Prosjekt 1, Double Pendulum

### Problemstilling

- Målet med dette prosjektet er å designe en klasse i python der vi kan simulere bevegelsen til en dobbel pendel.
- Oppgaven er delt i 4 deler med deloppgaver under hver del.
- Part 1: Solving initial value problem
- Part 2: The single pendulum
- Part 3: The double pendulum
- Part 4: Animating the pendulum

### Metode og utfordringer

#### Part 2 Single pendulum

### Part 1 Exp decay

```
1 import math as m
 2 import scipy
 3 from scipy.integrate import solve_ivp
    import matplotlib.pyplot as plt
    class ExponentialDecay:
        def __init__(self, a,h=0.1):
            self.a = a
            if self.a <0:
                raise ValueError
        def __call__(self,t,u):
            self.t = t
            self.u = u
            \#self.h = 0.001
            return -self.a*u
18
        def solve(self,u0,T):
20
            self.u0 = u0
            self.T = T
            sol = solve_ivp( self,y0=self.u0,t_span = [0,self.T])
            t = sol.t
            u = sol.v
            return t,u
    if __name__ == "__main__":
        a = 0.5
        exp_decay = ExponentialDecay(a)
        T = 10
        t,u = exp_decay.solve([2],T)
        plt.plot(t, u[0])
        plt.show()
```

```
1 import numpy as np
2 import scipy
 3 from scipy.integrate import solve_ivp
 4 import matplotlib.pyplot as plt
6 #Defining Error
   class ODEsNotSolved(Exception):
10 #Defining pendulum class
11 class Pendulum:
        #constructor
        def __init__(self,L,M,g):
            self.L = L #meter
            self.M = M #ka
            self.q = q \#m/s^2
19
            self. theta = None
            self._omega = None
            self. t = None
        def __call__(self, t, y):
            theta. omega = v
            dthetaDT = omega
            domegaDT = (-self.g/self.L)*np.sin(theta)
            return dthetaDT,domegaDT
        def solve(self,y0,T,dt, angles = None):
            self.y0 = y0
            self.T = T
            self.dt = dt
            if angles == "Deg":
                self.y0 = np.radians(self.y0)
38
            sol = solve_ivp( self,y0=self.y0,t_span = [0,self.T], max_step= self.dt)
            #Storing private variables instead of returning
            self._theta = sol.y[0]
            self._omega = sol.y[1]
            self. t = sol.t
```

```
45 #Getting private variables using property decorator
        @property
        def theta(self):
             if self. theta is None:
                 raise ODEsNotSolved("No solution found, please remember to call solve")
             return self, theta
        @property
        def omega(self):
            if self. theta is None:
                 raise ODEsNotSolved("No solution found, please remember to call solve")
             return self, omega
        @property
        def t(self):
             if self, theta is None:
                 raise ODEsNotSolved("No solution found, please remember to call solve")
             return self. t
        @property
        def x(self):
             return self.L*np.sin(self._theta)
66
        @property
        def v(self):
             return -self.L*np.cos(self._theta)
        @property
        def potential(self):
            pot = self.M*self.g*(self.y+L)
             return pot
        @property
        def vx(self):
             return np.gradient(self.x,self.dt)
80
        @property
        def vy(self):
82
             return np.gradient(self.y, self.dt)
        def kinetic(self):
            kin = 0.5*self.M*(self.vx**2 +self.vy**2)
86
            return kin
        @property
        def totalE(self):
             return self.kinetic+self.potential
```

### Metode og utfordringer

#### Part 3 Double pendulum

```
11 #Defining DoublePendulum claas
 12 class DoublePendulum():
                           #constructor for lengths, gravitational accelration and mass.
                         #Optimally we would set M 1 and M 2, but in our case M 1=M 2, also this
                         #is the case for L_1 = L_2, but we have defined them anyway
                         def __init__(self,L_1,L_2,g, M):
                                  self.L_1 = L_1 #meter
                                    self.L_2 = L_2
                                    self.M = M #kg
                                    self.g = g \#m/s^2
                                    self. theta1 = None
                                     self. theta2 = None
                                     self. omega1 = None
                                      self, omega2 = None
                                      self. t = None
                        def __call__(self,t,y):
                                   theta1,omega1,theta2,omega2 = y
                                     deltaTheta = theta2-theta1
                                     dtheta1_dt = omega1
                                      domega1_dt = (self.L_1*omega1**2*np.sin(deltaTheta)*np.cos(deltaTheta)+self.L_2*omega2**2*np.sin(deltaTheta)-2*
                                        domega2_dt = (-self.L_2*omega2**2*np.sin(deltaTheta)*np.cos(deltaTheta)+2*self.g*np.sin(theta1)*np.cos(deltaTheta)-2*self.L_1*omega1**2*np.sin(deltaTheta)+2*self.g*np.sin(theta1)*np.cos(deltaTheta)-2*self.L_1*omega1**2*np.sin(deltaTheta)+2*self.g*np.sin(theta1)*np.cos(deltaTheta)-2*self.L_1*omega1**2*np.sin(deltaTheta)+2*self.g*np.sin(theta1)*np.cos(deltaTheta)-2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*self.g*np.sin(deltaTheta)+2*
                                      return dihetal dt. domegal dt. diheta2 dt. domega2 dt
```

Vi har mye større likninger her som skal implementeres i call metoden. Dette er uttrykk for posisjonen/bevegelsen av pendelen.

