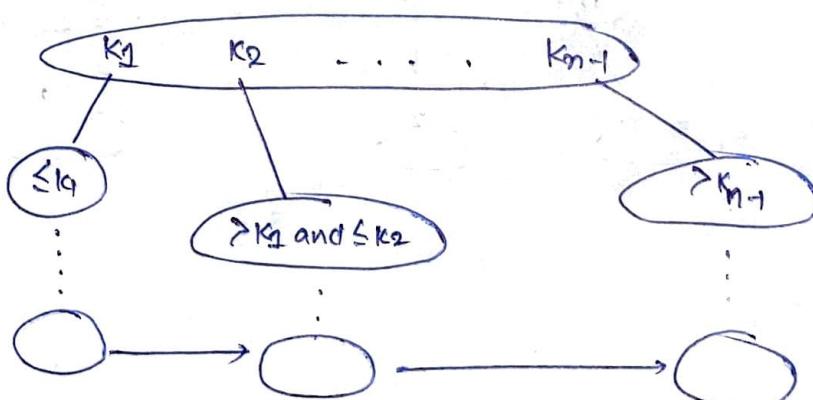
fit into a disk block

Key Record
PTR

Order N

B+ Tree

All the values are repeated in the leaves.



Block Size
B

Non-leaf node.
 $N-1$ key values
 N child ptr.

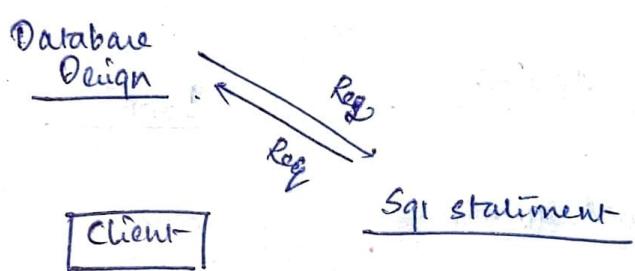
LEAF Node

$N-1$ key values
 $N-1$ Record pointer
 T Next node ptr

PL/SQL . (specific to Oracle)

→ To interact with database ⇒ SQL
(non-procedural).

- Provides procedural feature
 - While PL/SQL block is passed to server in one shot, ⇒ / no control structure, no loop etc.
 - Oracle ⇒ PL/SQL
 - It has the procedural feature
- Application ⇒ Procedural aspect is also required.
- Host lang ⇒ c/c++/java
- ↓
Procedural aspect



Declare

Begin

Exception

End

To declare PL/SQL Variables & Constants

for each DML statement goes from client to server & response come back
for each DML statement (Net work traffic increase)

Each Statement ⇒ Terminated by semi-colon.
↓
Executable

x.SQL

SQL-Plus > @x

SQL> SET SERVEROUTPUT ON

SQL> :

NET SERVEROUTPUT OFF

X Number(5,2) := 0
 Y Char(5)
 Z Date;
 B Boolean := true;
 A Constant Number(3,2) ≤ 3.14.

Dynamic Datatype Declaration

Salary EMP. BASIC XTYPE
 ↓
tabbyview

Conditional Statement

if cond. then
 =
optional { Else
 Exit

Loop

Loop
 If cond. then
 exit.
 END IF
 END LOOP
 can add REVERSE(..)
 FOR i IN 1...10
 LOOP
 END LOOP.

EXIT When Condition.

for(i=0; i<=10; i++)

END. {
}
3 ..

EMP(Ecode, Dcode, Ename, Basic)

DECLARE

EC EMP. ECODE Y. TYPE

B EMP. BASIC Y. TYPE

BEGIN

EC = '&EC'

SELECT BASIC ~~INTO~~ B

FROM EMP WHERE ECODE = EC .

END DBMS-OUTPUT.PUTLINE(BASIC || B)

Must Return a single row

else
error.

Single Row Select Statement
If it does not return any row
→ No data found.

Multiple rows are returned

→ Too many rows.

Inert	May not affect any row or affect multiple rows.
Update	
Delete	

Cursor → Is a waiting place ↑ to store multiple rows from one at a time. Rows can be fetched.

Implicit cursor Explicit cursor.

Explicit Cursor

a Where are at ~~other rows~~ a time rows can be fetched & can work on it.

Defn.

```

WHERE
CURSOR C1 IS
SELECT *
FROM EMP
WHERE BASIC > 50000 AND DECODE IS NULL;

```

BEGIN

G = 'B61'

OPEN C1; → Opening the cursor; defn statement is excluded & selected rows from the active set.

Fetch C1; → To fetch one row (current row) from cursor.

