程序进展



- 1.疑问
- 2.结果
- 3.结论





$$\frac{dN_{J/\psi}^{TS}}{d^2p} = \frac{C_{J/\psi}}{g\gamma_c} \left[\mathcal{T}_c(p/2) \mathcal{S}_{\bar{c}}(p/2) + \mathcal{S}_c(p/2) \mathcal{T}_{\bar{c}}(p/2) \right].$$

$$\frac{dN_{J/\psi}^{SS}}{p\,dp} = \frac{1}{p^0p} \sum_{i} \int \frac{dq}{q} F_i'(q) \frac{p}{q} D_i^{J/\psi} \left(\frac{p}{q}\right)$$

$$\frac{dN_{J/\psi}^{TT}}{d^{2}p} = C_{J/\psi} M_{T} \frac{\tau A_{T}}{(2\pi)^{3}} 2\gamma_{c}^{2} I_{0} \left[\frac{p \sinh \eta_{T}}{T} \right] \int_{0}^{1} dx \left| \phi_{J/\psi}(x) \right|^{2} k_{M}(x, p) \quad \text{Over!}$$



Notice:

which results in the increase of the FFs, so to the SPDs. Since the scale dependence of the charm parton FFs is not shown in Refs. [21] and [22], we cannot define the scale dependence of SPDs. In order to reflect the impact of the momentum on the scale, the results of TS and SS terms are multiplied by a factor of $1 - e^{-p/2}$ which suppresses the low p contributions.

Likewise:

fragmentation products of hard and semihard partons outside the medium. The SPD $S_i^j(p_2, q)$ is made to deviate from the scaling form $S_i^j(z)$ by our insertion of a cutoff factor $c_2(p_2)$

$$S_i^j(p_2, q) = S_i^j(p_2/q)c_2(p_2),$$
 (14)

where

$$c_2(p_2) = 1 - e^{-(p_2/p_c)^2}, p_c = 0.5 \text{GeV} / c.$$
 (15)

Such a factor is necessary to render the shower partons meaningful in the soft region, for otherwise the IR divergent FF, $D_i(p_T/q)$, as $p_T \to 0$, would lead to unrealistically large $S_i^j(p_2/q)$. This point is discussed in appendix C of [5], where $c_2(p_2)$ is denoted by $\gamma_2(p_2)$. The

1.疑问
$$\frac{dN_{J/\psi}^{TS}}{d^2p} = \frac{C_{J/\psi}}{g\gamma_c} \left[\mathcal{T}_c(p/2) \mathcal{S}_{\bar{c}}(p/2) + \mathcal{S}_c(p/2) \mathcal{T}_{\bar{c}}(p/2) \right].$$

Q1: 两个积分限
$$S(p_1) = \sum_i \int \frac{dq}{q} F_i(q) S_i^j(p_1/q).$$

1. Shower parton distribution created by all the hard partons in the system

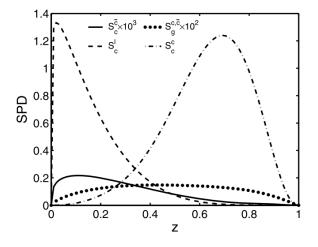
SPD(z)

Momentum fraction<1

i.e. pt/q<1

i.e. q>pt

Program v15 取2-30 猜测: pt/q遍历SPD



Charm program:

S j只会影响TS term

上限: q足够大后结果变化不大, 暂取50

下限:理应取pt,但是算出来结果很低,不过形状对了

(前面一个突起,因为倒着SPD积分)

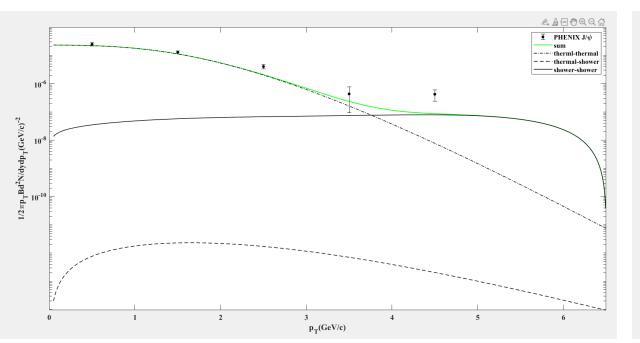
发现下限取qlow, 2qlow的地方就会突然落的很低 根据拟合较好的情况,暂取下限为3.5

