

Heap Sort using Max Heap [LeetCode](#)

Given an array of integers `nums`, sort the array in ascending order and return it.

Example: [34, 43, 54, 21, 44, 35, 71, 55, 29, 93]

Output: [21, 29, 34, 35, 43, 44, 54, 55, 71, 93]

Approach 1: Function to perform Heap Sort with the help of Iterative Max Heapify Function

- **Function Purpose:** To perform Heap Sort using an iterative **maxHeapify** function.
- **Explanation:**
 - The **maxHeapify** function is used to build a max heap from the input array.
 - The code first constructs a max-heap from the input array by iteratively calling **maxHeapify**.
 - Once the max heap is constructed, it repeatedly extracts the maximum element (root of the max-heap) and moves it to the end of the array.
 - After each extraction, it re-heapifies the remaining elements to maintain the max-heap property.
- **Time Complexity:** $O(N \log N)$ for the worst-case scenario.
- **Space Complexity:** $O(1)$ for the in-place sorting.

Approach 2: Function to perform Heap Sort using Priority Queue (Max Heap)

- **Function Purpose:** To perform Heap Sort using a priority queue (max heap).
- **Explanation:**
 - This approach uses a priority queue (implemented as a max heap) to sort the elements.
 - It first populates the priority queue with the elements from the input array, effectively building a max-heap.
 - Then, it extracts elements from the max-heap and places them back into the array in ascending order, which effectively sorts the array.
- **Time Complexity:** $O(N \log N)$ for building the max-heap and extracting elements.
- **Space Complexity:** $O(N)$ for the additional space required by the priority queue.

Conclusion:

- Approach 1 (Iterative Max Heapify) is the better choice for implementing Heap Sort when memory efficiency is a concern. It has a space complexity of $O(1)$, making it more memory-efficient.