

Vision Transformer (ViT)

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AN IMAGE IS WORTH 16X16 WORDS: TRANSFORMERS FOR IMAGE RECOGNITION AT SCALE

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Introduction

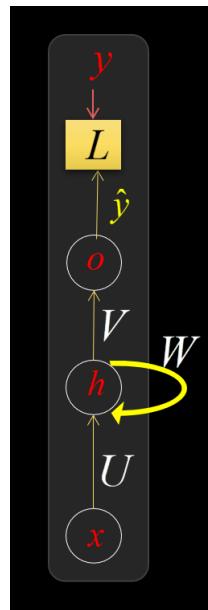
First, they project the input image to an embedding, then they apply self-transformer.

When trained on mid-sized datasets such as ImageNet, such models yield modest accuracies of a few percentage points below ResNets of comparable size. This seemingly discouraging outcome may be expected: Transformers lack some of the inductive biases inherent to CNNs, such as translation equivariance and locality, and therefore do not generalize well when trained on insufficient amounts of data.

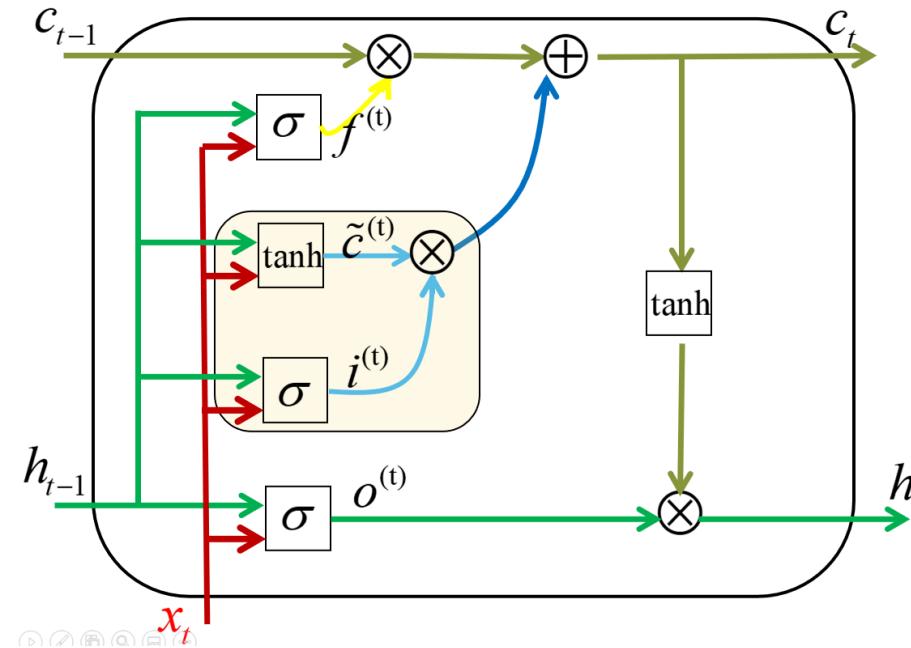
Why?

RNNs and LSTMs

RNN



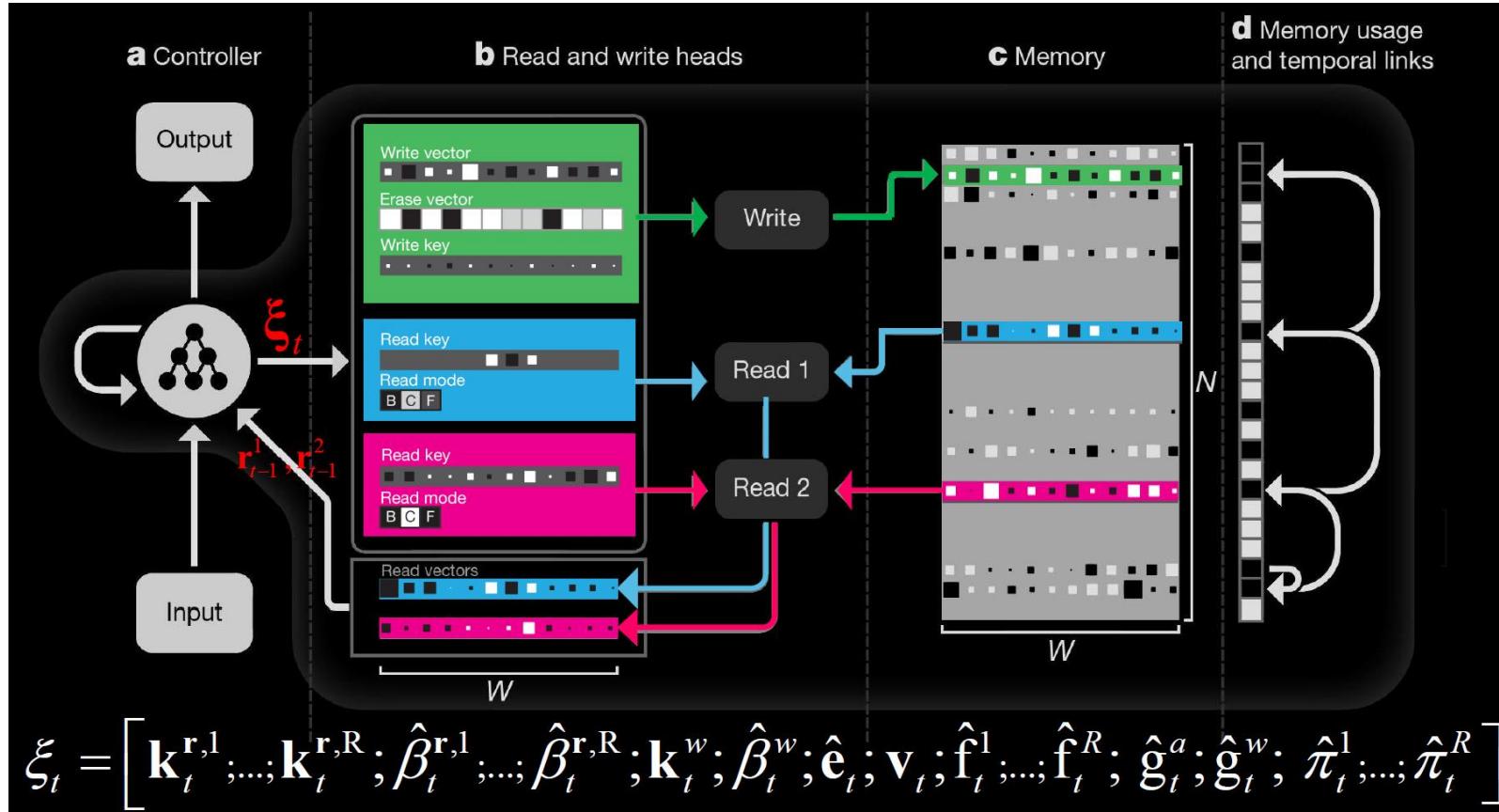
LSTM



See [this](#) for Arman's slides on RNN and LSTM.

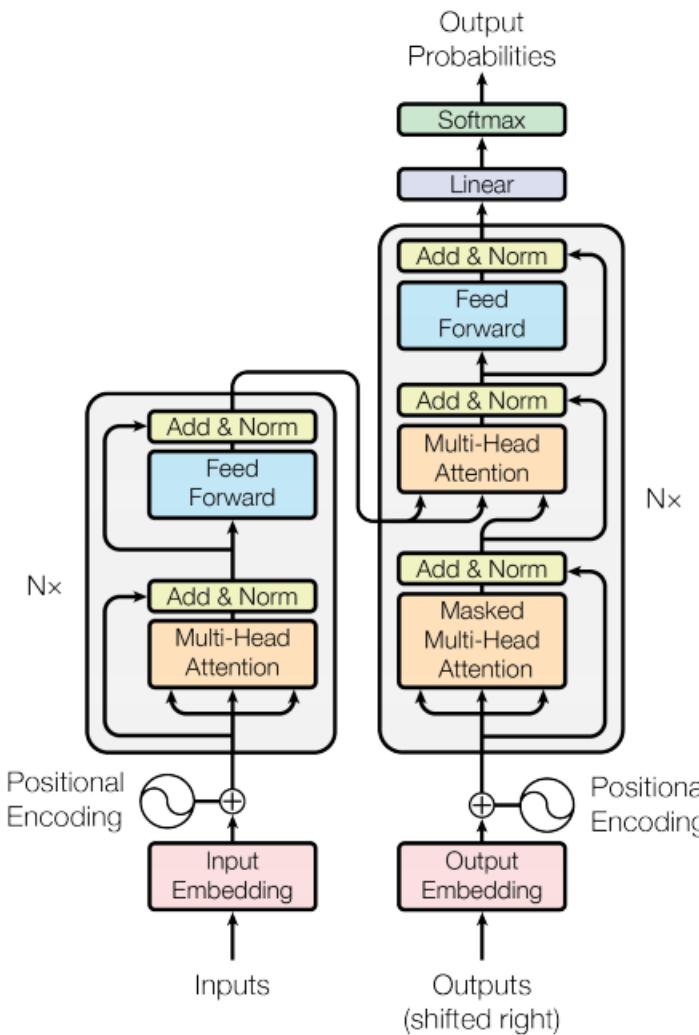
Aim at moving forward with NTM

Differentiable Neural Machines (Neural Turing Machines)



See [this](#) for Arman's slides on NTM.

Keeping to move forward with Transformers



How?

