### 2. Descriptive Inference I (Flipped)

DS-GA 1015, Text as Data Arthur Spirling

Feb 16, 2021

1 Lab straight after this lecture

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- 2 Please do federal engagement survey

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- 2 Please do federal engagement survey
- 3 HW 1 out soon.



9



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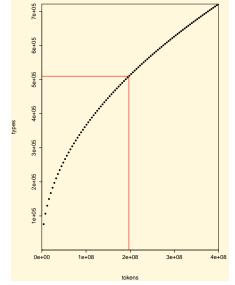
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Zipf's Law tells us about the rank-frequency distribution. What does it say?

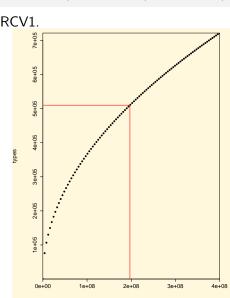
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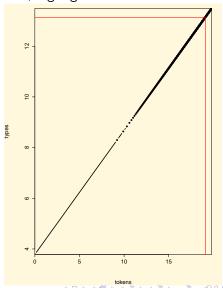


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tokens

### RCV1, log-log.



corpus frequency of \emph{i}th most common term is  $\propto \frac{1}{\emph{i}}$ 

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etc Can rewrite as:

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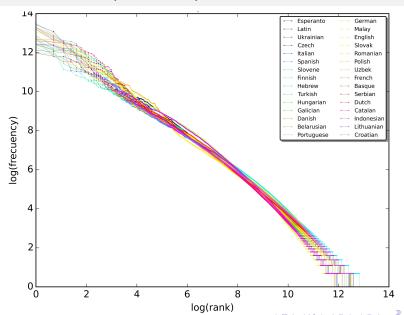
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# Other Languages (Wikipedia)

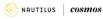
# Other Languages (Wikipedia)



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- 2 Astrophysicists study extraterrestrial signals looking for Zipf's law in the patterns. Why?





# Listening for Extraterrestrial Blah Blah

At the cosmic dinner party, intelligence is the loudest thing in the room.

By Laurance R. Doyle
Illustrations by Tianhua Mao

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and 
$$\sqrt{(\mathbf{y}_i - \mathbf{y}_j) \cdot (\mathbf{y}_i - \mathbf{y}_j)} = 3.206275$$
 larger distances imply lower similarity.

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onow suppose the second document is simply the first document copied 10 times. Does the Euclidean distance seem intuitively suitable given how similar you know the content to be?



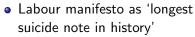


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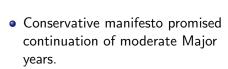
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 $c_{ii} \approx 0.90$  | Why are the numbers in general so 'high'?

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February 15, 2021

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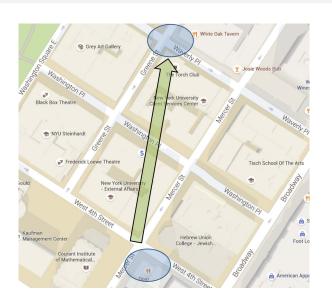
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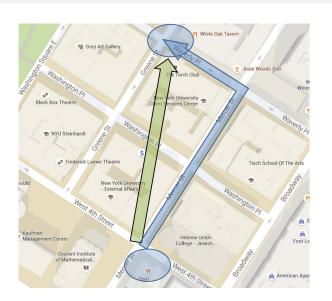
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• Euclidean  $(\sqrt{5})$ 



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The smallest number of operations taking us from  $s_1$  to  $s_2$  is the **Levenshtein distance** between those strings.

 $s_1 = {\tt easternmost}$ 

```
s_1 = \mathtt{easternmost}
```

$$s_2 = \mathtt{southern}$$

```
s_1 = {\tt easternmost}
```

 $s_2 = southern$ 

1 delete m, delete o, delete s, delete t.

```
s_1 = easternmost
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$$s_2 = southern$$

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 $\rightarrow$  eastern

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s_1 = {\tt easternmost}
s_2 = {\tt southern}
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- 1 delete m, delete o, delete s, delete t.
- 2 insert h.

- $\rightarrow$  eastern
- $\rightarrow$  easthern

```
s_1 = {\sf easternmost}
s_2 = {\sf southern}
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- 2 insert h.
- 3 replace e, a and s with s, o and u.

 $\rightarrow$  eastern

 $\rightarrow$  easthern

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- 3 replace e, a and s with s, o and u.

- $\rightarrow$  eastern
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  - How many operations? 4

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  - How many operations? 4 + 1 + 3

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How many operations? 4 + 1 + 3 = 8.

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		York	¬ York	total
Word	New	303	240	543
		New York	(e.g. 'new day')	
First	$\neg$ New	6 (e.g. 'from	909219 (e.g. 'red	909225
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 $\rightarrow$  'york' doesn't occur often in the corpus, but when it does, it's almost always proceeded by 'new'

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  - so for 'New York',  $X^2=496020$  on 1 degree of freedom, o p < 0.001
  - ⇒ reject the null hypothesis of independence: this word is a good choice as a collocation.

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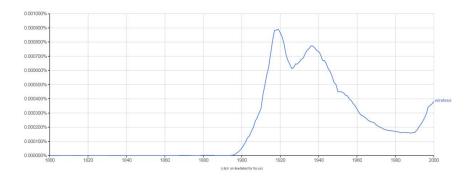
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## Use of 'Wireless' changes by context



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Give an example of a political key word that might appear in a different *context* if we study the US vs some other country.