# Lab2

Jiahuan Li

2023-01-25

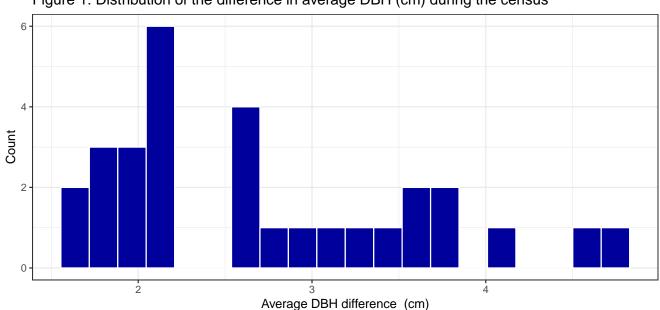
### Problem 1

 $\mathbf{a}$ 

```
dukeblue <- "#00009C"
fig1 = ggplot(afdat, aes(x = MeanGr)) +
  geom_histogram(fill = dukeblue, colour = "white", bins = 20) +
  xlab(expression(paste("Average DBH difference", " (cm)"))) +
  ylab("Count") +
  ggtitle('Figure 1: Distribution of the difference in average DBH (cm) during the census') +
  theme(plot.title = element_text(hjust = 0.5)) +
  theme_bw()</pre>
```

## histogram

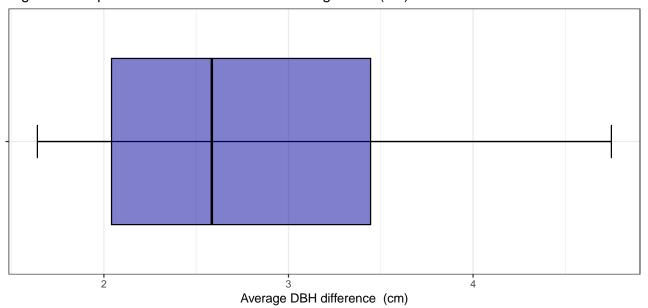
Figure 1: Distribution of the difference in average DBH (cm) during the census



```
fig2 = ggplot(afdat, aes(x = MeanGr, y = "")) +
    stat_boxplot(geom = "errorbar", width = 0.15, color = 1) +
    geom_boxplot(fill = dukeblue, alpha = 0.5, color = 1, outlier.colour = 2) +
    xlab(expression(paste("Average DBH difference", " (cm)"))) +
    ylab("") +
    ggtitle('Figure 2: Boxplot of the distribution of the average DBH (cm) difference') +
    theme(plot.title = element_text(hjust = 0.5)) +
    theme_bw()
```

# boxplot

Figure 2: Boxplot of the distribution of the average DBH (cm) difference



 $\mathbf{b}$ 

```
kurtosis <- function(y) {
    n <- length(y)
    kurt <- 1 / (n * sd(y) ^ 4) * sum((y - mean(y, na.rm = TRUE)) ^ 4) - 3
    kurt
}

MeanGr1 = afdat$MeanGr[!is.na(afdat$MeanGr)]
answer = kurtosis(MeanGr1)
print(paste("answer = ", answer))</pre>
```

```
## [1] "answer = -0.728889486347993"
```

 $\mathbf{c}$ 

```
library (scales)
Mean = mean(afdat$MeanGr, na.rm = TRUE)
Median = median(afdat$MeanGr, na.rm = TRUE)
Sd = sd(afdat$MeanGr, na.rm = TRUE)
COV = percent(Sd / Mean, accuracy = .01)
print(paste("Mean =", Mean))
## [1] "Mean = 2.70576275873333"
print(paste("Median =", Median))
## [1] "Median = 2.58466596"
print(paste("Sd =", Sd))
## [1] "Sd = 0.894471691835576"
print(paste("COV =", COV))
## [1] "COV = 33.06%"
Problem 2
\mathbf{a}
p1 = sum(dbinom(6:20,20,0.5))
p2 = pbinom(q = 5, 20, 0.5, lower.tail = FALSE)
print(paste("Answer from dbinom =", p1))
## [1] "Answer from dbinom = 0.979305267333984"
print(paste("Answer from pbinom =", p2))
## [1] "Answer from pbinom = 0.979305267333984"
b
pbi = function (x, n, p) {
 bi = factorial(n)/(factorial(x)*factorial(n-x))*p^x*(1-p)^(n-x)
  bi
}
p3 = sum(pbi(6:20,20,0.5))
print(paste("Answer from equation =", p3))
## [1] "Answer from equation = 0.979305267333984"
```

### Problem 3

```
p_17_correct = pbinom(16, 20, 0.25, lower.tail = FALSE)
p_17_correct1 = sum(dbinom(17:20, 20, 0.25))
print(paste("Probability of answering 17 or more answers correctly =", p_17_correct1))
```

## [1] "Probability of answering 17 or more answers correctly = 2.96049620374107e-08"

## Problem 4

a

```
p_9 = dpois(9, 4)
Poiss = function (x, 1) {
    pois = l^x/factorial(x)*exp(-1)
    pois
}
q4_1 = Poiss(9,4)
print(paste("P(X = 9) =", q4_1))
```

```
## [1] "P(X = 9) = 0.0132311916910503"
```

b

```
P_9_13 = sum(dpois(9:13,4))
P_9_13_1 = ppois(13,4) - ppois(8,4)
P_9_infinite = ppois(8, 4, lower.tail = F)
P_9_infinite_1 = 1 - sum(dpois(0:8, 4))
```

Answer for  $P(X \ge 9)$  using dpois() is  $P_9_13$  with limitation of the maximum number as 13;

Similarly, the answer for  $P(X \ge 9)$  using ppois() is also  $P_9_13_1$  with limitation of the maximum number as 13.