Vision Transformer (ViT)

$$\mathbf{z}_0 = [\mathbf{x}_{\text{class}}; \mathbf{x}_p^1 \mathbf{E}; \mathbf{x}_p^2 \mathbf{E}; \dots; \mathbf{x}_p^N \mathbf{E}] + \mathbf{E}_{pos},$$

$$\mathbf{E} \in \mathbb{R}^{(P^2 \cdot C) \times D}, \mathbf{E}_{pos} \in \mathbb{R}^{(N+1) \times D} \quad (1)$$

$$\mathbf{z}'_\ell = \text{MSA}(\text{LN}(\mathbf{z}_{\ell-1})) + \mathbf{z}_{\ell-1}, \quad \ell = 1 \dots L \quad (2)$$

$$\mathbf{z}_\ell = \text{MLP}(\text{LN}(\mathbf{z}'_\ell)) + \mathbf{z}'_\ell, \quad \ell = 1 \dots L \quad (3)$$

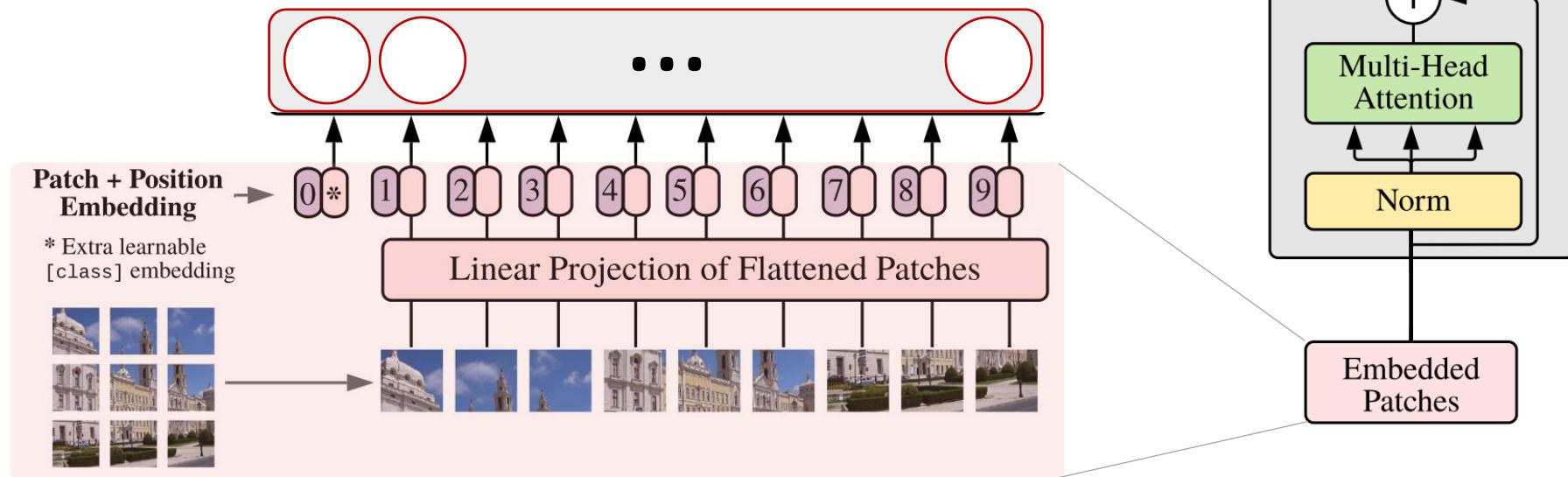
$$\mathbf{y} = \text{LN}(\mathbf{z}_L^0) \quad (4)$$

Transformer Encoder

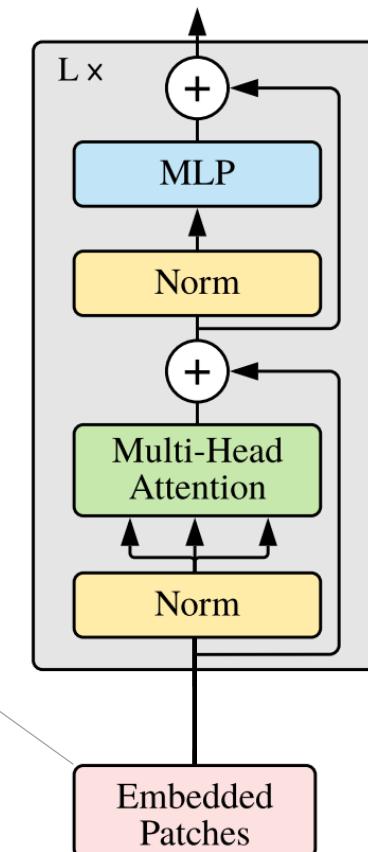


Vision Transformer (ViT)

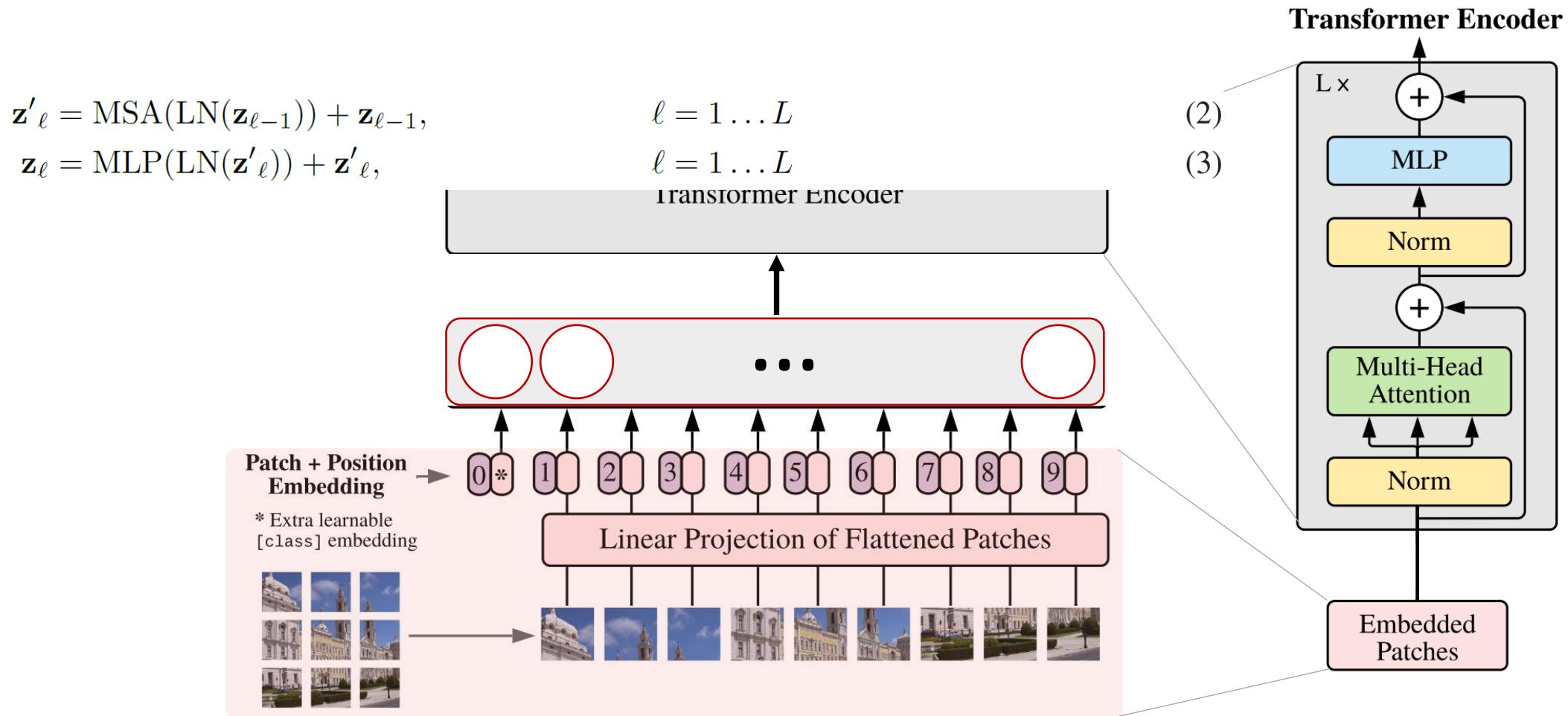
$$\mathbf{z}_0 = [\mathbf{x}_{\text{class}}; \mathbf{x}_p^1 \mathbf{E}; \mathbf{x}_p^2 \mathbf{E}; \dots; \mathbf{x}_p^N \mathbf{E}] + \mathbf{E}_{pos}, \quad \mathbf{E} \in \mathbb{R}^{(P^2 \cdot C) \times D}, \mathbf{E}_{pos} \in \mathbb{R}^{(N+1) \times D} \quad (1)$$