Countname %_FOUND

Countname %_NOTFOUND,

→ SELECT → INSERT
 → DELETE → UPDATE → Implicit Cursor

$\%ISOPEN \rightarrow$ TRUE if the cursor is open.
 [for implicit cursor, SQL

$\text{SQL } \%ISOPEN \Rightarrow$ Always False]

$\%FOUND \rightarrow$ Explicit cursor \Rightarrow If can't fetch operand in
 successful then it
 gives true else false.

Implicit cursor \Rightarrow If non-select/insert/update/
 delete affects at least one row.

[for single row select-
 statement no row \Rightarrow
 no data found \Rightarrow multiple
 rows \Rightarrow too many rows]

%Notfound



\rightarrow Explicit cursor.
 \rightarrow True if last fetch fail
 else false.

Implicit Cursor.
 \rightarrow If non-DML statement, affect no row.

For Select statement,

\rightarrow No rows exception

%Rowcount \Rightarrow Implicit cursor.

\Leftrightarrow No. of rows affected.

$$n = \text{SQL } \%ROWCOUNT$$

Explicit cursor

\Rightarrow Constructing count of rows fetched
 so far. \Rightarrow cursor is open.

~~Dollar~~
Cursor ~~ex~~.

OPEN
 FETCH
 CHECKING
 CLOSE

CURSOR is open

CURSORTYPE

FOR R INTO C1
 loop

R.BASIC

END LOOP

19/04/2021

DBMS

Prof.
Sanjay
Kumar
Saha

(1)

PL/SQL

CURSOR

DECLARE

```

CURSOR C IS
SELECT *
FROM RESULT
WHERE SCODE = 'CS001'
CITY ROWTYPE

```

BEGIN

FOR R ~~IN~~ C

Loop

IF R.SCORE < 40 THEN

```

    UPDATE RESULT
    SET SCORE = 40
END IF

```

END LOOP

END;

→ All Rows will be affected.

) To prevent

) WHERE CURR CURRENT OF C

Using the cursor if we want to go for modification
 & that will be done on the row in table corresponding
 to the one fetched from cursor then cursor declaration
 and variable have an intimation.

FOR SCODE \Rightarrow SL

find the name of top 5 scores.

DECLARE

CURSOR MERIT_LIST IS

```

SELECT *
FROM RESULT
WHERE SCODE = 'SL'
ORDER BY SCORE DESC ;

```

BEGIN

FOR I IN MERIT_LIST

LOOP

DBMS_OUTPUT.PUTLINE(I.ROLL);

END LOOP

(2)

SQL \Rightarrow IMPLICIT CURSOR
SELECT / INSERT / DELETE / UPDATE
 $n = \text{SQL \%ROW_COUNT}$

MERIT/LILT \%ROW-COUNT

PL/SQL \Rightarrow EXCEPTION HANDLING

DECLARE

=
=

BEGIN

=
=

EXCEPTION

□

END ;
=

Any exception is raised
looks to the handler in
the block.
works to the suitable Handler.
found
Execute the handler
Not found.
abrupt termination
Dont done
is cancelled.

DECLARE

=

BEGIN

=

DECLARE

=

BEGIN

=

EXCEPTION

=

END ;

Inner Block

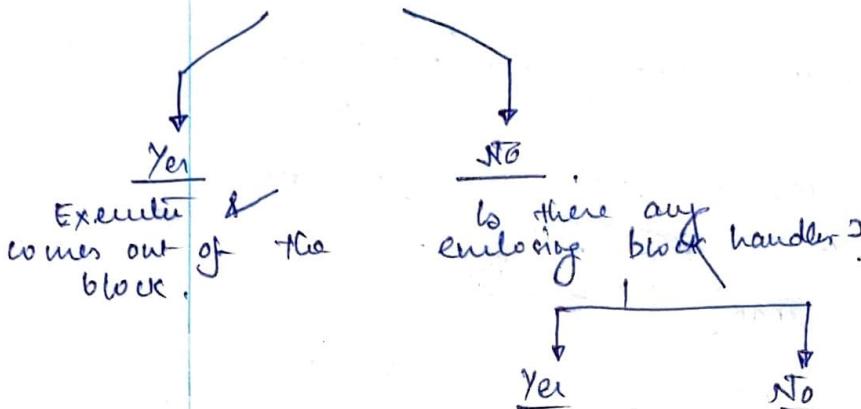
Variables of inner block is finite of there

Not available outside. Outer Block Variables are available to inner block.

EXCEPTION RAISEDEXCEPTION HANDLER AVAILABLE
IN THE BLOCK

Yes
Is this suitable
handler?

No

BUILT-IN EXCEPTIONS

→ No - data found,

A SELECT STATEMENT NOT RETURNING ANY ROW.
 [FOR DELETE/UPDATE IT DOES NOT OCCUR] Aggregate function returns some value

→ SELECT ENAME INTO EN
 EC EMP ECODE.%TYPE
 EN EMP ECODE%.TYPE

EC = ' * EC'

SELECT ENAME INTO EN
 FROM EMP
 WHERE ECODE = 'EC'

Non-existing employee code.
 → NO DATA FOUND.

