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1 using SymPy
```

```
1 using Plots
```

Definindo as variáveis

(t, s, A, B)

```
1 @syms t s A B
```

$I_s = 4$

```
1 I_s = 4
```

Solucionando a questao

$i1_t =$

$$Ae^{-t} + Be^{-6t} + 4$$

```
1 i1_t = I_s + (A * exp(-t) + B * exp(-6*t)) # Expressão geral para i1(t)
```

$i2_t =$

$$1.6e^{-t} - 1.6e^{-6t}$$

```
1 i2_t = (1.6 * exp(-t) - 1.6 * exp(-6*t)) # Expressão geral para i2(t)
```

$eq1 =$

$$A + B + 4 = 4$$

```
1 eq1 = subs(i1_t, t=>0) ~ I_s # Condição inicial i1(t) em t = 0
```

$eq2 =$

True

```
1 eq2 = subs(i2_t, t=>0) ~ 0 # Condição inicial para i2(t) em t = 0
```

$sol = \text{Dict}(A)$

$$\Rightarrow -B$$

```
1 sol = solve([eq1, eq2], [A, B]) # encontra as constantes A e B
```

i1_t_sol =

$$-Be^{-t} + Be^{-6t} + 4$$

```
1 i1_t_sol = subs(i1_t, sol) # Substitui os valores de A e B
```

i2_t_sol =

$$1.6e^{-t} - 1.6e^{-6t}$$

```
1 i2_t_sol = subs(i2_t, sol) # Substitui os valores de A e B
```

i1_t_simplified =

$$-Be^{-t} + Be^{-6t} + 4$$

```
1 i1_t_simplified = simplify(i1_t_sol) # Simplifica as expressões
```

i2_t_simplified =

$$1.6e^{-t} - 1.6e^{-6t}$$

