Code	Name and Key Concepts
MMu1t1	Functions and graphs: Lines, Quadratics, Inverse Proportions, Polynomials, Polations, Translations and Dilations
MMu1t2	nomials, Relations, Translations and Dilations Trigonometric functions: Unit Circle, Radians, SOH CAH TOA, Sine Rule, Exact Values, Amplitude/Period/Phase, Sum of Angles Identities
MMu1t3	Counting and probability : Binomial Coefficients, Set Complement Intersection and Union, Probability, $P(A \cup B) = P(A) + P(B) - P(A \cap B)$, Conditional Probability, Independence
MMu2t1 MMu2t2	Exponential functions: Index Laws, Fractional Indices, Functions, Asymptotes, Graphs Arithmetic and geometric sequences and series: Arithmetic and
MMu2t3	Geometric Sequences as Recurrence Relations, Limiting Behaviour, and Partial Sum Formulae, Growth and Decay
MMu3t1	Introduction to differential calculus Average Rate of Change, First Principles, Leibniz Notation, Instantaneous Rate of Change, Slope of Tangent, Derivitive of Polynomials, Linearity of Differentiation, Optimisation, Anti-Derivitives, Interpret Position-Time Graphs Further differentiation and applications: Define e as a s.t.
MMu3t2	$\lim_{h\to 0} \frac{a^h-1}{h} = 1$, Derivitives of $e^x \sin(x)$ and $\cos(x)$, Chain Product and Quotient Rules, Second Derivitives Integrals: Integrate Polynomial Exponential and Trigonometric Func-
MMu3t3	tions, Linearity of Integration, Determine Displacement given Velocity, Definite Integrals, Fundamental Theorem of Calculus, (signed) Area Under a Curve Discrete random variables: Frequencies, General Properties, Ex-
MMu4t1	pected Value, Variance, Standard Deviation, Bernoulli and Binomial Distribtions The logarithmic function: Logs as Inverse of Exponentials, Log-
MMu4t2	Scales, Log Function Graphs, Natural Log, $\frac{d}{dx}\ln(x)=\frac{1}{x}$, $\int \frac{1}{x}dx=\ln(x)+c$ for $x>0$ Continuous random variables and the normal distribution: Prob-
MMu4t3	ability Density Function, Cumulative Distribution Function, Probabilites Expected Value, Variance and Standard Deviation as Integrals, Linear Transformation of Random Variables, Normal Distribution using Technology Interval estimates for proportions Simple Random Sampling, Bias,
SMu1t1	Sample Proportion, Normal Approximation to the Binomial Proportion, Wald Confidence Interval, Trade-Off Between Width and Level of Confidence Combinatorics Multiplication of Possibilities, Factorial Notation, Per-
SMu1t1	mutations with and without Repeated Objects, Union of Three Sets, Pigeon-Hole Principle, Combinations, Pascals Triangle Vectors in the plane: Magnetude and Direction, Scalar Multiplica-
SMu1t3	tion, Addition and Substraction as a Triangle, Vector Notation, $a\mathbf{i} + b\mathbf{j}$ Notation, Scalar Dot Product, Projection, Parallel and Perpendicular Vectors Geometry : Notation for Implication (\Rightarrow) and Equivalence (\Leftrightarrow), Con-
SMu2t1	verse $(B\Rightarrow A)$ Negation $(\neg A\Rightarrow \neg B)$ and Contrapositive $(\neg B\Rightarrow \neg A)$, Proof by Contradiction, \forall and \exists Notation, Counter-Examples, Circle Theorems, Quadrilateral Proofs in \mathbb{R}^2 Trigonometry: Graph and Solve Trig Functions, Prove Various Trig
SMu2t2	Indentities, Reciprocal Trig Functions Matrices: Notation, Addition and Scalar Multiplication of Matrices, Multiplicative Identity and Inverse, Determinant, Matrices as Transfor-
SMu2t3	mations Real and complex numbers: Rationality and Irrationality, Induction, $i = \sqrt{-1}$, Complex Numbers $a + bi$ and Arithmetic $(+, -, \times, \cdot)$, Complex Complex Complex Roots of
SMu3t1	÷), Complex Conjugates, Complex Plane, Complex Conjugate Roots of Polynomials Complex numbers: Modulus and Argument, Arithmetic (×, ÷, and
