

King Saud University College of Computer and Information Sciences Department of Information Technology

IT326- Project

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Final Report

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1.PROBLEM

There are many pets in the world that want to pick up from the shelters. but not all are equally likely to find homes. Some pets are quickly adopted, while others remain in shelters for extended periods. This brings up an important question: **what factors influence the likelihood of pet adoption in shelters?** Understanding these factors can help shelters improve adoption rates, prioritize resources, and give more pets a chance at finding a loving home.

2.DATA MINING TASK

In this project we applied Data mining task to predict the likelihood of adoption for a given pet using classification and clustering

For classification, the model will predict a pet's likelihood of adoption using features like type, breed, age, size, and health. The target attribute will be "AdoptionLikelihood."

For clustering, pets will be grouped based on similar characteristics, excluding adoption likelihood. This will reveal patterns and traits that influence adoption trends and provide insights to improve rates.

3.DATA

The source: https://www.kaggle.com/datasets/rabieelkharoua/predict-pet-adoption-status-dataset

Number of objects: 2007 Number of attributes: 13

Class Label: AdoptionLikelihood

Attributes description

- Attributes Type :
- PetID: Nominal, Unique identifier for each pet.
- PetType: Nominal, Type of pet (e.g., Dog, Cat, Bird, Rabbit).
- Breed: Nominal, Specific breed of the pet.
- AgeMonths: Numeric (Ratio), Age of the pet in months.
- Color: Nominal, Color of the pet.
- Size: Ordinal, Size category of the pet (Small, Medium, Large).
- WeightKg: Numeric (Ratio), Weight of the pet in kilograms.
- Vaccinated: Binary, Vaccination status of the pet (0 Not vaccinated, 1 Vaccinated).
- HealthCondition: Binary, Health condition of the pet (0 Healthy, 1 Medical condition).
- TimeInShelterDays: Numeric (Ratio), Duration the pet has been in the shelter (days).
- AdoptionFee: Numeric (Ratio), Adoption fee charged for the pet (in dollars).
- PreviousOwner: Binary, Whether the pet had a previous owner (0 No, 1 Yes).
- AdoptionLikelihood (class labels): Binary, Likelihood of the pet being adopted (0 Unlikely, 1 Likely).

dfl.info()

RangeIndex: 2007 entries, 0 to 2006 Data columns (total 13 columns):

#	Column	Non-Null Count Dtype
0	PetID	2007 non-null int64
1	PetType	2007 non-null object
2	Breed	2007 non-null object
3	AgeMonths	2007 non-null int64
4	Color	2007 non-null object
5	Size	2007 non-null object
6	WeightKg	2007 non-null float64
7	Vaccinated	2007 non-null int64
8	HealthCondit	ion 2007 non-null int64
9	TimeInShelte	rDays 2007 non-null int64
10	AdoptionFee	2007 non-null int64
11	PreviousOwr	ner 2007 non-null int64
12	AdoptionLik	elihood 2007 non-null int64
dty	pes: float64(1)	, int64(8), object(4)

• Missing values

print ("Missing value")
print(dfl.isna().sum())

Missing value

PetID 0 PetType 0 Breed 0 AgeMonths 0 Color 0 Size WeightKg 0 Vaccinated 0 HealthCondition 0 TimeInShelterDays 0 AdoptionFee PreviousOwner 0 AdoptionLikelihood 0

dtype: int64

No missing values

• statistical measures for numeric attributes as five number summary

Using .describe() function in python provides a quick overview of the dataset, including measures of central tendency, dispersion, and count of data points.

General Observations:

• Count: Each column has 2007 entries, meaning the dataset has no missing values.

• Averages (Mean):

- o Animals are, on average, 92.28 months old (approximately 7.7 years).
- o Their average weight is 15.71 kg.
- o 70% of the animals are vaccinated.
- o Only 19.6% of the animals have reported health issues.
- o Animals stay in the shelter for an average of 44 days.
- o The typical adoption fee is \$249.
- o About 30.2% of animals had a previous owner.
- o The average likelihood of adoption is 32.8%.

• Standard Deviation:

- o Age varies widely, with a standard deviation of 52.15 months.
- o Weight also shows considerable variation, with a standard deviation of 8.33 kg.
- o Adoption fees have a wide range, with a standard deviation of \$142.89.
- o Shelter time varies by around 25.74 days, suggesting some animals stay much longer than others.

Minimum and Maximum Values:

- o Ages range from 1 month to 179 months (almost 15 years).
- o Weights range from 1.02 kg to nearly 30 kg.
- o Adoption fees range from \$0 to \$499.
- o Shelter time spans from 1 day to a maximum of 89 days.

• Percentiles:

- o Age:
 - 25% of animals are younger than 48 months (4 years).
 - 50% (median) are younger than 94 months (7.8 years).
 - 75% are younger than 138 months (11.5 years).
- o Weight:
 - 25% weigh less than 8.73 kg.
 - 50% weigh less than 15.93 kg.
 - 75% weigh less than 22.74 kg.
- Shelter Time:
 - Half of the animals stay 45 days or less.
 - 75% stay 66 days or less, but a few stay much longer.

• Binary Columns:

- o 70% of animals are vaccinated.
- o Only 19.6% have health conditions.
- o 30% had a previous owner.
- o 33% are likely to be adopted.

In summary, most animals are middle-aged, medium-weight, healthy, and stay in the shelter for a little over a month. Many are vaccinated, and about a third have a higher chance of being adopted.

df2.describe()

	AgeMonths	WeightKg	Vaccinated	HealthCondition	TimeInShelterDays	AdoptionFee	PreviousOwner	AdoptionLikelihood
count	2007.000000	2007.000000	2007.000000	2007.000000	2007.000000	2007.000000	2007.000000	2007.000000
mean	92.279522	15.705776	0.701046	0.196313	43.974091	249.142003	0.301943	0.328351
std	52.148363	8.327749	0.457914	0.397307	25.740253	142.887040	0.459215	0.469730
min	1.000000	1.018198	0.000000	0.000000	1.000000	0.000000	0.000000	0.000000
25%	48.000000	8.730396	0.000000	0.000000	21.000000	127.000000	0.000000	0.000000
50%	94.000000	15.925416	1.000000	0.000000	45.000000	242.000000	0.000000	0.000000
75 %	138.000000	22.737180	1.000000	0.000000	66.000000	375.000000	1.000000	1.000000
max	179.000000	29.995628	1.000000	1.000000	89.000000	499.000000	1.000000	1.000000

Variance

var () measures how spread out the values in a dataset are, and it is a common statistic used to analyze data variability, as the variance increase its indicate that the values are more spread out far from the mean and lot of variation., where the decrease variance indicates that the values are close to the mean and suggests uniformity or little variation.

1. Age Variance (2719.45):

o The wide age range shows a diverse population of animals, from very young to senior.

2. Weight Variance (69.35):

o The significant variance in weight highlights a variety of animal sizes, from small breeds to large ones.

3. Vaccinated Variance (0.2097):

 The low variance indicates most animals have a similar vaccination status, with a majority being vaccinated.

4. Health Condition Variance (0.1579):

o There is some variation in health conditions, though most animals are likely healthy.

5. Time in Shelter Variance (662.56):

A high variance suggests some animals are adopted quickly, while others remain in the shelter for much longer periods.

6. Adoption Fee Variance (20416.70):

• The large spread in fees reflects varying costs, possibly influenced by the type of animal, its characteristics, or shelter policies.

7. Previous Owner Variance (0.2109):

• The variation shows a mix of animals with and without prior ownership, pointing to different backgrounds.

8. Adoption Likelihood Variance (0.2286):

The moderate variance suggests differences in how likely animals are to be adopted, likely influenced by factors such as age, size, and health.

Overall Observations:

- The dataset highlights a wide variety of animals based on their age, size, and histories.
- Most animals have consistent vaccination statuses, which is encouraging for potential adopters.
- The length of shelter stays and adoption fees show significant variation, indicating that while some animals find homes quickly, others take longer to be adopted.

```
var_data = df ["AgeMonths"].var ()
print ("AgeMonths veriance = ",var_data)

AgeMonths veriance = 2719.4517389535395

var_data = df ["WeightKg"].var ()
print ("WeightKg veriance = ",var_data)

WeightKg veriance = 69.35140643666254

var_data = df ["Vaccinated"].var ()
```

```
print ("Vaccinatedvar veriancer =", var_data)
Vaccinatedvar veriancer = 0.20968484680487
var data = df ["HealthCondition"].var ()
print ("HealthCondition veriance= " ,var_data)
HealthCondition veriance= 0.15785279934982935
var_data = df ["TimeInShelterDays"].var ()
print ("TimeInShelterDays veriance=", var data)
TimeInShelterDays veriance= 662.5606444244752
var data = df ["AdoptionFee"].var ()
print ("AdoptionFee veriance = ", var data)
AdoptionFee veriance = 20416.706146135595
var data = df ["PreviousOwner"].var ()
print ("PreviousOwner veriance = ", var data)
PreviousOwner veriance = 0.21087857503722912
var data = df ["AdoptionLikelihood"].var ()
print ("AdoptionLikelihood veriance = ", var data)
```

Graph Name Graph Picture Graph description #Histogram of AgeMonths Histogram o The histogram shows that t plt.figure(figsize=(10,6)) he dataset contains pets o f AgeMonths sns.histplot(df1['AgeMonths'],bins=5,edgecolor='black',color='lavender') f all age groups, with a r plt.title('Distribution of pet age (months)') elatively even distributio plt.xlabel('AgeMonths') n from very young to senio plt.ylabel('Frequence') r animals. This even sprea plt.show() d suggests the dataset cap Distribution of pet age (months) tures a diverse range of a nimals in terms of age. Ho wever, due to the wide ran ge of values (0 to 175 mon ths), preprocessing steps like normalization or age binning may be required to simplify analysis or ensu re consistency in machine 100 AgeMonths learning models. # Bar chart The dataset provide Bar plot fo sns.countplot(x='Size', data=df) s a balanced repres plt.title('Distribution of The size') entation of all siz Distribution of The size petType plt.show() 700 e categories, with M edium-sized animals 600 being slightly mor e common. This bala nce indicates that size is unlikely to 200 introduce bias int o analysis but may Large Small Medium Size still need encoding during preprocessi ng for machine lear ning purposes. # SCATTER PLOT: The scatter plot hi Scatter plo plt.figure(figsize=(8,6)) t of ghlights the divers $\verb|sns.scatterplot(x= 'WeightKg' , y='AgeMonths' , data = df , hue='PetType' , pal| \\$ ity in pet types, w WeightKg VS plt.title('Scatter plot of WeightKg VS. pet Age Months ') eights, and ages. W . pet Age M plt.xlabel('Pet WeightKg') Scatter plot of WeightKg VS, pet Age Months hile there is no st onths plt.ylabel('Age Months') rong correlation be plt.show() tween weight and ag e, the pet type app 125 ears to influence t hese attributes. Fu rther preprocessing , such as encoding and scaling, will b e necessary to make 15 Pet WeightKg this data suitable for deeper analysi s or modeling.