SELECT COUNT(*) INTO C
 WHERE FROM EMP
 WHERE ECODE =
 C did not give
 No data found
 exception.

→ Too many Rows,
 IF SELECT STATEMENT RETURNS
 MULTIPLE ROW.

EXCEPTION

WHEN NO-DATA-FOUND THEN

||=
WHEN
||=

END :

RESULT(ROLL, SCODE, SCORE)
 \longrightarrow NUMBER
 \longrightarrow ZERO-DIVIDE
 \rightarrow div. by zero.

\longrightarrow INVALID-NUMBER

IN SQL STATEMENT
 IF Conversion of a string to
 number fails.

INSERT INTO RESULT VALUES ('S1', 'S2', 'ABC').

NON SQL STATEMENT

$x = 'ABC'$

Variable

VALUE-ERROR

WHENEVER ANY
 TYPE CONVERSION
 FAILS EXCEPT THE
 CASE FOR INVALID NUMBER. VALUE-ERROR

TO A CHAR TYPE.

COLUMN \Rightarrow DATA LEADS TO
TRUNCATION.

WHEN OTHERS THEN

An exception
 for which handler has
 not been defined.

INVALID CURSOR

INVALID OPERATION
 WITH A CURSOR.
 A CURSOR C is not
 opened. close C

RESULT(ROLL, SCODE, SCORE)

EXPLICIT EXCEPTION

DECLARE

R \longrightarrow RESULT ROLL %TYPE
 S \longrightarrow RESULT SCODE %TYPE
 M \longrightarrow RESULT SCORE %TYPE,
 ≥ 0 AND ≤ 100 INVALID-MARKS EXCEPTION;

IF M<0 OR M>100 THEN
 RAISE INVALID-MARKS

END IF

INSERT INTO RESULT VALUES (R,S,M)

EXCEPTION

WHEN INVALID-MARKS THEN

=

END.

$\text{EMP}(\text{ELODE}, \dots, \text{DCODE}, \dots)$

↓
Must exist in
dept.

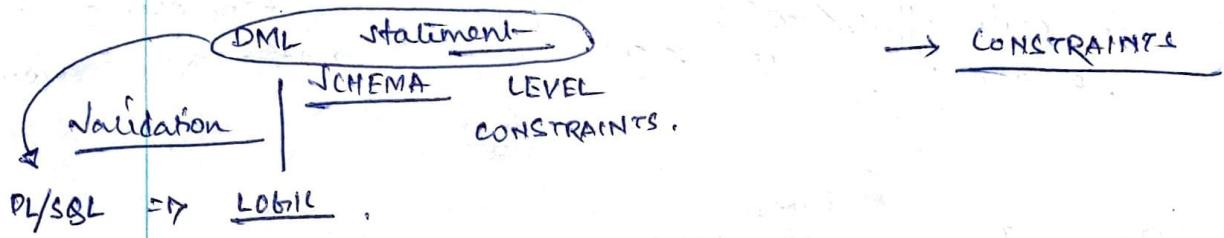
DC = 'VDC'

`SELECT DCODE INTO DC
FROM EMP
WHERE DCODE = 'DC'
Valid dept.`

Exception
Invalid dept.

`SELECT COUNT(DCODE)
INTO C2
FROM EMP
WHERE ECODE = EC`

TRIGGER



All constraints

One cannot deal
with at schema level.

Application

- Is a program that is stored as a part of database.
- Cannot be invoked explicitly.
- Trigger is associated with event when the event occurs is called automatically.

TRIGGER

SUBJECT (— FM —)
RESULT (— SOURCE —).

