In [1]:

```
import numpy as np
from sklearn import datasets, model_selection
import matplotlib.pyplot as plt
from mpl_toolkits.mplot3d import Axes3D
%matplotlib inline
```

Loading dataset

In [2]:

```
def load_dataset():
    f = open("01_homework_dataset.csv")
    f.readline() # skip the header
    dataset = np.loadtxt(f, delimiter=",")
#dataset = pd.read_csv('01_homework_dataset.csv')
X, y = dataset[:,:3], dataset[:,3]
return X, y
```

All needed functions

In [3]:

```
def euclidean_distance(x1, x2):
    return np.linalg.norm(np.subtract(x1,x2))
```

In [33]:

```
def get_neighbors_labels(X, y, x_new, k):
    euc_l = np.empty((0, 2), int)
    # getting an array [euclidean distance, label]
    for i in range(len(X)):
        euc_l = np.append(euc_l, [[euclidean_distance(X[i], x_new), y[i]]], axis=0)
# sorting an array through the euclidean distance
    euc_l = euc_l[euc_l[:, 0].argsort()]
    return euc_l[0:k, :]
```

In [35]:

```
def get_response(neighbors, num_classes=3):
  m_dict = {'max': [0, 0]}
  generating a dictionary where
  m_dict['max'] = [label, number of values]
  m_dict[label] = number of values
  for i in neighbors[:,1]:
     if i in m_dict:
       m_dict[i] += 1
       if m_dict[i] > m_dict['max'][1]:
          m_dict[max'][0] = i
          m_dict['max'][1] = m_dict[i]
     else:
       m\_dict[i] = 1
       if m_dict['max'][1] == 0:
          m_dict[max'][0] = i
          m_dict['max'][1] = 1
  # return of the label with maximum count
  return m_dict['max'][0]
```

In [73]:

```
def get_response_regression(neighbors, weight_flag):
   if not weight_flag:
       return np.sum(neighbors[:,1])/len(neighbors[:,1])
   else:
       sum_n = 0
       z = 0
       for i in neighbors:
       z += 1/i[0]
       sum_n += i[1]/i[0]
       return sum_n/z
```

We don't need test and train datasets here, so no need to split

In [74]:

Answer for problem 4

X, y = load dataset()

In [75]:

```
def get_answer_4(X, y, x_new, k):
    # finding the closest neighbour
    return get_response(get_neighbors_labels(X, y, x_new, k))
k = 3
x1 = get_answer_4(X, y, [4.1, -0.1, 2.2], k)
x2 = get_answer_4(X, y, [6.1, 0.4, 1.3], k)
print('x1 = {0}'.format(x1))
print('x2 = {0}'.format(x2))
x1 = 0.0
```

x2 = 2.0

Answer for problem 5 (unweighted)

In [76]:

```
def get_answer_5(X, y, x_new, k):
    return get_response_regression(get_neighbors_labels(X, y, x_new, k),0)
k = 3
x1= get_answer_5(X, y, [4.1, -0.1, 2.2], k)
x2= get_answer_5(X, y, [6.1, 0.4, 1.3], k)
print('x1 = {0}'.format(x1))
print('x2 = {0}'.format(x2))
```

Answer for problem 5 (weighted)

In [77]:

```
def get_answer_5(X, y, x_new, k):
    return get_response_regression(get_neighbors_labels(X, y, x_new, k),1)
k = 3
x1= get_answer_5(X, y, [4.1, -0.1, 2.2], k)
x2= get_answer_5(X, y, [6.1, 0.4, 1.3], k)
print('x1 = {0}'.format(x1))
print('x2 = {0}'.format(x2))
```

x1 = 0.5610164259744004 x2 = 1.3959245132894498

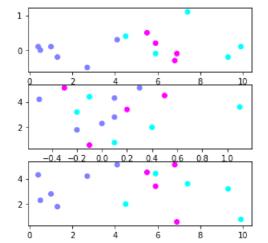
Analysis for problem 6

In [78]:

```
f, \ axes = plt.subplots(3,figsize=(5,5)) \\ axes[0].scatter(X[:,0],X[:,1], c=y, cmap=plt.cm.cool) \\ axes[1].scatter(X[:,1],X[:,2], c=y, cmap=plt.cm.cool) \\ axes[2].scatter(X[:,0],X[:,2], c=y, cmap=plt.cm.cool) \\ axes[2].scatter(X[:,0],X[:,2], c=y, cmap=plt.cm.cool) \\ axes[2].scatter(X[:,0],X[:,0],X[:,0], c=y, cmap=plt.cm.cool) \\ axes[2].scatter(X[:,0],X[:,0],X[:,0],X[:,0], c=y, cmap=plt.cm.cool) \\ axes[2].scatter(X[:,0],X[:,0],X[:,0],X[:,0],X[:,0], c=y, cmap=x, cmap=x
```

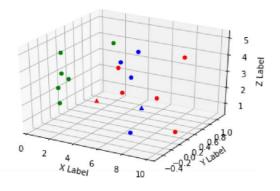
Out[78]:

<matplotlib.collections.PathCollection at 0x27d88f007f0>



In [17]:

```
fig = plt.figure()
ax = fig.add_subplot(111, projection='3d')
for i in range(len(X)):
  xs = X[i][0]
   ys = X[i][1]
   zs = X[i][2]
   if y[i] == 0:
     c = 'r'
   elif y[i] == 1:
     c = 'g'
   else:
     c = b'
   ax.scatter(xs, ys, zs, c=c, marker='o')
ax.scatter(4.1, -0.1, 2.2, c='r',marker='^')
ax.scatter(6.1, 0.4, 1.3, c='b',marker='^')
ax.set_xlabel('X Label')
ax.set_ylabel('Y Label')
ax.set_zlabel('Z Label')
plt.show()
```



As we can see in graphs, there can be 2 problems:

- 1) Using Euclidian distance in this case can cause a problem, because, for example, distribution of x_1 is not round shape, but different. Using Mahalanobis distance could work better in this case
- 2) Data is not standardize.
 - a. I suppose, we could standardize it, but there is too little data to compute mean and variance.
- b. We don't know what is measure of data, and can't use it to standardize all of it. I think, that this problems are not arise, when training a decision tree, because of the importance only of relative position of data (this one is more, than other), but not the amount of how close are they.