Homework 5

Course: CO20-320241

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Problem 5.1 Solution:

- (a) $14_{10} + 37_{10} = 110_2 + 100101_2 = 101011_2$ Carry 1 bit on 3rd position from end.
- (b) $12_{10}-27_{10}$ -27_{10} sign is 1, convert 27 to binary, invert, and add 1 $27_{10}=11011_2$ Make it 8 bit 00011011, invert 11100100, add 1 $-27_{10}=11100101_2$ $12_{10}-27_{10}=1100_2+11100101_2=11110001_2$ Invert again, and add 1 $00001110_2+1=1111_2=-15$ is the answer.
- (c) 69 = 01101001 $58 = 0101\ 1000$ Add 6 to right sum Add carry and 6 Add 6 to left sum(bigger than 9)
- (d) $275 = 0010\ 0111\ 0101$ $642 = 0110\ 0100\ 0010$ Add 6 to the middle sum Carry the bit
- (e) 6AF + 23C =F C D 1B Carry last bit Е В
- (f) 594 3A8 = First, find 15 compliment of the second number.

		5	9	4	
$3A8 \xrightarrow{\text{invert}} C57$	+	C	5	7	
	=	1	Е	В	Carry bit to least significant digit
	=	1	Е	C	

Problem 5.2 Solution:

(a)
$$a = b + c$$

 $$t0 = $s0 + $s1$
MIPS:

- (b) sub \$t0, \$s0, \$s2 Subtract b -d and store it in a add \$t0, \$t0, \$s1 Add a to c and store the result in a
- (c) add \$t0, \$s0, \$s0 Add b and b and store it in a add \$t0, \$t0, \$s0 Add a and b and store it in a
- (d) add \$t0, 1, \$s0 Add 1 to b, and store in a add \$t0 \$t0 \$t0 Add a to a, and store in a (multiply by 2)

Problem 5.3

Solution:

Let's first transform register # of variables a, b, c to binary numbers.

 $a = $t0 = 8 = 01000_2$

 $b = \$s0 = 16 = 10000_2$

 $c = \$s1 = 17 = 10001_2$

 $d = \$s2 = 18 = 10010_2$

(a)	MIPS instruction	op	rs	rt	rd	shamt	funct
	add \$t0 \$s0 \$s1	000000	10000	10001	01000	00000	100000

	MIPS instruction	op	rs	rt	rd	shamt	funct
(b)	sub \$t0, \$s0, \$s2	000000	10000	10010	01000	00000	100010
	add \$t0, \$t0, \$s1	000000	01000	10001	01000	00000	100000

Problem 5.4

Solution:

B[5] = A[4] + A[2]

lw \$t0, 16(\$s0) Load A[4] into temp. reg. \$t0

lw \$1, 8(\$s0) Load A[2] into temp. reg \$t1

lw \$t2, 20(\$s1) Load B[5] into temp. reg \$t2

add \$t2, \$t0, \$t1 Add A[4] and A[2] and store it to \$t2

sw \$t2, 20(\$s1) Save the result of \$t2 to B[5]

Problem 5.5

Solution:

add \$t1, \$t0, 7 Add 7 to x, and store it at \$t1

add \$t1, \$t1, \$t1 Multiply \$t1 by 2.

add \$t1, \$t1, \$t1 Multiply \$t1 by 2 (Now we got offset for A[x+7].

add \$t1, \$t1, \$s0 Get adress of A[x+7]

add \$t2, \$t0, 2 Add 2 to x, and store it at \$t2

add \$t2, \$t2, \$t2 Multiply \$t2 by 2.

add \$t2, \$t2, \$t2 Multiply \$t2 by 2 (Now we got offset for A[x+2].

add \$t2, \$t2, \$s0 Get adress of A[x+2]

add \$t0, \$t0, \$t0 Multiply \$t0 by 2

add \$t0, \$t0, \$t0 Multiply \$t0 by 2

add \$t0, \$t0, \$s1 Add offset for B[x]

lw \$t3, 0(\$t1) Load value of A[x+7]

lw \$t4, 0(\$t2) Load value for A [x+2]

add \$t5, \$t3, \$t4. Add value of A[x+7] to A[x+2] and store it at \$t5

sw \$t5, 0(\$t0) Store value of sum to B[x] (\$t5)

Problem 5.6

Solution:

It will change number of bits used for representing the id of registers. Before it was 5, but now since we have only 16 numbers, we can use 4, since it is enough to represent all of them. Since every MIPS instruction have 32 bits, we will have 2 free bits(1 from first register, one from second), that can be used for representing bigger constant (18 bits instead of 16)