Score K=FM

SCHEMA LEVEL

→ PL/SQL

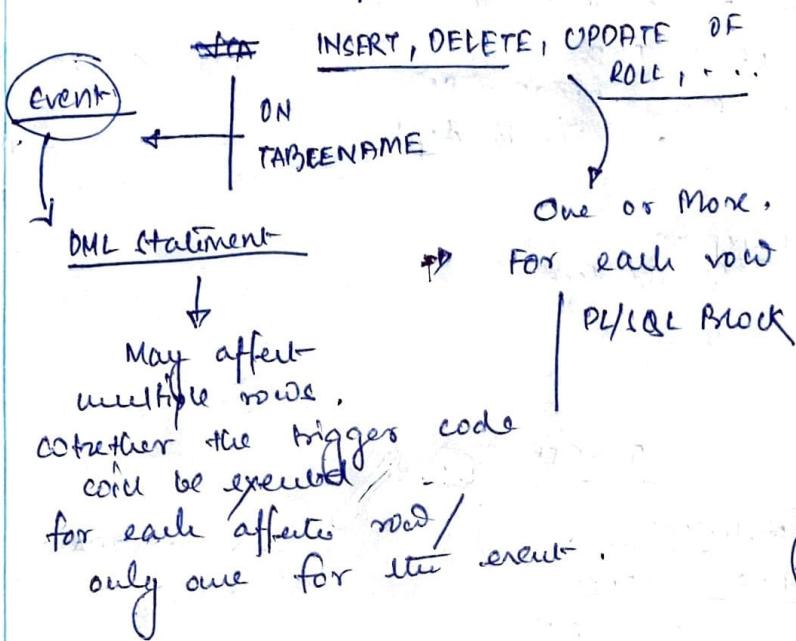
→ APPLN (HOST LANG.)

SQL> CREATE OR REPLACE TRIGGER triggername.

(6)

↓
optional

BEFORE / AFTER



declare
Begin
Exception
End

⇒ BEFORE/AFTER TRIGGER
⇒ STATEMENT LEVEL/ROW LEVEL

CREATE TRIGGER EXAM
BEFORE
INSERT
INTO RESULT
FOR EACH ROW
DECLARE BEGIN

INSERT INTO RESULT VALUES

(R, SC, M)
↓
Roll
↓
Scode

New → Insert
Old → Delete

OLD ? - Update
NEW

Event has
to be
cancelled.

SELECT FM INTO F
FROM SUBJECT
WHERE SCODE =: NEWSCORE

IF :NEWSCORE > F THEN,
|
END IF .

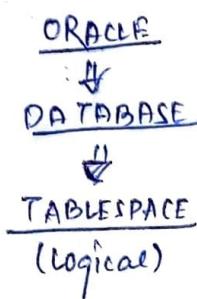
PROCEDURE

RAISE_APPLICATION_ERROR(
error-code,
-20000 to -20999)

IF :NEWSCORE > F THEN
RAISE_APPLICATION_ERROR(-201000,
'SCORE_EXCEEDS')

SECURITY

→ Only valid user can use
 ↓ user id & pass,
 1) BA → creates user account
 2) SQL> CREATE USER user id IDENTIFIED BY pass
ORACLE DEFAULT TABLESPACE tablespace,

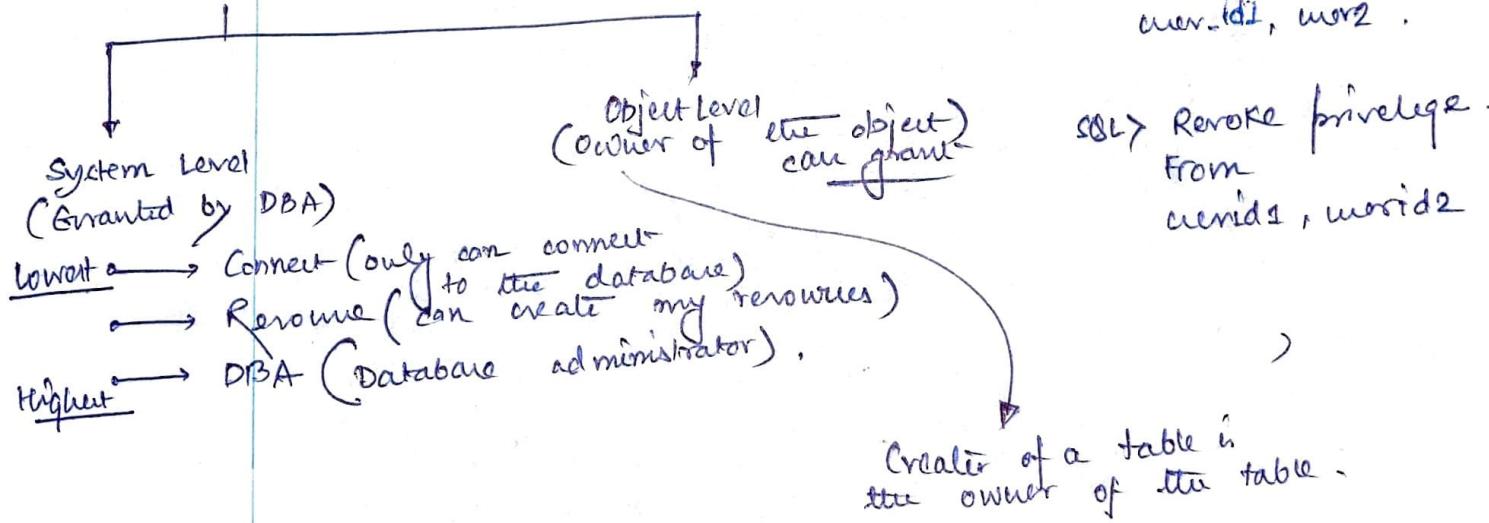


CREATE TABLE —
 =
 =
 =
 Default tablespace.