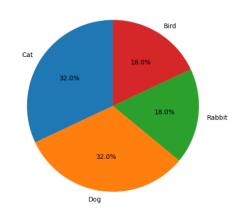
plt.show()

pie chart o f random sa mple petTyp e

```
# Take a random sample of 50 rows
data_sample = df.sample(n=50, random_state=1)
```

- # Calculate the frequency of each Pet Type in the sample
 PetType_frequency = data_sample['PetType'].value_counts(normalize=True) * 100
- # Plot the pie chart
 plt.figure(figsize=(6, 6))
 PetType_frequency.plot.pie(autopct='%1.1f%%', startangle=90)
 plt.title('The Pet Adoption Dataset Frequency for 50 Sample Data')
 plt.ylabel('')

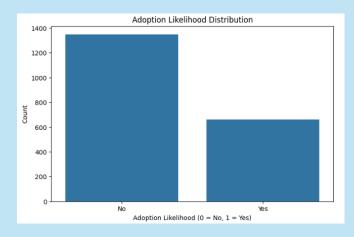
The Pet Adoption Dataset Frequency for 50 Sample Data



This distribution s uggests that cats a nd dogs might have a larger presence i n the overall datas et, which could ref lect their populari ty as pets. To prep are the dataset for analysis or modeli ng, we will use enc oding techniques, s uch as one-hot enco ding, to convert th e "PetType" categor ical variable into a numerical format. This will ensure t he pet types are pr operly represented and can be utilized in machine learnin a models.

Bar plot fo r Adoption Likelihood (classlabel)

Bar plot for Adoption Likelihood
adoption_counts = df1['AdoptionLikelihood'].value_counts()
plt.figure(figsize=(8, 5))
sns.barplot(x=adoption_counts.index, y=adoption_counts.values)
plt.title('Adoption Likelihood Distribution')
plt.xlabel('Adoption Likelihood (0 = No, 1 = Yes)')
plt.ylabel('Count')
plt.xticks(ticks=[0, 1], labels=['No', 'Yes'])
plt.show()



The bar plot highli ghts that most pets fall into the "unl ikely to be adopted " category, while f ewer are "likely to be adopted." This imbalance should be carefully consider ed during analysis and model training. Using techniques s uch as adjusting cl ass weights or focu sing on evaluation metrics like precis ion and recall can help ensure accurat e predictions witho ut needing to balan ce the data.

box plots f or 'Adoptio nFee' and ' TimeInShelt erDays'

```
# box plots for 'AdoptionFee' and 'TimeInShelterDays'
plt.figure(figsize=(10, 6))
plt.boxplot([df['AdoptionFee'], df['TimeInShelterDays']], vert=False,
labels=['Adoption Fee ', 'Time in Shelter'])
plt.title('Box Plot: Adoption Fee vs. Time in Shelter')
plt.xlabel('Value')
plt.grid(True)
plt.show()

Box Plot: Adoption Fee vs. Time in Shelter

Time in Shelter

Adoption Fee
```

Filter out the 'PetID' column along with binary columns

non_binary_columns_without_id = [

The box plot shows that adoption fees have a wide range, while shelter times are more consisten t. Both attributes are clean and lack significant outlier s, but they may req uire scaling for mo deling purposes. Ad ditionally, adoptio n fees seem to have more variability, potentially playing a more significant role in influencin g adoption outcomes

Box plots for every n umeric colu mns

```
col for col in numeric_columns
  if df[col].nunique() > 2 and col != 'PetID']

# individual box plots for non-binary numeric columns excluding 'PetID'

plt.figure(figsize=(12, len(non_binary_columns_without_id) * 2))

for i, column in enumerate(non_binary_columns_without_id, 1):
  plt.subplot(len(non_binary_columns_without_id, 1):
  plt.subplot(df[column], vert=False)
  plt.title(f'Box Plot of {column}')
  plt.xlabel('Value')
  plt.grid(True)

plt.show()

# Box Plot of AgeMonths

Box Plot of Weightig

Box Plot of TimeInShelberDays

Box Plot of AdoptionFee

Box Plot of AdoptionFee
```

The box plots revea 1 that most feature s (AgeMonths, Weigh tKg, TimeInShelterD ays, and AdoptionFe e) are clean and ha ve no significant o utliers, as there a re no points beyond the whiskers. Thes e distributions are suitable for furth er analysis, though scaling or normali zation may be neede d due to differing ranges.

4.DATA PREPROCCESSING

We chose to apply data preprocessing because it is a crucial step to ensure the quality and reliability of the mining outcome. We know that our Raw data might contains inconsistencies, missing values, or noise that needed to apply data preprocessing, and to improve the overall data quality

DATA CLEANING

1-Missing values

print ("Missing value")

print(df1.isna().sum())

Missing value PetID 0 PetType 0 0 Breed AgeMonths 0 0 Color 0 Size WeightKg 0 Vaccinated HealthCondition TimeInShelterDays 0 AdoptionFee PreviousOwner AdoptionLikelihood 0 dtype: int64

Description: Missing values are a prevalent issue in datasets that can occur for many reasons, These missing values, if not handled properly, can lead to biased analysis. hence it's important to check if we had any to handle them. But we were lucky for not having any missing value

2-duplicate rows:

duplicates = df1.duplicated()
print("Duplicate Rows (True indicates a duplicate):")
print(duplicates)

```
Duplicate Rows (True indicates a duplicate):
0
        False
        False
1
2
        False
3
        False
        False
         . . .
2002
        False
2003
        False
2004
        False
2005
        False
2006
        False
Length: 2007, dtype: bool
```

Description: Duplicate rows in a dataset occur when two or more rows contain identical values across all columns. Thus to ensure that no redundancy that will impact the efficiency. but for this one we were lucky for not having any duplicate to handle.

```
3-Outliers
```

```
age_array = df1['AgeMonths'].to_numpy()
z_score = zscore(age_array) t
hreshold = 2
outliers = [age_array[i] for i, z in enumerate(z_score) if abs(z) > threshold]
print("Outliers using Z-Score in AgeMonths column:")
print(outliers)
#Calculate Z-scores for a AdoptionFee column
AdoptionFee array = df1['AdoptionFee'].to numpy()
z_score = zscore(AdoptionFee_array)
threshold = 2
outliers = [AdoptionFee_array[i] for i, z in enumerate(z_score) if abs(z) > threshold] print("Outliers using Z-Score in AdoptionFee
column:")
print(outliers)
# Calculate Z-scores for a TimeInShelterDays column
TimeInShelterDays_array=df1['TimeInShelterDays'].to_numpy()
z_score = zscore(TimeInShelterDays_array)
threshold = 2
outliers = [TimeInShelterDays_array[i] for i, z in enumerate(z_score) if abs(z) > threshold] print("Outliers using Z-Score in
TimeInShelterDays column:")
print(outliers)
                                                                                                                  # Calculate Z-
scores for a WeightKg column
WeightKg_array = df1['WeightKg'].to_numpy() z_score = zscore(WeightKg_array)
threshold = 2
outliers = [WeightKg_array[i] for i, z in enumerate(z_score) if abs(z) > threshold]
print("Outliers using Z-Score in WeightKg column:")
print(outliers)
Outliers using Z-Score in AgeMonths column:
Outliers using Z-Score in AdoptionFee column:
Outliers using Z-Score in TimeInShelterDays column:
П
Outliers using Z-Score in WeightKg column:
```

Description: Outliers are data points that deviate significantly from the dataset, that either offering insights or distorting analysis and model performance. But as we can see there are no outlier to apply any techniques to handle it

Now after ensuring there are no data needed to clean we will move on to the transformation

DATA TRANSFORMATION

column_to_normilaize=['WeightKg','AdoptionFee']

Data transformation involves converting raw data into a more suitable format or structure for analysis or modeling. This step is essential for improving Data uniformity, and enhanced clarity.

1-Normalization:

```
data_to_normalize = df1[column_to_normilaize]
minmax_scaler = MinMaxScaler()
normalized_data_minmax = minmax_scaler.fit_transform(data_to_normalize) df1[column_to_normilaize] = normalized_data_minmax
```

```
print("Min-Max scaled data")
```

```
print(df1)
```

```
Min-Max scaled data
  PetID PetType
                     Breed AgeMonths Color Size WeightKg \
0
    500 Bird
                  Parakeet
                             131 Orange Large 0.138783
1
    501 Rabbit
                    Rabbit
                              73 White Large 0.520009
    502 Dog Golden Retriever
                                 136 Orange Medium 0.036514
3
    503 Bird
                  Parakeet
                              97 White Small 0.080105
    504 Rabbit
                    Rabbit
                             123 Gray Large 0.672244
                       ... ...
   ... ...
                                72 Orange Small 0.897969
2002 2502 Dog
                     Poodle
                                124 Brown Small 0.127988
2003 2503 Rabbit
                      Rabbit
2004 2504 Rabbit
                       Rabbit
                                113 Orange Small 0.025551
                     Labrador
2005 2505 Dog
                                    Gray Large 0.688239
2006 2506 Rabbit
                       Rabbit
                                126 White Medium 0.603973
  Vaccinated HealthCondition TimeInShelterDays AdoptionFee \
0
       1
                0
                         27
                             0.280561
       0
                0
1
                         8
                            0.470942
2
       0
                0
                         85
                             0.771543
                             0.434870
3
       0
                0
                         61
4
       0
                0
                         28
                             0.028056
                               0.052104
2002
         1
                  0
                           66
2003
         1
                           59
                               0.300601
                  1
2004
         1
                  0
                           68
                               0.605210
2005
                  0
                           59
                               0.957916
         1
2006
         1
                  0
                           10
                               0.535070
  PreviousOwner AdoptionLikelihood
0
         0
                   0
         0
                   0
1
2
         0
                   0
3
                   0
         1
4
         1
                   0
2002
           1
                     1
2003
           0
                     0
2004
           0
                     0
2005
           0
                     0
```

[2007 rows x 13 columns]