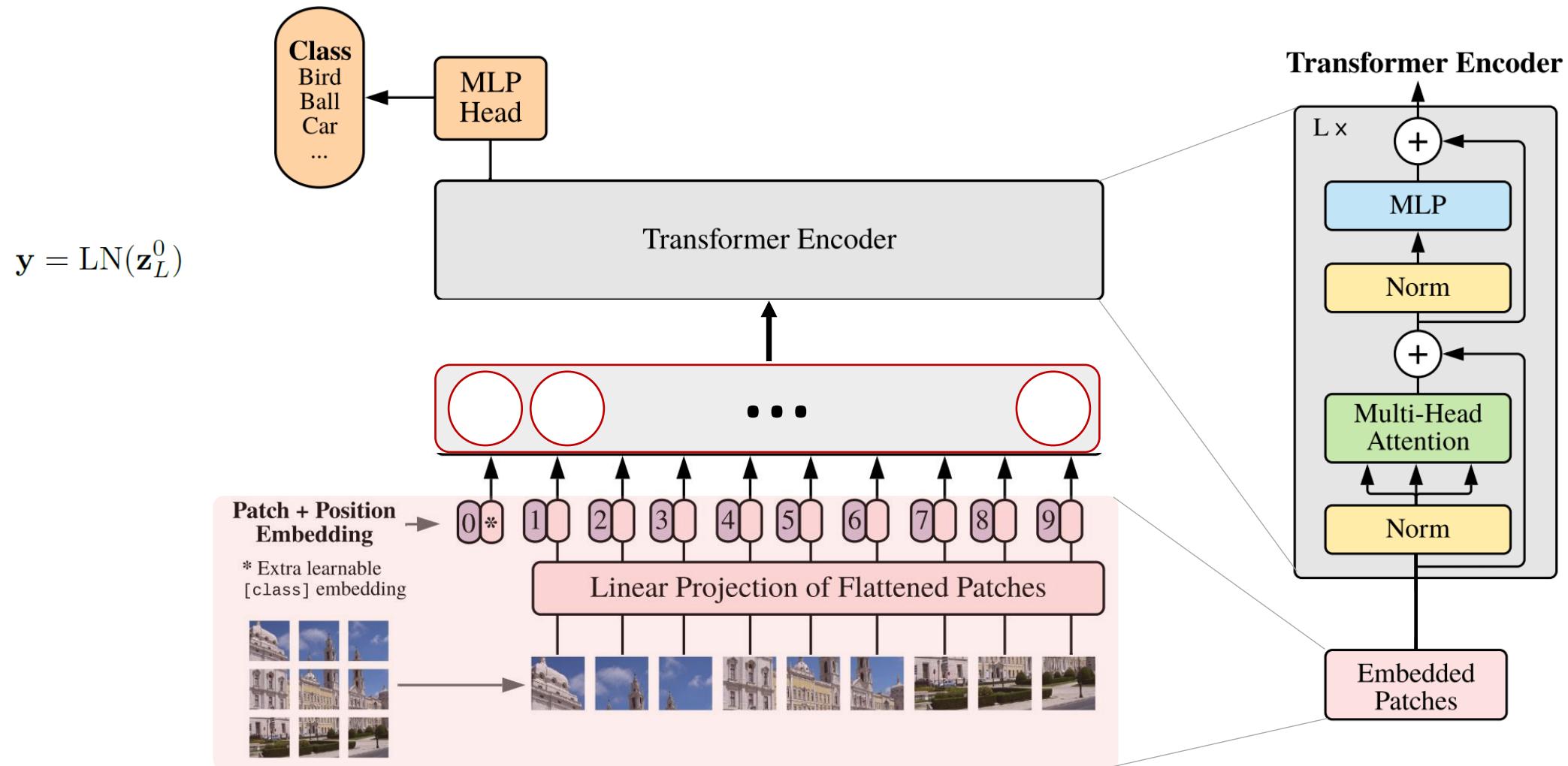
Transformer Encoder



Vision Transformer (ViT)

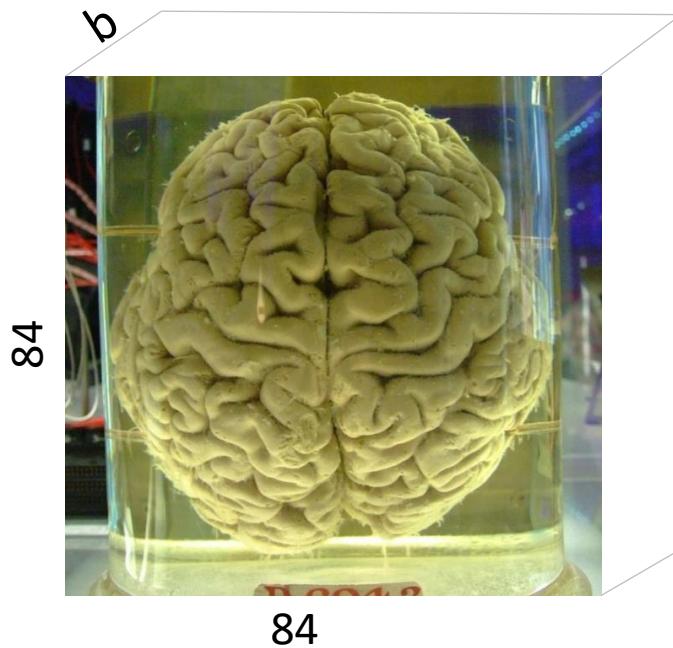


Vision Transformer (ViT)



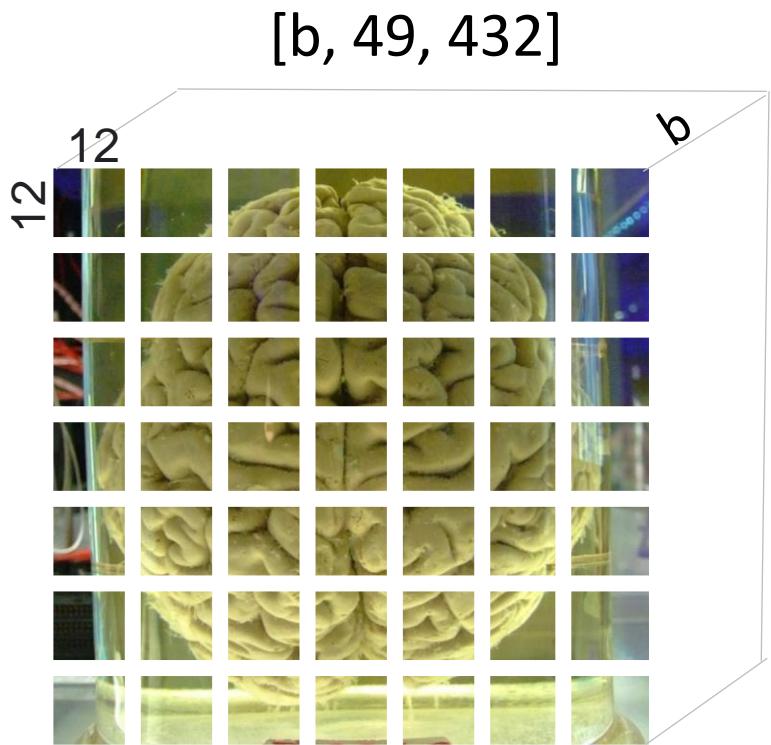
Input image format

[b, 3, 84, 84]



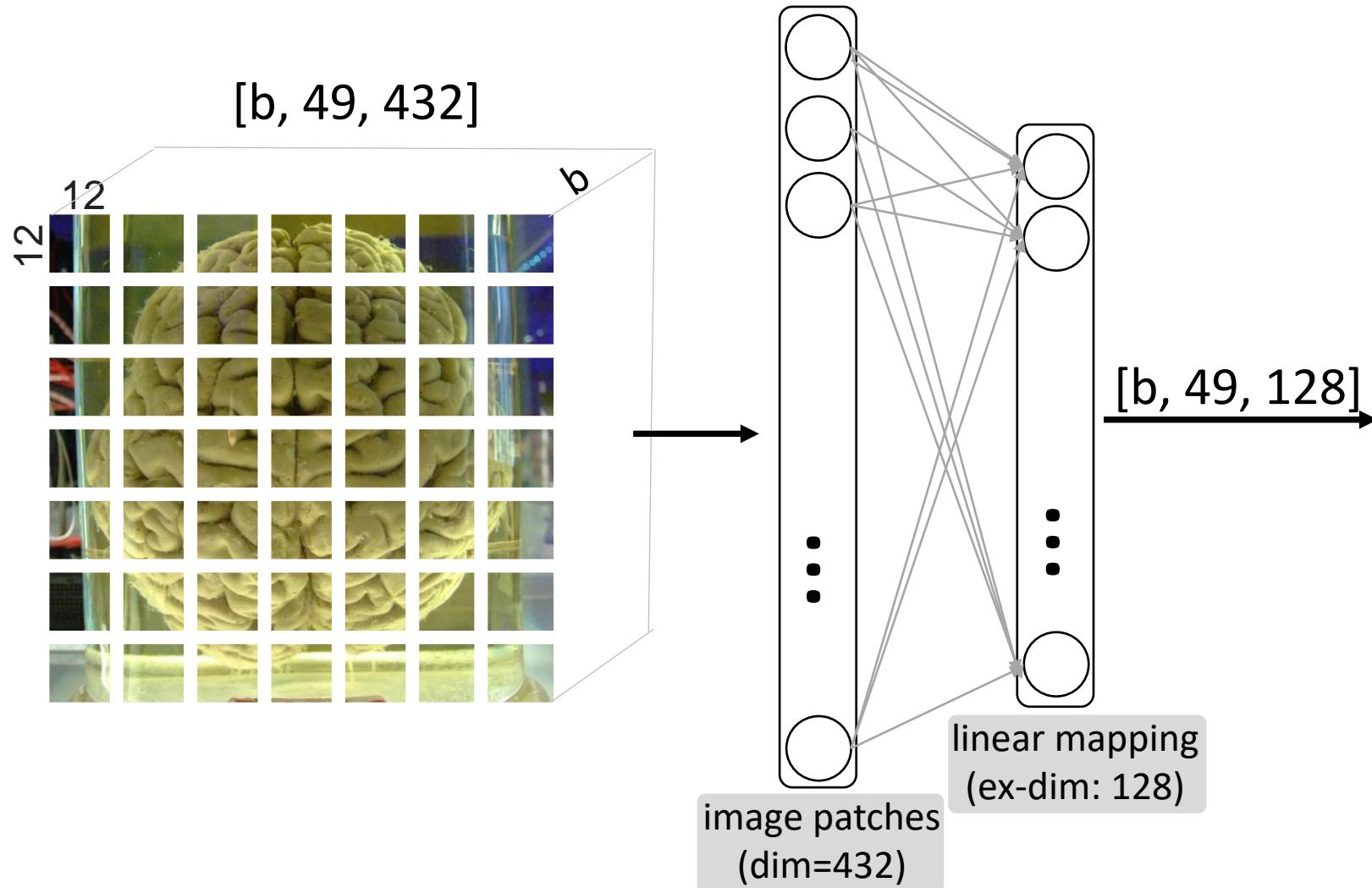
$$\mathbf{x} \in \mathbb{R}^{H \times W \times C}$$

