

Project:

**Return a list of first 'n' Fibonacci numbers**

Team:

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# Problem Statement:

The Fibonacci sequence is a foundational concept in mathematics and computer science, known for its rapid, exponential growth. For learners and analysts, understanding the relationship between the term index ( $n$ ) and the resulting Fibonacci number ( $F(n)$ ) is critical. Manually calculating and comparing these large numbers becomes tedious and inefficient. Develop a program that can efficiently generate the first  $n$  terms of the Fibonacci sequence (starting from 0 and 1) and simultaneously provide a clear, visual representation of this growth.

## Approach/Methodology/Data structures used:

### Data Structure: List

The core data structure used is the **Python list**.

- **Usage:** The `fibonacci` function initializes the sequence as `seq = [0, 1]` and then continuously appends the next calculated term to this list.
- **Advantage:** Lists provide efficient appending (`.append()`), which is ideal for building the sequence step-by-step. They also maintain the **order** of the sequence, allowing easy access to the preceding two elements (`seq[-1]` and `seq[-2]`) needed for the calculation.

### Methodology/Algorithm: Iterative Approach

The program uses an **iterative (looping) methodology** to generate the Fibonacci numbers. This is a very efficient and simple way to calculate the sequence.

1. **Initialization:** The function handles the base cases:
  - If  $n \leq 0$ , it returns an empty list.
  - If  $n = 1$ , it returns `[0]`.
  - For  $n \geq 2$ , it **initializes the list** with the first two terms: `[0, 1]`.
2. **Iteration (The Loop):** A `while` loop runs as long as the current length of the sequence (`len(seq)`) is less than the desired number of terms ( $n$ ).
3. **Calculation:** Inside the loop, the next Fibonacci number is calculated by **summing the last two numbers** in the existing list: `seq[-1] + seq[-2]`.
4. **Growth:** This new number is then **appended** to the list (`seq.append(...)`).

This iterative approach is computationally light because it only requires **constant time** ( $O(1)$ ) to calculate each new number after the sequence is initialized, making the overall complexity for generating  $n$  terms  $O(n)$  (linear time).

## Data Visualization

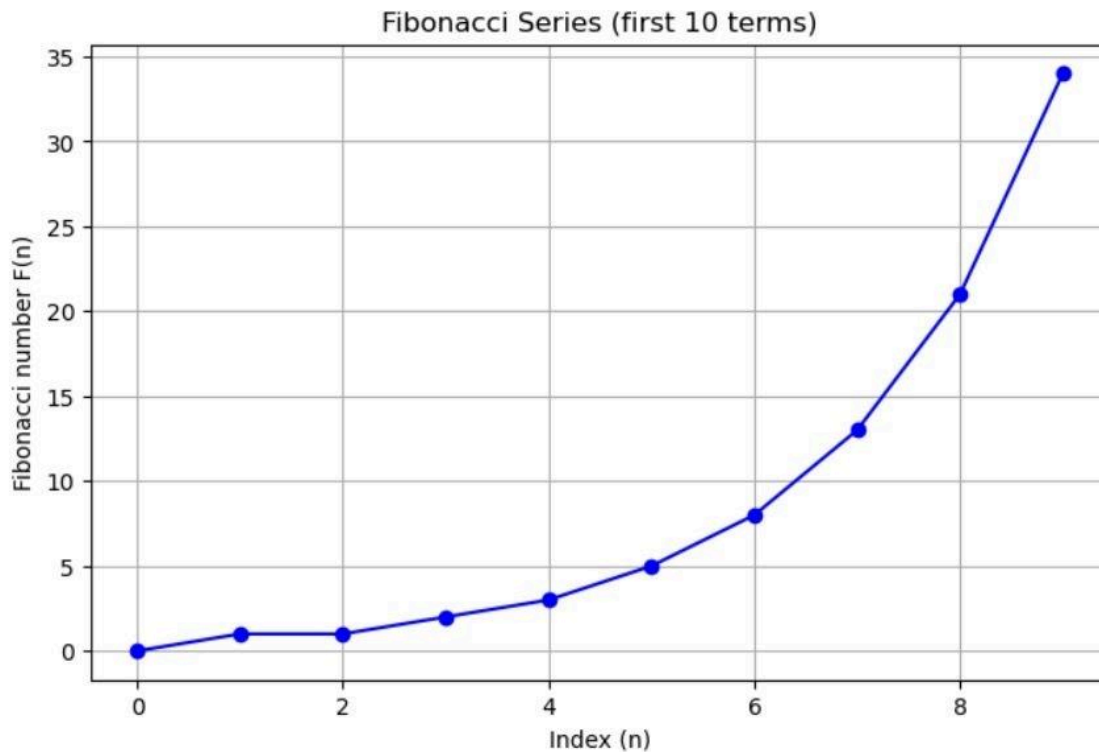
The program utilizes the **matplotlib** library to add a final step: **Data Visualization**.

- The `plot_fibonacci` function takes the completed list (`seq`) and plots it on a graph.
- The **x-axis** represents the **index** (or position  $n$ ) of the number.
- The **y-axis** represents the **value** of the Fibonacci number  $F(n)$ .
- This visual component clearly illustrates the **exponential growth** characteristic of the Fibonacci sequence

## Sample Input:

Enter number of Fibonacci terms to generate: 10

## Sample Output:



## Challenges faced:

Learning List concepts & matplotlib library functions to plot the graph.