1

0

2006

Description: Normalization is a data preprocessing technique used to scale numerical features to a standard range. By normalizing **WeightKg** and **AdoptionFee**, we ensure that different features can be compared by making it fall in the range[0,1] using MinMaxScaler method

2-Discretization

```
 \begin{array}{l} \text{column\_to\_discretize} = \text{['AgeMonths', 'TimeInShelterDays']} \\ \text{age\_bins} = \text{[0, 6, 12, 24, 60, 120, 180]} \\ \text{age\_labels} = \text{['1-6 months', '7-12 months', '13-24 months', '25-60 months', '61-120 months', '121-180 months']} \\ \text{df1['AgeMonths']} = \text{pd.cut(df1['AgeMonths'], bins=age\_bins, labels=age\_labels, right=True)} \\ \text{\# For TimeInShelterDays} \\ \text{shelter\_bins} = \text{[0, 10, 30, 60, 90]} \\ \end{array}
```

```
shelter_labels = ['Very Short Stay', 'Short Stay', 'Medium Stay', 'Long Stay']
df1['TimeInShelterDays'] = pd.cut(df1['TimeInShelterDays'], bins=shelter\_bins, labels=shelter\_labels, right=False)
# Display the updated DataFrame
print(df1[['AgeMonths', 'TimeInShelterDays']])
    AgeMonths TimeInShelterDays
  121-180 months
                      Short Stay
1
   61-120 months Very Short Stay
2
  121-180 months
                      Long Stay
   61-120 months
                      Long Stav
4 121-180 months
                      Short Stay
       ...
2002 61-120 months
                        Long Stay
2003 121-180 months
                       Medium Stay
2004 61-120 months
                        Long Stay
2005 7-12 months
                     Medium Stay
2006 121-180 months
                        Short Stay
```

[2007 rows x 2 columns]

Description:

Discretization is the process of converting continuous numerical data into discrete categories or intervals (bins). discretizing this variable helps to categorize pets into <u>age</u> and <u>TimeInShelterDays</u> groups and shelter duration ranges. This is beneficial for improving model performance by reducing the complexity of inputs, which can help algorithms find patterns more efficiently.

3-Encoding

```
from sklearn.preprocessing import LabelEncoder
import pandas as pd
from scipy import stats
le = LabelEncoder()
df1['PetType']=le.fit_transform(df1['PetType'])
df1['Size']=le.fit_transform(df1['Size'])
df1['Breed']=le.fit_transform(df1['Breed']) print(df1)
  PetID PetType Breed AgeMonths Color Size WeightKg \
   500
          0 2 121-180 months Orange 0 0.138783
n
1
   501
          3 5 61-120 months White 0 0.520009
2
   502
          2 0 121-180 months Orange 1 0.036514
          0 2 61-120 months White 2 0.080105
3
   503
   504
          3 5 121-180 months Gray 0 0.672244
                  ... ... ...
2002 2502 2 4 61-120 months Orange 2 0.897969
2003 2503
             3 5 121-180 months Brown 2 0.127988
             3 5 61-120 months Orange 2 0.025551
2004 2504
2005 2505
             2 1 7-12 months Gray 0 0.688239
2006 2506
             3 5 121-180 months White 1 0.603973
  Vaccinated HealthCondition TimeInShelterDays AdoptionFee \
0
                  Short Stay 0.280561
      1
1
      0
              0 Very Short Stay 0.470942
2
      0
                   Long Stay 0.771543
3
      0
              0
                   Long Stay 0.434870
4
      0
              0
                  Short Stay 0.028056
        1
                0
                     Long Stay 0.052104
2002
         1
                1
                    Medium Stay 0.300601
2003
                0
                     Long Stay 0.605210
2004
```

20	005	1	0	Medium Sta	y 0.95791
20	006	1	0	Short Stay	0.535070
				,	
	D		^		
	Previ	ousov	vner Add	ptionLikeliho	ooa
0		0	0		
1		0	0		
2		0	0		
3		1	0		
4		1	0		
20	002	1	1		
20	003	0	C)	
20	004	0	C)	
20	005	0	C)	
20	006	1	0)	

[2007 rows x 13 columns]

Description: Encoding is a data transformation technique used to convert categorical data into a numerical format, it ensures that categorical data is both compatible with models and retains its meaningfulness in numerical analysis.

PetType: types like "Dog," "Cat," etc. Encoding allows the model to understand these categories as distinct groups.

<u>Size</u>: Similarly, sizes like "Small," "Medium," and "Large" are converted into numerical values, enabling the model to analyze their impact on adoption likelihood.

Breed: With many different breeds, encoding helps represent this information numerically.

Without encoding, these categorical variables would be ignored or improperly handled, severely limiting the model's ability to learn from the data and produce reliable results.

FEATURE SELECTION

1-Filter FS Method using univarince metho

How It Works: Evaluates features independently using statistical tests.

```
X = df2.drop(columns=['AdoptionLikelihood'])
y = df2['AdoptionLikelihood']
X = pd.get_dummies(X, drop_first=True) #converted to a numerical format using
one-hot encoding, which is necessary for the model.

# Split the data into training and testing sets
#70% of the data is used for training, 30% for testing
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.3,
random_state=42)

# Initialize the Logistic Regression model
model = LogisticRegression(max_iter=1000, random_state=42) #allows the model more
iterations to find the best solution if needed. for random state its the most
papular used

num_features_to_select = 4 # select 4 top feature, It fits the model to the
training data and starts eliminating less important features.
```

Initialize RFE for feature selection

```
selector = RFE(estimator=model, n_features_to_select=num_features_to_select)
selector.fit(X_train, y_train)

# Transform the data for selected features
X_train_selected = selector.transform(X_train)
X_test_selected = selector.transform(X_test)

# Train the model with selected features
model.fit(X_train_selected, y_train)

# Evaluate accuracy
y_pred = model.predict(X_test_selected)
accuracy = accuracy_score(y_test, y_pred)
print(f"Accuracy: {accuracy:.2f}")

# Print selected features and their ranking
print("Selected Features:", selected features.tolist())
```

Conclusion: filter method successfully identified four important features that significantly contribute to the model's predictive performance, achieving an accuracy of 83%. This method is good for initial feature selection but does not consider feature interactions.

```
Selected Features:
Index(['AgeMonths', 'HealthCondition', 'Breed_Labrador', 'Size_Medium'], d
type='object')
Accuracy of the model with selected features: 0.8275290215588723
```

2-Wrapper method (recursive feature elimination)

How It Works: Trains a model, removes least important features iteratively.

```
X = df2.drop(columns=['AdoptionLikelihood'])
y = df2['AdoptionLikelihood']
X = pd.get_dummies(X, drop_first=True) #converted to a numerical format using
one-hot encoding, which is necessary for the model.

# Split the data into training and testing sets
#70% of the data is used for training , 30% for testing
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.3,
random_state=42)

# Initialize the Logistic Regression model
model = LogisticRegression(max_iter=1000, random_state=42) #allows the model more
iterations to find the best solution if needed. for random state its the most
papular used

num_features_to_select = 4 # select 4 top feature , It fits the model to the
training data and starts eliminating less important features.

# Initialize RFE for feature selection
```

selector = RFE(estimator=model, n_features_to_select=num_features_to_select)

```
selector.fit(X_train, y_train)
# Transform the data for selected features
X_train_selected = selector.transform(X_train)
X_test_selected = selector.transform(X_test)
# Train the model with selected features
model.fit(X_train_selected, y_train)
# Evaluate accuracy
y_pred = model.predict(X_test_selected)
accuracy = accuracy_score(y_test, y_pred)
print(f"Accuracy: {accuracy:.2f}")
# Print selected features and their ranking
print("Selected Features:", selected_features.tolist())

Accuracy: 0.89
Selected Features: ['AgeMonths', 'HealthCondition', 'Breed_Labrador', 'Size_Medium']
```

Conclusion: it select the same selected features as the filter method but achieved a higher accuracy of 89%. This indicates that RFE is effective in identifying the most relevant features while considering their interactions.

3-Embedded FS Method L1 Regularization.

How It Works: Combines feature selection with model training (e.g., Lasso).

```
# Convert categorical variables to numerical to helps the model understand the
data
df2 = pd.get dummies(df2, drop first=True)
# Define features and target variable
x = df2.drop(columns=['AdoptionLikelihood'])
y = df2['AdoptionLikelihood']
# Split the data into training and testing sets
#70% of the data is used for training , 30% for testing
x train, x test, y train, y test = train_test_split(x, y, test_size=0.3,
random state=42)
# Standardize the features for equal weight
scaler = StandardScaler()
x train scaled = scaler.fit transform(x train)
x test scaled = scaler.transform(x test)
# Create and fit the Lasso model
model = Lasso(alpha=0.1)
model.fit(x train scaled, y train)
```

```
# identifies which features were selected based on their coefficients
#Features with non-zero coefficients are considered important for the model.
selected_features = x.columns[model.coef_ != 0]
print("Selected Features:", selected_features)

# Make predictions to calculate the accuracy
y_pred = model.predict(x_test_scaled)
y_pred_binary = (y_pred > 0.5).astype(int)
accuracy = accuracy_score(y_test, y_pred_binary)
print("Accuracy with selected features:", accuracy)

Selected Features: Index(['Vaccinated', 'HealthCondition', 'Breed_Labrador', 'Siz e_Medium'], dtype='object')
Accuracy with selected features: 0.857379767827529
```

Conclusion: The embedded method selected a slightly different set of features, including Vaccinated instead of AgeMonths. It achieved an accuracy of 86%, demonstrating that L1 regularization can effectively identify important features while maintaining strong predictive performance.

And after trying all these three features selection we ended choosing the Wrapper Method (RFE) since it gave the highest accuracy

CONTINGENCY TABLE

```
#contingency table
contingency table = pd.crosstab(df1['PetType'], df1['Breed'])
print("Contingency Table:")
print(contingency table)
# Perform the Chi-Square test
chi2 stat, p value, dof, expected = chi2 contingency(contingency table)
print("\nChi-Square Statistics:", chi2 stat)
print("Degrees of Freedom:", dof)
print("Expected Frequencies:")
print(expected)
# Set alpha level
alpha = 0.05
print("\nAlpha Level:", alpha)
# Check if we reject the null hypothesis
if p value < alpha:
   print ("Reject the null hypothesis: There is a significant association between PetType
and Breed.")
    print ("Fail to reject the null hypothesis: There is no significant association
between PetType and Breed.")
```

Contingency Table:

Breed	0	1	2	3	4	5	6
PetType							
0	0	0	487	0	0	0	0
1	0	0	0	252	0	0	253
2	162	193	0	0	167	0	0
3	0	0	0	0	0	493	0

```
Chi-Square Statistics: 6021.0
Degrees of Freedom: 18
Expected Frequencies:
[[ 39.30941704
                46.83158944 118.17090184
                                          61.14798206 40.52267065
  119.62680618
                61.390632791
                48.56253114 122.53861485
 [ 40.76233184
                                          63.40807175
                                                        42.0204285
  124.04833084
                63.65969108]
 [ 42.13452915
               50.19730942 126.66367713
                                          65.5426009
                                                        43.43497758
  128.22421525 65.80269058]
 [ 39.79372197
                47.40857
                            119.62680618
                                          61.90134529
                                                        41.02192327
  121.10064773
                62.14698555]]
```

Alpha Level: 0.05

Reject the null hypothesis: There is a significant association between Pet Type and Breed.

