

MLL251 (8:30 - 10)

everytime.

Minor : 30

Major : 60 } can be flexible.

Quiz : 10 }

grade -1 if attendance < 75%

→ Elasticity Theory

↳ Plasticity in materials

↳ Single crystal deformation

↳ Dislocation theory.

↳ Strengthening Mechanisms

↳ Fracture.

Mechanical Behaviours of Materials:

→ The Last Breath: Some movie

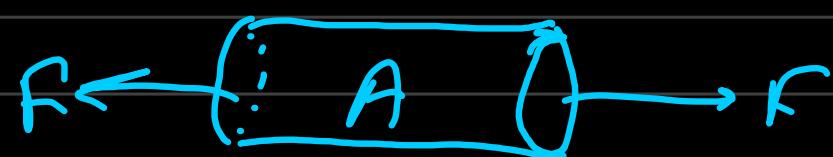
Stresses:

→ force per unit area.

↳ measure of the internal forces as a response to external reaction forces.

∴ $\sigma_n \rightarrow$ normal stress.

$\tau_t \rightarrow$ shear stress.



get stretched
differently



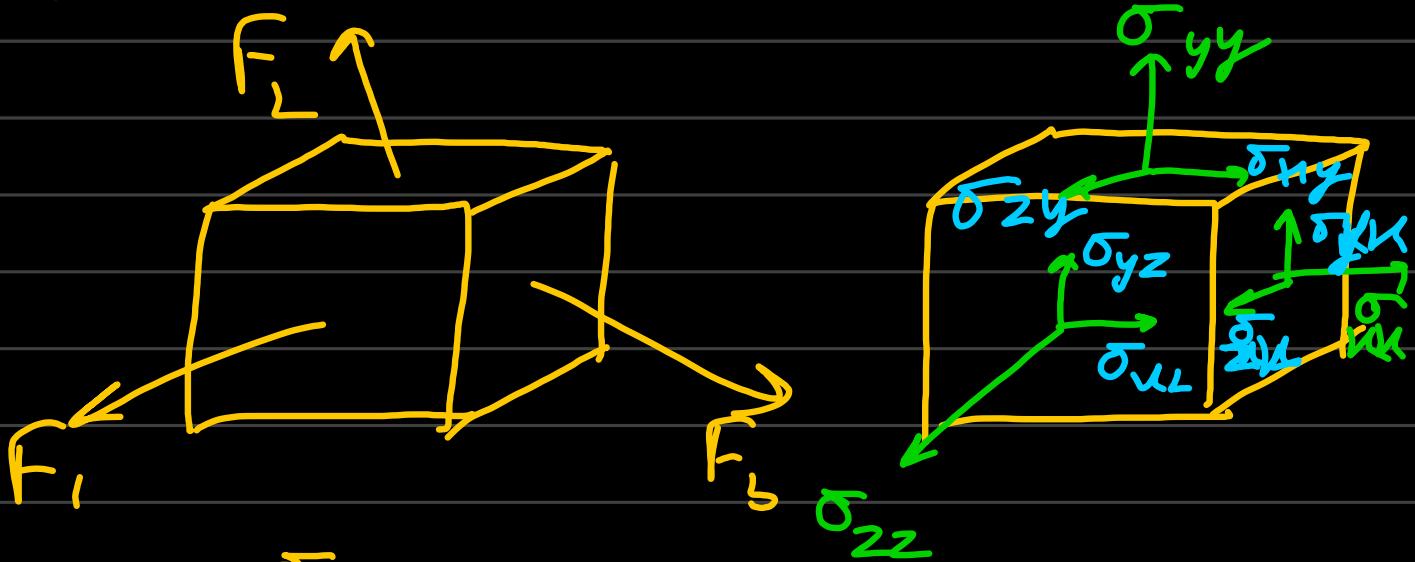
∴ More strength less stretch.