CREATE TABLE —
 TABLESPACE table space name.

SECURITY

WHAT A VALID USER CAN DO IN DBMS?

PRIVILEGES

SQL> SELECT CONNECT
 Resource
 To
 user_id1, user2 .

SQL> REVOKE privilege
 From
 user_id1, user2 .

SQL> GRANT privilege1, privilege2
 | ALL.
 ON tablename (objectname)
 TO user_id, ... | PUBLIC .
 → With GRANT OPTION

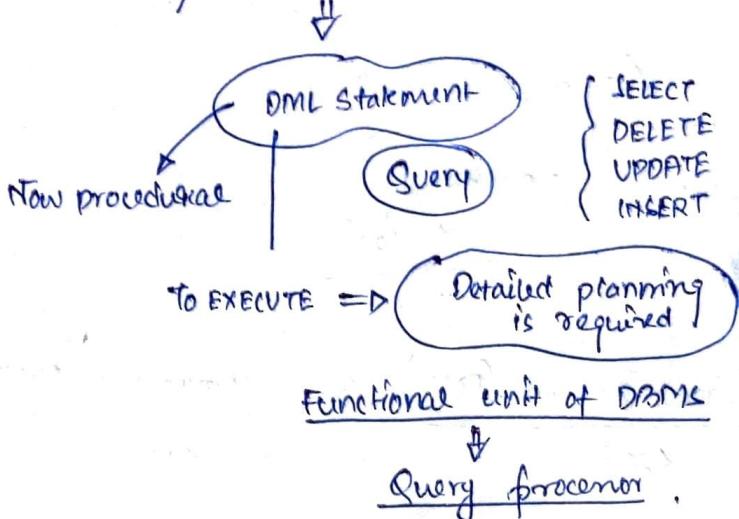
Being given the
privilege to grant others.

Revoke privilege1, ...
ON Rename
FROM user1

DBA
SQL> GRANT RESOURCE (ROM)
ON Table space name
TO user1, ...
FROM
TS1
TS2
TS3

Query Processing

To store/retrieve data from database.

User Given Query

Can be done in no. of ways

Query processor is responsible

User Given Query

Translated \Downarrow into an equivalent & efficient form
 \Downarrow into an intermediate form

2) Optimization \Rightarrow Acts on translated version.

Translation

- Takes the query as input
- at output presents an intermediate form (Relational Algebra)
- Query is parsed into tokens.
- Verifies the syntax
- Verifies the relation name, attributes, etc.

Data Dictionary

Optimization

/ Expression level optimization

\rightarrow First phase \rightarrow Relational Algebra Expression (obtained after translation) is converted into equivalent but more optimised form.

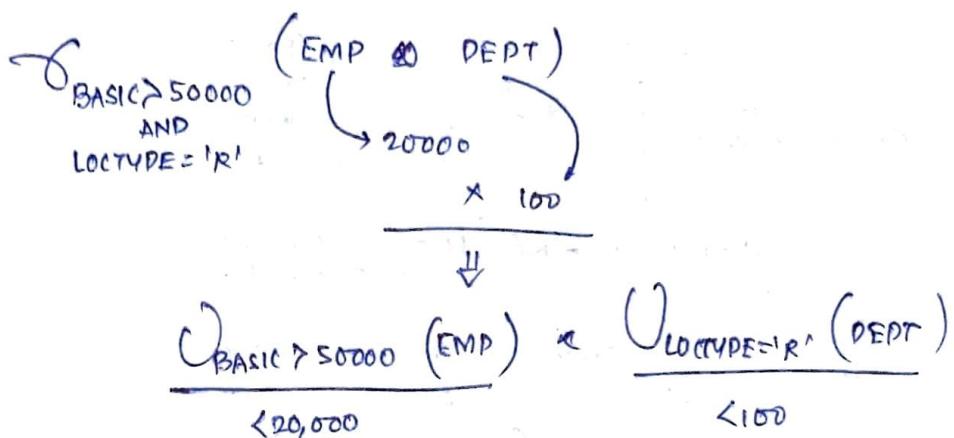
\rightarrow Detailed plan of execution (like, index to be used or not, joining strategy, etc).

Expression Level Optimization

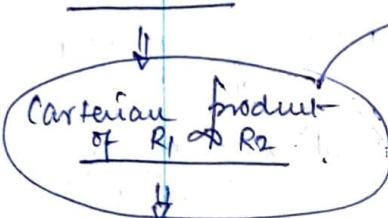
URBAN/RURAL

→ EMP TABLE (DCODE, DNAME, LOCTYPE)

DEPT TABLE (ECDODE, ENAME, BASIC, ..., DCODE)



$R_1 \bowtie R_2$



filtering based on joint criteria.

