Germany's Solar Power Generation (2015-2019)

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Power Generation Growth

- Photovoltaics is a fast growing market: The Compound Annual Growth Rate (CAGR) of PV installations was 24% between year 2010 to 2017.
- Concerning PV module production in 2017, China&Taiwan hold the lead with a share of 70%, followed by Rest of Asia-Pacific & Central Asia (ROAP/CA) with 14.8%. Europe contributed with a share of 3.1% (compared to 4% in 2016); USA/CAN contributed 3.7%.
- ▶ In 2017, Europe's contribution to the total cumulative PV installations amounted to 28% (compared to 33% in 2016). In contrast, installations in China accounted for 32% (compared to 26% in 2016).

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Power Generation Growth

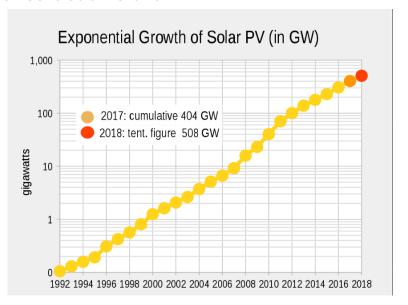


Figure 1: https://en.wikipedia.org/wiki/Solar_power

European horizontal irradiation

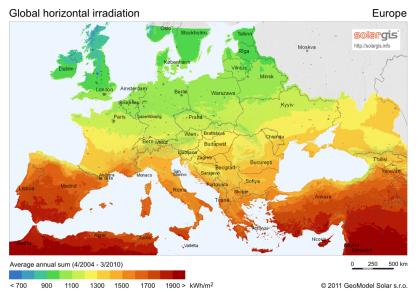


Figure 2: https://en.wikipedia.org/wiki/Solar_power

Solar Power in Germany

- Germany has about the same solar potential as Fairbanks, Alaska (Source: NREL, based on an average of 30 years of weather data).
- ▶ In 2018, Germany accounted for about 9% (45.4 GWp) of the cumulative PV capacity installed worldwide (515 GWp) with about 1.7 million PV systems installed in Germany. In 2018 the newly installed capacity in Germany was about 3.0 GWp; in 2017 it was 1.7 GWp.
- ▶ PV covered about 7% of Germany's electricity demand in 2017. Renewable sources delivered about 38% of the total net power consumption in 2017 in Germany.
- ▶ In 2017 about 19 Mio. t CO2 emissions have been avoided due to 38.4 TWh electrical energy generated by PV in Germany.
- ▶ PV system performance has strongly improved. Before 2000 the typical Performance Ratio was about 70%, while today it is in the range of 80% to 90%.

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Solar Power in Germany

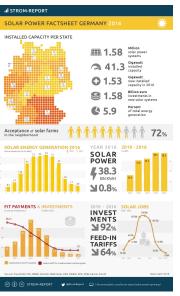


Figure 3: https://en.wikipedia.org/wiki/Solar_power_in_Germany

Solar Park in Meuro



Figure 4: Meuro and Schipkau, Germany 2012

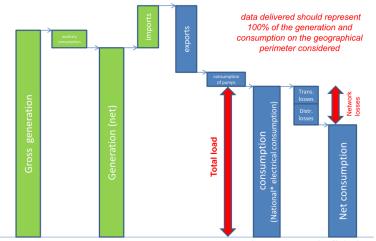
Dataset Documentation

Explanation	attribute	variable	region
Total load as published on ENTSO-E Data Portal	actual_entsoe_power_statistics	load	ISO 3166 area code and name or control area or bidding zone solar / wind / wind_ons wind_off
Total load as published on ENTSO-E Data Portal/Power Statistics	actual_entsoe_transparency		
Total load as published by the TSO	actual_tso		
Total load exluding transmission losses as published onby the TSO	actual_net_consumption_tso		
Total power generation from national TSO	actual_gross_generation_tso		
Day ahead total load forecast from ENTSO-E Transparency Platform	day_ahead_forecast_entsoe_transparency		
Electricity produced by all power plants	generation_actual	solar / wind / wind_onshore /	
Day-ahead generation forecast	day_ahead_generation_forecast	wind_offshore	
Electricity produced by power plants connected to distribution grid	generation_actual_dso		
Electricity produced by power plants connected to transmission grid	generation_actual_tso		
Aggregated installed capacity of power plants (actual availability not accounted for)	capacity		
Share of installed capacity producing	profile		
Day-ahead spot price	day_ahead	pric	

Figure 5: Variables of the Dataset

Dataset Documentation

Generation, consumption and load calculation



^{*} may except consumption of isolated areas as specified in the geographical perimeter