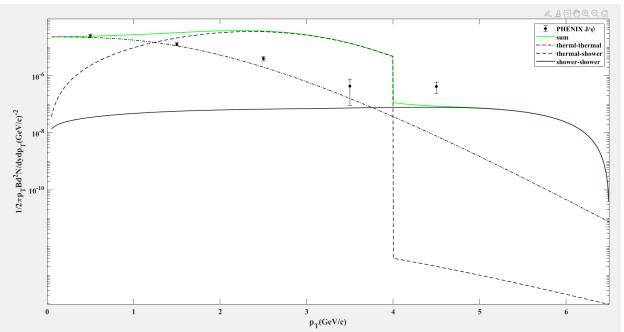
```
! set up the hard jet momentum limits
    if (IYangZhu. eq. 1) then
    plowlim = 3.0d0
    phighlim = 20.0d0
    else
    plowlim = 2.0d0
    phighlim = 30.0d0
    endif
fa = plowlim
fb = phighlim
fdel = 0.02D0
fp1 = p
fp2 = 0.000
fp3 = 0.000
fpt = 0.000
fIDP1 = IDP
fIDP2 = 0
fIDP3 = 0
fcentr = centr
if (fp1. ge. plowlim) then
fa = fp1
endif
call Integral_1d(Intf_S1J, fa, fb, fdel, fp1, fp2,
```

🗸 未找到相关问题

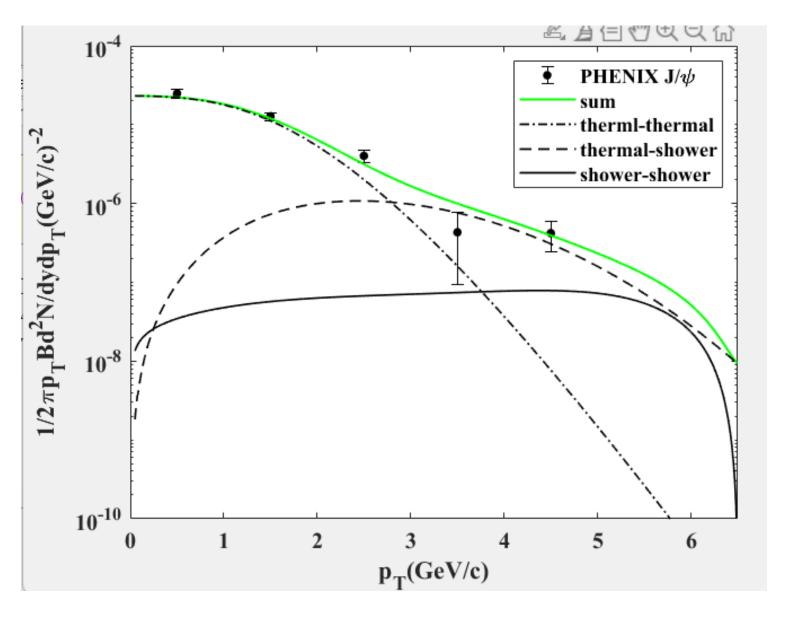


只看TS term





qlow=pt



qlow=3.5

1.疑问

2. SS term
$$\frac{dN_{J/\psi}^{\mathcal{SS}}}{p\,dp} = \frac{1}{p^0p} \sum_{i} \int \frac{dq}{q} F_i'(q) \frac{p}{q} D_i^{J/\psi} \left(\frac{p}{q}\right)$$

For proton whose mass is certainly not negligible, we replace p^0 in equation (3) by the transverse mass $m_T^p = (m_p^2 + p_T^2)^{1/2}$ for $\eta = 0$. With the RF given in equation (17), we have

猜测:同样遍历D(z)

