# Trabalho 01 de Métodos Quantitativos

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# Bibliotecas ¶

```
In [4]:
```

```
import numpy as np
import pandas as pd
```

# Primeira visualização dos dados

Base do IMDB de ranking de filmes

```
In [9]:
```

```
import matplotlib.pyplot as plt

df = pd.read_csv(r'C:\Users\pe-ri\Documents\Python Scripts\PGCC-Métodos Quantitativos\P

GCC-MQ\data.csv', delimiter='\t', low_memory=False)

print(df.head())

df.describe()
```

	tconst	averageRating	numVotes
0	tt0000001	5.6	1538
1	tt0000002	6.1	186
2	tt0000003	6.5	1198
3	tt0000004	6.2	114
4	tt0000005	6.1	1909

# Out[9]:

	averageRating	numVotes
count	978337.000000	9.783370e+05
mean	6.885982	9.590946e+02
std	1.401628	1.563819e+04
min	1.000000	5.000000e+00
25%	6.100000	9.000000e+00
50%	7.100000	2.000000e+01
75%	7.900000	7.600000e+01
max	10.000000	2.139781e+06

# Trabalhando os dados

- 1. Pegar somente o campo das notas e as ordenar
- 2. Criar variaveis com dados em formato discretas (Xd) e contínuo (Xc)

```
In [10]:
```

```
Xc = df['averageRating'].sort_values(ascending=True)
Xd = Xc.astype(int)
totalAtributos = len(Xc)
```

# **CDF**

- 1. Discreto
- 1.1 Calculando

```
In [12]:
```

```
"""1. Discreto"""
"""1.1 Calculando"""
"""Pegando a quantidade de ocorrências e calculando a probabilidade"""
print("DISCRETO")
ocorrenciasD = dict()
totalOcorrenciaD = 0
#calculando quantidade de ocorrências
for i in Xd:
    try:
        ocorrenciasD[i] += 1
    except KeyError:
        ocorrenciasD[i] = 1
        totalOcorrenciaD = totalOcorrenciaD + 1
print("Total de ocorrências: ", totalOcorrenciaD)
print("Ocorrências: ", ocorrenciasD)
#calculando a probabilidade
probabilidadeD = []
eixoXD = []
for itemD, totalOcorrenciaIndividualD in ocorrenciasD.items():
    probabilidadeD.append(totalOcorrenciaIndividualD/totalAtributos)
    eixoXD.append(itemD)
print("\nProbabilidade:", probabilidadeD)
#Calculando eixo X da CDF
ValorEixoXD = []
ValorEixoXD.append(probabilidadeD[0])
for i in range(itemD):
    if i != 0:
        ValorEixoXD.append(probabilidadeD[i]+ValorEixoXD[i-1])
print("\nEixo X:", eixoXD, ValorEixoXD)
DISCRETO
Total de ocorrências: 10
Ocorrências: {1: 4034, 2: 9294, 3: 22694, 4: 53962, 5: 122091, 6: 236913,
7: 308646, 8: 182690, 9: 34949, 10: 3064}
Probabilidade: [0.004123323558242201, 0.009499794038250624, 0.023196505907
4736, 0.055156863125896294, 0.12479442155412705, 0.24215888799053906, 0.31
54802486259847, 0.18673524562599594, 0.03572286441175178, 0.00313184516173
87464]
```

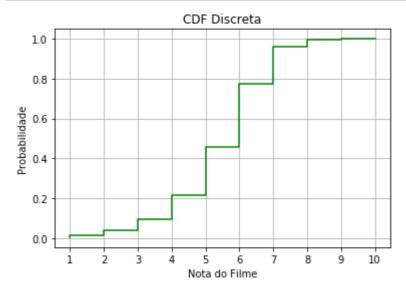
Eixo X: [1, 2, 3, 4, 5, 6, 7, 8, 9, 10] [0.004123323558242201, 0.013623117 596492824, 0.03681962350396642, 0.09197648662986271, 0.21677090818398975, 0.4589297961745288, 0.7744100448005136, 0.9611452904265095, 0.996868154838

#### 1.2 Plotando

2613, 1.0]

# In [14]:

```
"""1.2 Plotando"""
plt.xlabel('Nota do Filme')
plt.ylabel('Probabilidade')
plt.title('CDF Discreta')
plt.grid(True)
plt.xticks(eixoXD)
plt.xticks(eixoXD)
plt.step(eixoXD, ValorEixoXD, color='g')
plt.show()
ValorEixoXD1 = ValorEixoXD
```



