

# Quiz: Chapter 1

Printed Name:

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## Quiz rules:

1. You MAY use:
  - (a) any notes (handwritten, printed, or electronic),
  - (b) any computer programs (including websites like WolframAlpha or ChatGPT), and
  - (c) any additional scratch paper.
2. You MAY NOT communicate with another student.
3. If you finish the quiz early, stay seated. I will collect all the quizzes at the same time.

**Problem 1.** For each statement below, circle **True** if the statement is known to be true, **False** if the statement is known to be false, and **Open** if the statement reduces to an open problem. You will receive +1 point for each correct answer, **-0.5 points for each incorrect answer**, and 0 points for each blank answer.

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|---------|-------|------|---|
| 1. True | False | Open | Let $g_{\text{axis2}} \in \mathcal{H}_{\text{axis2}}$ be the output of the TEA algorithm and $f$ be the true labeling function. Then the following inequality is guaranteed to hold: $E_{\text{out}}(f) \leq E_{\text{out}}(g_{\text{axis2}})$ .  |
| 2. True | False | Open | Let $\mathcal{H}_1$ and $\mathcal{H}_2$ be two finite hypothesis classes satisfying $\mathcal{H}_1 \subseteq \mathcal{H}_2$ . Let $g_1$ be the result of the TEA algorithm on $\mathcal{H}_1$ and $g_2$ be the result of TEA on $\mathcal{H}_2$ . Then for all training and test sets, the following inequality is guaranteed to hold: $E_{\text{test}}(g_1) \leq E_{\text{test}}(g_2)$ . |
| 3. True | False | Open | For all $d > 100$ , we have that $ \mathcal{H}_{\text{axis2}}  <  \mathcal{H}_{\text{multiaxis2}} $ .   |
| 4. True | False | Open | Let $g_{\text{axis2}}$ be the result of running TEA on $\mathcal{H}_{\text{axis2}}$ , $g_{\text{multiaxis2}}$ be the result of running TEA on $\mathcal{H}_{\text{multiaxis2}}$ , and $g_{\text{union}}$ be the result of running TEA on $\mathcal{H}_{\text{union}} = \mathcal{H}_{\text{axis2}} \cup \mathcal{H}_{\text{multiaxis2}}$ . Then we have that for all datasets,             |

$$E_{\text{in}}(g_{\text{union}}) \leq E_{\text{in}}(g_{\text{axis2}})$$

and

$$E_{\text{in}}(g_{\text{union}}) \leq E_{\text{in}}(g_{\text{multiaxis2}}).$$