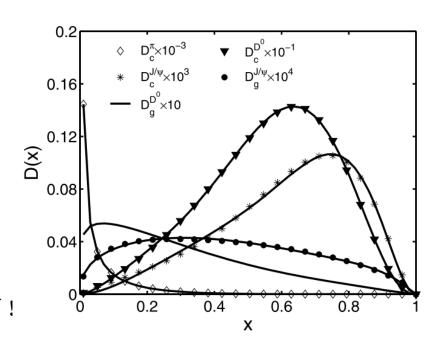
那么同样前面有一个峰就对了,但实际并不尽然可能是D_g的影响?但应该是D_c占主导? 有可能是Fiq出了问题?因为两个Fiq不同

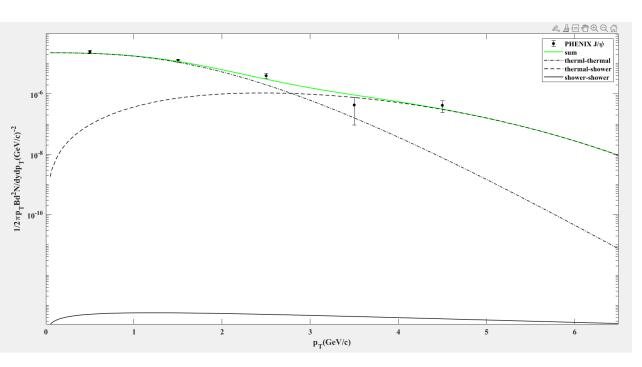
Likewise

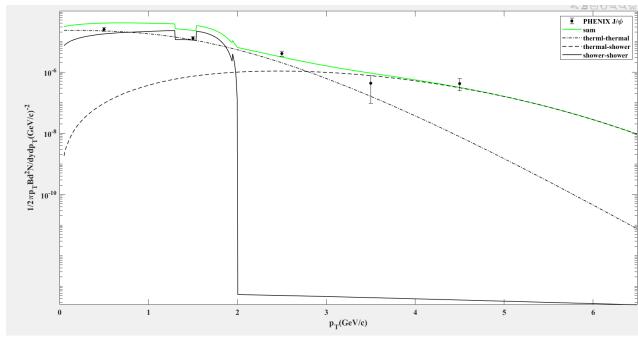
上限:取100.0

下限:

理应取pt,但是算出来结果很低,不过形状真的对了! 发现下限取qlow,qlow的地方就会突然落的很低 根据拟合较好的情况,暂取下限为6.5

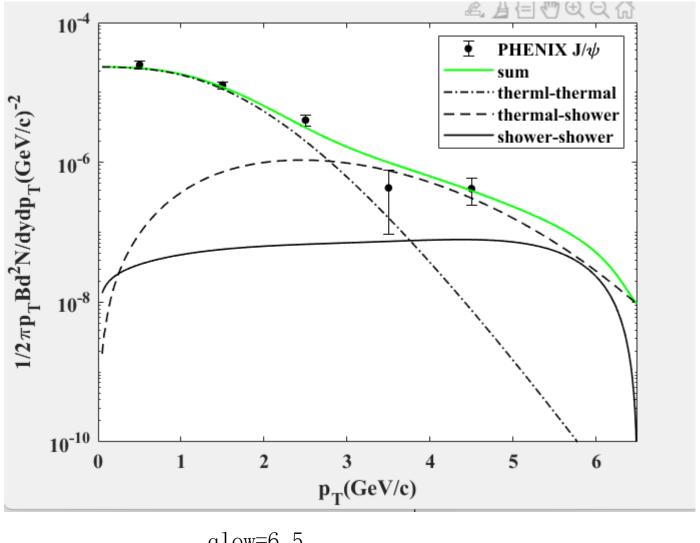






qlow=pt 前面一个峰!

