multiple-linear-regression-1

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0.1 This is a project of predicting agricultural yield with respect to different factors such as soil quality, seed variety, amount of fertilizer and weather conditions

0.1.1 Importing neccessary libraries

[1]:
```
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
```

[27]:
```
test = pd.read_csv("agricultural_yield_test.csv")
test.head(10)
```

[27]:

	Soil_Quality	Seed_Variety	Fertilizer_Amount_kg_per_hectare	Sunny_Days	Rainfall_mm	Irrigation_Schedule	Yield_kg_per_hectare
0	93.304721	0	132.522218	96.670922	602.386237	3	278.986563
1	83.674653	1	57.283997	99.007556	466.518251	8	836.434840
2	65.963033	1	227.895479	104.844272	510.320495	4	785.881787
3	78.692834	1	176.314126	90.136191	354.350914	5	807.884526
4	72.415684	1	160.070418	101.221668	443.993788	10	1064.542374
5	62.697082	1	268.439392	99.970710	485.223056	8	1003.229410
6	92.942845	1	271.488755	97.328051	447.403574	2	758.716916
7	75.518716	1	84.047465	94.753411	690.571998	3	541.177487
8	93.673816	1	79.386039	97.558543	674.733545	4	567.855540
9	86.607111	1	76.430841	98.945328	562.697441	6	765.078954

[28]:
```
train = pd.read_csv("agricultural_yield_train.csv")
train.head(10)
```

[28]:

	Soil_Quality	Seed_Variety	Fertilizer_Amount_kg_per_hectare	Sunny_Days	Rainfall_mm	Irrigation_Schedule	Yield_kg_per_hectare
0	96.415657	1	147.853040	94.593926	444.267569	3	683.759119
1	92.352626	0	281.565396	90.504644	517.585491	7	678.714861
2	63.714785	1	137.864940	97.329340	420.310945	8	934.691975
3	90.084256	1	100.946659	113.404828	547.817646	7	905.842541
4	81.600341	1	223.088908	83.048176	434.726333	6	897.584665
5	65.394343	1	104.484889	95.922140	462.036153	4	634.978213
6	71.035412	1	78.523089	80.591350	536.457354	3	593.545375
7	69.335886	1	135.922769	119.827004	384.350380	2	750.353033
8	86.424758	1	165.704149	98.069899	553.276585	5	803.008654
9	60.884139	0	88.220811	91.645943	624.455301	8	461.788596

0.1.2 Seperating test data into dependent and independent variables

[29]:
```
xtest=␣
 ↪test[['Soil_Quality','Seed_Variety','Sunny_Days','Fertilizer_Amount_kg_per_hectare','Rainfa
ytest=test[['Yield_kg_per_hectare']]
```

0.1.3 Seperating train data into dependent and independent variables

[30]:
```
xtrain=␣
 ↪train[['Soil_Quality','Seed_Variety','Sunny_Days','Fertilizer_Amount_kg_per_hectare','Rainf
ytrain=train[['Yield_kg_per_hectare']]
```

0.1.4 Model fitting

[31]:
```
from sklearn import linear_model
```

[32]:
```
model=linear_model.LinearRegression()
```

[36]:
```
model.fit(xtrain,ytrain)
```

[36]:
```
LinearRegression()
```

[37]:
```
model.coef_
```

[37]:
```
array([[  1.54365383, 300.46370108,   1.99230463,   0.80880424,
         -0.50553551,  49.98672072]])
```

[38]:
```
model.intercept_
```

[38]:
```
array([48.33483511])
```

[39]:
```
model.score(xtest,ytest)
```

[39]:
```
0.9355847925651241
```

0.1.5 Prediction

[43]:
```
model.predict(xtest)
```

[43]:
```
array([[337.58000764],
       [885.60020937],
       [785.78893206],
       …,
       [790.49868167],
       [510.052485  ],
       [317.74372373]])
```

0.1.6 Here we have different data set for both testing and training. We have fitted the model in trainiing data to train the model and later used testing data to predict the yield using our trained data. Here we got model score 0.9355847925651241 which is good . So we used testing data to predict our agriculture yeild

[ ]:
```

```