Image to Patches

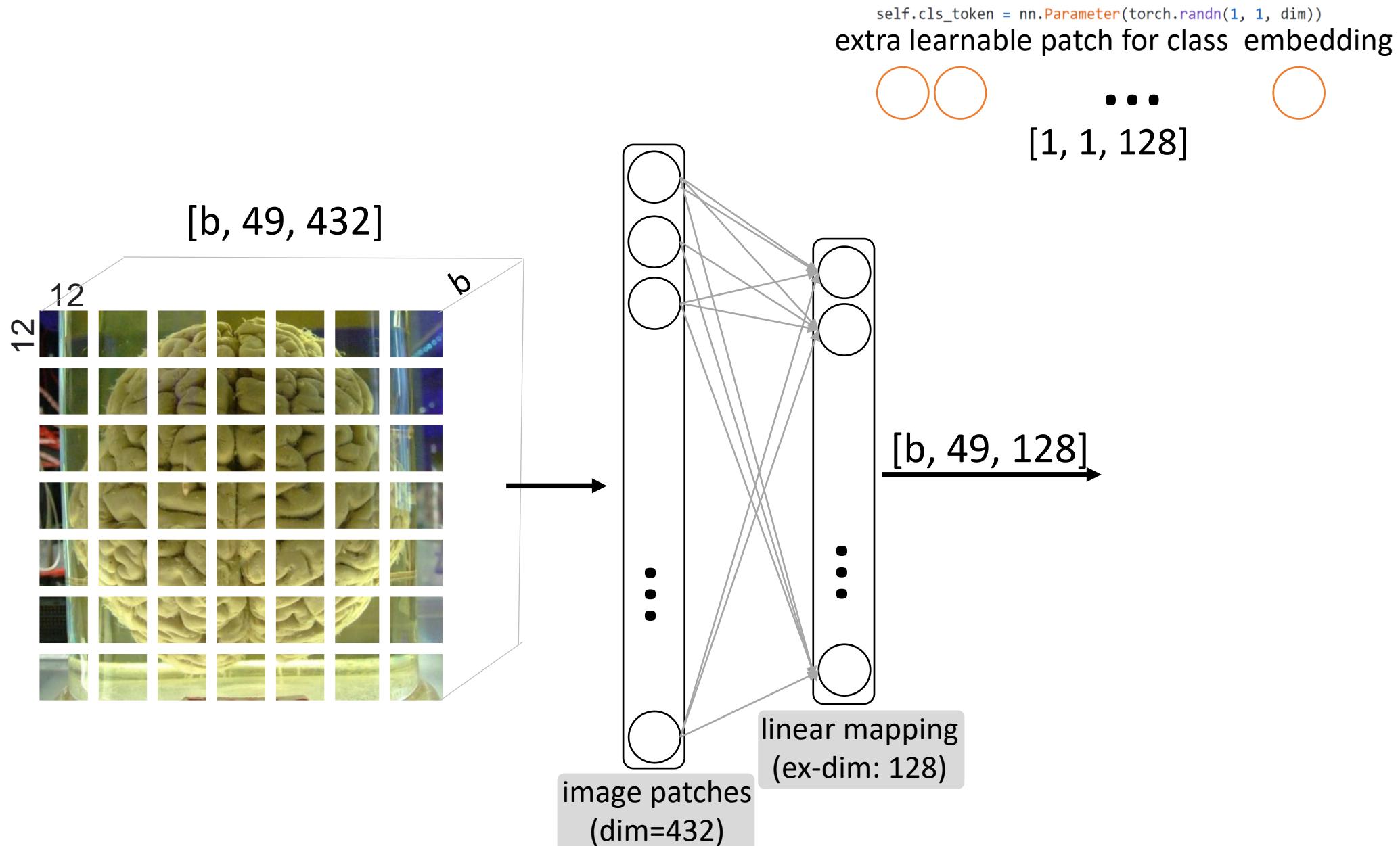


$$\mathbf{x}_p \in \mathbb{R}^{N \times (P^2 \cdot C)}$$

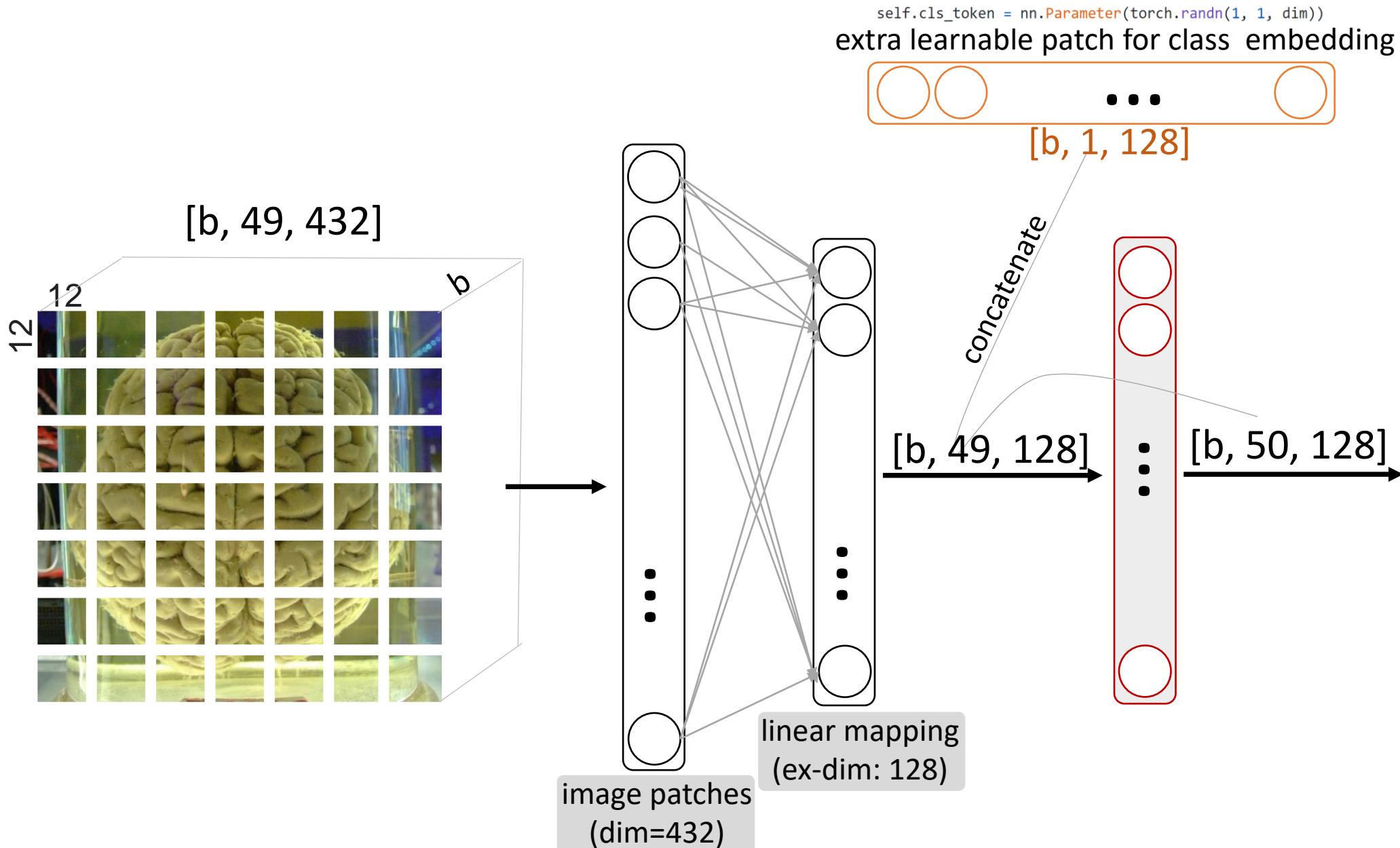
Patch to Token



Concat. of the Learnable Class Token



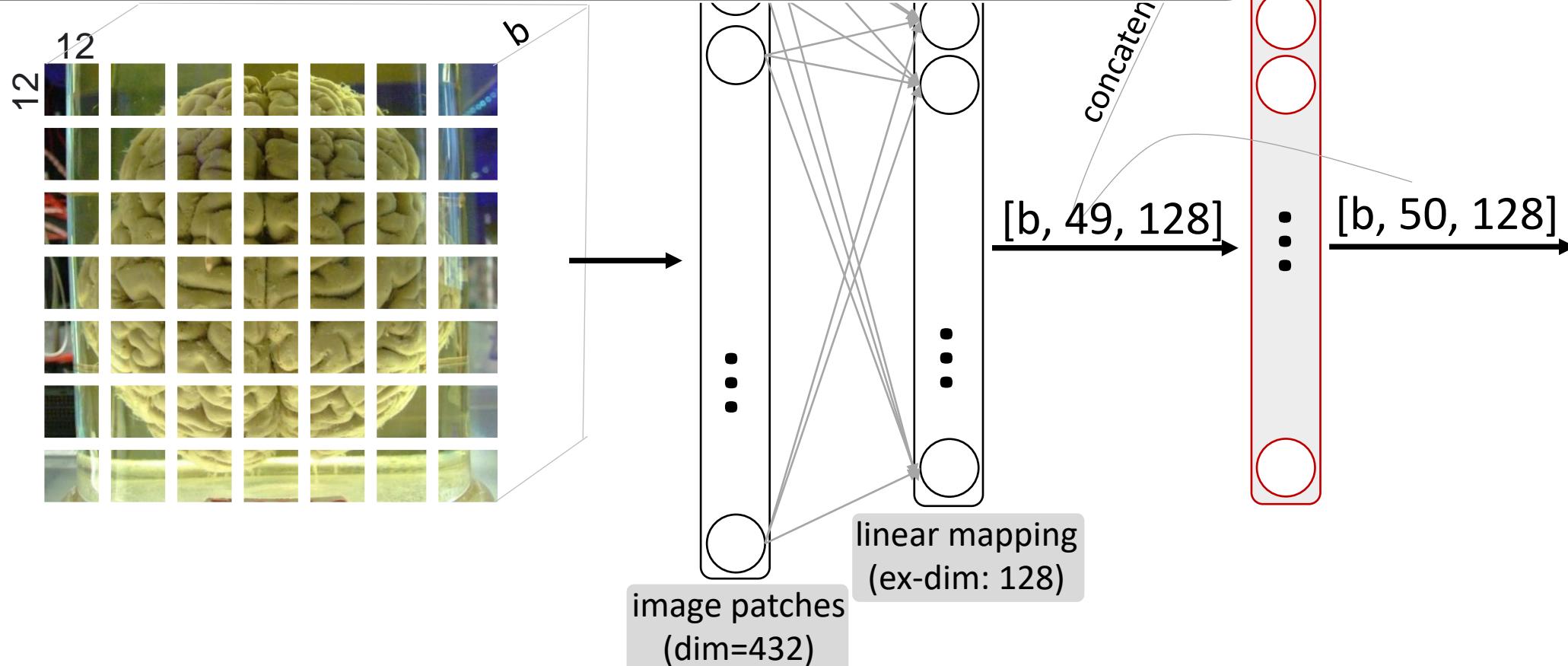
Concat. learnable Class Token



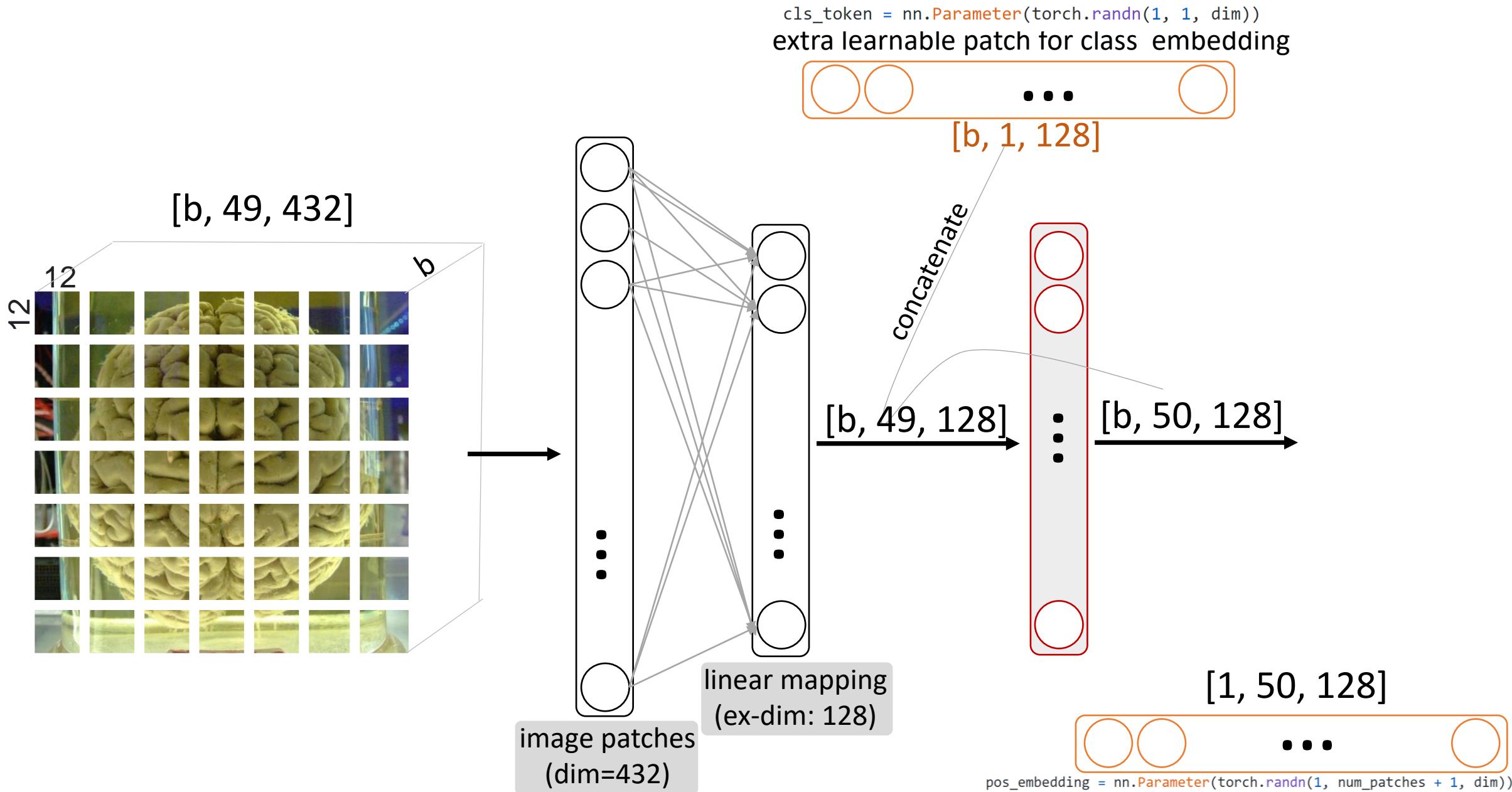
Concat. learnable Class Token

$$\mathbf{z}_0 = [\mathbf{x}_{\text{class}}; \mathbf{x}_p^1 \mathbf{E}; \mathbf{x}_p^2 \mathbf{E}; \dots; \mathbf{x}_p^N \mathbf{E}] + \mathbf{E}_{\text{pos}}, \quad \mathbf{E} \in \mathbb{R}^{(P^2 \cdot C) \times D}, \mathbf{E}_{\text{pos}} \in \mathbb{R}^{(N+1) \times D} \quad (1)$$

self.cls_token = nn.Parameter(torch.randn(1, 1, dim))