During our correlation analysis, given the significant Chi-Square statistic, we observed a significant relationship between the variables PetType and Breed. and since every pet have one breed only unless the Dog and the Cat breeds have the approximately the same number. We decided to select only one of these correlated variables to reduce redundancy in our dataset and simplify our model, we will select the more relevant variable for our analysis "PetType".hence we remove the Breed column

Removing 'Breed' column

```
print("Before dropping 'Breed' column:")
print(df1.head())
# Drop the 'Breed' column
df1.drop(columns=['Breed'], inplace=True)
# Display the first few rows of the dataset after dropping the column
print("\nAfter dropping 'Breed' column:")
print(df1.head())
Before dropping 'Breed' column:
   PetID PetType Breed
                                            Color Size WeightKg Vaccinated
                               AgeMonths
0
     500
                0
                       2 121-180 months Orange
                                                         0.138783
                                                      0
                                                                             1
1
     501
                3
                       5
                           61-120 months
                                            White
                                                      0
                                                         0.520009
                                                                             0
                                                                             0
2
     502
                2
                       0 121-180 months Orange
                                                      1 0.036514
3
     503
                0
                       2
                           61-120 months
                                            White
                                                      2
                                                         0.080105
                                                                             0
     504
                3
                       5
                          121-180 months
4
                                             Gray
                                                         0.672244
                                                                             0
   HealthCondition TimeInShelterDays AdoptionFee PreviousOwner
0
                                          0.280561
                                                                 0
                 0
                          Short Stay
1
                 0
                                          0.470942
                                                                 0
                     Very Short Stay
2
                 0
                           Long Stay
                                          0.771543
                                                                 0
3
                 0
                           Long Stay
                                          0.434870
                                                                 1
4
                 0
                          Short Stay
                                          0.028056
```

	AdoptionLikelihood
0	0
1	0
2	0
3	0
4	0

After dropping 'Breed' column:

	PetID	PetType	AgeMonths	Color	Size	WeightKg	Vaccinated	\
0	500	0	121-180 months	Orange	0	0.138783	1	
1	501	3	61-120 months	White	0	0.520009	0	
2	502	2	121-180 months	Orange	1	0.036514	0	
3	503	0	61-120 months	White	2	0.080105	0	
4	504	3	121-180 months	Grav	0	0.672244	0	

	HealthCondition	TimeInShelter	Days	AdoptionFee	PreviousOwner	\
0	0	Short	Stay	0.280561	0	
1	0	Very Short	Stay	0.470942	0	
2	0	Long	Stay	0.771543	0	
3	0	Long	Stay	0.434870	1	
4	0	Short	Stay	0.028056	1	

AdoptionLikelihood

0	0
1	0
2 3	0
3	0
4	0

5.DATA MINING TECHNIQUE

We utilized a dataset containing various features related to pets available for adoption, We employed both supervised and unsupervised learning techniques to analyze the data.

• Classification

Supervised Learning: Classification

For our classification task, we used a Decision Tree algorithm. This recursive method creates a tree structure where each leaf node represents a final decision regarding the likelihood of adoption. We trained our model to predict whether a pet is likely to be adopted based on features such as age, size, and health conditions.

To prepare our data, we split the dataset into training and testing subsets. We experimented with three different training sizes: 70%, 60%, and 80%, and evaluated the model using two attribute selection measures—Information Gain (Entropy) and Gini Index. Model performance was assessed using accuracy and a confusion matrix, which summarizes key performance metrics like sensitivity, specificity, precision, and error

Reasons for choosing partition

- -Reasons for Using 80% Training and 20% Testing
- By allocating 80% of the dataset to training, the model has enough data to learn patterns and generalize well, particularly for larger datasets or complex models.
- A 20% test set ensures the model's performance is evaluated on a substantial and diverse set of unseen data, providing reliable insights into its generalization capabilities
- -Reasons for Using 70% Training and 30% Testing

70% Training: Provides enough data for the model to learn patterns effectively, especially for larger datasets, without overwhelming the algorithm with too much data or overfitting to the training set.

• 30% Testing: Ensures sufficient data is available to evaluate the model's performance on unseen data, which gives a reliable indication of how the model will generalize in real-world scenarios.

-Reasons for Using 60% Training and 40% Testing

The larger test set (40%) allows for a thorough and diverse evaluation of the model. In cases where the model needs to handle rare or edge cases, a bigger test set ensures that these scenarios are well-represented and the model's robustness is properly assessed.

Ensuring Reliable Performance Metrics

By having a substantial 40% of the data reserved for testing, I can ensure that the performance metrics (e.g., accuracy, precision, recall) are more reliable and reflective of how the model will perform in real-world situations.

Python Packages and Libraries Used:

1. sklearn.tree.DecisionTreeClassifier

- o **Purpose:** Used to create and train the decision tree model.
- Functions Used:
 - DecisionTreeClassifier(): Creates the decision tree model.
 - plot tree(): Visualizes the decision tree structure.

2. sklearn.model selection.train test split

- o **Purpose:** Splits the dataset into training and testing sets to evaluate the model.
- Function Used:
 - train_test_split(): Divides the dataset into specified proportions for training and testing.

3. sklearn.metrics

- o **Purpose:** Provides metrics to evaluate the model's performance.
- Functions Used:
 - accuracy_score(): Calculates the model's accuracy.
 - confusion_matrix(): Computes the confusion matrix for evaluating classification performance.
 - ConfusionMatrixDisplay(): Visualizes the confusion matrix as a plot.

4. sklearn.tree

- o **Purpose:** Offers utilities for working with decision trees.
- Functions Used:
 - plot tree(): Generates a visualization of the trained decision tree.

5. matplotlib.pyplot

- o **Purpose:** Provides tools for plotting and visualizing data.
- Functions Used:
 - plt.show(): Displays plots, including the decision tree and confusion matrix.

```
#split dataset in features and target variable
fn=df2.keys().tolist()[:-1]
X=df2[fn]
y=df2['AdoptionLikelihood']

from sklearn.preprocessing import LabelEncoder
encoder =LabelEncoder()
for col in X.select_dtypes('object').columns:
    X.loc[:,col]=encoder.fit_transform(X[col])
```

```
# Initialize classifiers with both Gini and Entropy criteria
dt gini = DecisionTreeClassifier(criterion='gini', random state=1)
dt entropy = DecisionTreeClassifier(criterion='entropy', random state=1)
Partition: 20.0 Test - 80.0 Train
# Split data for the partition size
X train, X test, y train, y test = train test split(X, y, test size=0.2,
random state=1)
# Train and evaluate with Gini index
clf=dt gini.fit(X train, y train)
y pred gini = dt gini.predict(X test)
accuracy_gini = accuracy_score(y_test, y_pred_gini)
# Error Rate
error rate = 1 - accuracy gini
cm gini = confusion matrix(y test, y pred gini)
# Sensitivity (Recall) and Specificity require TN, FP, FN, TP:
TP = cm gini[1, 1]
TN = cm gini[0, 0]
FP = cm gini[0, 1]
FN = cm gini[1, 0]
# Sensitivity (Recall )
sensitivity = TP / (TP + FN)
# Specificity
specificity = TN / (TN + FP)
# Precision
precision = TP / (TP + FP)
print("Gini Index:")
print("Accuracy:", accuracy gini)
print("Error Rate:", error rate)
print("Sensitivity:", sensitivity)
print("Specificity:", specificity)
print("Precision:", precision)
print("Confusion Matrix:\n", cm gini)
cn=df2['AdoptionLikelihood'].unique()
disp=ConfusionMatrixDisplay.from estimator(clf, X test, y test, display labels=cn)
# Plot the decision tree Gini Index
plt.figure(figsize=(15, 15), dpi=600)
class names = df2['AdoptionLikelihood'].astype(str).unique()
plot tree(clf, filled=True, feature names=fn, class names=class names)
plt.title("Decision Tree Gini Index")
plt.show()
# Train and evaluate with Entropy (Information Gain)
clf=dt entropy.fit(X train, y train)
y_pred_entropy = dt_entropy.predict(X test)
accuracy entropy = accuracy score(y test, y pred entropy)
error rate = 1 - accuracy entropy
```

```
cm_entropy = confusion_matrix(y_test, y pred entropy)
# Sensitivity (Recall) and Specificity require TN, FP, FN, TP:
TP = cm entropy[1, 1]
TN = cm entropy[0, 0]
FP = cm entropy[0, 1]
FN = cm entropy[1, 0]
# Sensitivity (Recall )
sensitivity = TP / (TP + FN)
# Specificity
specificity = TN / (TN + FP)
# Precision
precision = TP / (TP + FP)
print("Entropy (Information Gain):")
print("Accuracy: ",accuracy entropy)
print("Error Rate:", error rate)
print("Sensitivity:", sensitivity)
print("Specificity:", specificity)
print("Precision:", precision)
print("Confusion Matrix:\n", cm entropy)
cn=df2['AdoptionLikelihood'].unique()
disp=ConfusionMatrixDisplay.from estimator(clf, X test, y test, display labels=cn)
# Plot the decision Entropy tree
plt.figure(figsize=(15, 15), dpi=600)
class names = df2['AdoptionLikelihood'].astype(str).unique()
plot tree(clf, filled=True, feature names=fn, class names=class names)
plt.title("Decision Tree Entropy")
plt.show()
Partition: 30.0 Test - 70.0 Train
X train, X test, y train, y test = train test split(X, y, test size=0.30,
random state=1)
# Train and evaluate with Gini index
clf=dt gini.fit(X train, y train)
y pred gini = dt gini.predict(X test)
accuracy gini = accuracy score(y test, y pred gini)
# Error Rate
error rate = 1 - accuracy gini
```

cm gini = confusion matrix(y test, y pred gini)

