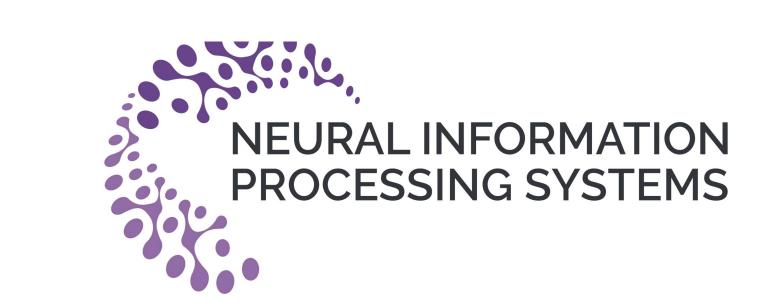


Caffe

# A Quaternion Monogenic Layer Resilient to Large Brightness Changes

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#### Motivation

- The mammalian visual system is resilient to many geometric transformations and contrast variations to which current deep learning (DL) classifiers are not [hendrycks-dietterich-2019]
- The learning of an invariance response may fail even with very deep CNNs or large data augmentations in the training. Image from [dodge-karam-2016] [simard-steinkraus-platt-2003]



### Strategy

Extent to **other representation** to obtain higher discrimination capacity.

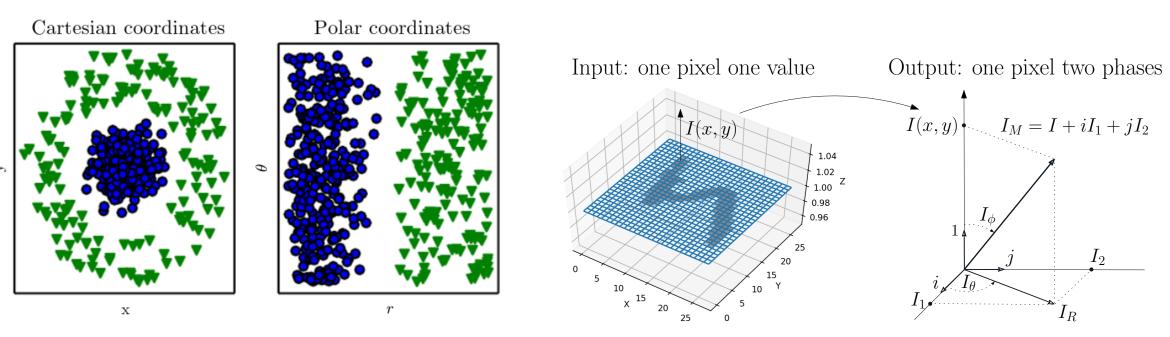
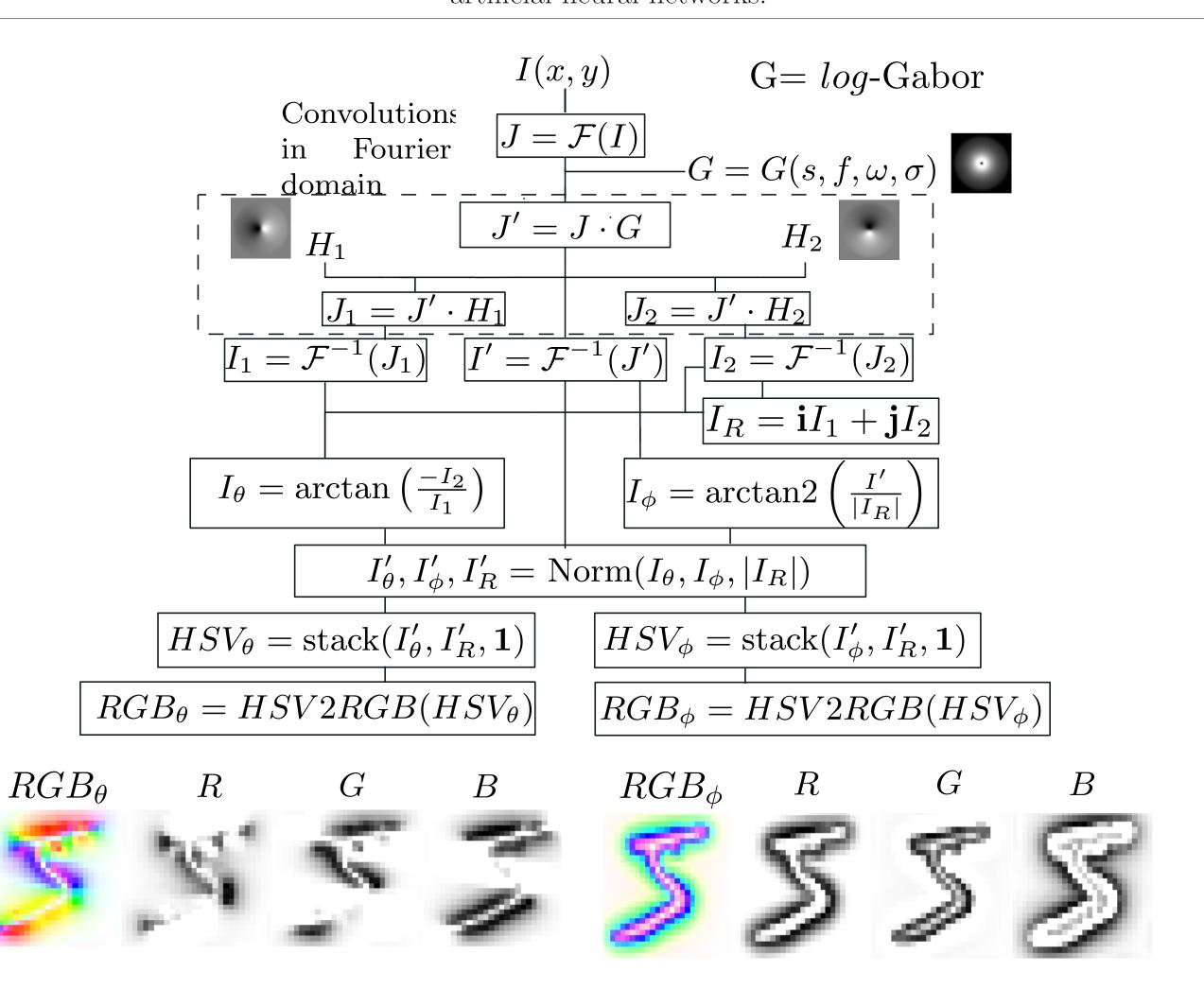