→ numerous acting planes at a p.t.p.

equilibrium equations:

↳ Translational: $\sum F_x = 0; \sum F_y = 0; \sum F_z = 0$

→ Stress Tensor:



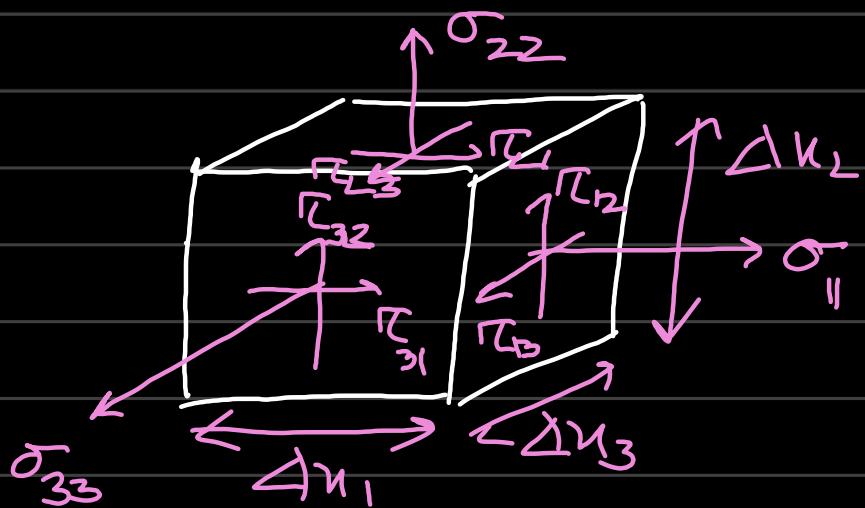
The diagram shows a rectangular element with stress components σ_{yy} (vertical), σ_{xy} (top face), and σ_{yx} (bottom face) labeled. To the right, the text "Moment (abt 0)" is followed by the equation $(\sigma_{yy} \Delta y) \Delta x - (\sigma_{yx} \Delta x) \Delta y$. Below this, it says "... ∴ $\sigma_{yy} = \sigma_{yx}$ ".

∴ We have 6 independent components.

$$\underline{\sigma} = \begin{bmatrix} \sigma_{xx} & \sigma_{xy} & \sigma_{xz} \\ \sigma_{yx} & \sigma_{yy} & \sigma_{yz} \\ -\sigma_{xz} & \sigma_{zy} & \sigma_{zz} \end{bmatrix}$$

2nd order tensor.

Equilibrium Equations:



$$\tau_{13} = \tau_{31} ; \quad \tau_{12} = \tau_{21} ; \quad \tau_{23} = \tau_{32}$$

Stress-Equilibrium Equations:

$$\frac{\partial \sigma_{11}}{\partial u_1} + \frac{\partial \tau_{21}}{\partial u_2} + \frac{\partial \tau_{31}}{\partial u_3} + \gamma_1 = 0$$

$$\frac{\partial \tau_{12}}{\partial u_1} + \frac{\partial \sigma_{22}}{\partial u_2} + \frac{\partial \tau_{32}}{\partial u_3} + \gamma_2 = 0$$

$$\frac{\partial \tau_{13}}{\partial u_1} + \frac{\partial \tau_{23}}{\partial u_2} + \frac{\partial \sigma_{33}}{\partial u_3} + \gamma_3 = 0$$

In indicial notation:

$$\sum_{i=1}^3 \frac{\partial \underline{\underline{\sigma}}}{\partial x_i} \underline{e}_i + \underline{\underline{\gamma}} = \underline{\underline{0}} \quad \text{Force eqn}$$

$$\underline{\underline{\sigma}} = \underline{\underline{\sigma}}^\top \quad \text{Moment eqn.}$$

$$[\underline{\underline{\sigma}}]_{e_1-e_3} = \begin{bmatrix} \sigma_{11} & \tau_{12} & \tau_{13} \\ \tau_{21} & \sigma_{22} & \tau_{23} \\ \tau_{31} & \tau_{32} & \sigma_{33} \end{bmatrix}$$

Hydrostatic & Deviatoric stress.

$$\sigma_m = \frac{\sigma_x + \sigma_y}{2}$$

APL 205

Basics of Computer Aided Design.

(2 - 0 - 0)



cantilaver



truss

Concept → Analysis → Optimisation.



(FEM)

↓
Model (2D/3D)
graphics

2D - transformation

3D - transformation.

Curves (2D/3D)

Surfaces

Solid Body

→ Mathematical Course : Equations .

Mathematical Elements for Computer Graphics

↳ Mc-Graw Hill : David Rogers, Alan Adams.

→ 40% Mid Sem }
40% End Sem } Pen paper with
calculator.

20% assignments

↳ all CAD to be made on MATLAB
↳ not on any commercial software.