TP = cm gini[1, 1]TN = cm gini[0, 0]FP = cm gini[0, 1] $FN = cm_gini[1, 0]$

Specificity

Sensitivity (Recall)

sensitivity = TP / (TP + FN)

specificity = TN / (TN + FP)

Sensitivity (Recall) and Specificity require TN, FP, FN, TP:

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```
precision = TP / (TP + FP)
print("Gini Index:")
print("Accuracy:",accuracy gini)
print("Error Rate:", error rate)
print("Sensitivity:", sensitivity)
print("Specificity:", specificity)
print("Precision:", precision)
print("Confusion Matrix:\n", cm gini)
cn=df2['AdoptionLikelihood'].unique()
disp=ConfusionMatrixDisplay.from estimator(clf, X test, y test, display labels=cn)
# Plot the decision tree Gini Index
plt.figure(figsize=(15, 15), dpi=600)
class names = df2['AdoptionLikelihood'].astype(str).unique()
plot tree(clf, filled=True, feature names=fn, class names=class names)
plt.title("Decision Tree Gini Index")
plt.show()
# Train and evaluate with Entropy (Information Gain)
clf=dt entropy.fit(X train, y train)
y pred entropy = dt entropy.predict(X test)
accuracy entropy = accuracy score(y_test, y_pred_entropy)
# Error Rate
error rate = 1 - accuracy entropy
cm entropy = confusion matrix(y test, y pred entropy)
# Sensitivity (Recall) and Specificity require TN, FP, FN, TP:
TP = cm entropy[1, 1]
TN = cm entropy[0, 0]
FP = cm entropy[0, 1]
FN = cm entropy[1, 0]
# Sensitivity (Recall )
sensitivity = TP / (TP + FN)
# Specificity
specificity = TN / (TN + FP)
# Precision
precision = TP / (TP + FP)
print("Entropy (Information Gain):")
print("Accuracy: ",accuracy entropy)
print("Error Rate:", error rate)
print("Sensitivity:", sensitivity)
print("Specificity:", specificity)
print("Precision:", precision)
print("Confusion Matrix:\n", cm entropy)
cn=df2['AdoptionLikelihood'].unique()
disp=ConfusionMatrixDisplay.from_estimator(clf, X_test, y_test, display_labels=cn)
# Plot the decision Entropy tree
plt.figure(figsize=(15, 15), dpi=600)
class names = df2['AdoptionLikelihood'].astype(str).unique()
plot tree(clf, filled=True, feature names=fn, class names=class names)
```

```
plt.title("Decision Tree Entropy")
plt.show()
Partition: 40.0 Test - 60.0 Train
X train, X test, y train, y test = train test split(X, y, test size=0.4,
random state=1)
# Train and evaluate with Gini index
clf=dt gini.fit(X train, y train)
y pred gini = dt gini.predict(X test)
accuracy gini = accuracy score(y test, y pred gini)
# Error Rate
error rate = 1 - accuracy_gini
cm gini = confusion matrix(y test, y pred gini)
# Sensitivity (Recall) and Specificity require TN, FP, FN, TP:
TP = cm gini[1, 1]
TN = cm gini[0, 0]
FP = cm gini[0, 1]
FN = cm gini[1, 0]
# Sensitivity (Recall )
sensitivity = TP / (TP + FN)
# Specificity
specificity = TN / (TN + FP)
# Precision
precision = TP / (TP + FP)
print("Gini Index:")
print("Accuracy:",accuracy gini)
print("Error Rate:", error rate)
print("Sensitivity:", sensitivity)
print("Specificity:", specificity)
print("Precision:", precision)
print("Confusion Matrix:\n", cm gini)
cn=df2['AdoptionLikelihood'].unique()
disp=ConfusionMatrixDisplay.from estimator(clf, X test, y test, display labels=cn)
# Plot the decision tree Gini Index
plt.figure(figsize=(15, 15), dpi=600)
class names = df2['AdoptionLikelihood'].astype(str).unique()
plot tree(clf, filled=True, feature names=fn, class names=class names)
plt.title("Decision Tree Gini Index")
plt.show()
# Train and evaluate with Entropy (Information Gain)
clf=dt entropy.fit(X train, y train)
y pred entropy = dt entropy.predict(X test)
accuracy_entropy = accuracy_score(y_test, y_pred_entropy)
# Error Rate
error rate = 1 - accuracy entropy
cm_entropy = confusion_matrix(y_test, y_pred_entropy)
# Sensitivity (Recall) and Specificity require TN, FP, FN, TP:
TP = cm entropy[1, 1]
```

```
TN = cm entropy[0, 0]
FP = cm entropy[0, 1]
FN = cm entropy[1, 0]
# Sensitivity (Recall )
sensitivity = TP / (TP + FN)
# Specificity
specificity = TN / (TN + FP)
# Precision
precision = TP / (TP + FP)
print("Entropy (Information Gain):")
print("Accuracy: ",accuracy entropy)
print("Error Rate:", error_rate)
print("Sensitivity:", sensitivity)
print("Specificity:", specificity)
print("Precision:", precision)
# Plot the decision Entropy tree
plt.figure(figsize=(20, 20), dpi=700)
class names = df2['AdoptionLikelihood'].astype(str).unique()
plot tree(clf, filled=True, feature names=fn, class names=class names)
plt.title("Decision Tree Entropy")
plt.show()
```

Clustering

Clustering Technique Used: K-Means

Overview of K-Means:

K-Means is a widely used clustering algorithm that partitions the dataset into k distinct clusters.

The algorithm minimizes the within-cluster sum of squares (WCSS) to form compact and well-separated clusters. Each cluster is represented by its centroid, and data points are assigned to the nearest centroid.

We use it to It is computationally efficient and can handle large datasets, making it suitable for this dataset's size.

Python Packages and Libraries Used:

1. scikit-learn:

- o Purpose:
 - Used to perform K-Means clustering and evaluate the clustering results.
- Functions Used:
 - KMeans: For clustering implementation.
 - silhouette score: For evaluating the clustering quality.
- 2. matplotlib:
- Purpose:
 - For visualizing the clustering results and evaluation metrics such as the Elbow Method and Silhouette Scores.
- Functions Used:
 - o plot: To visualize the WCSS vs. kk (Elbow Method) and Silhouette Scores for different kk.
 - o scatter: For plotting clusters in reduced-dimensional space.
- 3. yellowbrick:
- Purpose:
 - o To visualize the Silhouette analysis for different numbers of clusters.
- Functions Used:
 - o Silhouette Visualizer: For plotting the silhouette score visualization.
- 4. pandas and numpy:
- Purpose:
 - o For data manipulation and preprocessing before applying the clustering algorithm.
- 5. scikit-learn.preprocessing:
- Purpose:

o For data standardization and normalization, ensuring all features contribute equally to the clustering process.

Evaluation Methods:

1. Elbow Method:

- o Used to determine the optimal number of clusters by plotting WCSS against kk.
- o The "elbow point" indicates where increasing k yields diminishing returns.

2. Silhouette Score:

Measures how well-separated the clusters are, with higher scores indicating better-defined clusters.

```
import pandas as pd
   from sklearn.cluster import KMeans
   from sklearn.preprocessing import StandardScaler
   import matplotlib.pyplot as plt
features = df2.drop(columns=['AdoptionLikelihood'], axis=1)
scaler = StandardScaler()
scaled features = scaler.fit transform(features)
pet scaled = pd.DataFrame(scaled features , columns=features.columns)
print("Scaled DataFrame:")
print(pet scaled)
from sklearn.metrics import silhouette score
inertia values = []
k \text{ range} = \text{range}(1, 11) \# \text{Test for } k \text{ from } 1 \text{ to } 10
for k in k range:
    kmeans = KMeans(n clusters=k, random state=42)
    kmeans.fit(scaled features) # Use your normalized features
    inertia values.append(kmeans.inertia )
plt.figure(figsize=(8, 5))
plt.plot(k range, inertia values, marker='o')
plt.title("Elbow Method Using Inertia")
plt.xlabel("Number of Clusters (k)")
plt.ylabel("Inertia (WCSS)")
plt.xticks(k range)
plt.grid()
plt.show()
silhouette scores = []
k range = range(2, 11) # Start from 2 clusters (k=1 is meaningless for silhouette)
for k in k range:
    kmeans = KMeans(n clusters=k, random state=42)
    labels = kmeans.fit predict(scaled features)
    score = silhouette score(scaled features, labels)
    silhouette_scores.append(score)
```

```
plt.figure(figsize=(8, 5))
plt.plot(k_range, silhouette_scores, marker='o')
plt.title("Silhouette Scores for K-Means Clustering")
plt.xlabel("Number of Clusters (k)")
plt.ylabel("Silhouette Score")
plt.show()
                  Silhouette Scores for K-Means Clustering
                                                                                      Elbow Method Using Inertia
 0.14
                                                                 26000
                                                                 24000
 0.13
o.112 O.112
                                                               Inertia (WCSS)
00000
00000
                                                                 18000
 0.10
                                                                 16000
                        5 6 7
Number of Clusters (k)
                                                      10
                                                                                     4 5 6
Number of Clusters (k)
```