# 2. Continuo

## 2.1 Calculando

#### In [15]:

```
"""2. Continuo"""
"""2.1 Calculando"""
"""Pegando a quantidade de ocorrências e calculando a probabilidade"""
print("Continuo")
ocorrenciasC = dict()
totalOcorrenciaC = 0
#calculando quantidade de ocorrências
for j in Xc:
   try:
        ocorrenciasC[j] +=1
    except KeyError:
        ocorrenciasC[j] = 1
        totalOcorrenciaC = totalOcorrenciaC + 1
print("Total de Ocorrências: ", totalOcorrenciaC)
print("Ocorrências: ", ocorrenciasC)
#calculando a probabilidade
probabilidadeC = []
eixoXC = []
for itemC, totalOcorrenciaIndividualC in ocorrenciasC.items():
    probabilidadeC.append(totalOcorrenciaIndividualC/totalAtributos)
    eixoXC.append(itemC)
print("\nProbabilidade:", probabilidadeC)
#Calculando eixo X da CDF
ValorEixoXC = []
ValorEixoXC.append(probabilidadeC[0])
for i in range(totalOcorrenciaC):
    if i != 0:
        ValorEixoXC.append(probabilidadeC[i]+ValorEixoXC[i-1])
print("\nEixo X:", eixoXC, ValorEixoXC)
```

Continuo

Total de Ocorrências: 91

Ocorrências: {1.0: 968, 1.1: 237, 1.2: 251, 1.3: 240, 1.4: 287, 1.5: 288, 1.6: 420, 1.7: 395, 1.8: 500, 1.9: 448, 2.0: 675, 2.1: 643, 2.2: 757, 2.3: 762, 2.4: 894, 2.5: 897, 2.6: 1010, 2.7: 1014, 2.8: 1482, 2.9: 1160, 3.0: 1608, 3.1: 1443, 3.2: 1980, 3.3: 1769, 3.4: 2295, 3.5: 2101, 3.6: 2830, 3.7: 2529, 3.8: 3436, 3.9: 2703, 4.0: 4103, 4.1: 3424, 4.2: 4735, 4.3: 4168, 4.4: 5240, 4.5: 4989, 4.6: 6654, 4.7: 6076, 4.8: 8006, 4.9: 6567, 5.0: 986 9, 5.1: 8163, 5.2: 11095, 5.3: 10067, 5.4: 12016, 5.5: 11354, 5.6: 14029, 5.7: 13278, 5.8: 17487, 5.9: 14733, 6.0: 20618, 6.1: 17474, 6.2: 23644, 6.3: 20506, 6.4: 24398, 6.5: 22648, 6.6: 26624, 6.7: 24786, 6.8: 30843, 6.9: 25372, 7.0: 33339, 7.1: 28035, 7.2: 34881, 7.3: 29370, 7.4: 32542, 7.5: 29 166, 7.6: 32902, 7.7: 29079, 7.8: 33380, 7.9: 25952, 8.0: 30601, 8.1: 2436 4, 8.2: 26630, 8.3: 19490, 8.4: 19012, 8.5: 15556, 8.6: 15165, 8.7: 12238, 8.8: 11880, 8.9: 7754, 9.0: 8625, 9.1: 5132, 9.2: 5852, 9.3: 3413, 9.4: 33 87, 9.5: 2061, 9.6: 2573, 9.7: 1545, 9.8: 1855, 9.9: 506, 10.0: 3064}