SMu3t2	z^n) in Polar Form, Convert between Polar and Cartesian Form, De Moivre's Theorem, Roots of Complex Numbers, Factorising Polynomials Functions and sketching graphs: Composition of Functions, One-
SMu3t3	to-One, Inverse Functions, Absolute Value Function, Rational Functions Vectors in three dimensions : $a\mathbf{i} + b\mathbf{j} + c\mathbf{k}$ Notation, Equation for Spheres, Parameterised Vector Equations, Equations of Lines, the Cross
SMu4t1	Product, Equation for a Plane, Systems of Linear Equation (Elimination Method) and Geometric Interpretation of Solutions, Kinematics via Differentiation of Vector Equations, Projectile and Circular Motion Integration and applications of integration Substitution, $\int \frac{1}{x} dx = \ln x + c$ for $x \neq 0$, Inverse Trig Functions and their Derivitives, Integrate $\frac{\pm 1}{\sqrt{a^2 - x^2}}$ and $\frac{a}{a^2 + x^2}$, Partial Fractions, Integration by Parts, Volume of
SMu4t2	$\sqrt{a^2-x^2}$ and $\frac{1}{a^2+x^2}$, rartial fractions, integration by rarts, volume of Solids of Revolution, Numerical Integration using Technology Rates of change and differential equations: Implicit Differentiation, First-Order Seperable Differential Equations, The Logistic Equa-
SMu4t3	tion, Kinematics (Rates of Change) Statistical inference: Central Limit Theorem and the Resulting Confidence Interval for a Mean
S1M1	Functions and graphs: Equations for a Line, Slope, y-intercept, Intersection of Lines, Reciprocal Function, Asymptotes, Functions vs Relations, Domain, Range, Function Notation
S1M2	Polynomials: Quadratic Equations in Vertex and Factorised Forms, Quadratic Formula, Completing the Square, The Leading Coefficient and Degree of a Polynomials, Cubics, Quartics
S1M3	Trigonometry: Pythagoras, SOH CAH TOA, Cosine Rule, Sine Rule, Unit Circle, Sine and Cosine Functions, Radians, Length of Arc, Area of Sector, Amplitude, Period, Phase, $\tan(x) = \frac{\sin(x)}{\cos(x)}$
S1M4	Counting and statistics : Factorial, Permutations, Multiplication Principle, Combinations, Discrete vs Continuous Random Variables, Mean, Median, Mode, Range, Interquartile Range, Standard Deviation, Normal Distribution,
S1M5 S1M6	Growth and decay : Index and Logarithm Laws, Exponential Functions and their Graphs Introduction to differential calculus : Average Rate of Change, First Principles, Notation $f'(x) = \frac{df}{dx}$, $\frac{d}{dx}x^n = nx^{n-1}$, Linearity of Differential Change, First Principles, Notation $f'(x) = \frac{df}{dx}$, $\frac{d}{dx}x^n = nx^{n-1}$, Linearity of Differential Change, First Principles, Notation $f'(x) = \frac{df}{dx}$, $\frac{d}{dx}x^n = nx^{n-1}$, Linearity of Differential Change, First Principles, Notation $f'(x) = \frac{df}{dx}$, $\frac{d}{dx}x^n = nx^{n-1}$, Linearity of Differential Change, First Principles, Notation $f'(x) = \frac{df}{dx}$, $\frac{d}{dx}x^n = nx^{n-1}$, Linearity of Differential Change, First Principles, Notation $f'(x) = \frac{df}{dx}$, $\frac{d}{dx}x^n = nx^{n-1}$, Linearity of Differential Change, First Principles, Notation $f'(x) = \frac{df}{dx}$, $\frac{d}{dx}x^n = nx^{n-1}$, Linearity of Differential Change, First Principles, Notation $f'(x) = \frac{df}{dx}$, $\frac{d}{dx}x^n = nx^{n-1}$, Linearity of Differential Change, First Principles, Notation $f'(x) = \frac{df}{dx}$, $\frac{d}{dx}x^n = nx^{n-1}$, Linearity of Differential Change, Principles, Notation $f'(x) = \frac{df}{dx}$, $\frac{d}{dx}x^n = nx^{n-1}$, Linearity of Differential Change, Principles, Notation $f'(x) = \frac{df}{dx}$, $\frac{d}{dx}x^n = nx^{n-1}$,