q1ow=2.0



qlow=6.5



Q2: 质量问题,自然单位制

Quark flavor properties

ticle	Mass (MeV/c²)*
Symbol	
u	$2.3 \pm 0.7 \pm 0.5$
d	$4.8 \pm 0.5 \pm 0.3$
С	1275 ± 25
s	95 ±5
t	173 210 ±510 ± 710 *
b	4180 ±30
	Symbol u d c s

$$GeV/c^2 \rightarrow GeV? c=1?$$

```
if((IDP .eq. 8) .or. (IDP .eq. 9)) then !c, cbar
    m_h=1.5
elseif((IDP .eq. 6) .or. (IDP .eq. 7)) then !s, sbar
    m_h=0.46
elseif((IDP .eq. 1) .or. (IDP .eq. 3)) then !u, ubar
    m_h=0.26
elseif((IDP .eq. 2) .or. (IDP .eq. 4)) then !d, dbar
    m_h=0.26
elseif(IDP .eq. 5) then!gluon
    m_h=0.7
endif
```

$$\gamma_u = \gamma_d = 1$$
, $\gamma_s = 0.8$ and $m_u = m_d = 0.26$ GeV, $m_s = 0.46$ GeV.

$$Q = 2m_c = 3 \text{ GeV}/c$$

 $m_c = m_{\bar{c}} = 1.5 \text{ GeV} \text{ and } m_{J/\psi} = 3.097 \text{ GeV}$



Q3: Fiq

 $S(p) = \sum_{i} \int \frac{dq}{q} F_i(q) S_i^j(p/q), \tag{8}$

where

$$F_i(q) = \frac{1}{\beta L} \int_q^{qe^{\beta L}} \frac{dk}{k} f_i'(k), \tag{9}$$

with $f'_i(k) = f_i(k) \cdot (2\pi)^3/E$ [5]. The distribution $f_i(k) = dN_i^{hard}/d^2kdy$ of hard parton i just after hard scattering in Au+Au collisions at $\sqrt{s_{NN}} = 200$ GeV at mid-rapidity can be found in Refs.[14] and [15]. βL is the explicit dynamical medium factor to describe the

$$\frac{dN_M^{SS}}{pdp} = \frac{1}{p^0 p} \sum_i \int \frac{dq}{q} F_i'(q) \frac{p}{q} D_i^M(\frac{p}{q}),$$

where

$$F_i'(q) = \frac{1}{\beta L} \int_q^{qe^{\beta L}} dk k f_i(k),$$

and D_i^M is the FF of quark *i* splitting into meson M.

$$dN = V \cdot \frac{d^3k}{(2\pi)^3} \omega(k). \tag{19}$$

On the other hand the hard parton transverse momentum distribution is defined as

$$f_i(k) = E \frac{dN}{d^3k},\tag{20}$$

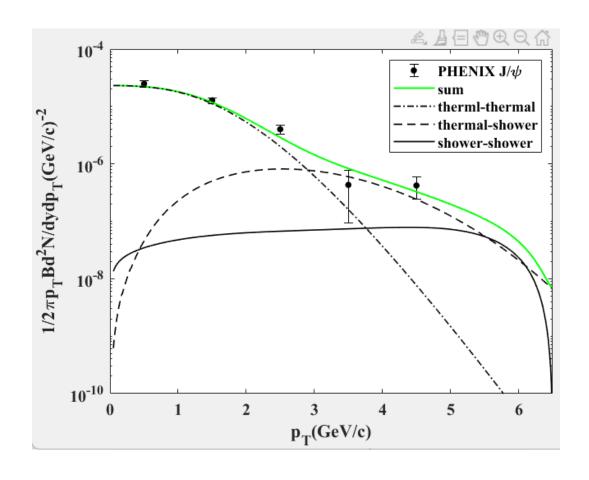
where E is the energy of the hard parton. From the above two equations, one can get $\omega(k) \cdot V = f_i(k) \cdot (2\pi)^3 / E$. Therefore, the shower distributions S_c and $S_{\bar{c}}$ in Eq. (18), which correspond to