#### Part 4 Animating the pendulum

```
def create animation(self):
    # Create empty figure
   fig = plt.figure()
   # Configure figure
    plt.axis('equal')
   plt.axis('off')
    plt.axis((-3, 3, -3, 3))
   # Make an "empty" plot object to be updated throughout the animation
    self.pendulums, = plt.plot([], [], 'o-', lw=2)
    # Call FuncAnimation
    self.animation = animation.FuncAnimation(fig,
                                         self._next_frame,
                                         frames=range(len(self.x1)),
                                         repeat=None,
                                          interval=1000*self.dt.
                                         blit=True)
def _next_frame(self, i):
    self.pendulums.set data((0, self.x1[i], self.x2[i]).
                            (0, self.y1[i], self.y2[i]))
    return self.pendulums,
def show_animation(self):
    anim = self.create_animation()
    plt.show()
#This part is incomplete and creates error
def save animation(self, videoname):
    self.videoname = str(videoname)
   anim = self.create animation()
    return anim.save(videoname, fps=60)
```

## Fungerer det? Testing

Tester exp decay

import pytest

u = 3.2

a = 0.4

def test expdecay val():

expected = 1.28

print(actual)

assert diff<tol

def test expdecay num():

tol = 1e-35

actual = instans(1,u)

diff = actual-expected

from exp\_decay import ExponentialDecay

instans = ExponentialDecay(a)

with pytest.raises(ValueError):

instans = ExponentialDecay(-1)

# Tester enkel pendel

```
import numpy as np
from pendulum import Pendulum
 import pytest
def test_pendulum():
    theta = np.pi/6
    omega = 0.15
   L = 2.7
   M = 1
   q = 9.81
    inst = Pendulum(L,M,g)
    th.om = inst(1,(theta.omega))
    expected = (-q/L)*np.sin(theta)
    difference = om-expected
    assert difference<tol
def test_ZeroTestPendulum():
    tol = 1e-16
    theta = 0
    omega = 0
   L = 2.7
   a = 9.81
    inst = Pendulum(L.M.g)
    th.om = inst(1.(theta.omega))
    expected = 0
    diff1 = om-expected
    diff2 = th-expected
    assert diff1<tol
    assert diff2<tol
def test_pendulumclass():
    with pytest.raises(Exception):
        instans = Pendulum()
def secondZerotestPendulum():
    theta = 0
    omega = 0
    inst = Pendulum()
    th.om = inst(1.(theta.omega))
    print(th,om)
```

#### Tester dobbel pendel

```
import pytest
    from double pendulum import DoublePendulum
     import numpy as np
    @pytest.mark.parametrize(
         "theta1, theta2, expected",
            ( 0, 0,
            ( 0, 0.5, 3.386187037),
            (0.5, 0, -7.678514423),
             (0.5, 0.5, -4.703164534),
def test_domega1_dt(theta1, theta2, expected):
        dp = DoublePendulum(L 1=1,L 2 =1, q = 9.81, M =1)
        y = (theta1, 0.25, theta2, 0.15)
        dtheta1_dt, domega1_dt, _, _ = dp(t, y)
        assert np.isclose(dtheta1 dt. 0.25)
        assert np.isclose(domegal dt, expected)
    @pytest.mark.parametrize(
         "theta1, theta2, expected",
            ( 0. 0.5. -7.704787325).
            (0.5, 0, 6.768494455),
             (0.5, 0.5,
29
   def test domega2 dt(theta1, theta2, expected):
        dp = DoublePendulum(L_1=1, L_2 = 1, g = 9.81, M = 1)
        t = 0
        y = (theta1, 0.25, theta2, 0.15)
        _, _, dtheta2_dt, domega2_dt = dp(t, y)
        assert np.isclose(dtheta2_dt, 0.15)
        assert np.isclose(domega2_dt, expected)
    def test_1doublependulumclass():
        with pytest.raises(Exception):
             instans = DoublePendulum()
44 def test_2doublependulumclass():
        with pytest.raises(TypeError):
```

inst = DoublePendulum()

```
arminalaei@Armins-MacBook-Pro-2 H21_project1_arminal % pytest test_double_pendulum.py
                                                                                         = test session starts ==
platform darwin -- Python 3.9.1, pytest-6.2.5, py-1.11.8, plusgy-1.0.8
rootdir: /Users/arminalaei/Documents/Fysikk/IN1910/H21_project1_arminal
collected 10 items
test_double_pendulum.pv
arminalaei@Armins-Mac@ook-Pro-2 H21_project1_arminal %
     inalaei@Armins-MacBook-Pro-2 H21_project1_arminal % pytest test_exp_decay.py
                                                                                        — test session starts —
 platform darwin -- Python 3.9.1, pytest-6.2.5, py-1.11.0, pluggy-1.0.0
rootdir: /Users/arminalaei/Documents/Fysikk/IN1910/H21_project1_arminal
collected 2 items
 test_exp_decay.py
    rinalaei@Armins-MacBook-Pro-2 H21_project1_arminal %
  rminalaei@Armins-MacBook-Pro-2 H21_project1_arminal % pytest test_pendulum.py
platform darwin -- Python 3.9.1, pytest-6.2.5, py-1.11.0, pluggy-1.0.0
 rootdir: /Users/aminalaei/Documents/Fysikk/IN1910/H21_project1_aminal
collected 3 items
```