```
import pandas as pd
from sklearn.cluster import KMeans
from sklearn.preprocessing import StandardScaler
import matplotlib.pyplot as plt
features = df2[['AgeMonths', 'WeightKg']]
scaler = StandardScaler()
scaled features = scaler.fit transform(features)
pet scaled = pd.DataFrame(scaled features , columns=features.columns)
print("Scaled DataFrame:")
print(pet scaled)
inertia values = []
k \text{ range} = \text{range}(1, 11) \# \text{ Test for } k \text{ from } 1 \text{ to } 10
for k in k range:
    kmeans = KMeans(n clusters=k, random state=42)
    kmeans.fit(scaled features) # Use your normalized features
    inertia values.append(kmeans.inertia )
plt.figure(figsize=(8, 5))
plt.plot(k range, inertia values, marker='o')
                                                                      Elbow Method Using Inertia
plt.title("Elbow Method Using Inertia")
plt.xlabel("Number of Clusters (k)")
                                                        3500
plt.ylabel("Inertia (WCSS)")
plt.xticks(k range)
                                                        3000
plt.grid()
                                                       2500
plt.show()
                                                        2000
                                                        1000
                                                        500
                                                                         5 6
Number of Clusters (k)
from sklearn.metrics import silhouette score
silhouette scores = []
k range = range(2, 11)  # Start from 2 clusters (k=1 is meaningless for silhouette)
for k in k range:
    kmeans = KMeans(n clusters=k, random state=42)
    labels = kmeans.fit predict(scaled features)
    score = silhouette score(scaled features, labels)
    silhouette scores.append(score)
plt.figure(figsize=(8, 5))
                                                                      Silhouette Scores for K-Means Clustering
plt.plot(k range, silhouette scores, marker='o')
                                                          0.50
plt.title("Silhouette Scores for K-Means
Clustering")
                                                          0.48
plt.xlabel("Number of Clusters (k)")
                                                          0.46
plt.ylabel("Silhouette Score")
plt.show()
                                                          0.44
                                                          0.42
                                                          0.40
                                                          0.38
                                                                           Number of Clusters (k)
```

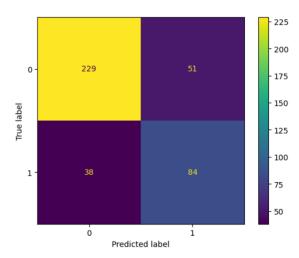
6.EVALUATION AND COMPARSION

classification:

Gini index:

• 80 % training set 20% testing set:

Confusion Matrix:



The confusion matrix represents the performance measurement of the classification model. In this case, we have a 2x2 confusion matrix where each row represents the actual classification, and each column represents the predicted classification. From the results, it appears:

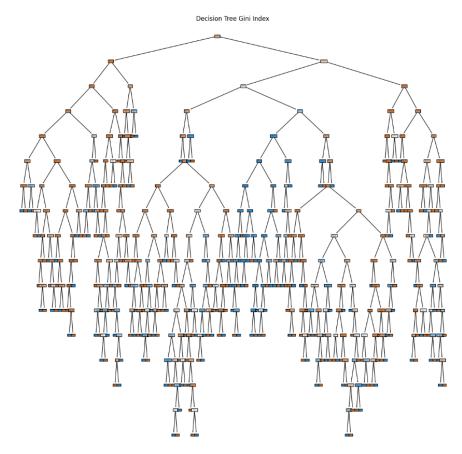
The top-left cell: (229) represents the number of instances of the negative class correctly classified as negative (TN).

The top-right cell: (51) represents the number of instances of the negative class incorrectly classified as positive (FP).

The bottom-left cell: (38) represents the number of instances of the positive class incorrectly classified as negative (FN).

The bottom-right cell: (84) represents the number of instances of the positive class correctly classified as positive (TP)

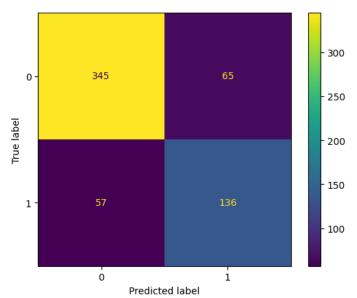
Decision tree:



In this tree, the splitting process begins with the criterion of Vaccinated, where samples are segregated based on their Vaccinated values. The selection of features at each node is determined by their Gini Index. Following the split on Vaccinated, the tree considers the AgeMonths, dividing samples accordingly. Subsequently, HealthCondition is examined, leading to further division of samples. This splitting procedure persists for each attribute, guided by their respective values at each level, until reaching the leaf nodes. These leaf nodes act as terminal points, providing the final classification (whether it likely adopted or Unlikely) based on the path followed through the tree

• 70% training set 30% testing set:

Confusion Matrix:



As we shown we used confusion matrix to summarizes the basic measures for performance evaluation This matrix is a 2x2 array where:

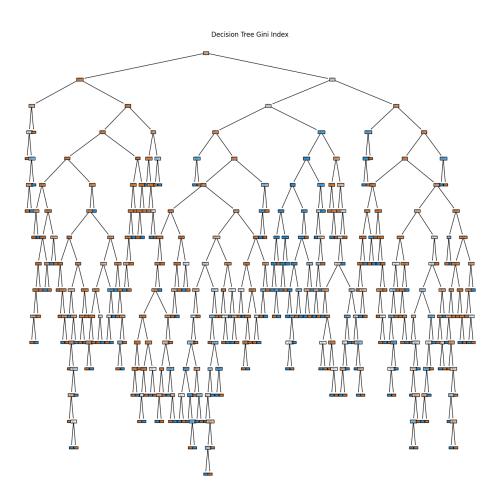
-(345) is true negatives (TN) means actual negatives correctly identified by the model.

-(65) is false positives (FP) means actual negatives incorrectly identified as positives.

-(57) is false negatives (FN) means actual positives incorrectly identified as negatives.

-(136) is true positives (TP) means actual positives correctly identified by the model.

Decision tree:

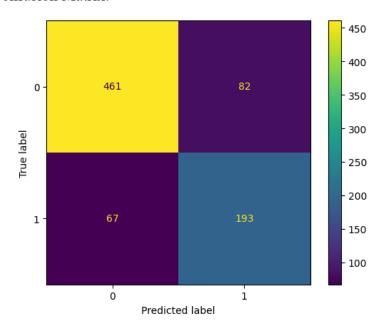


The decision tree model for predicting pet being adopted (Vaccinated) as the initial splitting criterion. If Vaccinated is less than or equal to 0.5, the model further splits the data based on features such as size,

HealthCondition, AgeMonths, and others. The terminal nodes (leaf nodes) in the decision tree provide the final predicted outcome or class label, where class 1 represents pet likely being adopted class 2 represents Unlikely

60% training set 40% testing set:

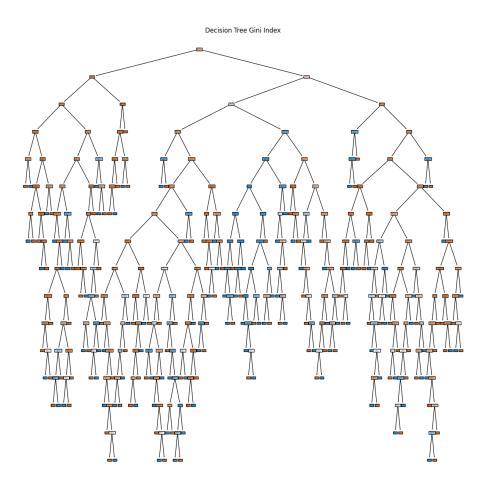
Confusion Matrix:



As we shown we used confusion matrix to summarizes the basic measures for performance evaluation This matrix is a 2x2 array where:

- -(461) is true negatives (TN) means actual negatives correctly identified by the model.
- -(82) is false positives (FP) means actual negatives incorrectly identified as positives.
- -(67) is false negatives (FN) means actual positives incorrectly identified as negatives.
- -(193) is true positives (TP) means actual positives correctly identified by the model

Decision tree:



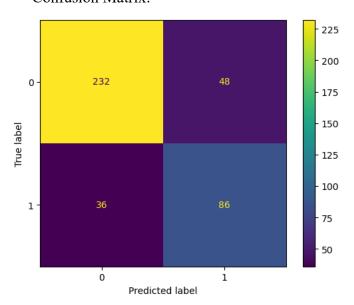
As we shown the tree starts with the root node in this data is "Vaccinated" This means the tree branches out from the root node based on the 'Vaccinated' value, The tree makes several splits based on the feature values, and these are represented by the decision nodes. The features at each node are selected based on Gini Index. And also we have leaf Node this is the terminal nodes that provide the final classification based on the path taken through the tree. A leaf node will also provide the class label ('1' or '0')

Gini index Comparison:

	80 % training set 20% testing set:	70% training set 30% testing set:	60% training set 40% testing set:
Accuracy	0.7786069651741293	0.7976782752902156	0.8144458281444583
Sensitivity	0.6885245901639344	0.7046632124352331	0.7423076923076923
Specificity	0.8178571428571428	0.8414634146341463	0.848987108655617
Precision	0.62222222222222	0.6766169154228856	0.7018181818181818
Error Rate	0.2213930348258707	0.20232172470978438	0.18555417185554168

Entropy (Information Gain):

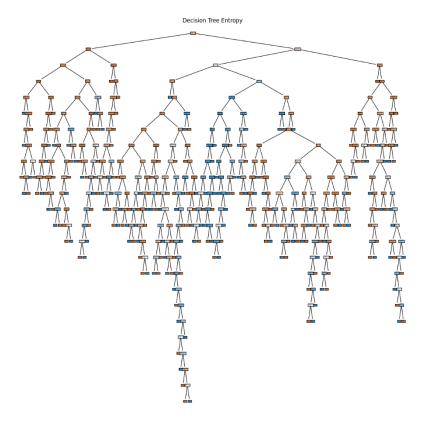
• 80 % training set 20% testing set: Confusion Matrix:



As we shown we used confusion matrix to summarizes the basic measures for performance evaluation This matrix is a 2x2 array where: -(232) is true negatives (TN) means actual negatives correctly identified by the model.

- -(48) is false positives (FP) means actual negatives incorrectly identified as positives.
- -(36) is false negatives (FN) means actual positives incorrectly identified as negatives.
- -(86) is true positives (TP) means actual positives correctly identified by the model.

Decion tree:

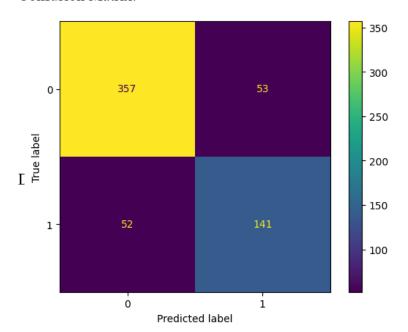


As we shown the tree starts with the root node in this data is "Vaccinated" This means the tree branches out from the root node based on the 'Vaccinated' value, The tree makes several splits based on the feature values, and these are represented by the decision nodes. The features at each node are selected based on entropy.

And also we have leaf Node this is the terminal nodes that provide the final classification based on the path taken through the tree. A leaf node will also provide the class label ('1' or '0')

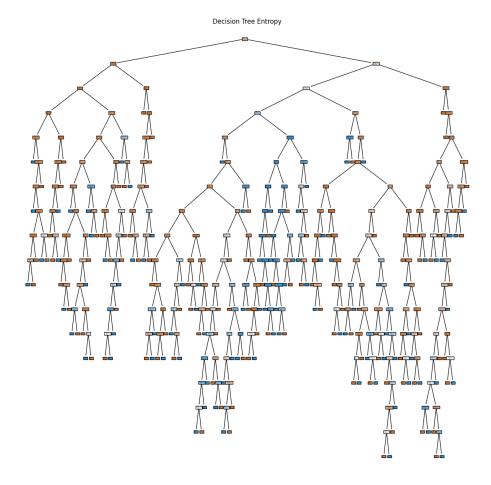
• 70% training set 30% testing set:

Confusion Matrix:



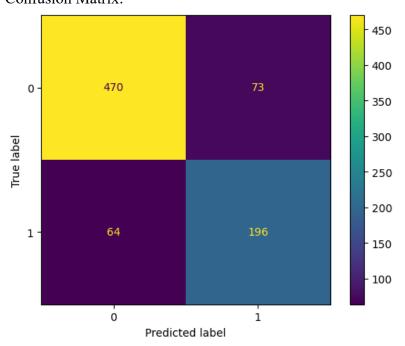
As we shown we used confusion matrix to summarizes the basic measures for performance evaluation This matrix is a 2x2 array where: -(357) is true negatives (TN) means actual negatives correctly identified by the model.

- -(53) is false positives (FP) means actual negatives incorrectly identified as positives.
- -(52) is false negatives (FN) means actual positives incorrectly identified as negatives.
- -(141) is true positives (TP) means actual positives correctly identified by the model.



In this tree, the splitting process begins with the criterion of Vaccinated, where samples are segregated based on their Vaccinated values. The selection of features at each node is determined by their entropy values. Following the split on Vaccinated, the tree considers the size, dividing samples accordingly. Subsequently, the PetType is examined, leading to further division of samples. This splitting procedure persists for each attribute, guided by their respective values at each level, until reaching the leaf nodes. These leaf nodes act as terminal points, providing the final classification whether it likely adopted or Unlikely, based on the path followed through the tree.

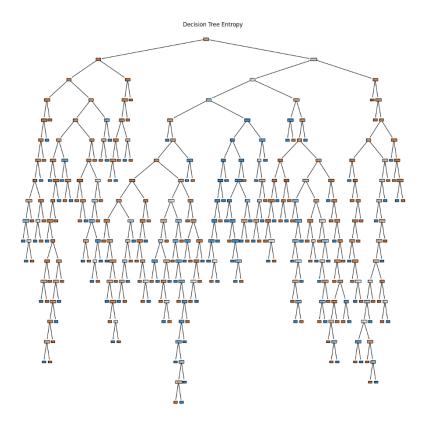
• 60% training set 40% testing set: Confusion Matrix:



As we shown we used confusion matrix to summarizes the basic measures for performance evaluation This matrix is a 2x2 array where:

- -(470) is true negatives (TN) means actual negatives correctly identified by the model.
- -(73) is false positives (FP) means actual negatives incorrectly identified as positives.
- -(64) is false negatives (FN) means actual positives incorrectly identified as negatives.
- -(196) is true positives (TP) means actual positives correctly identified by the model.

Decision tree:



The decision tree for predicting is built on the importance of Vaccinated and further splits on features such as size , HealthCondition, WeightKg, AdoptionFee, AgeMonths, and PetType. The tree's structure reveals complex decision pathways based on combinations of these features. Terminal nodes provide the final predicted outcome (1 for pet being Likely adopted, 2 for Unlikely)based on the feature values and their importance. The depth and complexity of the decision tree demonstrate the diverse factors considered by the model in assessing Likelihood of the pet being adopted . Understanding the decision tree provides valuable insights into the model's inner workings and its ability to predict Likelihood of the pet being adopted

Entropy (Information Gain) Comparison:

	80 % training set 20% testing set:	70% training set 30% testing set:	60% training set 40% testing set:
Accuracy	0.7910447761194029	0.8258706467661692	0.8293897882938979
Sensitivity	0.7049180327868853	0.7305699481865285	0.7538461538461538
Specificity	0.8285714285714286	0.8707317073170732	0.8655616942909761
Precision	0.6417910447761194	0.7268041237113402	0.7286245353159851
Error Rate	0.20895522388059706	0.17412935323383083	0.17061021170610213

After comparing the performance metrics from the Gini Index and Entropy (Information Gain) tables, it is evident that the Entropy criterion with a 60% training set and 40% testing set provides the most consistent and optimal results across all key metrics. This setup achieves the highest accuracy (0.8293), specificity (0.8655), and precision (0.7286), while also having the lowest error rate (0.1706). This means that using Entropy as the criterion for Decision Tree classification is likely to give better results with this type of data.

Clustering (results with low silhouette score):