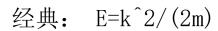
1.E 的形式没有给出

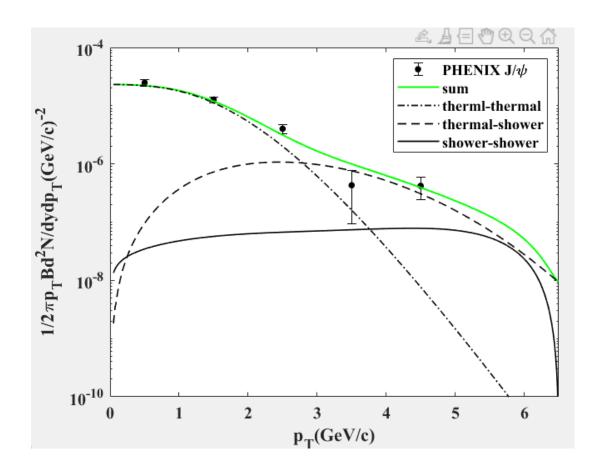
两种形式: 相对论: E=sqrt(m²+k²) ——采用

经典: E=k^2/(2m)









相对论: E=sqrt(m^2+k^2) ——采用



1.疑问

2. Fiq的形式 暂全部使用fik*k

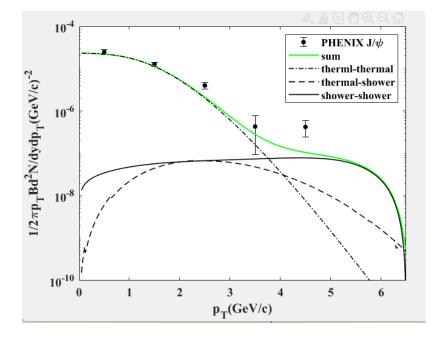
$$F_i(q) = \frac{1}{\beta L} \int_q^{qe^{\beta L}} \frac{dk}{k} f_i'(k),$$

Here, it is noticeable that $\mathcal{T}(p_1)$ is the parton transverse momentum distribution divided by the volume of the parton system $V = \tau A_T$, as exhibited in Eq. (13). $\mathcal{S}(p_1)$ denotes the shower parton distribution created by all the hard partons in the system. If we use $\omega(k)$ to denote the three-dimensional momentum space distribution, the number of hard partons in the system is

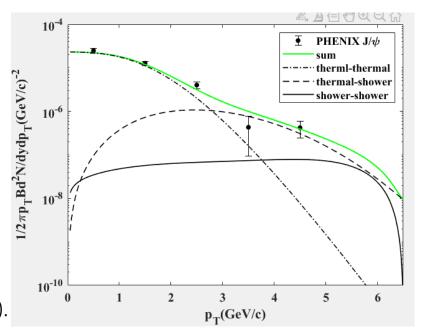
$$dN = V \cdot \frac{d^3k}{(2\pi)^3} \omega(k). \tag{19}$$

$$F_i(q) = \frac{1}{\beta L} \int_q^{qe^{\beta L}} dk k f_i(k)$$

R. C. Hwa and C. B. Yang, Phys. Rev. C 79, 044908 (2009).



F'ik/k 文献中的形式 TS偏小



F'ik*k 之前的结果 之都是用的的一样的 用的不一样的 以合结果



3. bL=2. 9 or 0. 0 for charm quark?

The suppression factor quantified by βL in $F_i(q)$ and $F'_i(q)$ for gluon jet has been determined with $\beta L=2.9$ by fitting the single-pion inclusive distribution [28]. $f_i(k)$ is the distribution for parton with momentum k at creation point. $F'_i(q)$ is the corresponding distribution after traversing a distance t in the medium with momentum $q=ke^{-\beta t}$. In Eq. (22) the lower limit of integration corresponds to t=0, i.e., when the hard scattering occurs at the surface, while the upper limit corresponds to the case with the hard scattering point on the far side so that k is a factor of $e^{\beta L}$ larger than q. But for hard parton c, the traversing distance in QGP is much smaller than other light partons, since J/ψ is produced at the early stage in the collisions. So we choose $\beta L \to 0$ for i=c. In our calculations for J/ψ spectrum, we only consider g and c (\bar{c})

bL=2.9 for gluon bL -> 0 for charm ——采用

be found in Refs.[14] and [15]. βL is the explicit dynamical medium factor to describe the energy loss effect with $\beta L=2.39$ for i =light quarks, gluon in Au+Au collisions for 0-20% centrality [16]. Recent measurements of the transverse momentum distributions and nuclear modification factors of non-photonic electrons from heavy quark decays at high p_T show a suppression level of heavy quarks similar to light quarks [17]. So we choose the same energy loss factor βL for i=c,b as that for light quarks.