→ If no. of tuples are large in R_1, R_2

Acquiring those \Rightarrow More Data

Intermediate Memory Requirement is Large.
(EMP & DEPT)

∇ \exists BASIC > 50000 AND LOCTYPE = 'R'

\Downarrow

APPLY
→ SELECT OPERN EARLIER

∇ \exists BASIC > 50000 (EMP) \bowtie

∇ \exists LOCTYPE = 'R' (DEPT)

At subsequent operation
we will be handling
less no. of tuples.

$\leftarrow \Pi_{A_1, B_1} (R_1 \bowtie R_2)$

DEPT (DCODE, $\rightarrow \begin{cases} R_1(A_1, A_2, \dots, A_n) \\ R_2(B_1, B_2, \dots, B_m, A_1) \end{cases}$

If the schema of participating reln are large \Rightarrow tuple after Cartesian projection will also be large.

Cartesian Product $\Rightarrow n_1 \times n_2$

$R_1 \rightarrow n_1$ tuples

$R_2 \rightarrow n_2$ tuples

\rightarrow Schema \Rightarrow Schema of $R_1 \cup$
Schema of R_2

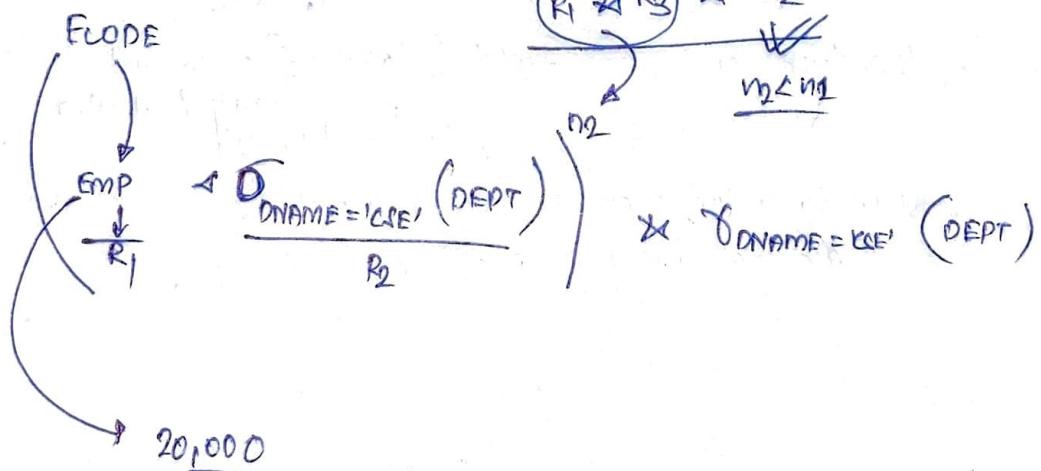
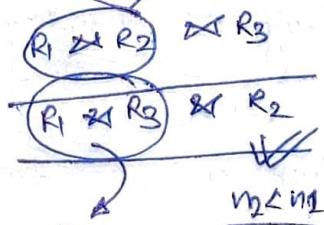
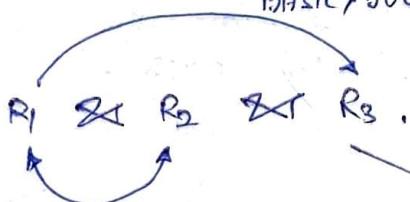
(3)

 $\Pi_{A_1}(R_1) \bowtie \Pi_{B_1}(R_2)$


• Apply Projection earlier to make the size of tuple smaller for next level of processing.

• TAKE THE PROJECTION OF ATTRIBUTES Required in final output & also the attributes required for subsequent processing.

$$\begin{array}{c} \Pi_{ENAME, DNAME} \left(\delta_{\text{BASIC} > 50000 \text{ AND } DEPTYPE = 'R1'} \right) \\ \Downarrow \\ \Pi_{ENAME, DNAME} \left(\delta_{\text{BASIC} > 50000} (EMP) \right) \bowtie \Pi_{DCODE, DNAME} \end{array}$$

$$\begin{array}{c} \not\exists \delta_{\text{BASIC} > 50000} \left(\Pi_{ENAME, DCODE, BASIC} (EMP) \right) \\ \Downarrow \end{array}$$


→ SELECT ✓

→ PROJECT $(R_1 \bowtie R_2 \bowtie R_3)$

→ JOIN OPERATION $, (R_2 \bowtie R_3)$,

$R_1 \bowtie R_2 \bowtie R_3$

More than one order of join operation is important.