Figure 6: Variables of the Dataset

Dataset

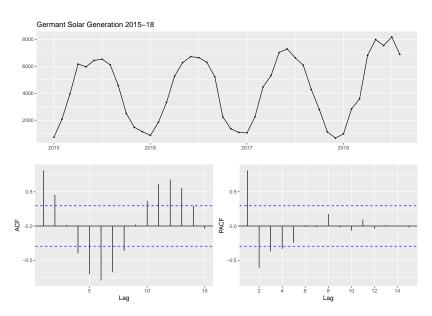
Problems with the dataset:

- Vast majority of solar data from 2005 to 2019 is NA.
- ▶ Data uses a different scale adjustment from 2005 till 2014.
- ► For these reasons the data used for this project goes from 2015 to 2019.

Data manipulation:

- ▶ Data was transformed from hourly to monthly. Last month of the test has only 9 observation avaliable, so its information is less reliable.
- ► The dataset was divided into train and test, using only the last 5 months for validation.
- Log transformation results very useful in energy production data, but Box-Cox transformations didn't result very useful, probably because of to few data, so readability was preferred.

Dataset

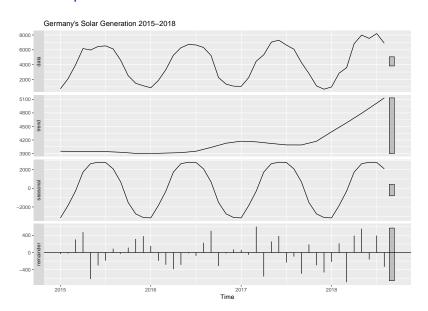


STL Decomposition

Stands for Seasonal and Trend decomposition using loess

- loess is a kind of filter
- Seasonality found by loess smoothing on the seasonal sub-series (all Jan values, all Feb values,...): $loess(y_t) = \hat{s_t}$
- ▶ Seasonality is removed: $t_t + \hat{e}_t = y_t \hat{s}_t$
- The Trend is found by smoothing the remainder: $loess(t_t + e_t) = \hat{t}_t$
- ► The remainder component is the residuals from the seasonal plus trend fit: $\hat{e_t} = y_t \hat{t_t} + \hat{s_t}$.
- ▶ This method provides values for $\hat{t_t}$, $\hat{s_t}$, $\hat{r_t}$, $t \in \{0, ..., \lfloor p/2 \rfloor 1\}$ not provided by decompose function.

STL Decomposition



Auto Arima Algorithm

Hyndman-Khandakar algorithm for automatic ARIMA modelling

- 1. The number of differences $0 \leq d \leq 2$ is determined using repeated KPSS tests.
- 2. The values of p and q are then chosen by minimising the AICc after differencing the data d times. Rather than considering every possible combination of p and q, the algorithm uses a stepwise search to traverse the model space.
 - a. Four initial models are fitted:
 - \circ ARIMA(0, d, 0),
 - \circ ARIMA(2,d,2),
 - \circ ARIMA(1, d, 0),
 - \circ ARIMA(0,d,1).

A constant is included unless d=2. If $d\leq 1$, an additional model is also fitted:

- ARIMA(0, d, 0) without a constant.
- b. The best model (with the smallest AICc value) fitted in step (a) is set to be the "current model".
- c. Variations on the current model are considered:
 - \circ vary p and/or q from the current model by ± 1 ;
 - \circ include/exclude c from the current model.

The best model considered so far (either the current model or one of these variations) becomes the new current model.

d. Repeat Step 2(c) until no lower AICc can be found.

Auto Arima Algorithm

- The Model Found has been recognized as a $ARIMA(0,1,1)_{12}(0,0,0)$ with drift.
- $\Theta = -0.5840$ with standard error 0.4488 (!)
- $\delta = 18.1580$ with standard error 6.2926
- D = 1.

Other models were found, mainly to compare them with the automatically chosen one. They weren't necessairly chosen to be worse. Indeed their Parameters have lower standard errors, and their Information criteria are lower too.