bL=2.39 for gluon bL=2.39 for charm

4. fik for charm quark?

with $f'_i(k) = f_i(k) \cdot (2\pi)^3/E$ [5]. The distribution $f_i(k) = dN_i^{hard}/d^2kdy$ of hard parton i just after hard scattering in Au+Au collisions at $\sqrt{s_{NN}} = 200$ GeV at mid-rapidity can be found in Refs.[14] and [15]. βL is the explicit dynamical medium factor to describe the

[14]:
$$\frac{dN^{\rm jet}}{d^2p_T\,dy} \bigg|_{y=0} = T_{AA} \, \frac{d\sigma^{\rm jet}}{d^2p_T\,dy} \bigg|_{y=0}$$
 parameters without charm
$$= K \frac{C}{(1+p_T/B)^\beta}$$

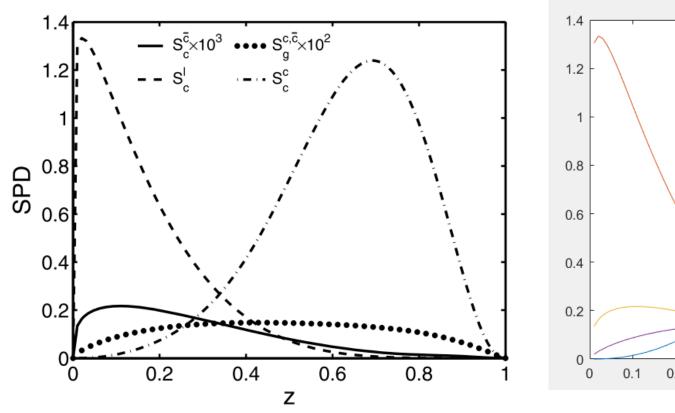
[15]:
$$\frac{dN_c}{d^2p_T} = \frac{19.2[1 + (p_T/6)^2]}{(1 + p_T/3.7)^{12}[1 + \exp(0.9 - 2p_T)]}$$
 dy?

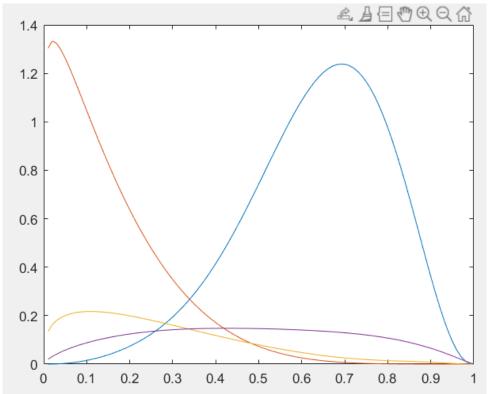


54 (2010).

