

Word Ladder [LeetCode](#)

A **transformation sequence** from word `beginWord` to word `endWord` using a dictionary `wordList` is a sequence of words `beginWord` -> s_1 -> s_2 -> ... -> s_k such that:

- Every adjacent pair of words differs by a single letter.
- Every s_i for $1 \leq i \leq k$ is in `wordList`. Note that `beginWord` does not need to be in `wordList`.
- $s_k == \text{endWord}$

Given two words, `beginWord` and `endWord`, and a dictionary `wordList`, return *the **number of words** in the **shortest transformation sequence** from `beginWord` to `endWord`, or 0 if no such sequence exists.*

Example:

`beginWord = "hit", endWord = "cog", wordList = ["hot","dot","dog","lot","log","cog"]`

Output: 5

Explanation: One shortest transformation sequence is "hit" -> "hot" -> "dot" -> "dog" -> "cog", which is 5 words long.

Approach 1: Function to find the shortest transformation sequence length from `startWord` to `endWord`

- **Explanation:**
 - The **`ladderLength`** function uses BFS to find the shortest transformation sequence length.
 - It creates an unordered set (**`s`**) for efficient word lookup and enqueues the start word with steps 1 into a queue.
 - During BFS traversal, it generates all possible one-letter transformations of the current word.
 - If a transformed word is in the `wordList`, it erases the word from the set, enqueues it with updated steps, and continues BFS.
 - The traversal continues until the `endWord` is found, and the function returns the number of steps.
 - If no transformation sequence is found, it returns 0.
- **Time Complexity:**
 - The time complexity depends on the length of the `wordList` and the average length of the words.

- In the worst case, it may need to generate all possible transformations for each word, leading to $O(L * N)$, where L is the length of the words and N is the size of the wordList.
- Each transformation operation takes $O(L)$ time.
- Space Complexity:
 - The space complexity is $O(N)$ for the unordered set (s) since it stores the words from the wordList.
 - The space complexity is $O(W)$ for the queue, where W is the maximum width of the BFS traversal. In the worst case, it can be as large as the number of words reachable in one step from the start word.
 - The Space complexity is $O(N + W)$