Detailed strategy level optimization

(4)

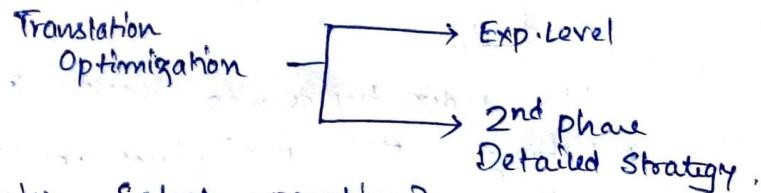
SELECT OPERATION

→ BASED ON SIMPLE CRITERIA (ie single attribute based).

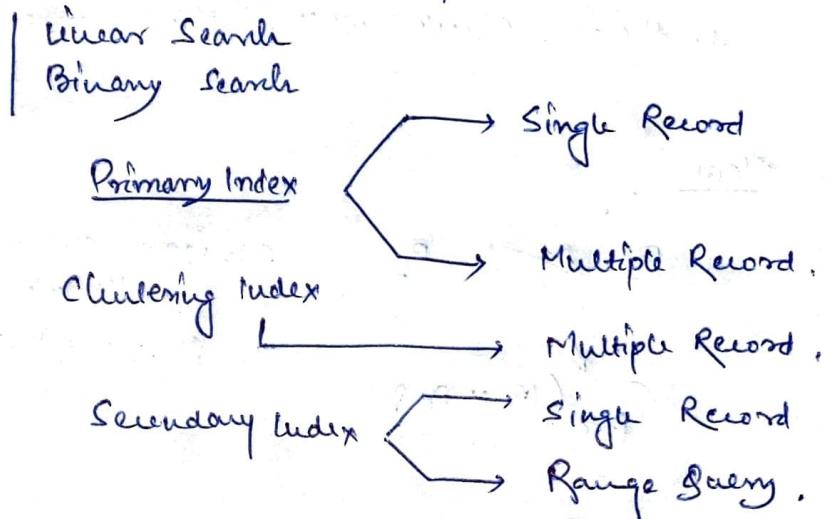
- Single Record
Roll=10
- Linear search (can be used always)
 - Search criteria involves an attribute & a data file is sorted on that attribute
carry out binary search on data file
 - Looking for a particular record based on key field & primary index exists, use primary index for searching.
 - Looking for a set of records specified by key field multiple records, & primary index exists.
 - Searching on non-key field, cluster index exists
use it.
 - Searching on a field (data file is not sorted no primary / cluster index is available)
 - Secondary index exists → use it
Range Query ≥ 0 & ≤ 20 .

Query Processing

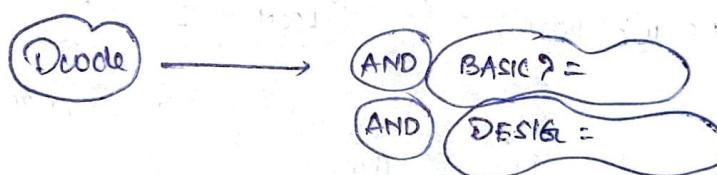
(1)



→ How to deal with Select operation?



→ Select criteria involves multiple condn involving different attributes



- Using Single Index

Suppose Index on one particular attribute is available. Use it to get a set of tuples & on those check other condn.

- Using Composite Index

Secondary Index on $\text{Decode} \times \text{Design}$

use it on retrieved tuples. Check the other condition if any.

- Multiple Indices exist

Decode →

Decode →

Use index tuples to join records/record pointers satisfying the individual condn take the intersection
 ⇒ Satisfy those condn if any addin criteria is there. Check with the intersection.

Join

$R_1 \bowtie R_2$

equijoin on common attribute

or predicate

$\delta_{\text{Pred}}(R_1 \times R_2)$

Emp * Dept

$\delta_{\text{EMP.DCODE} = \text{DEPT.DCODE}} (\text{EMP} \times \text{DEPT})$

$\delta_{\text{BASIC} \geq 5000} \xrightarrow{\text{AND}} \delta_{\text{LOCN} = 'XYZ'} (\text{EMP} \times \text{DEPT})$

Join

$R_1 \bowtie R_2$

Suppose it contains n_1 tuples

Simple Iteration

for each tuple t_1 in R_1

{

 for each tuple t_2 in R_2

{

 check(t_1, t_2) whether they would appear in output or not

{

Worst Case

Each tuple may be in different disk ~~block~~ block.

Each tuple

→ one disk block read,

No. of disk block access

All tuples of R_1 are read only once.

→ n_1 block access,

→ All tuples of R_2 are to be read n_2 times.

to read all tuples of R_2 once. $\Rightarrow n_2$ block access.

n_2 times $\Rightarrow n_1 \times n_2$ block access.

