

Ahsanullah University of Science and Technology (AUST)

Department of Computer Science and Engineering

Assignment 2

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Submitted By-

MD Fardin Jaman Aranyak 190204093 B2 Year- 4th Semester-1st Department-CSE **Question:** Define a recursive procedure in Python and in Prolog to find the length of a path between two vertices of a directed weighted graph.

Solution:

Python Code:

```
def find_path_length(graph, start, end, acc_distance=0):
  if start == end:
     return acc_distance
  if not graph[start]:
     return float('inf')
  min_distance = float('inf')
  for neighbor, weight in graph[start]:
     length = find_path_length(graph, neighbor, end, acc_distance + weight)
     min_distance = min(min_distance, length)
  return min_distance
graph = {
  'i': [('a', 35), ('b', 45)],
  'a': [('c', 22), ('d', 32)],
  'b': [('d', 28), ('e', 36), ('f', 27)],
  'c': [('d', 31), ('g', 47)],
  'd': [('g', 30)],
  'e': [('g', 26)],
  'g': []
}
```

```
path_length = find_path_length(graph, 'a', 'g')
print("Length of the path between 'a' and 'g':", path_length)
Prologue:
        neighbor(i,a,35).
        neighbor(i,b,45).
        neighbor(a,c,22).
        neighbor(a,d,32).
        neighbor(b,d,28).
        neighbor(b,e,36).
        neighbor(b,f,27).
        neighbor(c,d,31).
        neighbor(c,g,47).
        neighbor(d,g,30).
        neighbor(e,g,26).
        pathLength(X,Y,L):- neighbor(X,Y,L),!.
        pathLength(X,Y,L):- neighbor(X,Z,L1), pathLength(Z,Y,L2), L is L1+L2.
        findPathLength :- write('Source: '), read(Src),
                  write('Destination: '), read(Des),
                   pathLength(Src, Des, Length),
                   write('Length of the path: '), write(Length), nl.
```

findPathLength.

Question: Modify the Python and Prolog codes demonstrated above to find h₂ and h₃ discussed above

Python Code for H2:

```
# Goal configuration
goal_config = {
  1: (1, 1, 1),
  2: (2, 1, 2),
  3: (3, 1, 3),
  4: (4, 2, 3),
  5: (5, 3, 3),
  6: (6, 3, 2),
  7: (7, 3, 1),
  8: (8, 2, 1)
}
goal\_blank = (2, 2)
# Target configuration
target_config = {
  1: (1, 1, 2),
  2: (2, 1, 3),
  3: (3, 2, 1),
  4: (4, 2, 3),
  5: (5, 3, 3),
  6: (6, 2, 2),
  7: (7, 3, 2),
  8: (8, 1, 1)
}
```

```
target_blank = (3, 1)
# Function to calculate the Manhattan distance between two cells
def manhattan_distance(cell1, cell2):
  x1, y1 = cell1[1:]
  x2, y2 = cell2[1:]
  return abs(x1 - x2) + abs(y1 - y2)
# Function to calculate the heuristic values
def calculate_heuristics():
  heuristics = []
  for tile in range(1, 9):
    tile_goal = goal_config[tile]
    tile_target = target_config[tile]
    distance = manhattan_distance(tile_goal, tile_target)
    heuristics.append(distance)
  return heuristics
# Calculate heuristics for each tile
heuristics = calculate_heuristics()
# Calculate the sum of heuristics
total_heuristic = sum(heuristics)
# Output
print("Heuristics:", total_heuristic)
```

Python Code for H3:

```
graph={
  'Q1':[(6,1)],
  'Q2':[(1,2)],
  'Q3':[(5,3)],
  'Q4':[(7,4)],
  'Q5':[(4,5)],
  'Q6':[(3,6)],
  'Q7':[(8,7)],
  'Q8':[(1,8)]
}
queens=['Q1','Q2','Q3','Q4','Q5','Q6','Q7','Q8']
def cheack(row,column):
  for queen in queens:
    for xrow,xcolumn in graph[queen]:
      if(row==xrow and column==xcolumn):
         return 1;
  return 0;
def attacking_queen():
  cnt =0;
  for j in range(8):
    for row,column in graph[queens[j]]:
      new_row=row
      new_col=column
```

```
# In a same row
      for i in range(8):
        new_col=new_col+1;
        if(new_row<=8):
          cnt=cnt+cheack(new_row,new_col)
      new_row=row
      new_col=column
      #Diagonally up
      for i in range(8):
        new_row=new_row+1;
        new_col=new_col+1;
        if new_row<=8 and new_col<=8:
          cnt=cnt+cheack(new_row,new_col)
      #Diagonally Down
      new_row=row
      new_col=column
      for i in range(8):
        new_row=new_row-1;
        new_col=new_col+1;
        if new_row>=1 and new_col>=1:
          cnt=cnt+cheack(new_row,new_col)
      #print(queens[j]," ",cnt);
  return cnt;
print("Attacking pairs: ",attacking_queen())
```

