

### Problem 1)

- a. Host A determines inspecting the 8-bit protocol field in an IPv4 header or the next header field in an IPv6 header, which contains a numerical value indicating the appropriate transport layer protocol. I believe it is 6 for TCP and 17 for UDP.
- b. Yes, a host can have multiple IPs through multiple networks like WiFi, Ethernet, etc. that each has its own unique IP address. Even a server can have multiple virtual interfaces with different IPs.
- c. Session Traversal Utilities for NAT discovers public IPs and ports while Traversal Using Relays around NAT relays traffic through public servers if you can't connect peer-to-peer. For example if you had public IP A and your friend had public IP B, a STUN protocol can be used to discover the IPs and ports.
- d. It wouldn't be needed as NAT existed in case of an IP address shortage under IPv4. With IPv6 we go from  $2^{32}$  IPs to  $2^{128}$  IP addresses which significantly reduces the need for NAT. Some firms might still prefer it though for security reasons.

### Problem 2)

- a. There are 8 subnets: 223.1.1.0, 223.1.2.0, 223.1.3.0, 223.1.4.0, 223.1.7.0, 223.1.8.0, 223.1.9.0, 223.1.10.0
- b. DHCP discover (src: 0.0.0.0, dest: 255.255.255.255)  
DHCP offer (src: server IP, dest: 255.255.255.255)  
DHCP request (src: 0.0.0.0, dest: 255.255.255.255)  
DHCP ACK (src: server IP, dest: 255.255.255.255)
- c. The main issue is that PC0 is now in the 223.1.10.0 subnet but has an IP from 223.1.2.0. This can lead to PC0 attempting to send data through a gateway that is no longer available. DHCP solves this problem by auto assigning PC0 a correct IP for its new subnet.

### Problem 3)

If subnet 1 needs to hold 100 interfaces, subnet 2 needs to hold at least 50 interfaces, and subnet 3 needs to hold 25, we have 7, 6, and 5 host bits respectively. The subnet masks are  $(32 \text{ bits} - 7 \text{ host bits} = ) 25$ ,  $(32 \text{ bits} - 6 \text{ host bits} = ) 26$ , and  $(32 \text{ bits} - 5 \text{ host bits} = ) 27$  respectively too. This means we have to allow  $2^7 = 128$  spaces for subnet 1,  $2^6 = 64$  spaces for subnet 2, and  $2^5 = 32$  spaces for subnet 3.

NOTE: NO ADDRESSES CAN OVERLAP HERE

NOTE: we technically need  $x + 2$  address spaces where  $x$  is the number of interfaces needed to support to include for broadcasting and network IP (but out of scope for this question but important for minimum address space)

S1: 1 \_\_\_\_ => allows 128 distinct addresses for our requirement of 100, must flip first bit to 1 to prevent any overlap

S2: 0 1 \_\_\_\_ => allows for 64 unique address spaces for our requirement of 50, 2nd most MSB has to be 1 to not coincide with S3.

S3: 0 0 \_\_\_\_ => allows for 64 unique address spaces for our requirement of 25.

Final Answers:

Subnet 1: 10.0.0.128/25 (starts at 1 at MSB)

Subnet 2: 10.0.0.64/26 (starts at 1 at 2nd most MSB)

Subnet 3: 10.0.0.0/27 (starts at 0)

Problem 4)

- a. ASSUME that we do not include the example's initial message

<u>IP: port within private network</u>	<u>IP: port outside private network</u>
10.0.0.6:5000	131.179.176.1:8000
10.0.0.10:6000	131.179.176.1:8001
10.0.1.101:6001	131.179.176.1:8002
10.0.0.7:7000	131.179.176.1:8003

For message 1: 10.0.0.6:5000 sends a message to 172.217.11.78:80

We need to make a new entry because a packet is being sent from the private network. IP port outside private network starts at the default port 8000.

For message 2: 10.0.0.10:6000 sends a message to 204.79.197.200:80

We make new entry for same reason as message 1

For message 3: 10.0.1.101:6001 sends a message to 206.190.36.45:80

Make new entry for same reason as message 2

For message 4: 10.0.0.10:6000 sends a message to 204.79.197.200:80

We don't need to make a new entry because 10.0.0.10:6000 already sent a message earlier (however if it was a different port number or IP we would need to make a new entry). Destination address doesn't matter for the table at all.