Alternative Models

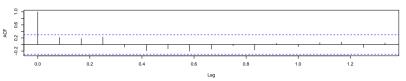
s.e. 0.1548 0.2090

```
## Series: train
## ARIMA(0,1,1)(1,1,0)[12]
##
## Coefficients:
##
            ma1 sar1
## -0.6963 -0.4155
## s.e. 0.1548 0.2090
##
## sigma^2 estimated as 362283: log likelihood=-242.83
## AIC=491.66 AICc=492.55 BIC=495.96
## Series: train
## ARIMA(0,1,1)(1,1,0)[12]
##
## Coefficients:
               sar1
##
            ma1
```

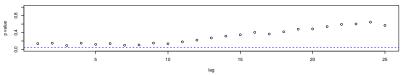
Portmanteau Test for Automated model



ACF of Residuals



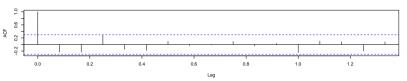
p values for Ljung-Box statistic



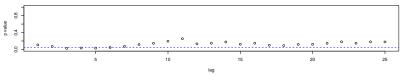
Pormanteau Test for Manual Model 1



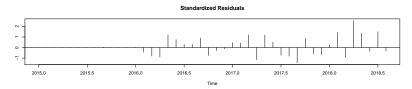
ACF of Residuals



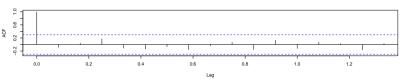
p values for Ljung-Box statistic



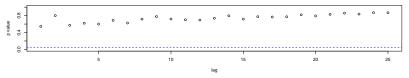
Pormanteau Test for Manual Model 2



ACF of Residuals

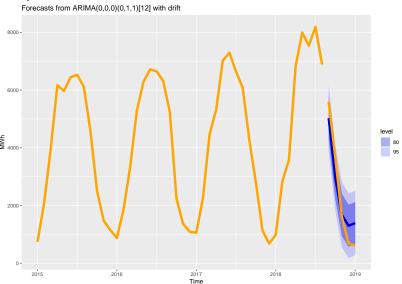


p values for Ljung-Box statistic



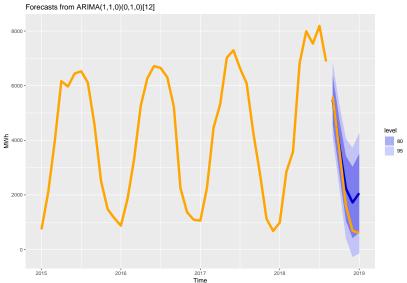
h-step ahead Forecasts

5-step ahead forecast for automatic model:



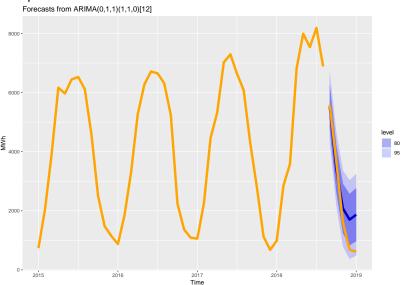
Forecasting

5-step ahead forecast for model 1:



Forecasting

5-step ahead forecast for model 2:



Accuracy of models

The accuracy measures of the models compared with themselves.

The third one is the result of auto.arima function.

Mean Absolute Scaled Error (MASE) is a scaled error measure.

It is based on MAE, the Mean Absolute Error.

Given a model m , MASE(m) < 1 means that the forecast is better than an average naive forecast, while MASE(m) > 1 means it's

worse.					
##	ME	RMSE	MAE	MPE	
## Training set	33.49621	574.5916	401.8576	-0.8055412	12
## Test set	-630.94716	849.9963	671.7468	-86.2211959	86

ACF1 Theil's U ## Training set -0.2342681 NA ## Test set 0.4300110 2.52961

ME RMSE MAE MPE ## Training set 66.83796 488.6486 351.8273 -0.7150421 10

Cross Validation

RMSE for model 1, model 2, and the automated model.

```
## [1] 718.3601
## [1] 640.3908
## [1] 613.733
```

CV means A mean different than zero means that forecast is biased

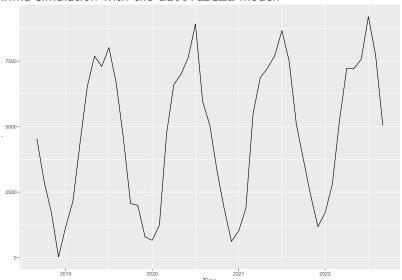
```
## [1] 15.73396
```

[1] 69.18373

[1] 59.51847

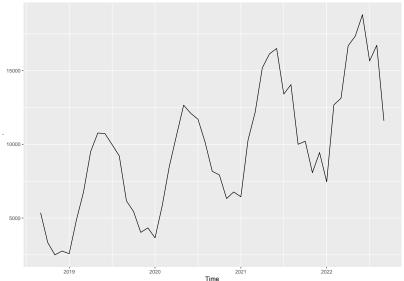
Simulation

Arima simulation with the auto.arima model:



Simulation

Arima simulation with model 1:



Simulation

Arima simulation with the model 2:

