

Experiment Task - 1

1) Algorithm -

→ Brute force Algorithm

1. Input // List of items (value, weight), capacity of the knapsack
2. Initialize : max-value to 0 and best-combination to empty list
3. For each combination of items :
 - Calculate total weight and total value of combination
 - If total weight \leq capacity
 - If total value $>$ max-value, update max-value and best-combination
4. Output : max-value and best-combination

→ Greedy Algorithm

1. Input // List of items (value, weight), capacity of knapsack
2. Calculate the value-to-weight ratio for each item
3. Sort items in descending order based on value-to-weight ratio
4. Initialize total-value to 0
5. For each item:
 - If the item can fit entirely (weight \leq capacity)
 - Add its value to total-value
 - Subtract its weight from capacity
 - else:
 - Add the fractional value (ratio \times remaining capacity) to total-value
 - Break the loop
6. Output total-value

positive: Test Cases

2) ①	ID weight, value	Expected output: ratio	
	1, 100, 20	ID weight value ratio	
	2, 200, 30	4 50 300 6	maximum value in
	3, 150, 25	2 30 200 6.67	Knapsack: 640
	4, 300, 50	3 25 150 6	
②	1, 60, 100	3 30 120 4	
	2, 100, 20	2 20 100 5	max value in
	3, 120, 30	1 10 60 6	Knapsack: 280
③	1, 500, 30	1 30 500 16.67	
	2, 400, 50	2 50 400 8	max value in
	3, 300, 20	3 20 300 15	Knapsack: 830
④	1 100, 200	1 200 100 0.5	max val: 100
⑤	1, 50, 10	1 10 50 5	max val: 50

Negative Test Cases:

- ① Empty CSV file
Expected output: Error - opening file
- ② Invalid data Format → ID, Value, Weight
Expected output: 1, 100, 20
Error: Invalid stoi conversion 2, two hundred, 30
- ③ Negative weight -
Expected output: Error: weight cannot be negative.
- ④ Non-numeric Data - ID weight value
2, abc, 100
Expected output - Error: invalid stoi conversion
- ⑤ Overcapacity items:
Expected output:

ID	weight	value	ratio
1	250	100	0.4
2	300	200	0.67
3	400	150	0.375

max val is 0

3 Time complexity

A Brute-force Algorithm :

1. No of subsets : For n items, each item can be included or excluded in knapsack, so 2^n subsets.
2. Check each Subset : For each subsets, we need to calculate total weight and total value :
 - This takes $O(n)$ time in worst case, as we examine all n items.

$$T(n) = O(n) \times O(2^n) = O(n \cdot 2^n)$$

B Greedy Algorithm :

1. Calculate Ratios : For each item, compute value-to-weight :
 - This takes $O(n)$ time for n items
2. Sorting : We need to sort item
 - Sorting will take $O(n \log n)$
3. Iterate Through items : After sorting, we iterate through list it will take $O(n)$

$$T(n) = O(n) + O(n \log n) + O(n) = O(n \log n)$$

\therefore time complexity using knapsack algorithm is $O(n \log n)$.

Experiment Task 2

Algorithm (Greedy method)

- 1] → Download Books: Identify, access the website, download the book in desired formats, store files in desired directory.
- Read and Process: Open and read content, Extract text from documents, in format like PDFs and Doc.
- Frequency count: count frequency of character in text
- Build a priority Queue:
 - Create a priority queue (or min-heap) to hold nodes, each node contains character and frequency
 - Insert Nodes: For each character and its frequency, create a node and insert it into priority queue.
- ~~Generate Huffman Codes~~: Build Huffman tree:
 - ~~Traverse the Huffman~~
 - while there is more than one node in priority queue:
 - Remove the two nodes with lowest frequency (high priority)
 - Create a new internal node with these two nodes as children and a frequency equal to combined frequency.
 - Insert new node back into priority queue.
- Generate Huffman codes: Traverse Huffman tree recursively:
 - Assign a binary code (0 for left branch and 1 for right branch)
 - Store the codes ~~in~~ where key is character and value - Huffman code.
- Encode: Replace each character with original text with corresponding Huffman code to form encoded string.
- Calculate Compression Ratio: Determine size of original text and encoded string. compute $\text{compression ratio} = \frac{\text{Size of original text}}{\text{Size of encoded string}}$

Positive :

Test Cases

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- 2) ① Input : { 'a': 5, 'b': 9, 'c': 12, 'd': 35 }
Expected output : e : 000 a : 001 b : 010 c : 011
d : 100 f : 101 compress ratio : 1.72
- ② Input : { 'a': 3, 'b': 3, 'c': 3, 'd': 3 }
Expected output : a : 00 b : 01, c : 10 d : 11
compress ratio : 2.56
- ③ Input : { 'a': 20 }
Expected output : a : Compress ratio : 1.0
- ④ Input : { 'a': 5, 'b': 15 }
Expected output : a : 0 b : 1 compress ratio : 1.0
- ⑤ Input : { 'b': 15 }
Expected output : b : Compress ratio : 1.0

Negative Test Cases :

- ① Input : { }
Expected output : error: Frequency map is empty
- ② Input : { 'a': 0 }
Expected output : Error: Character frequency cannot be zero
- ③ Input : { 'a': -5, 'b': 3 }
Expected output : Error: Frequency cannot be negative
- ④ Input : { 1: 5, 2: 3 }
Expected output : Error: Invalid Character type
- ⑤ Input : { 'a': 10000, 'b': 50654 }
Expected output : Error: Large input cannot be handled.

3] A] Brute force Algorithm:

Time Complexity

In worst case, you might need to perform $n-1$ comparison for first pass, $n-2$ for second and so on to 1.

So comparison \rightarrow

$$(n-1) + (n-2) + \dots + 1 = \frac{n(n-1)}{2}$$

so time complexity $= O(n^2)$

but this may be exhaustive and not run code properly so it is not used

B] Greedy Method:

1] 1. Creating node for each character and insert in priority queue. This takes $O(n)$ time for loop n character.

2. Inserting each node in priority queue takes $O(\log n)$ and for each n nodes will take $O(n \log n)$

3. To remove two nodes with smallest frequency and merge them will take $O(\log n)$ since happening $n-1$ times so $O(n-1 \log n) = O(n \log n)$ for tree building $\rightarrow O(n) + O(n \log n) + O(n \log n) = O(n \log n)$

2] Generating Huffman codes: Each node visited once and n nodes in total so $T(n) = O(n)$

3] Calculating compression ratio: iterate through frequency map of size n , each lookup $O(1)$ so $O(1) \times n = O(n)$ final complexity $= O(n \log n) + O(n) + O(n) = O(n \log n)$