extra learnable patch for class embedding

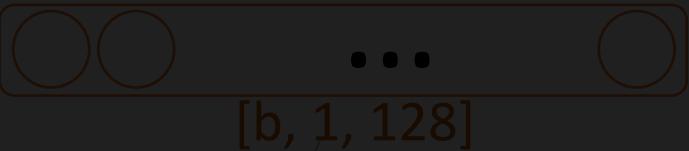


Adding position embeddings



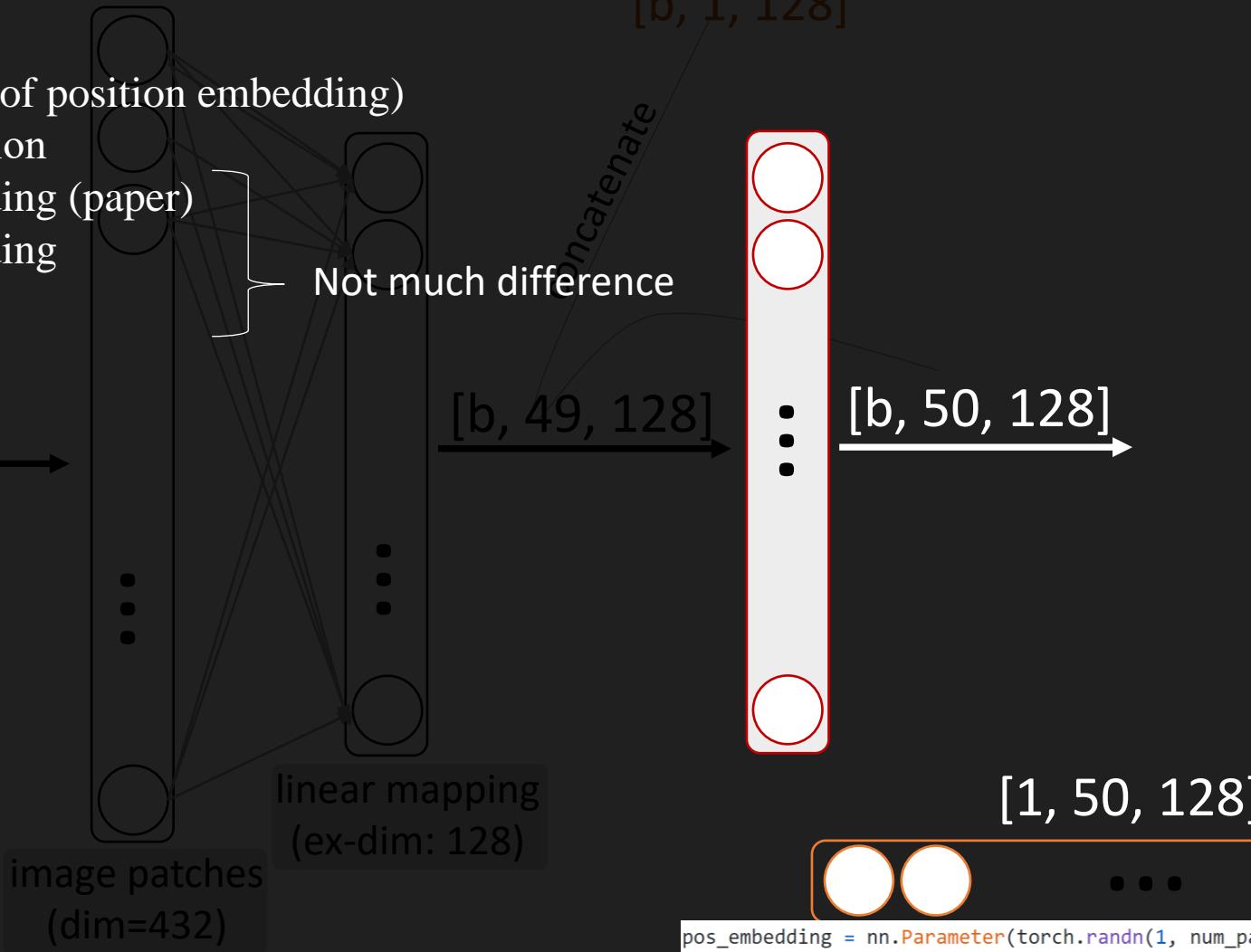
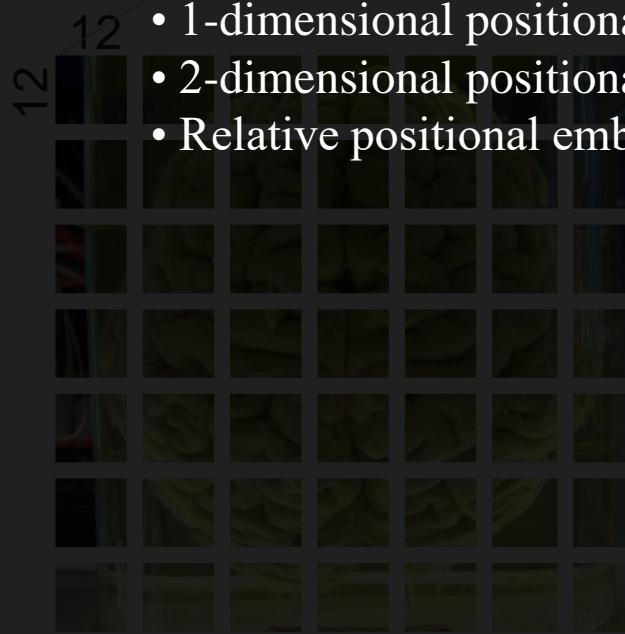
Adding position embeddings

```
cls_token = nn.Parameter(torch.randn(1, 1, dim))  
extra learnable patch for class embedding
```



D.3 POSITIONAL EMBEDDING (ablation of position embedding)

- Providing no positional information
- 1-dimensional positional embedding (paper)
- 2-dimensional positional embedding
- Relative positional embeddings



Position embeddings depends on hyperparameters

```
cls_token = nn.Parameter(torch.randn(1, 1, dim))  
extra learnable patch for class embedding
```