Total no. of block access: $[n_2 + n_1 \times n_2]$

for R_2

n_2 times.

$[n_2 + n_1 \times n_2]$.

→ Better to keep smaller one in outer loop.

Smaller one is so small that all the tuples can be put into memory then strategy will be different.

Say, R_2 is smaller

- Read all tuples of R_2 into buffer. → All tuples of R_2 loaded in memory: n_2 block access.
- ~~for each tuple t_1 in R_1~~ → Once all tuples of R_1 are read.
- { check with each tuple t_2 of R_2 (already in buffer).
 ~~decide~~

Block iteration

Suppose tuples of each relation are physically stored together. A block holds tuples of one particular reln.

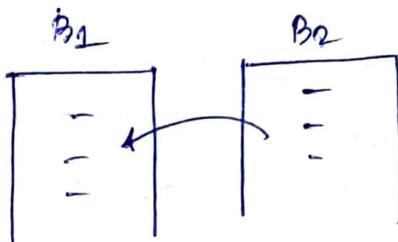
A reln $R_1 \Rightarrow n_1$ tuples.

Block $B_1 \Rightarrow$ defn of R_1



Block size.

b_{R_1}



memory

All the blocks of R_1 read one
 $\Rightarrow N_1$ block access.

Disk access

for each block (B_1) of R_1
 \downarrow
 memory

for each block (B_2) of R_2 \Rightarrow
 \downarrow

for each tuple t_2 in B_2

{

for each tuple t_2 in B_2

{

check (t_1, t_2) & decide,

{

{

{

All the blocks of
 R_2 read N_1 times.
 One such need (all
 \downarrow block of
 N_2 block access.)

 $N_1 \propto N_2$.

Total $N_1 +$
 $N_1 \propto N_2$.

$$\left\{ \left[\frac{n_2}{b_{fr_1}} \right] + \left[\frac{n_2}{b_{fr_2}} \right] \cdot \left[\frac{n_2}{b_{fr_1}} \right] \right\}$$

$R_1 \Rightarrow n_1$ tuples $\left\{ \begin{array}{l} \\ b_{fr_1} \end{array} \right\} = \text{No. of disk blocks}$

$$\left[\frac{n_2}{b_{fr_2}} \right] = N_2.$$

n_2 tuples $b_{fr_2} \left\{ \begin{array}{l} \\ \end{array} \right\} = \text{No. of disk blocks}$

$$= \left[\frac{n_2}{b_{fr_2}} \right] = N_2.$$

 $R_1 \times R_2$

Both the Relations are Sorted,



Also tuples of a reln
 are physically stored together.

JoinJoining AttributeMerge Join

R_1 & R_2 points to first tuple of $R_1 \times R_2$ repeat

while ($p_1 \neq \text{NULL}$ & $p_2 \neq \text{NULL}$)

{

$t_2 = *p_1;$

$s_1 = \{R_1\};$

$p_1++;$

while ($p_1 \neq \text{NULL}$ & $*p_1[t_1] == t_1[t_1]$)

{

$t_2 = s_1 \cup \{*p_1\};$

{

for each element $e_1 \in S_1$
 for each element $e_2 \in S_2$
 {
 put $e_1 * e_2$ in the output
 }
 }

?

~~for every tuple t_2 in R_2~~
~~find the~~

~~join~~

Based on joining attribute of hash function is applied on the tuples of $R_1 * R_2$

K buckets

$$h(A) \rightarrow 1, 2, \dots, K.$$

Relations

Hash Join.



Not stored together.
 Not sorted.

for ($i = 1$ to K)
 {
 $H_{1i} = \{ \}$;
 $H_{2i} = \{ \}$;

$H_{1i} \Rightarrow \{$ Bucket for R_1 & R_2
 $H_{2i} \Rightarrow \}$ respectively.

for each tuple t_1 in R_1

{
 $l = h(t_1[i])$

$H_{1i} = H_{1i} \cup \{$ Record pointer corresponding to $t_1 \}$

}

for each tuple t_2 in R_2

{
 $i = h(t_2[i])$

$H_{2i} = H_{2i} \cup \{$ Record pointer corresponding to $t_2 \}$.

Disk Record area.
Rec. area.

$$S_1 = \{ \}$$

$$S_2 = \{ \}$$

For ($i=1$ to K^3)

{
for each element $p_1 \in H_{1i}$
 $S_1 = S_1 \cup \{ * p_1 \}$.

for each element $p_2 \in H_{2i}$
 $S_2 = S_2 \cup \{ * p_2 \}$.

for each $t_1 \in S_1$
for each $t_2 \in S_2$
{ ~~check~~(t_1, t_2) *
decide
}

Internal memory to hold the record pointers
of both the relations.