S1M7	tiation, Slope of Tangent, Increasing vs Decreasing, Local and Global Maxima and Minima, Stationary Points, Sign Diagram Arithmetic and geometric sequences and series: Arithmetic and Geometric Series as Recurrance Relations and Explicit Expressions, Partial Sums, Limiting Behaviour
S1M8	Geometry: Circle Properties, Proofs (Direct, Contradiction, and Contrapositive)
S1M9	Vectors in the plane : Component (column) vs $ai + bj$ Notation, Length and Direction, Linear Combinations of Vectors, Scalar Dot Product, Projection, Angle Between Two Vectors and Parallel/ Perpendicular, Compatric Proof
S1M10	Geometric Proof Further Trigonometry: Sketch Trigonometric Functions with Translations and Dilations, Solve for Angles, Trigonometric Identities, Recip-
S1M11	rocal Trigonometric Functions Matrices : Linear Combinations of Matrices, Matrix Multiplication, The Identity, Inverse Matrices, The 2×2 Inverse, The 2×2 Determinant, Lin-
S1M12	ear Transformations (including rotations, reflections and composition) Real and complex numbers: Rationals, Irrationals, Interval Notation, Induction, $i=\sqrt{-1}$, Real and Imaginary Components, Complex Conjugates and Arithmetic, Argand Diagram, Modulus, Complex Roots of Polynomals
S2MM1	Further differentiation and applications: S1M6, Chain Product and Quotient Rules, $e=2.718$, $\frac{d}{dx}e^x=e^x$, $\frac{d}{dx}\sin(x)=\cos(x)$, $\frac{d}{dx}\cos(x)=\sin(x)$. Second Derivatives, Consolity and Boints of In
S2MM2	$\frac{d}{dx}\cos(x)=-\sin(x)$, Second Derivatives, Concavity and Points of Inflection Discrete random variables : Random Variables, Discrete vs Continuous, Probability Functions and Distributions, Properties of Probabilities, Frequency, Expected Value $E[X]=\sum xp(x)=\mu_X$, Standard
S2MM3	Deviation $\sigma_X = \sqrt{\sum (x - \mu_X)^2 p(x)}$, Uniform Bernoulli and Binomial Distributions Integral calculus: Anti-differentiation, If $F'(x) = f(x)$ then $\int f(x) dx = F(x) + c$, Reversing Chain Rule for $\int f(ax+b) dx$, Linearity of Integration, Finding the Constant of Integration, Area Under
	the Curve as Upper and Lower Sum Approximations, Definite Integral, Area Between Two Functions and Between a Negative Function and the x-axis, Fundamental Theorem of Calculus,
S2MM4 S2MM5	Logarithmic functions: Sketching $y=a\ln(b(x-c))$, $\frac{d}{dx}\ln(x)=\frac{1}{x}$, For $x>0$ $\int \frac{1}{x}dx=\ln(x)+c$ Continuous random variables and the normal distribution:
10	$P(X=x)=0$, Probability Density Function, $\mu_X=\int_{-\infty}^{\infty}xf(x)dx$, $\sigma_X=\int_{-\infty}^{\infty}(x-\mu_X)^2f(x)dx$, $f(x)=\frac{1}{\sigma\sqrt{2\pi}}e^{-\frac{1}{2}\left(\frac{x-\mu}{\sigma}\right)^2}$, Standard Normal $Z=\frac{X-\mu}{\sigma}$, Simple Random Sampling, For $X\sim(\mu,\sigma)$ and $X_i\sim iidX$ Sampling Distributions of $S_n=\sum_{i=1}^nX_i$ $(n\mu,\sigma\sqrt{n})$ and $X_n=\frac{S_n}{n}$
S2MM6	$(\mu, \frac{\sigma}{\sqrt{n}})$, If X is Normally Distributed, then so are S_n and \bar{X}_n , Central Limit Theorem (CLT) Sampling and confidence intervals : Confidence Interval for a Mean using CLT $\left(\bar{x}-z^*\frac{s}{\sqrt{n}}\right) \leq \mu \leq \left(\bar{x}+z^*\frac{s}{\sqrt{n}}\right)$, Wald Interval for a Proportion
S2SM1 S2SM2	Mathematical induction: Complex numbers:
S2SM2 S2SM3 S2SM4 S2SM5 S2SM6	Functions and sketching graphs: Vectors in three dimensions: Integration techniques and applications: Rates of change and differential equations:
MS1 MS2	Numbers & Functions: Linear Functions:
MS3 MS4 MS5	Quadratic Functions: Rational Functions: Trigonometry I:
MS6 MS7 MS8	Trigonometry II: Exponential Functions: Logarithms:
MT1 MT2	Polynomials: Matrices:
MT3 MT4	Vectors and Applications: Systems of Linear Equations:
MT6 MT7 MT8	Differentiation: Applications of Differentiation: Exponential and Logarithm Functions:
MT9	Integration: