

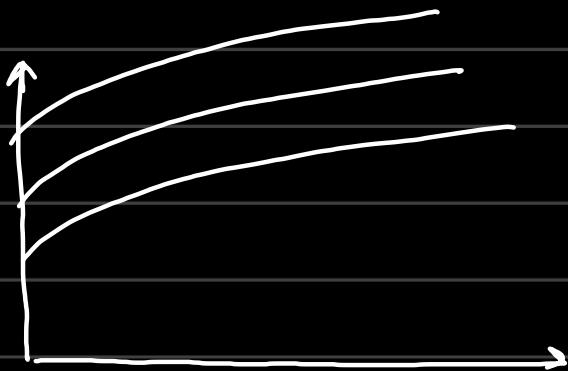
Lecture 8

Metal Working

Strain Hardening:

$$\sigma = K \epsilon^n$$

Strain hardening
exponent.



Flow curves shifts upward
with increasing $\dot{\epsilon}$.

$$\sigma = C \dot{\epsilon}^m$$

Flow stress. constant Strain rate sensitivity

→ material becomes more sensitive at
higher temperatures.

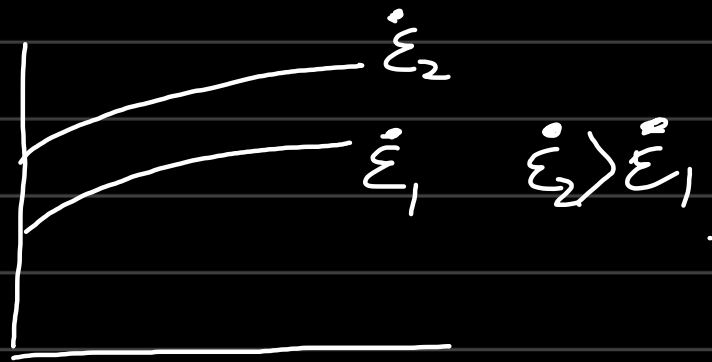
$$m \sim 0.2 - 0.3 \quad \{ \text{at high temperature} \}$$

$$m \sim 0 - 0.03 \quad \{ \text{at low temperature} \}$$

$$m = f(T) \quad \{ \text{function of temperature} \}$$

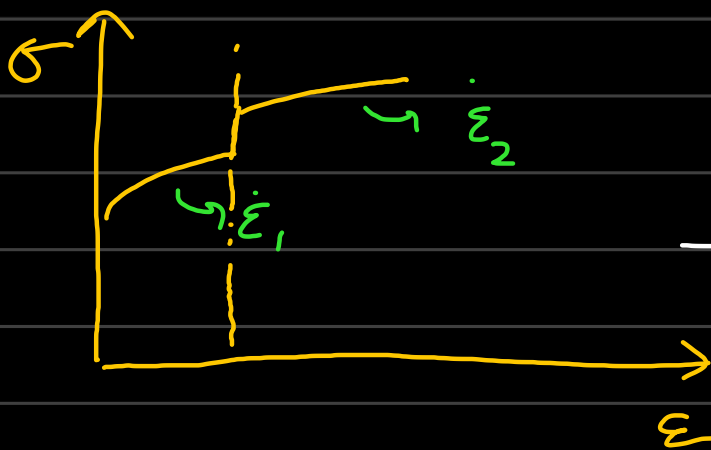
To determine n :

i) Tensile test: @ $\dot{\epsilon}_1$
at a particular T .



ii) Strain-rate jump test.

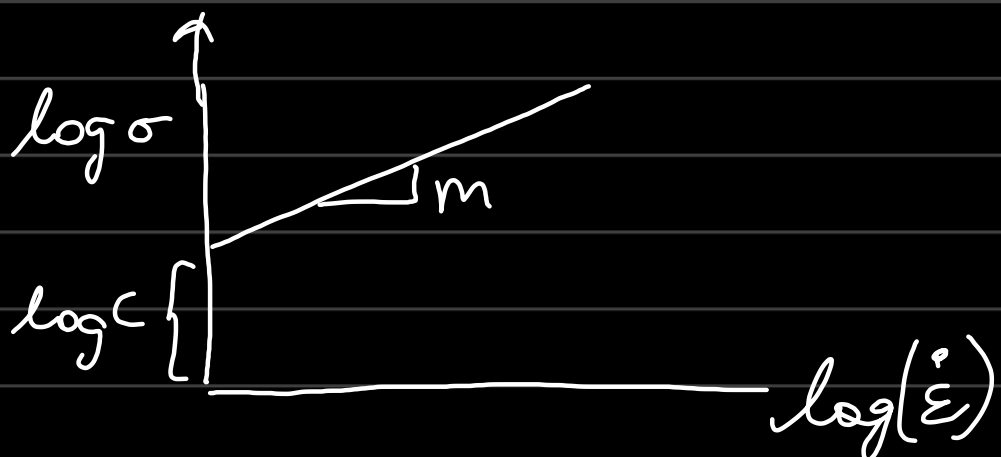
↳ Single test.



→ determine value of n .

iii) $\sigma = C \dot{\epsilon}^n$

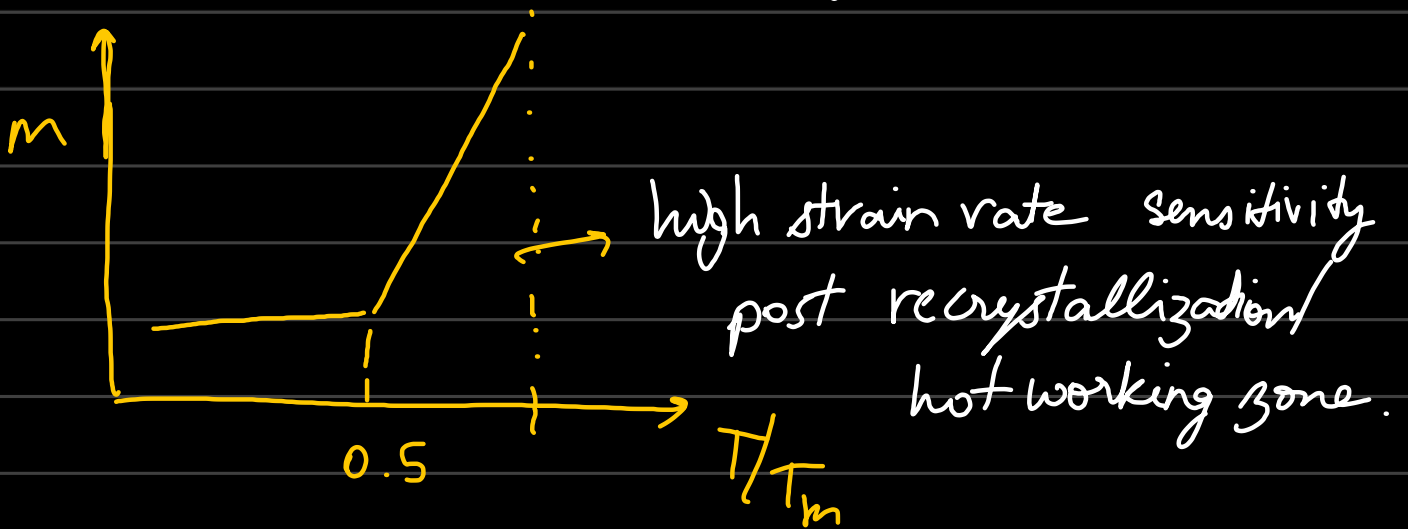
$$\log \sigma = n \log(\dot{\epsilon}) + \log C$$



→ at room temperature: $n \approx 0$.

↳ flow stress remains more or similar for both rolling & uniaxial tensile tests.

→ high strain-rate processes needs to be taken care while dealing with elevated temp.



Super-plastic forming:

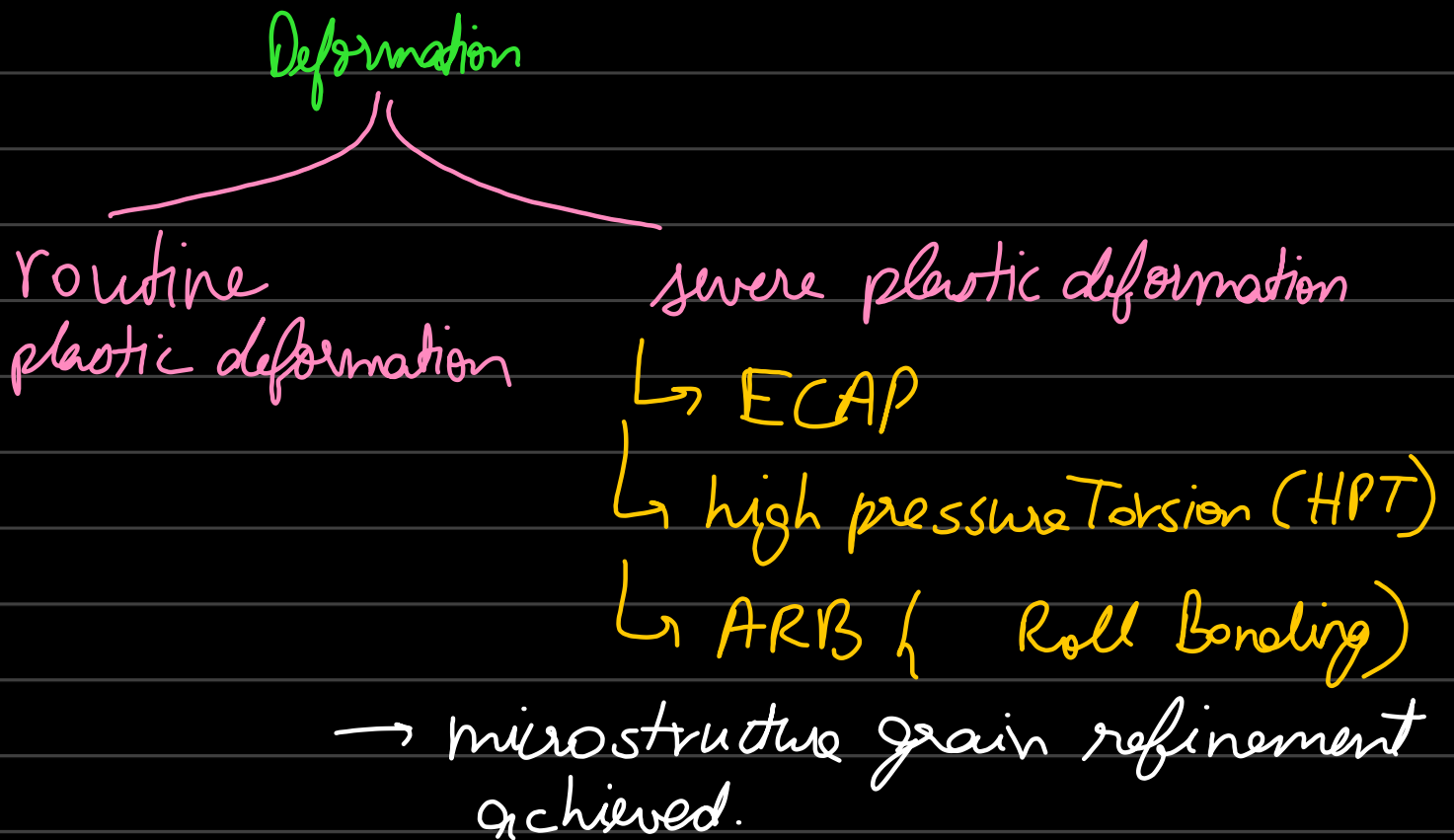
Superplasticity: strain% > 1000%

↳ material behaving like rubber-band.

↳ permanent strain of > 1000%

- In typical ductile metals, upper limit of plastic strain: 100%
- Superplasticity achieved under special conditions.

eg: Bi-Sn alloy wire: stretched to 1950% { superplasticity }



Conditions:

- An extremely fine grain size ($< 1 \mu\text{m}$) with equiaxed grain structure.
- High temperature ($T > 0.5T_m$)
- low strain rates.

* Huge amt of strain can accommodated by sliding of GB: Creep phenomenon.

→ at high temp, GB can slide easily.

→ at high temp, grain growth possible also low strain rate.

↳ to compensate for this grain growth, and provide stability in microstructure, small grain size is desirable.

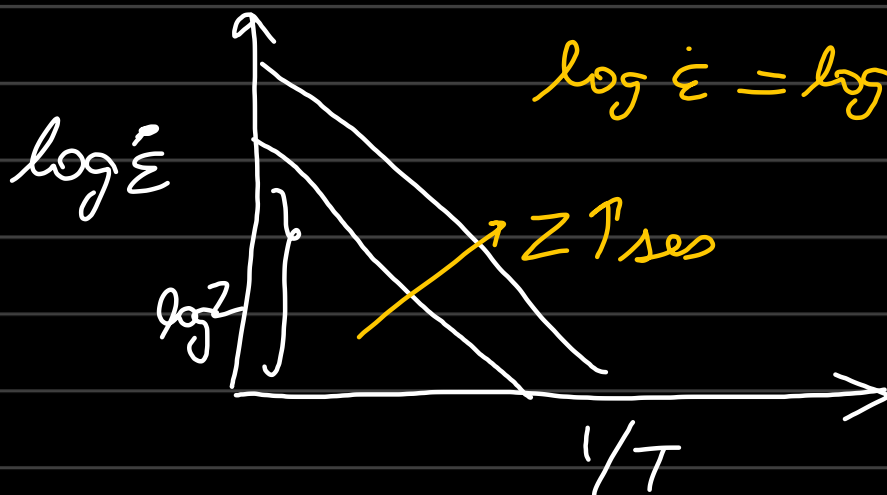
Zener - Holloman:

$$Z = \dot{\epsilon} \exp\left(\frac{Q}{RT}\right)$$

↓ Zener-Holloman parameter ↓ strain rate → activation energy for deformation process (ink)

$$\log Z = \log \dot{\epsilon} + \frac{Q}{R} \left(\frac{1}{T} \right)$$

$$\log \dot{\epsilon} = \log Z - \frac{Q}{R} \left(\frac{1}{T} \right)$$



$$\star \quad \dot{\epsilon} = A [\sinh(\gamma \sigma)]^n \exp\left(\frac{-Q}{RT}\right)$$

$$Z = A [\sinh(\gamma \sigma)]^n \text{ hyperbolic sine fnc.}$$

→ higher $Z \Rightarrow$ higher σ .

\star Effect of Z on microstructure:

high Z :

- ↳ high $\dot{\epsilon}$ ↳ more hardening
- ↳ high σ_{flow}
- ↳ less time for dislocation movement
- ↳ low T , low recovery

\star elongated grain structure and potential cracking

low Z :

- ↳ low $\dot{\epsilon}$
- ↳ low σ_{flow}
- ↳ easy flow of dislocations.

\star recrystallized & refined grain microstructure
↳ delayed failure & early failure overcome

* The Z parameter is used to determine, the optimal strain rate during hot metal working processes.