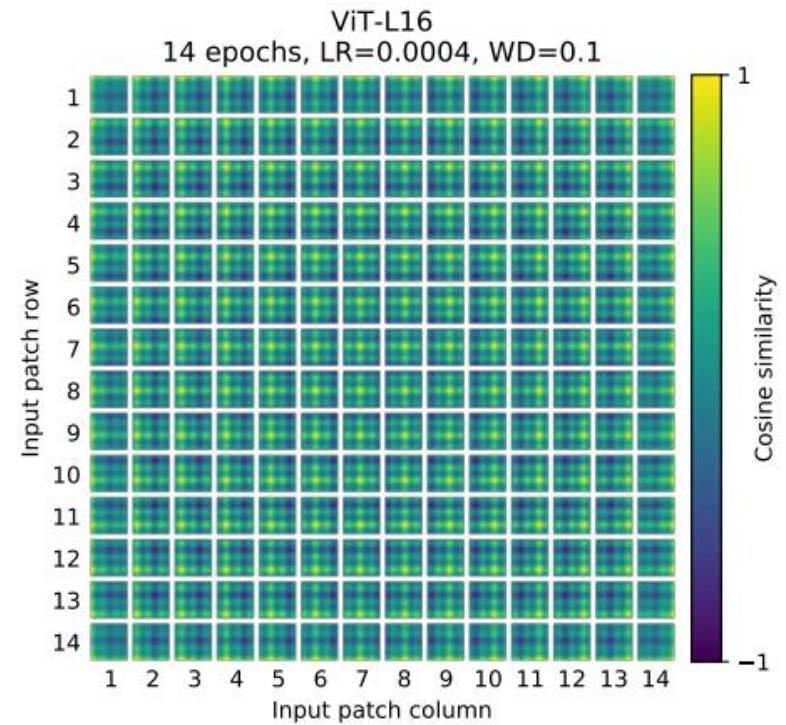
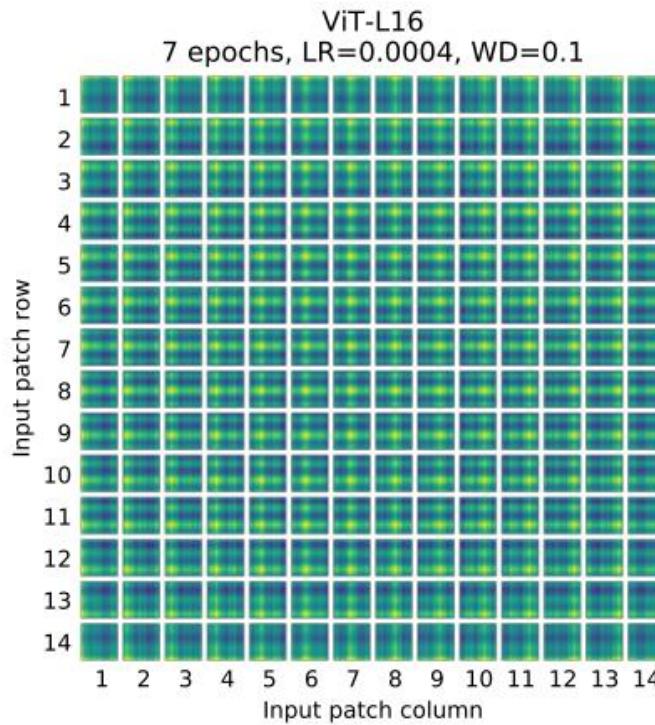
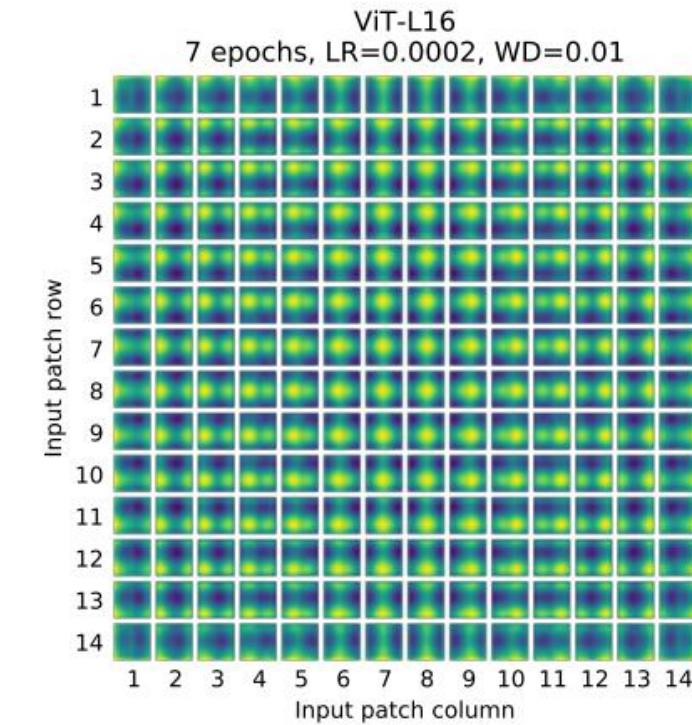


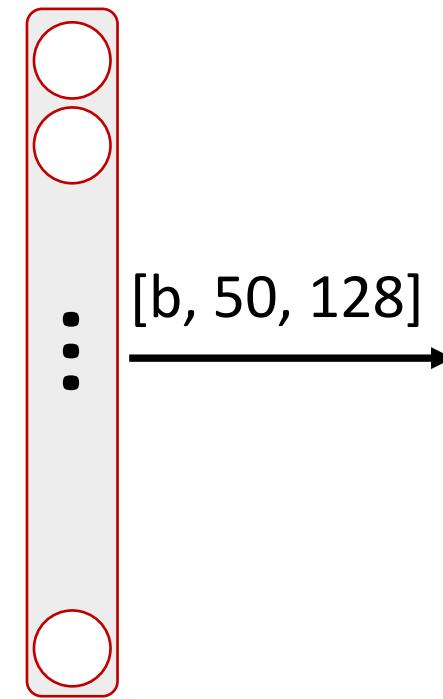
Figure 9: Position embeddings of models trained with different hyperparameters.

image patches
(dim=432)

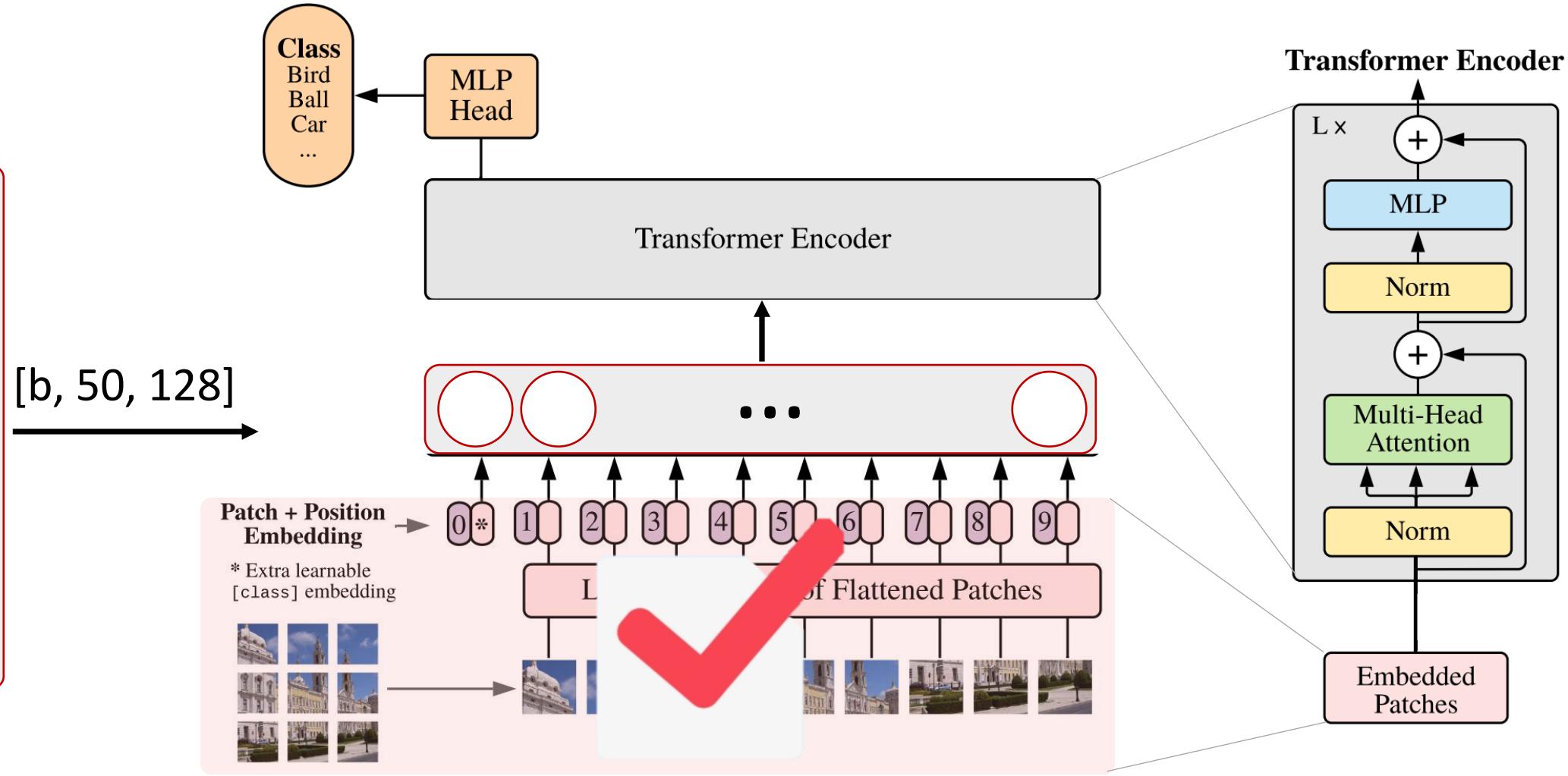
linear mapping
(ex-dim: 128)

```
pos_embedding = nn.Parameter(torch.randn(1, num_patches + 1, dim))
```

