



# COEP TECHNOLOGICAL UNIVERSITY, PUNE

Wellesly Road, Shivajinagar, Pune - 411005

## Assignment - 12

### Binary search trees

1. Algorithm to insert in a Binary search tree.

Algorithm Insert-BST (root, key)  
{

1. if root == NULL :  
    create a newNode and return.

2. Else find the correct position of the node to  
    be inserted in the B.S.T. using traverse().

    position = traverse (root, key).

3. if position → data > item.  
    position → left = newNode.

4. if position → data < item.  
    position → right = newNode

}

Algorithm traverse (root, data)  
{

1. if root → data == item.  
    return root.

2. if root → data < item.  
    if root → right exists  
    then recursively call traverse() for right  
        subtree of root



i.e.

```
if (root → data < item)
    if (root → right)
        return traverse (root → right, item)
    else
        return root.
```

```
3. if root ↔ data > item
    if (root → left)
        return traverse (root → left, item)
    else
        return root.
```

2. Algorithm to delete from B.S.T.

i. Find position to delete using traverse().

ii. If position == NULL print message saying Item not found in B.S.T.

iii. If <sup>node</sup> item at position has no child node.  
→ free node memory & return.

iv. If node at position has one child. then make the new-position pointing to the child node & delete the original node.

# COEP TECHNOLOGICAL UNIVERSITY, PUNE

Wellesly Road, Shivajinagar, Pune - 411005

1. Node \*child = position → left? position → left : position → right;
2. position = child free(position)
3. free(child) position = child.

1) 1. if node to be deleted has 2 children.

1. Find inorder successor (minimum in right subtree)
2. Copy inorder successor data into root.
3. Delete the inorder successor

Algorithm to print leaf & non-leaf nodes.

i. Declare 2 arrays of node pointers.

Node\* terminals[20];

Node\* non-terminals[20];

ii. Traverse through the tree.

iii. If a node has no child :  
Add it to 'terminals' array.

Else.

Add it to 'non-terminals' array.





7. Algorithm to print nodes at each level.

I. Initialise queue of node pointers.

Node \* queue[100];  
front = rear = 0;

II. Add root to the queue.

queue[rear++] = root.

III. while (front < rear)

1. dequeue first element

current = queue[front++]

2. If 'current' has child nodes  
enqueue them.

5. Conclusion:

B.S.T. provide efficient searching, insertion and deletion operations while maintaining sorted order. The implemented algorithms successfully demonstrate hierarchical data organisation and recursive tree processing.

# COEP TECHNOLOGICAL UNIVERSITY, PUNE

Wellesly Road, Shivajinagar, Pune - 411005

## Assignment - 13 Heap trees.

Algorithm to insert element into heap and move to appropriate position.

Algorithm insert-heap(heap, size, element)

- i. If heap is full, return error.
- ii. Place new element at the end of heap array.
- iii. Set  $\text{current-index} = \text{last position}$ .
- iv. while ( $\text{current-index} > 0$ ):
  - Find  $\text{parent-index} = (\text{current index} - 1) / 2$
  - if  $\text{heap}[\text{current-index}] > \text{heap}[\text{parent-index}]$ 
    - Swap elements at  $\text{current-index}$  &  $\text{parent-index}$
    - $\text{curr-index} = \text{parent-index}$ .
  - Else.
    - break loop.

Algorithm to delete Root element & Re-heap the tree.

Algorithm delete-root(heap, size)

- i. If heap is empty, return error.
- ii. Store  $\text{root-element} = \text{heap}[0]$ .
- iii. Replace root with last element  
 $\text{heap}[0] = \text{heap}[\text{size} - 1]$ .



## COEP TECHNOLOGICAL UNIVERSITY, PUNE

Wellesly Road, Shivajinagar, Pune - 411005

iv. set  $\text{curr-index} = 0$ .

v. While  $\text{curr-index}$  has children:

find  $\text{left-child} = 2 * \text{curr-index} + 1$

find  $\text{right-child} = 2 * \text{curr-index} + 2$ .

Set  $\text{largest} = \text{curr-index}$ .

if ( $\text{left-child}$  exists and is greater than  $\text{curr-index}$ )

→  $\text{largest} = \text{left-child}$ .

if ( $\text{right-child}$  exists & is greater than  $\text{curr-index}$ )

→  $\text{largest} = \text{right-child}$ .

if ( $\text{largest} \neq \text{curr-index}$ )

Swap  $\text{heap}[\text{curr-index}]$  &  $\text{heap}[\text{largest}]$

$\text{curr-index} = \text{largest}$ .

else

break loop

### 3. CONCLUSION:

Heap operations efficiently manage/maintain the heap property using bubble-up & trickle-down techniques. The algorithms ensure optimal performance for priority queue operations.