Probabilidade: [0.0009894341111498389, 0.00024224781440342131, 0.000256557 8118787289, 0.0002453142424338444, 0.00029335494824380554, 0.0002943770909 2061323, 0.00042929992425922765, 0.00040374635733903555, 0.000511071338403 8425, 0.00045791991920984284, 0.0006899463068451873, 0.000657237741187341 4, 0.0007737620063434174, 0.0007788727197274559, 0.0009137955530660703, 0. 0009168619810964934, 0.0010323641035757617, 0.0010364526742829925, 0.00151 4815447028989, 0.0011856855050969145, 0.0016436054243067573, 0.00147495188 26334893, 0.002023842500079216, 0.0018081703952727945, 0.00234581744327363 66, 0.002147521763972946, 0.0028926637753657483, 0.002584998829646635, 0.0 035120822375112053, 0.002762851655411172, 0.004193851402941931, 0.00349981 6525389513, 0.0048398455746843875, 0.00426029067693443, 0.0053560276264722 68, 0.00509946981459354, 0.006801337371478335, 0.006210538904283493, 0.008 183274270522326, 0.0067124109585960665, 0.010087526077415043, 0.0083437506 70781133, 0.011340672999181263, 0.010289910327422963, 0.01228206640452114 2, 0.011605407952474453, 0.014339639612935011, 0.01357201046265244, 0.0178 74208989335984, 0.015059228057407621, 0.021074537710420848, 0.017860921134 537487, 0.0241675414504409, 0.020960057730618386, 0.024938237028753897, 0. 02314948734434045, 0.027213526627327803, 0.025334828387355277, 0.031525946 580779424, 0.02593380399596458, 0.03407721470209141, 0.028655769944303446, 0.035653358709728855, 0.030020330417841704, 0.03326256698867568, 0.0298118 13311772937, 0.03363053835232645, 0.029722886898890667, 0.0341191225518405 2, 0.026526646748513037, 0.03127858805299197, 0.024903484177742435, 0.0272 1965948338865, 0.01992156077098178, 0.019432976571467704, 0.01590045148042 0345, 0.015500793693788541, 0.012508982078772447, 0.012143055000475297, 0. 007925694315966788, 0.008815980587466282, 0.005245636217377039, 0.00598157 8944678572, 0.0034885729559446287, 0.0034619972463476286, 0.00210663605690 06386, 0.0026299731074261733, 0.001579210435667873, 0.0018960746654782554, 0.0005172041944646886, 0.0031318451617387464]

Eixo X: [1.0, 1.1, 1.2, 1.3, 1.4, 1.5, 1.6, 1.7, 1.8, 1.9, 2.0, 2.1, 2.2, 2.3, 2.4, 2.5, 2.6, 2.7, 2.8, 2.9, 3.0, 3.1, 3.2, 3.3, 3.4, 3.5, 3.6, 3.7, 3.8, 3.9, 4.0, 4.1, 4.2, 4.3, 4.4, 4.5, 4.6, 4.7, 4.8, 4.9, 5.0, 5.1, 5.2, 5.3, 5.4, 5.5, 5.6, 5.7, 5.8, 5.9, 6.0, 6.1, 6.2, 6.3, 6.4, 6.5, 6.6, 6.7, 6.8, 6.9, 7.0, 7.1, 7.2, 7.3, 7.4, 7.5, 7.6, 7.7, 7.8, 7.9, 8.0, 8.1, 8.2, 8.3, 8.4, 8.5, 8.6, 8.7, 8.8, 8.9, 9.0, 9.1, 9.2, 9.3, 9.4, 9.5, 9.6, 9.7, 9.8, 9.9, 10.0] [0.0009894341111498389, 0.0012316819255532602, 0.001488239 737431989, 0.0017335539798658335, 0.002026908928109639, 0.0023212860190302 523, 0.0027505859432894798, 0.0031543323006285153, 0.0036654036390323576, 0.004123323558242201, 0.004813269865087388, 0.0054705076062747295, 0.00624 4269612618147, 0.007023142332345604, 0.007936937885411674, 0.0088537998665 08168, 0.00988616397008393, 0.010922616644366922, 0.012437432091395912, 0.013623117596492826, 0.015266723020799584, 0.016741674903433073, 0.01876551 740351229, 0.020573687798785083, 0.02291950524205872, 0.02506702700603166 7, 0.027959690781397414, 0.03054468961104405, 0.03405677184855525, 0.03681

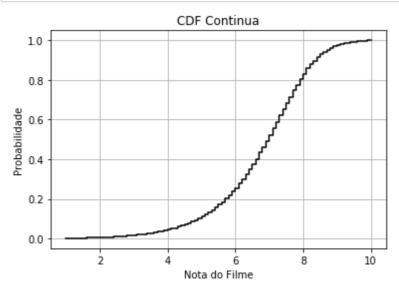
962350396643, 0.041013474906908355, 0.04451329143229787, 0.049353137006982 25, 0.053613427683916685, 0.058969455310388955, 0.0640689251249825, 0.0708 7026249646083, 0.07708080140074433, 0.08526407567126666, 0.091976486629862 73, 0.10206401270727777, 0.11040776337805891, 0.12174843637724017, 0.13203 834670466313, 0.14432041310918428, 0.15592582106165873, 0.1702654606745937 5, 0.1838374711372462, 0.20171168012658217, 0.21677090818398978, 0.2378454 4589441062, 0.2557063670289481, 0.27987390847938903, 0.3008339662100074, 0.3257722032387613, 0.3489216905831018, 0.3761352172104296, 0.401470045597 7849, 0.4329959921785643, 0.4589297961745289, 0.4930070108766203, 0.521662 7808209238, 0.5573161395306526, 0.5873364699484943, 0.62059903693717, 0.65 0410850248943, 0.6840413886012694, 0.7137642755001601, 0.7478833980520005, 0.7744100448005136, 0.8056886328535056, 0.830592117031248, 0.8578117765146 367, 0.8777333372856184, 0.8971663138570861, 0.9130667653375064, 0.9285675 59031295, 0.9410765411100674, 0.9532195961105427, 0.9611452904265095, 0.96 99612710139758, 0.9752069072313528, 0.9811884861760314, 0.984677059131976, 0.9881390563783237, 0.9902456924352243, 0.9928756655426505, 0.994454875978 3184, 0.9963509506437966, 0.9968681548382613, 1.0]