Patch embedding



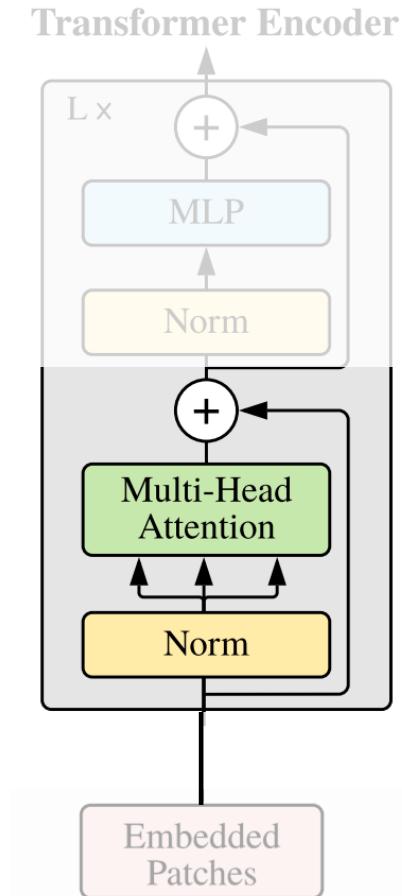
Big picture



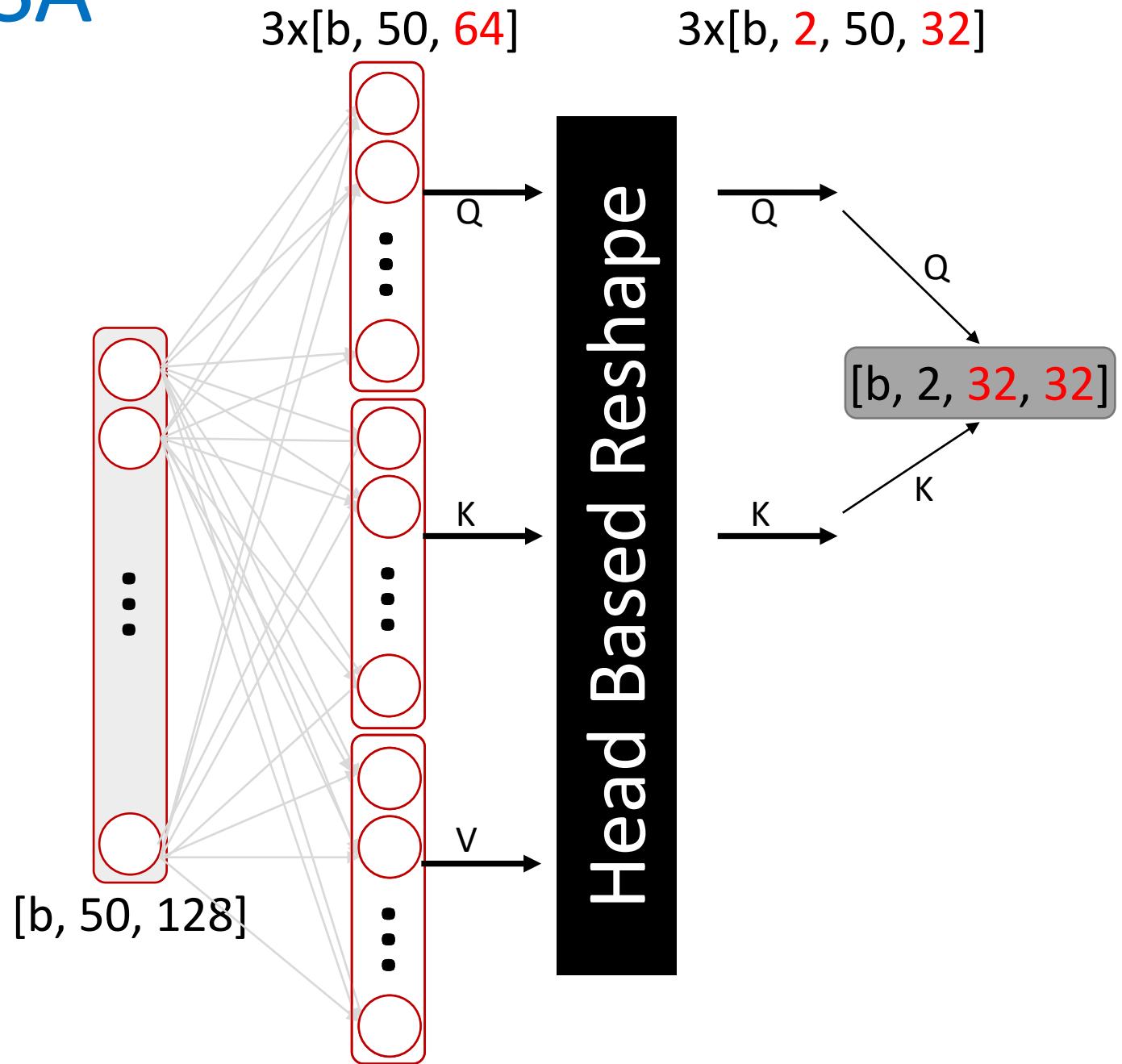
Transformer: MH-Self Attention (MSA)

$$\mathbf{z}'_\ell = \text{MSA}(\text{LN}(\mathbf{z}_{\ell-1})) + \mathbf{z}_{\ell-1}, \quad \ell = 1 \dots L$$

[b, 50, 128]