For message 5: 10.0.1.101:6001 sends a message to 172.217.11.78:80

Already repeated, we do not need another entry

For message 6: 10.0.0.7:7000 sends a message to 63.245.215.20:80

Requires new entry

For message 7: 204.79.197.200:80 sends a message to 131.179.176.1:8002

Packet is coming from a port outside of the private network, it matches the IP for 10.0.1.101:6001 entry so we are fine. However if the destination IP doesn't match the IP: port outside the private network column at all we just drop it.

For message 8: 204.79.197.200:80 sends a message to 131.179.176.1:8003

Packet is coming from port outside of the private network, matches the IP for 10.0.0.7:7000

b.

(1) 10.0.0.6:5000 sends a message to 172.217.11.78:80:

Message Rcvd from Host: MSG <10.0.0.6:5000, 172.217.11.78:80>

Message Sent from Router: MSG <131.179.176.1:8000, 172.217.11.78:80>

(2) 10.0.0.10:6000 sends a message to 204.79.197.200:80

Message Rcvd from Host: MSG <10.0.0.10:6000, 204.79.197.200:80>

Message Sent from Router: MSG <131.179.176.1:8001, 204.79.197.200:80>

Problem 5)

Step by step implementation (highlight means current node):

Visited Set: {t}

Row	Cost
t:	0
u:	2
v:	4
w:	$\infty$
x:	$\infty$
y:	7
z:	$\infty$

Visited Set: {t, u}

Row	Cost
t:	0
u:	2
v:	$4 = \min(4, 2 + 3)$
w:	$5 = 2 + 3$
x:	$\infty$

y:	7
z:	$\infty$

Visited Set: {t, u, **v**}

Row	Cost
t:	0
u:	$2 = \min(2, 4 + 3)$
v:	4
w:	$5 = \min(5, 4 + 4)$
x:	$7 = 3 + 4$
y:	$7 = \min(7, 4 + 8)$
z:	$\infty$

Visited Set: {t, u, v, **w**}

Row	Cost
t:	0
u:	$2 = \min(2, 5 + 3)$
v:	$4 = \min(4, 5 + 4)$
w:	5
x:	$7 = \min(7, 5 + 6)$
y:	7
z:	$\infty$

Visited Set: {t, u, v, w, **x**}

Row	Cost
t:	0
u:	2

v:	$4 = \min(4, 7 + 3)$
w:	$5 = \min(5, 7 + 6)$
x:	7
y:	$7 = \min(7, 7 + 7)$
z:	$15 = 7 + 8$

Visited Set: {t, u, v, w, x, **y**}

Row	Cost
t:	0
u:	2
v:	$4 = \min(4, 7 + 8)$
w:	5
x:	$7 = \min(7, 7 + 6)$
y:	7
z:	$15 = \min(15, 7 + 12)$

Visited Set: {t, u, v, w, x, y, **z**}

Row	Cost
t:	0
u:	2
v:	4
w:	5
x:	$7 = \min(7, 15 + 8)$
y:	$7 = \min(7, 15 + 12)$
z:	15

Problem 6)

- a. The initial distance from  $y \Rightarrow x$  is 4, distance from  $z \Rightarrow x$  is set to 50, but we have the alternatives  $z \Rightarrow y \Rightarrow x$  and  $z \Rightarrow w \Rightarrow y \Rightarrow x$  which is 7 and 6 respectively, getting us  $z \Rightarrow x$  is 6.  $w \Rightarrow x$  would be  $w \Rightarrow y \Rightarrow x$  and  $w \Rightarrow z \Rightarrow x$  which is 5 and 51 respectively, so  $w \Rightarrow x$  would be 5. In conclusion,  
 $w \Rightarrow x$  is 5  
 $y \Rightarrow x$  is 4  
 $z \Rightarrow x$  is 6
- b. If  $y \Rightarrow x$  gets set to 60,  $w$  and  $z$  will still think that  $y$  has a cost of 4 to  $x$  so  $w$  thinks it can reach  $x$  via  $y$  in  $1 + 60 = 61$  while  $z$  thinks it can get to  $x$  in  $1 + 1 + 60 = 62$ . But then each router thinks another has a shorter path leading to count to infinity problem, thus not being able to resolve the problem within 5 iterations.
- c. It can once the router realizes that there is no low-cost path to  $x$  anymore and instead will stabilize to  $y \Rightarrow x$  being 60 units. This process can take many steps because count-to-infinity will take an insane amount of time to converge.