#### 2.2 Plotando

#### In [16]:

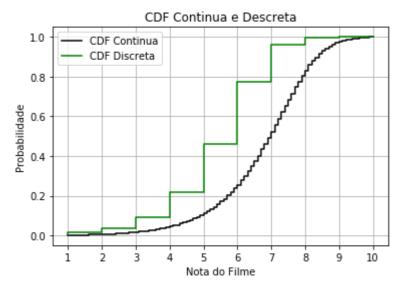
```
"""2.2 PLotando"""
plt.xlabel('Nota do Filme')
plt.ylabel('Probabilidade')
plt.title('CDF Continua')
plt.grid(True)
plt.step(eixoXC, ValorEixoXC, color='k')
plt.show()

ValorEixoXC1 = ValorEixoXC
```



# In [17]:

```
"""3 Plotando"""
plt.xlabel('Nota do Filme')
plt.ylabel('Probabilidade')
plt.title('CDF Continua e Descreta')
plt.grid(True)
plt.step(eixoXC, ValorEixoXC, color='k',label='CDF Continua')
plt.xticks(eixoXD)
plt.step(eixoXD, ValorEixoXD, color='g',label='CDF Discreta')
plt.legend(loc='best')
plt.show()
```



# **PMF**

Calculando e Reaproveitando os cálculos da CDF

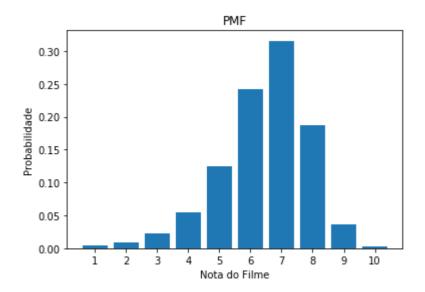
#### In [9]:

```
# Criando tabela de relação nota PMF
data = {'Nota':eixoXD, 'PMF':probabilidadeD}
pmf = pd.DataFrame(data)

print("PMF por nota")
print(pmf)

"""Plotando"""
plt.xlabel('Nota do Filme')
plt.ylabel('Probabilidade')
plt.title('PMF')
plt.xticks(eixoXD)
plt.bar(eixoXD, probabilidadeD,label='PMF')
plt.show()
```

#### PMF por nota Nota **PMF** 0 1 0.004123 1 2 0.009500 2 3 0.023197 3 4 0.055157 4 5 0.124794 5 6 0.242159 6 7 0.315480 7 0.186735 8 8 9 0.035723 10 0.003132



# **PDF**

Calculando e Reaproveitando os cálculos da CDF

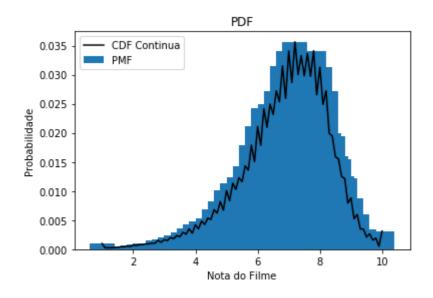
#### In [10]:

```
# Criando tabela de relação nota PMF
data = {'Nota':eixoXC, 'PDF':probabilidadeC}
pmf = pd.DataFrame(data)

print("PDF por nota")
print(pmf.head())

"""PLotando"""
plt.xlabel('Nota do Filme')
plt.ylabel('Probabilidade')
plt.title('PDF')
plt.bar(eixoXC, probabilidadeC, label='PMF')
plt.plot(eixoXC, probabilidadeC, color='k',label='CDF Continua')
plt.legend(loc='best')
plt.show()
```

```
PDF por nota
Nota PDF
0 1.0 0.000989
1 1.1 0.000242
2 1.2 0.000257
3 1.3 0.000245
4 1.4 0.000293
```