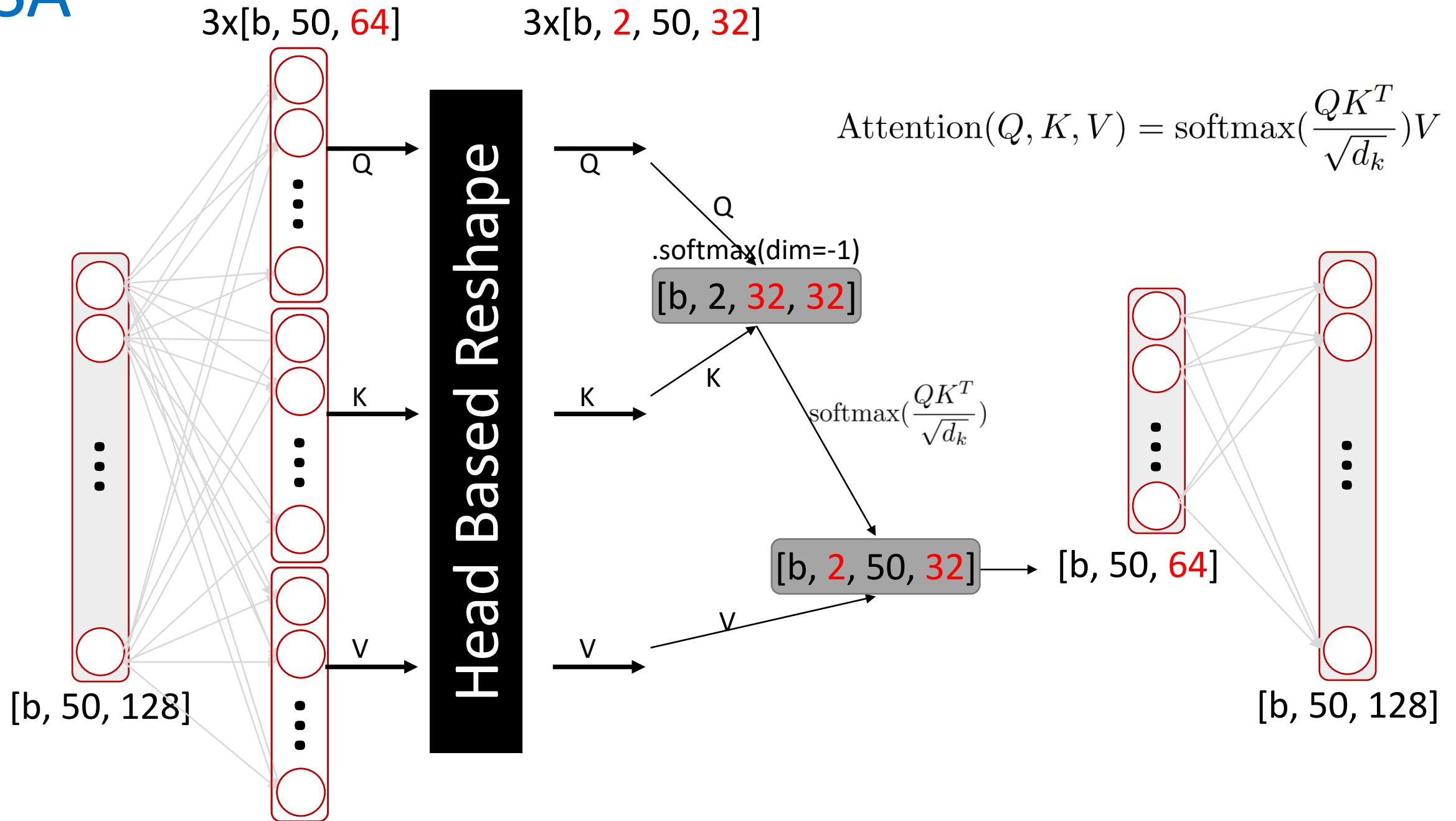


MSA

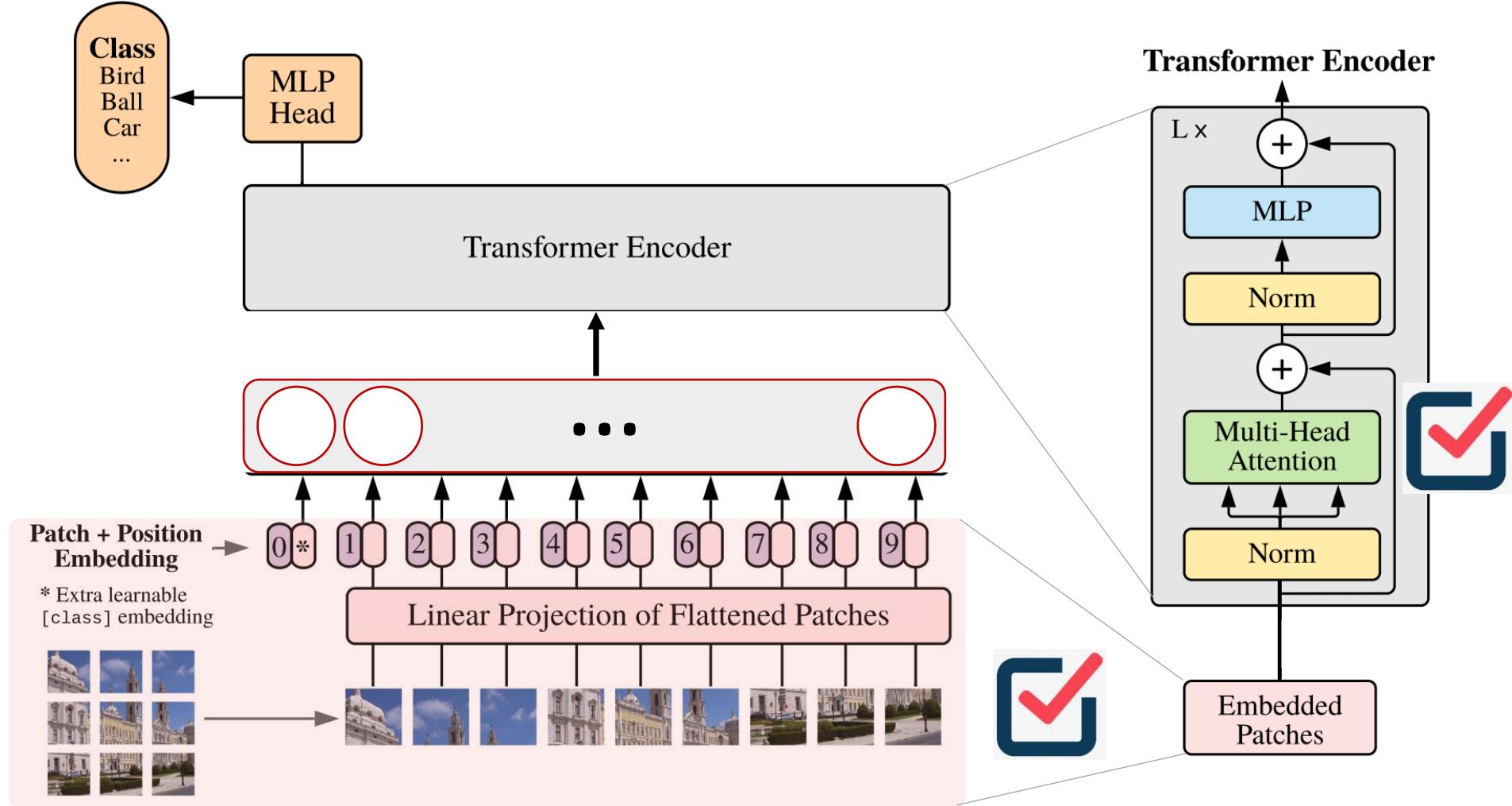


$$\text{softmax}\left(\frac{QK^T}{\sqrt{d_k}}\right)$$

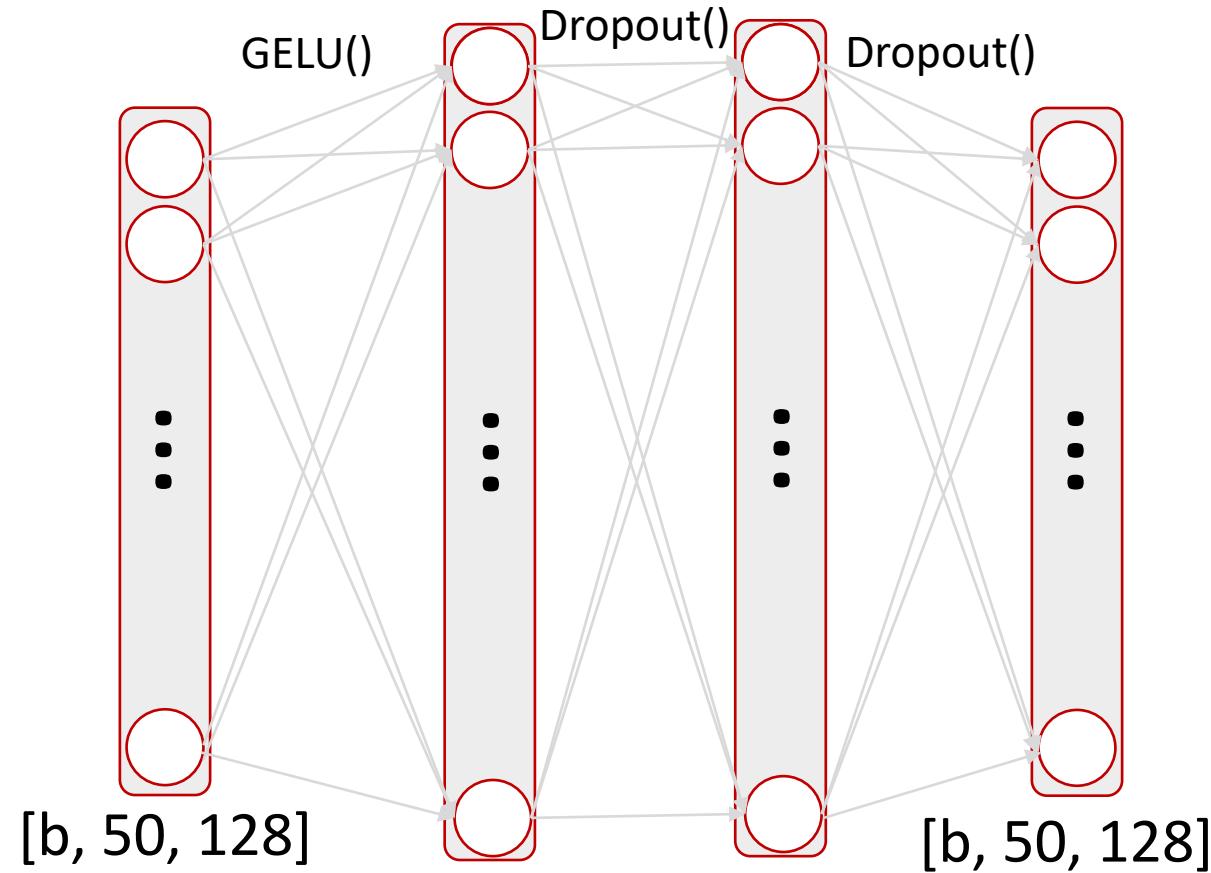
MSA



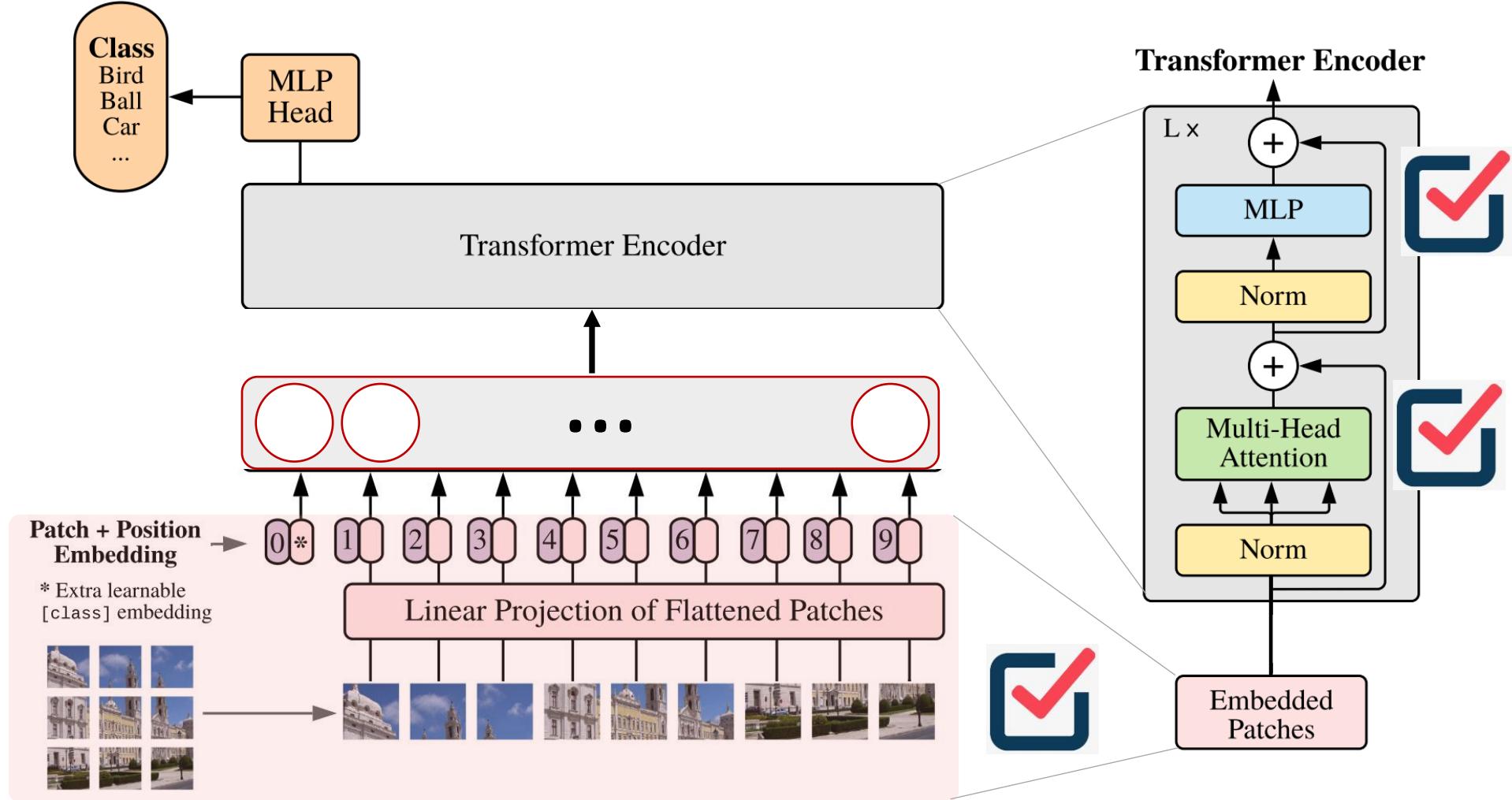
Big picture



Transformer: MLP



Big picture



Transformers