```
from yellowbrick.cluster import SilhouetteVisualizer
from sklearn.cluster import KMeans
kmeans = KMeans(n clusters=5, random state=42)
visualizer = SilhouetteVisualizer(kmeans, colors="yellowbrick")
visualizer.fit(pet scaled)
                                                                Silhouette Plot of KMeans Clustering for 2007 Samples in 5 Centers
print("The average silhouette score is:",
                                                                                      Average Silhouette Score
visualizer.silhouette score )
visualizer.show()
                                                                         0.1 silhouette coefficient values
from sklearn.decomposition import PCA
pca = PCA(n components=2)
pca features = pca.fit transform(scaled features)
df2['PCA1'] = pca features[:, 0]
df2['PCA2'] = pca features[:, 1]
plt.figure(figsize=(8, 5))
for cluster in range (optimal k):
    cluster data = df2[df2['Cluster'] == cluster]
    plt.scatter(cluster data['PCA1'], cluster data['PCA2'], label=f'Cluster {cluster}')
                                                                         K-Means Clustering
plt.title("K-Means Clustering")
                                                                                                 Cluster 0
plt.xlabel("PCA1")
                                                                                                 Cluster 1
plt.ylabel("PCA2")
                                                                                                 Cluster 2
plt.legend()
                                                                                                 Cluster 3
                                                                                                 Cluster 4
plt.show()
```

	K = 3	K = 4	K = 5
Average Silhouette width	0.11	0.13	0.14
Total within-cluster sum of square	22000	20000	18000

Discussion & comparison

Elbow Method (Inertia vs Number of Clusters): The Elbow method looks at the total within-cluster sum of squares (inertia) and helps identify the point where adding more clusters does not significantly improve the fit. From the results:

K=3: Inertia approximately 22000

K=4: Inertia decreases to approximately 20000

K=5: Inertia further reduces to approximately 18000

The inertia steadily decreases as the number of clusters K increases. This is expected since increasing K reduces the distance between data points and their cluster centers. The rate of decrease slows noticeably after K=5. This suggests that adding more clusters beyond K=5 does not significantly improve the compactness of the clusters.

Silhouette Score vs Number of Clusters: The Silhouette coefficient measures how similar an object is to its own cluster compared to other clusters. A higher score indicates better-defined clusters.

The silhouette score peaks at K=5, indicating that the clusters are best separated at this point.

For K=4 and K=6, the silhouette score is lower, showing less well-defined clusters. Beyond K=5, the score decreases significantly, indicating that the additional clusters result in worse separation or overly fragmented clusters.

Conclusion:

Optimal K: Based on the silhouette score, K=5 is the most suitable choice, as it provides the highest score, indicating well-defined and separated clusters.

Support from the Elbow Method: the inertia plot supports K=5 as a reasonable point where the rate of inertia reduction begins to slow.

The combination of the Elbow method and the Silhouette coefficient suggests that K=5 is the best choice. It balances the compactness (inertia) of the clusters with their separation (silhouette score), ensuring that the clusters are well-defined without unnecessary complexity. K=5 is the optimal number of clusters, balancing compactness (inertia) and separation (silhouette score).

Silhouette Score: A Silhouette Score output of 0.14 which is closer to 0 indicates suboptimal clustering performance. This score is low, suggesting that the clusters are not well-defined and that there is significant overlap between them, or that the clustering is not very strong.

The silhouette plot visually confirms that the clustering at K=5 does not result in well-separated groups. The average silhouette score line (marked in red) is low, and there are many points close to or below this line, signifying poor assignment quality for these clusters.

Although the elbow method suggested that 5 clusters, the silhouette plot highlights that this choice does not necessarily lead to well-defined or meaningful clusters.

The visual results show that it's important to use different ways to check clustering results to make sure the chosen number of clusters actually fits the data well.

Visualizing the Clusters:

The plot shows five well-separated clusters (clusters 0 to 4) in the two-dimensional space "PCA", indicating that the K-means algorithm successfully identified distinct groupings within the data.

As we mentioned before in the silhouette score result that might be an overlapping, also from the plot above we can see that Clusters like Cluster 3 and Cluster 2 appear more densely packed, suggesting that data points in these clusters may have more similar feature values. In contrast, Cluster 1 appears somewhat more spread out, indicating a bit more variability within that group. (or might be due to the dimensions).

Cluster 0, Cluster 2, and Cluster 3 are relatively close to each other compared to Cluster 1 and Cluster 4, which are more isolated. This proximity could imply that the clusters close together share some characteristics, while the isolated clusters represent unique groups.

These clusters could represent distinct groups based on features like age, size, time in shelter, and other features. The isolated cluster (Cluster 1) may represent a unique subset of pets that have distinct characteristics (such as larger or smaller values in a key feature), which separate them from the rest.

In summary, the K-means clustering has effectively grouped the data into distinct clusters with meaningful separations, and the visualization using PCA provides a clear view of these groupings. The relatively isolated clusters indicate unique data groups, while closely located clusters may share **overlapping characteristics**.

Clustering (using other features combination for better results):

```
from yellowbrick.cluster import SilhouetteVisualizer
from sklearn.cluster import KMeans

kmeans = KMeans(n_clusters=4, random_state=42)
visualizer = SilhouetteVisualizer(kmeans, colors="yellowbrick")
visualizer.fit(pet_scaled)
print("The average silhouette score is:",
visualizer.silhouette_score_)
visualizer.show()

from sklearn.decomposition import PCA
```

```
from sklearn.decomposition import PCA
optimal_k = 4

pca = PCA(n_components=2)
pca_features = pca.fit_transform(scaled_features)
df['PCA1'] = pca_features[:, 0]
df['PCA2'] = pca_features[:, 1]
```