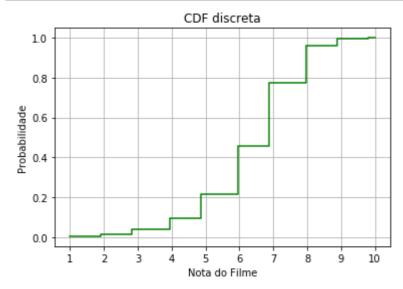


# Parte 2 Plotagem de gráficos usando bibliotecas prontas

# **CDF** discreta

## In [11]:

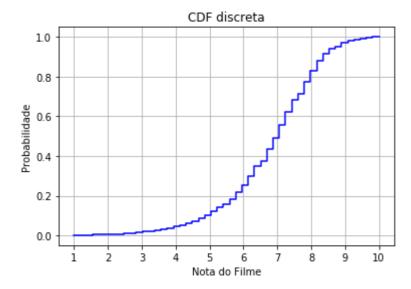
```
"""CDF discreta"""
import statsmodels.api as sm
import numpy as np
import matplotlib.pyplot as plt
from statsmodels.distributions.empirical_distribution import ECDF
sample = Xd
ecdf=ECDF(sample)
x = np.linspace(min(sample), max(sample))
y = ecdf(x)
plt.xlabel('Nota do Filme')
plt.ylabel('Probabilidade')
plt.title('CDF discreta')
plt.xticks(eixoXD)
plt.step(x,y,color='g')
plt.grid(True)
plt.show()
```



# **CDF** Contínua

#### In [12]:

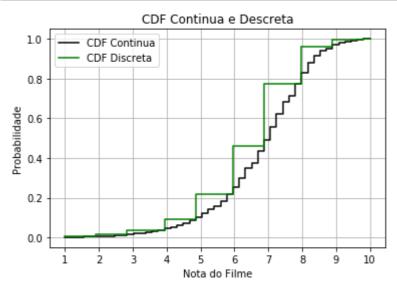
```
import statsmodels.api as sm
import numpy as np
import matplotlib.pyplot as plt
from statsmodels.distributions.empirical_distribution import ECDF
sample = Xc
ecdf=ECDF(sample)
# ecdf = sm.distributions.ECDF(sample)
x1 = np.linspace(min(sample), max(sample))
y1 = ecdf(x)
plt.xlabel('Nota do Filme')
plt.ylabel('Probabilidade')
plt.title('CDF discreta')
plt.xticks(eixoXD)
plt.step(x1,y1,color='b')
plt.grid(True)
plt.show()
```



# Comparação entre discreto e contínuo

# In [13]:

```
plt.xlabel('Nota do Filme')
plt.ylabel('Probabilidade')
plt.title('CDF Continua e Descreta')
plt.grid(True)
plt.step(x1, y1, color='k',label='CDF Continua')
plt.xticks(eixoXD)
plt.step(x, y, color='g',label='CDF Discreta')
plt.legend(loc='best')
plt.show()
```



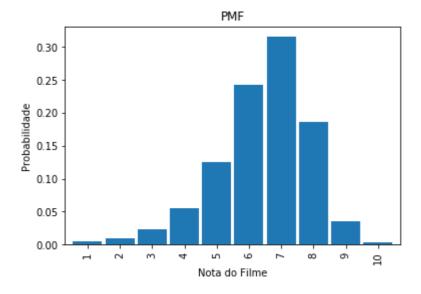
## **PMF**

## In [14]:

```
"""PMF"""
sample=Xd
pmf = sample.value_counts().sort_index() / len(sample)
plt.xlabel('Nota do Filme')
plt.ylabel('Probabilidade')
plt.title('PMF')
plt.xticks(eixoXD,rotation=90)
pmf.plot(kind="bar",width=0.9)
```

## Out[14]:

<matplotlib.axes.\_subplots.AxesSubplot at 0x7efbe60d8b00>



# **PDF**

# In [16]:

```
import seaborn as sns
x = Xc
sns.set_style('white')
plt.xlabel('Nota do Filme')
plt.ylabel('Probabilidade')
plt.title('PDF')
sns.distplot(x)
```

# Out[16]:

<matplotlib.axes.\_subplots.AxesSubplot at 0x7efbe29646a0>