Figure 1: More data Versus representation. Image from DL book.

#### CNN layer M6

■ We use four main bio-inspired tools: the local phase, Log-Gabor, the HSV color space and the artificial neural networks.



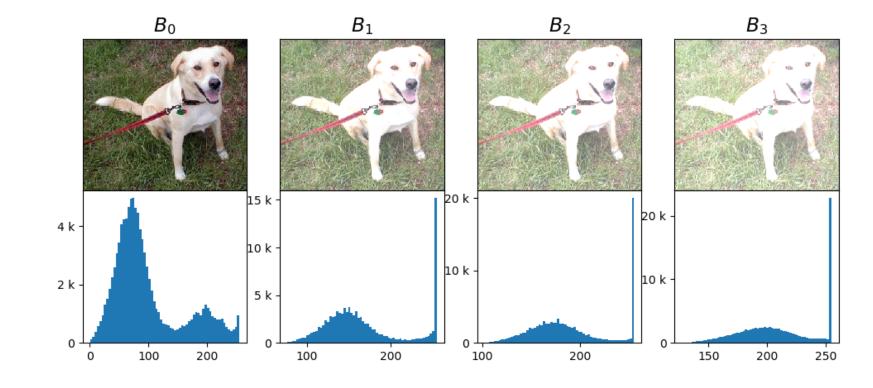
## Data and Experimental Setup

■ We have used two datasets and CIFAR-10, Dogs vs Cats (DvsC). Table shows how we split the datasets and their main characteristics.

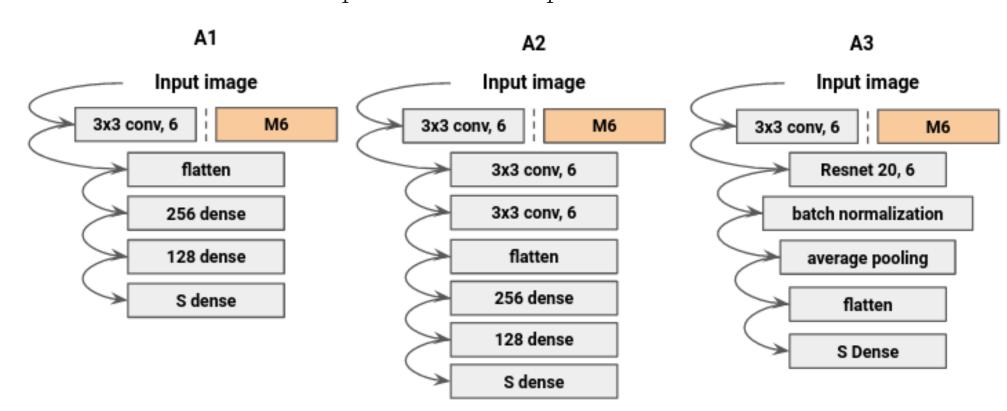
	CIFAR-10	DvsC
Training set	40,000	16,284
Validation set	10,000	3,489
Test set	10,000	3,489
Total	60,000	23,262
Input shape	[32x32x3]	[128x128x3]
1 1 0	. •	