主要参考: Int.J.Mod.Phys.E 20 (2011) 1213-1226

1. 验证程序



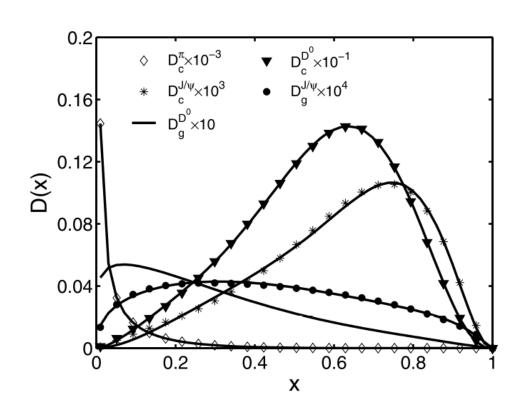


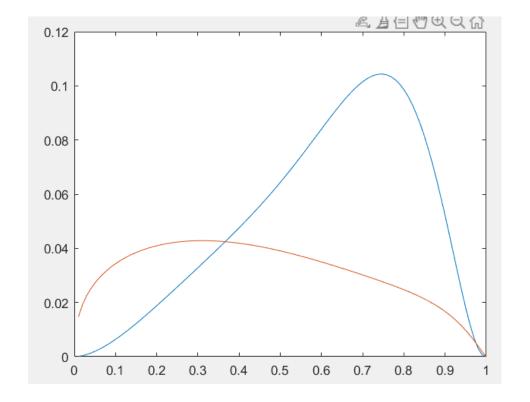


54 (2010).

主要参考: Int.J.Mod.Phys.E 20 (2011) 1213-1226

1. 验证程序







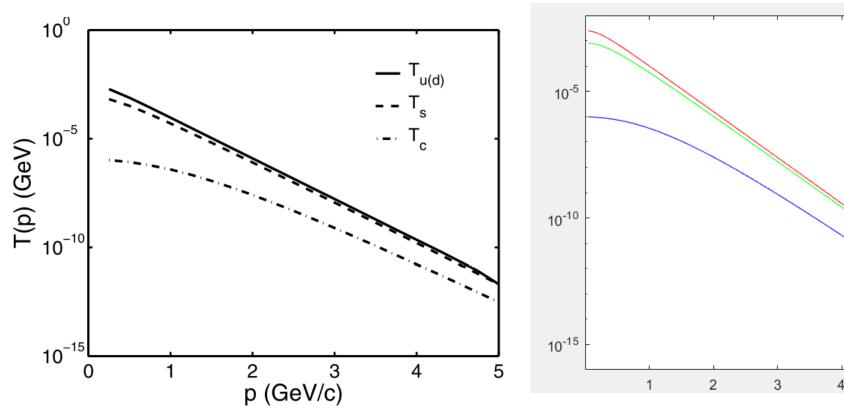
2.结果

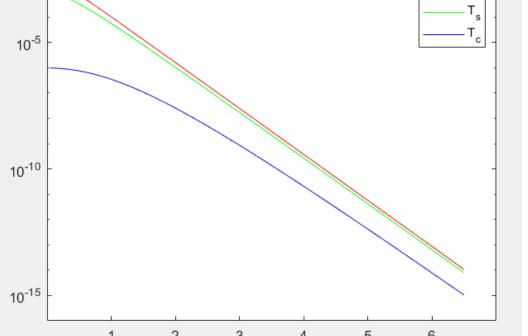
复现(参数使用): R. Peng, C. B. Yang, Nucl. Phys. A 837,

54 (2010).

主要参考: Int.J.Mod.Phys.E 20 (2011) 1213-1226

1. 验证程序





54 (2010).

主要参考: Int.J.Mod.Phys.E 20 (2011) 1213-1226

2. results

$$\frac{dN_{J/\psi}^{TS}}{d^2p} = \frac{C_{J/\psi}}{g\gamma_c} \left[\mathcal{T}_c(p/2) \mathcal{S}_{\bar{c}}(p/2) + \mathcal{S}_c(p/2) \mathcal{T}_{\bar{c}}(p/2) \right].$$

$$\frac{dN_{J/\psi}^{SS}}{p\,dp} = \frac{1}{p^0p} \sum_{i} \int \frac{dq}{q} F_i'(q) \frac{p}{q} D_i^{J/\psi} \left(\frac{p}{q}\right)$$

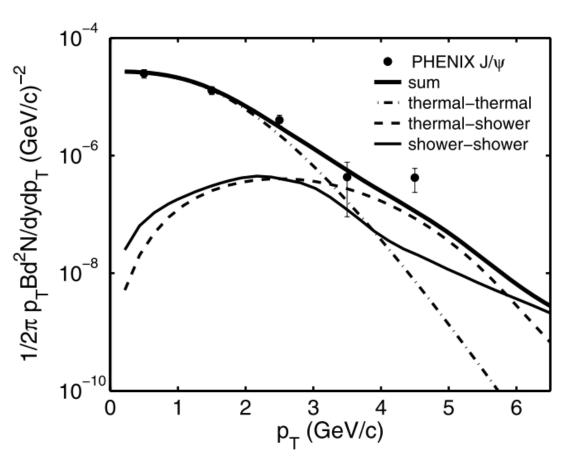
除了Fiq=int(fik*k) or (fik/k)那个环节,其他参数与文献一致,问题出在Fiq与S_j

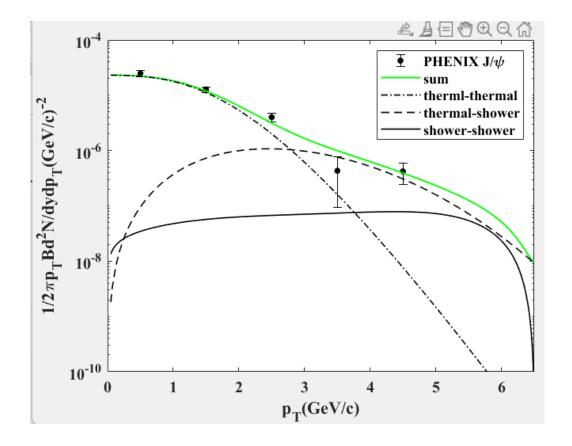


54 (2010).

主要参考: Int.J.Mod.Phys.E 20 (2011) 1213-1226

2. results



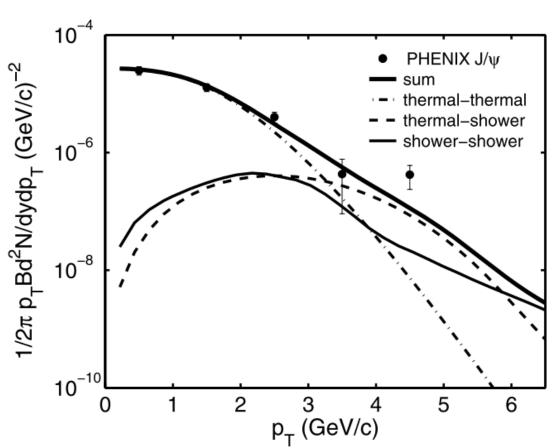


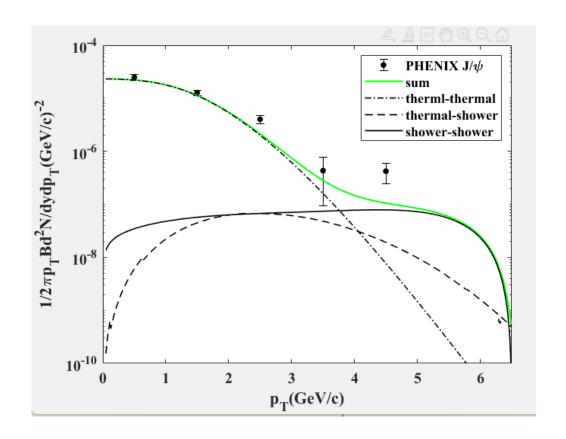


54 (2010).

主要参考: Int.J.Mod.Phys.E 20 (2011) 1213-1226

2. results (全用文章)





3.结论

Summary in brief:

TT完成复现 SS基本复现 主要问题出在TS,除了积分限的问题,感觉Fiq有点问题,如果fik没有问题(估计没有), 应该是energy of hard parton E 的形式的问题,从而导致S_j也有问题。

References

[1] J/ ψ production and elliptic flow parameter v2 at LHC energy.

[2] J/ψ production in Au + Au collisions at $\sqrt{sNN} = 200$ GeV in the recombination model.

[3] Productions of Heavy Flavored Mesons in Relativistic Heavy Ion Collisions in the Recombination Model.

[4] π -J/ ψ Correlation and Elliptic Flow Parameter v2 of Charmed Mesons at RHIC Energy.

[5] Hadron production in heavy ion collisions: Fragmentation and recombination from a dense parton phase.

More...