```
plt.figure(figsize=(8, 5))
for cluster in range(optimal_k):
    cluster_data = df[df['Cluster'] == cluster]
    plt.scatter(cluster_data['PCA1'],
    cluster_data['PCA2'], label=f'Cluster {cluster}')

plt.title("K-Means Clustering")
plt.ylabel("PCA1")
plt.ylabel("PCA2")
plt.legend()
plt.show()
```

	K = 2	K = 4	K = 10
Average Silhouette width	0.36	0.50	0.47
Total within-cluster sum of square	2500	Approximately 800	Approximately 200

comparing and discussing different K numbers

From the Elbow Method plot, we can observe that: As K increases from 1 to 10, the inertia decreases, indicating that the clusters are becoming more compact, since increasing K allows more centroids to reduce the sum of squared distances.

k = 2 (First significant drop) Inertia drops significantly between k=1 and k=2, indicating that adding a second cluster provides a considerable improvement in clustering the data.

k = 4 (Elbow point) The inertia begins to level off after k=4. we can considered this as the "elbow" point, where increasing k beyond 4 yields diminishing returns in terms of reducing inertia.

k = 10 (Minimal Decrease in Inertia) Beyond k=4, the inertia decreases only slightly for larger values of k, as seen at k=10. This indicates that the additional clusters don't improve the clustering much further.k=10, the clustering is overly fine-grained. Each cluster would likely have a small number of members, rather than truly meaningful groups.

in conclusion the optimal K number will be the elbow point which is k = 4.

for K=2

Silhouette Score: Approximately 0.36 (the lowest in the range). A low silhouette score indicates that the clustering is poor, because two clusters are insufficient to capture the natural structure of the data. Many data points are likely assigned to the wrong cluster, because 2 clusters may forces diverse data points into only two groups, oversimplifying the dataset. It creates overly broad clusters, leading to low-quality groupings.

for K=4 (the optimal k number):

Silhouette Score: Approximately 0.51 (the highest value). The best clustering performance in this range, indicating that clusters are well-separated and data points fit well within their groups. Data points within each cluster are relatively compact and distinct from those in other clusters. **in Conclusion:** k=4 is the optimal choice based on the silhouette score.

Pet adoption for K=10:

Silhouette Score: Approximately 0.46 (comparable to the scores for k=3 and k=5). While the silhouette score suggests a reasonable clustering result, having ten clusters might introduce unnecessary complexity, clusters may be too fragmented, splitting naturally cohesive groups into smaller, less meaningful sub-groups.

At 0.5 (the highest silhouette score of k values),

indicating the best balance between compactness and separation of clusters. the clustering is:

Fairly compact: Points within the clusters are moderately close to each other.

Reasonably separated: Clusters are distinct but not entirely isolated, meaning some overlap might still occur.

A score of 0.5 suggests moderately well-defined clusters and distinct, Clusters are distinguishable but not perfectly separated — pets of similar ages and weights could share overlapping characteristics.

The optimaal value of k is likely a good fit for the data.

Visualizing the Clusters: There are four distinct clusters (labeled as Cluster 0, Cluster 1, Cluster 2, and Cluster 3), as determined by the k=4 clustering. The clusters appear to be well-separated in the PCA-reduced space. This indicates that the K-Means algorithm has successfully grouped similar data points into distinct clusters with minimal overlap in this lower-dimensional representation.

as we discussed in the silhouette score results and from the clustering visualisation plot above we can see that there is an overlapping. the solution might be adding more features or try other features combinations. Absolutely we tried both of this solutions but it results with a minimum silhouette score than the current features selected.

including additional features may cause cluster boundaries to become less distinct because unrelated features dilute the meaningful patterns in the data. This leads to decreasing intra-cluster cohesion, clusters overlapping due to increased dimensionality. By focusing on "AgeMonths" and "WeightKg", we are limiting the clustering to features that maximize separability, and provide Simpler model, better-defined clusters, and a Silhouette Score of 0.5, indicating moderate quality. These features likely show a clear separation in the dataset, minimizing ambiguity between clusters.

7.FINDINGS

Classification Findings

1. Performance Comparison:

The Decision Tree Classifier was evaluated using both **Gini Index** and **Entropy** (**Information Gain**) as criteria.

Results across different training-testing splits (80%-20%, 70%-30%, 60%-40%) consistently showed that Entropy outperformed Gini Index

o **Under the Information Gain (Entropy) criterion:** the 60-40 split model demonstrates superior performance across all key metrics:

Accuracy: With the highest accuracy of 0.829, the 60-40 split shows it generalizes slightly better than other configurations, making it the most reliable for overall predictions.

Error Rate: The 60-40 split achieves the lowest error rate of 0.1706, reflecting fewer misclassifications compared to the 80-20 split, which has the highest error rate at 0.20.

Sensitivity: A sensitivity of 0.753 indicates that the 60-40 split model is the most effective at correctly identifying positive instances, outperforming the other splits.

In summary, the model trained with the 60-40 split strikes the best balance between sufficient training data and a diverse test set

Output Output the different partitions results in GINI INDEX:

Among these partitioning, the model trained on the 60% training set and 40% testing achieved the highest accuracy (0.814), followed by the model trained on the 70% training set and 30% testing set (0.797), followed by the model trained on the 60% training set and 40% testing set with an accuracy of (0.778). For error rate, the model trained on the 80% training set and 20% testing set achieved the highest error rate (0.22), followed by the models trained on the 70% training set and 30% testing set (0.20), and the 60% training set and 40% testing set (0.18).

For sensitivity, the model trained on the 60% training set and 40% testing set achieved the highest sensitivity (0.74), followed by the models trained on the 70% training set and 30% testing set (0.70), and the 80% training set and 20% testing set (0.68).

In terms of specificity, the model trained on the 60% training set and 40% testing set obtained the highest specificity (0.848), followed by the model trained on the 70% training set and 30% testing set (0.841), and the model trained on the 80% training set and 20% testing set (0.817).

In terms of precision, the model trained on the 60% training set and 40% testing set obtained the highest precision (0.70), followed by the model trained on the 70% training set and 30% testing set (0.67), and the model trained on the 80% training set and 20% testing set (0.62).

In summary, the 60-40 model strikes a good balance between classification accuracy, specificity, and sensitivity, which is why it is considered the best based on the provided results.

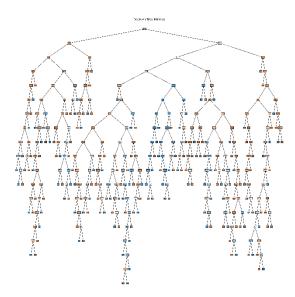
• The best model between information gain and the Gini index:

	Best Gini index (60- 40)	Best Entropy (60-40)
Accuracy	0.8144458281444583	0.8293897882938979
Sensitivity	0.7423076923076923	0.7538461538461538
Specificity	0.848987108655617	0.8655616942909761
Precision	0.7018181818181818	0.7286245353159851
Error Rate	0.18555417185554168	0.17061021170610213

Entropy: Performs better overall, especially in accuracy, sensitivity, and specificity, which are critical metrics for classification tasks.

Gini: While slightly less effective than Entropy, it still provides a strong performance, especially when dealing with imbalanced data

-This was the decision tree associated with this division:



The decision tree for predicting is built on the importance of Vaccinated and further splits on features such as size, HealthCondition, WeightKg, AdoptionFee, AgeMonths, and PetType. The tree's structure reveals complex decision pathways based on combinations of these features. Terminal nodes provide the final predicted outcome (1 for pet being Likely adopted, 2 for Unlikely) based on the feature values and their importance. The depth and complexity of the decision tree demonstrate the diverse factors considered by the model in assessing Likelihood of the pet being adopted. Understanding the decision tree provides valuable insights into the model's inner workings and its ability to predict Likelihood of the pet being adopted

2. Confusion Matrix Analysis:

- The confusion matrices revealed balanced performance across class predictions, with Entropy producing fewer misclassifications than Gini.
- Entropy better captured the relationships in the dataset, suggesting its suitability for the feature distributions.

3. Conclusion:

- o **Entropy is the preferred criterion** for this dataset, offering higher accuracy and better decision-making capacity compared to Gini Index.
- o The classifier's performance improves with larger training datasets, but there is a trade-off in generalization capability, particularly when training data is too large.
- The result are interesting and The most interesting aspect is the identification of critical features like <u>Vaccinated</u>, <u>HealthCondition</u>, and <u>AdoptionFee</u>, which significantly impact adoption decisions. These findings can directly inform shelters or pet care organizations about the attributes to prioritize for increasing adoption rates. The results highlight that data mining not only aids in prediction but also uncovers meaningful patterns in the data.

Clustering Findings

Optimal Number of Clusters: k=4

1. Evaluation Metrics:

- The clustering results were evaluated using two methods:
 - Elbow Method: Identified k=4 as the "elbow point," where adding more clusters yielded diminishing improvements in compactness (measured by Within-Cluster Sum of Squares, WCSS).
 - Silhouette Score: k=4 achieved the highest score of 0.51, indicating well-separated and compact clusters.

2. Cluster Characteristics:

- o The clusters were visualized using PCA for dimensionality reduction. Four distinct clusters were observed, with minimal overlap:
 - **Cluster 0**: Younger, smaller pets.
 - Cluster 1: Medium-sized pets at intermediate stages of development.
 - **Cluster 2**: Older or heavier pets, with more variability.
 - Cluster 3: Outliers or unique subsets with distinct characteristics.

3. Comparison with k=5:

- While the Elbow Method initially suggested k=5 as a possible configuration, the Silhouette Score for k=5 was only 0.14, significantly lower than for k=4.
- The visualization for k=5 showed overlapping clusters, reducing interpretability and meaningful group separation.

Metric	K=4	K=5
Silhouette Score	0.51 (Best)	0.14 (Poor)
Cluster	Well-separated	Overlapping clusters
Separation		
Cluster	Compact	Moderate overlap
Compactness		
Interpretability	Clear groups	Ambiguous overlaps

4. Conclusion:

 Based on the evaluation metrics and visual analysis, k=4 was selected as the optimal number of clusters for our dataset.

- This configuration offers the best balance between compactness and separation, providing meaningful and interpretable groupings of the data.
- Also the result are interesting, These clusters provide a fresh perspective, offering insights into distinct categories of pets that can be used for targeted strategies, such as marketing or tailored care. The evaluation metrics, especially the high Silhouette Score (0.51), confirm the meaningfulness of these clusters, making the findings not only accurate but also interpretable and practical.

Overall Insights: The combination of classification and clustering techniques has provided comprehensive insights into the dataset. Classification predicts outcomes effectively, while clustering reveals underlying structures in the data, offering a dual perspective for data-driven decision-making.

8.REFRENCES

Python Libraries Used Across All Phases

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- o [2] C. R. Harris et al., "Array programming with NumPy," *Nature*, vol. 585, pp. 357–362, 2020. Available: https://numpy.org/.

2. Data Visualization:

- o [3] J. D. Hunter, "Matplotlib: A 2D graphics environment," *Computing in Science & Engineering*, vol. 9, no. 3, pp. 90–95, 2007. Available: https://matplotlib.org/.
- o [4] M. L. Waskom et al., "Seaborn: Statistical data visualization," *Journal of Open Source Software*, vol. 6, no. 60, p. 3021, 2021. Available: https://seaborn.pydata.org/.

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