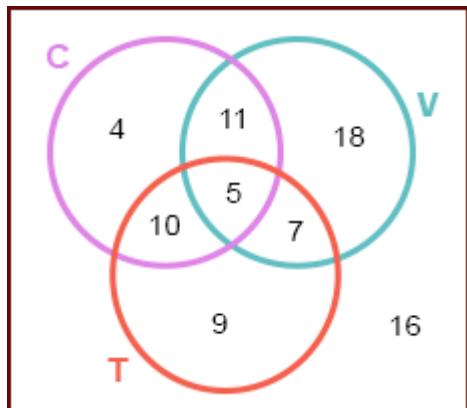


## PROBABILITIES FROM DATA DISPLAYS

## SOLUTIONS

## TASK 1

Use a Venn diagram to find probabilities



There are 80 members in the travel club.

$$\text{a } P(\text{did not visit any of the 3 countries}) = \frac{16}{80} = \frac{1}{5}$$

$$\text{b } P(\text{visited all 3 countries}) = \frac{5}{80} = \frac{1}{16}$$

$$\text{c } P(\text{visited China}) = \frac{30}{80} = \frac{3}{8}$$

$$\text{d } P(\text{only visited China}) = \frac{4}{80} = \frac{1}{20}$$

$$\text{e } P(\text{visited at least 2 of the countries}) = \frac{11+5+7+10}{80} = \frac{33}{80}$$

$$\text{f } P(\text{visited only one country}) = \frac{4+18+9}{80} = \frac{31}{80}$$

$$\text{g } P(\text{visited Vietnam and Thailand but not China}) = \frac{7}{80}$$

## TASK 2

Create a diagram or table to find probabilities



	Sport		
	Cycling	Not cycling	Totals
Snorkelling	12	3	15
Not snorkelling	20	15	35
Totals	32	18	50

$$\begin{aligned} \text{a } P(\text{cycling but not snorkelling}) &= \frac{20}{50} \\ &= \frac{2}{5} \end{aligned}$$

$$\begin{aligned} \text{b } P(\text{only one of these sports}) &= \frac{20+3}{50} \\ &= \frac{23}{50} \end{aligned}$$

$$\begin{aligned} \text{c } P(\text{at least one of the sports}) &= \frac{20+3+12}{50} \\ &= \frac{35}{50} \\ &= \frac{7}{10} \end{aligned}$$

$$\begin{aligned} \text{d } P(\text{neither of the sports}) &= \frac{15}{50} \\ &= \frac{3}{10} \end{aligned}$$

**TASK 3**

Use a two-way table to find probabilities

Janine's books

	Fiction	Non-fiction	Totals
Hardcover	13	44	57
Softcover	89	7	96
Totals	102	51	153

<b>a</b> $P(\text{fiction}) = \frac{102}{153}$ $= \frac{2}{3}$	<b>b</b> $P(\text{hardcover}) = \frac{57}{153}$ $= \frac{19}{51}$
<b>c</b> $P(\text{non-fiction}) = \frac{51}{153}$ $= \frac{1}{3}$	<b>d</b> $P(\text{softcover}) = \frac{96}{153}$ $= \frac{32}{51}$
<b>e</b> $P(\text{fiction and hardcover}) = \frac{13}{153}$	<b>f</b> $P(\text{non-fiction and softcover}) = \frac{7}{153}$
<b>g</b> $P(\text{fiction and softcover}) = \frac{89}{153}$	<b>h</b> $P(\text{neither fiction nor hardcover}) = \frac{7}{153}$
<b>i</b> $P(\text{either fiction or softcover}) = \frac{13+7+89}{153}$ $= \frac{109}{153}$ Also, this is the complement of: $P(\text{non-fiction and hardcover}) = \frac{44}{153}$ So you can use: $1 - \frac{44}{153} = \frac{109}{153}$	<b>j</b> $P(\text{either non-fiction or softcover}) = \frac{44+7+89}{153}$ $= \frac{140}{153}$ Also, this is the complement of: $P(\text{fiction and hardcover}) = \frac{13}{153}$ So you can use: $1 - \frac{13}{153} = \frac{140}{153}$
<b>k</b> There are 96 softcover books. $P(\text{fiction}) = \frac{89}{96}$	<b>l</b> There are 102 fiction books. $P(\text{softcover}) = \frac{89}{102}$