```
1 i2_t_simplified = simplify(i2_t_sol)
```

Gráfico

i1 (generic function with 1 method)

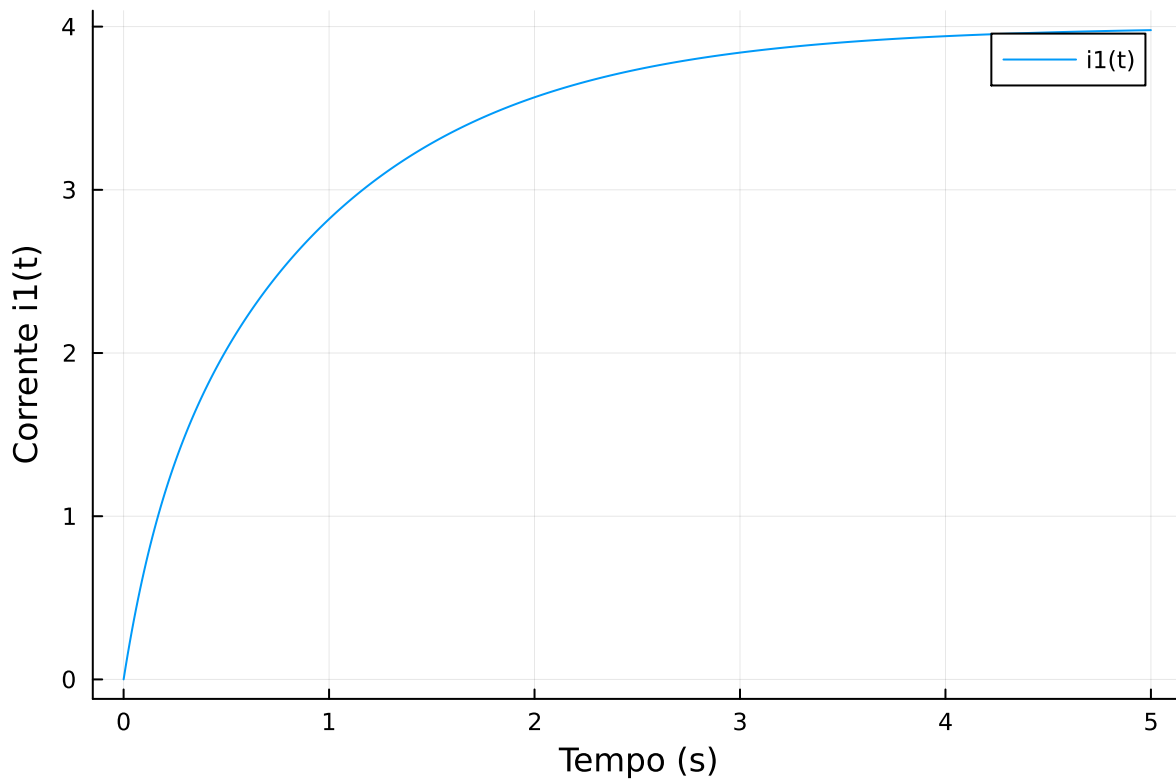
```
1 i1(t) = 4 + (-3.2*exp(-t) - 0.8*exp(-6*t))
```

i2 (generic function with 1 method)

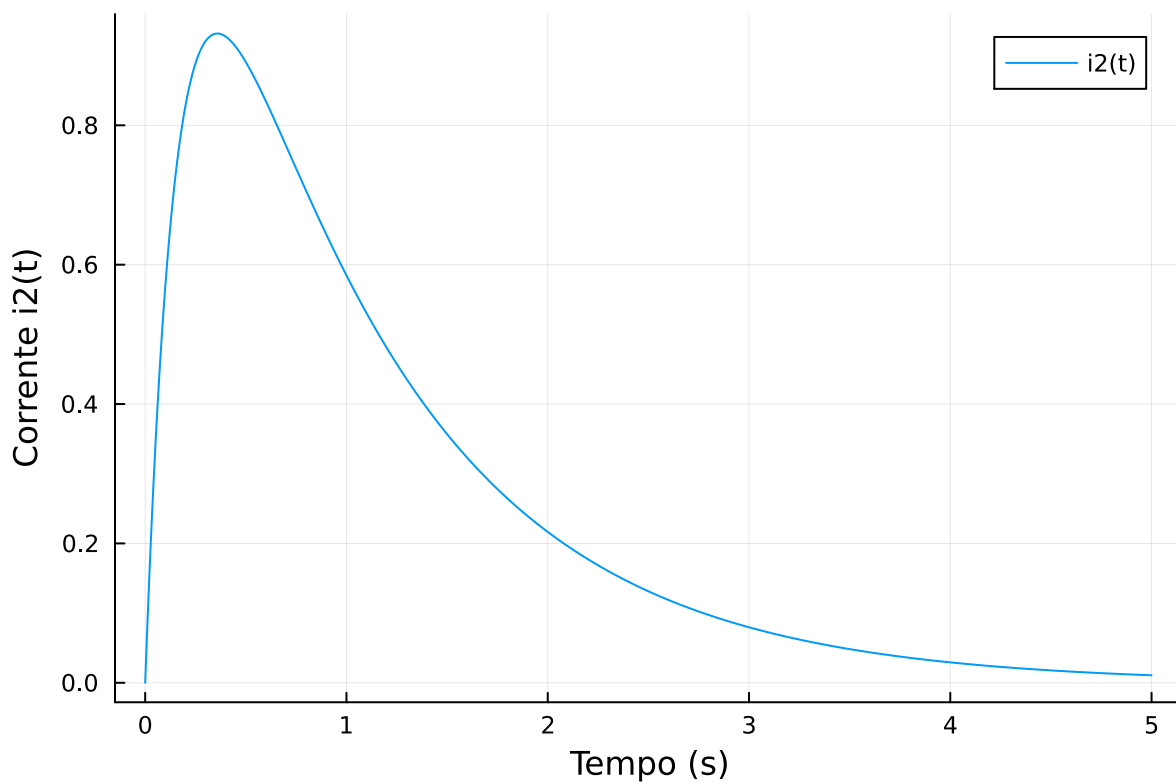
```
1 i2(t) = (1.6*exp(-t) - 1.6*exp(-6*t))
```

t_values = 0.0:0.01:5.0

```
1 t_values = 0:0.01:5
```



```
1 plot(t_values, i1.(t_values), xlabel="Tempo (s)", ylabel="Corrente i1(t)",  
label="i1(t)", legend=:topright)
```



```
1 plot(t_values, i2.(t_values), xlabel="Tempo (s)", ylabel="Corrente i2(t)",  
label="i2(t)", legend=:topright)
```