An original image  $(B_0)$  and three transformations using Equation 1,  $B_1, B_2, B_3$ , where  $\alpha =$ 0, 0.3(255), 0.4(255), 0.5(255) respectively. Second row: the histogram of the pixel values of each image.

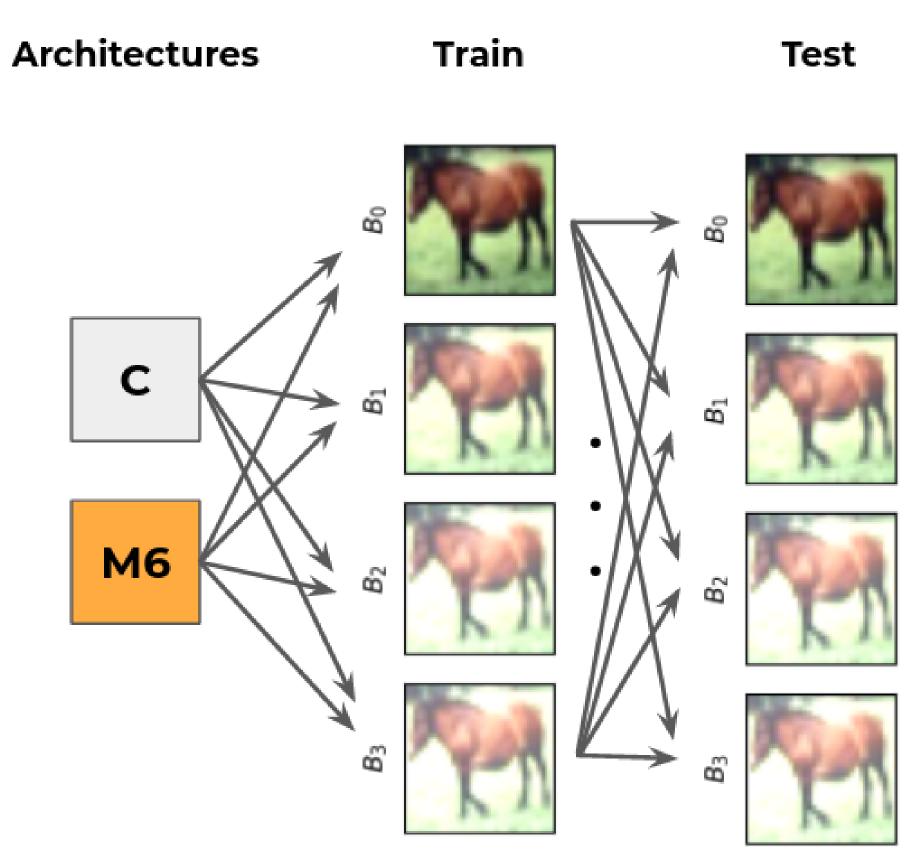
$$I_B(x, y) = \min(I(x, y) + \alpha, 255),$$
 (1)



■ Three architectures used in the experimental setup.



■ The experimental setup.

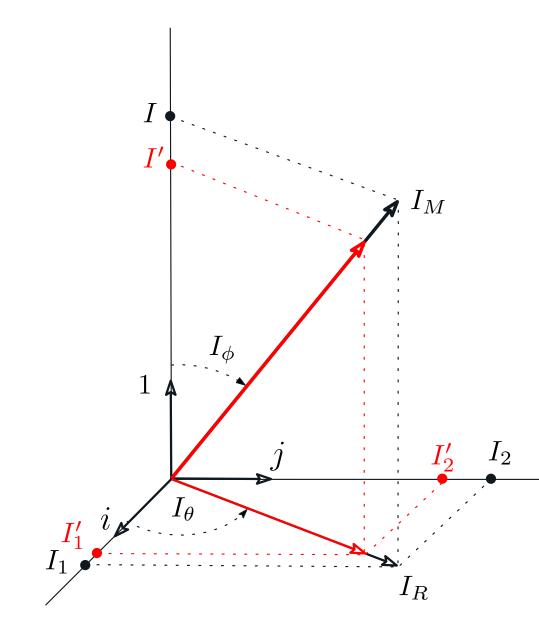


#### Results

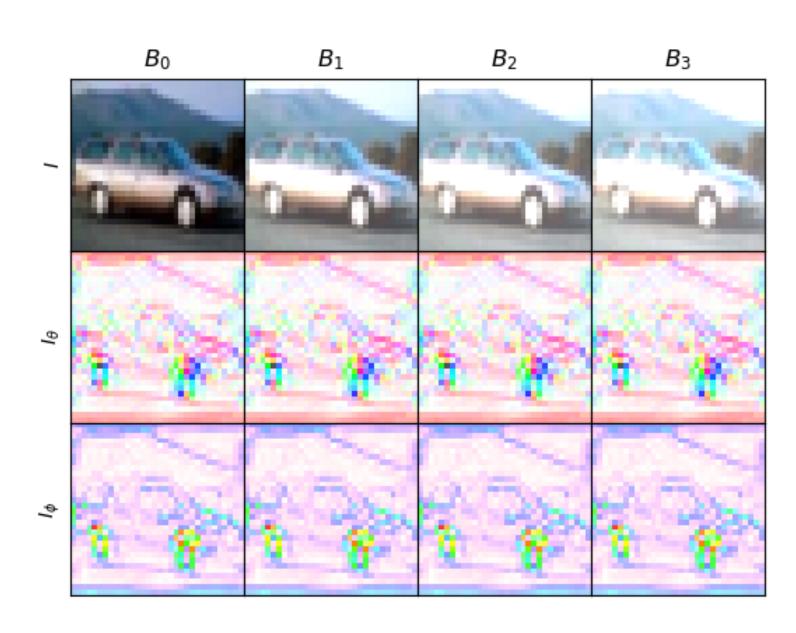
Accuracy in the test sets using different brightness levels and CNN architectures with C and the M6 layer. Where D=Datasets and, Tr=Train over different brightness levels.

		A	$\Lambda_1$ -C	$A_{1}$	$_{1}$ -M6	A	$l_2$ -C	$A_{i}$	$_2$ -M6	A	13-C	$A_{i}$	3-M6
D	Tr	$\mu$	$\sigma^2$	$\mu$	$\sigma^2$	$\mu$	$\sigma^2$	$\mu$	$\sigma^2$	$\mu$	$\sigma^2$	$\mu$	$\sigma^2$
	$B_0$	0.39	9.94E-3	0.44	1.50E-3	0.44	9.54E-3	0.50	3.85E-4	0.39	1.96E-2	0.59	1.19E-3
R-	$B_1$	0.44	1.35E-3	0.47	1.44E-4	0.46	2.45E-3	0.49	1.42E-4	0.53	2.31E-3	0.59	4.37E-4
FA	$B_2$	0.47	1.15E-3	0.48	1.47E-4	0.50	1.81E-3	0.49	9.35E-5	0.52	4.61E-3	0.56	1.19E-3 4.37E-4 1.05E-4
CI	$B_3$	0.45	2.24E-3	0.46	2.37E-4	0.50	1.68E-3	0.51	1.08E-4	0.43	2.21E-2	0.58	3.88E-5
	$B_0$	0.55	3.75E-3	0.63	9.97E-5	0.61	1.92E-3	0.69	3.29E-5	0.69	1.00E-2	0.77	1.39E-4
$D_{VSC}$	$B_1$	0.62	2.46E-4	0.68	3.52E-5	0.69	1.30E-4	0.62	3.09E-5	0.79	2.17E-3	0.80	4.55E-5
	$B_2$	0.62	2.97E-5	0.58	6.33E-5	0.69	7.38E-5	0.68	7.63E-5	0.75	1.10E-2	0.78	4.55E-5 5.92E-5
	$B_3$	0.59	2.49E-5	0.66	1.72E-5	0.63	1.36E-4	0.62	4.16E-5	0.73	1.00E-2	0.76	3.69E-5

• We compute a (local) phases  $I_{\phi}$   $I_{\theta}$  and these values are invariant to the change of the pixel value.



Activation feature maps with different contrast values. Geometric representation of contrast change.



#### Conclusions

- We demonstrate that, M6 classifies images in spite of large changes in their brightness.
- The experimental results are consistent with the geometrical observation that the local phase and the local orientation are invariant to variable contrast conditions.
- Among the possible scenarios to use M6, we count self-driving cars under haze conditions, surface glazes in medical images (biopsies), or day-round autonomous video surveillance.