Prologue Code for H3:

```
:-dynamic(hval/1).
/* Evaluates a 8-queens' state given as list of 8 digits */
evalState(L,V):-assert(hval(0)),hl(1,L),
di_up(1,L), di_dn(1,L), hval(V),
                  retractall(hval()).
hl(8, ):-!. hl(I,L):- nthel(I,L,X), chk incr(I,L,X), I1 is I+1,
hl(I1,L).
chk incr(8, , ):-!. chk incr(I,L,X):- I1 is I+1, nthel(I1,L,Y),
                                          do_{incr(X,Y),chk_{incr(I1,L,X)}.
do incr(X,Y):-X=Y, incr hval. do_incr(\_,\_).
incr hval:-hval(V), V1 is V+1, retract(hval()), assert(hval(V1)).
\operatorname{di\_up}(8,\_):-!. \operatorname{di\_up}(I,L):- \operatorname{nthel}(I,L,X), \operatorname{chkup\_incr}(I,L,X,0), \operatorname{II} is
I+1,
                               di up(I1,L).
chkup_incr(8, _{-}, _{-}, _{-}):-!.
chkup\_incr(I,L,X,K):-I1 is I+1, nthel(I1,L,Y), K1 is K+1,
                        doup incr(X,Y,K1), chkup incr(I1,L,X,K1).
doup incr(X,Y,K1):-X1 is X+K1, Y=X1, incr hval. doup incr(,,).
di dn(8, ):=!. di dn(I,L):=nthel(I,L,X), chkdn incr(I,L,X,0), I1 is
I+1,
                               di dn(I1,L).
chkdn_incr(8, _, _, _):-!.
chkdn_incr(I,L,X,K):=I1 is I+1, nthel(I1,L,Y), K1 is K+1,
                       dodn_incr(X,Y,K1), chkdn_incr(I1,L,X,K1).
dodn incr(X,Y,K1):-X1 is X-K1, Y=X1, incr hval. dodn incr(,,).
% A procedure to find the nth element of a list
nthel(N,[|T],El):-N1 is N-1, nthel(N1,T,El).
nthel(1,[H|_],H):-!.
```

Prologue Code for H2: /*Goal configaretion*/ gtp(1,1,1). gtp(2,1,2). gtp(3,1,3). gtp(4,2,3). gtp(5,3,3). gtp(6,3,2). gtp(7,3,1). gtp(8,2,1). gblnk(2,2). /*Target configaretion*/ tp(1,1,2). tp(2,1,3). tp(3,2,1). tp(4,2,3). tp(5,3,3). tp(6,2,2). tp(7,3,2). tp(8,1,1). blnk(3,1). go:- calcH(1,[],L), sumList(L,V),write('Heuristics: '),write(V). calcH(9,X,X):-!.

 $\underline{calcH(T,X,Y)}$:- $\underline{dist(T,D)}$, $\underline{append(X,[D],X1)}$, $\underline{T1}$ is $\underline{T+1}$, $\underline{calcH(T1,X1,Y)}$.

 $\underline{\mathsf{dist}(\mathsf{T},\mathsf{V})\text{:-}\mathsf{tp}(\mathsf{T},\!\mathsf{A},\!\mathsf{B}),\,\mathsf{gtp}(\mathsf{T},\!\mathsf{C},\!\mathsf{D}),\,\mathsf{V}\;\mathsf{is}\;\mathsf{abs}(\mathsf{A}\text{-}\mathsf{C})+\mathsf{abs}(\mathsf{B}\text{-}\mathsf{D}).}$

sumList([],0):-!.

sumList(L,V):-L=[H|T], sumList(T,V1), V is V1+H.